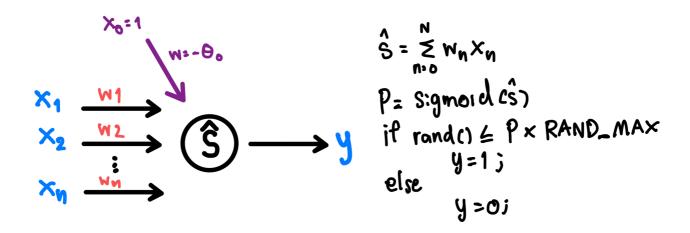
Artificial Intelligence Report

Task 1 - Simulation of Probabilistic Binary Model



Procedure

- 1. Create 1 neuron which has 5 inputs and use a probabilistic Binary Model (Using random generator to create probabilistic model).
- 2. Execute the neuron with parameters defined in table.
- 3. Repeately execute and count when y = 1 for the experimental result
- 4. Calculate the theoritical result by Trials * P
- 5. Calculate a * percent error(pe) between the experimental result and the theritical result
- 6. Calculate a ★ average of percent error(mean) from each trail

```
*How to get percent error and average
# Percent error can be negative to show more or less of result
pe = ((theoritical-experimental)/th)*100
# Mean is calculated from absolute values to show only a margin of result
mean = statistics.mean([abs(pe_100), abs(pe_1000), abs(pe_10000)])
```

Parameter table

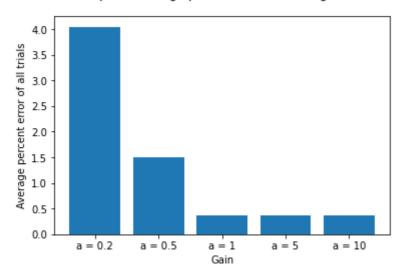
Name	Description	value
а	Gain of the sigmoid function	0.2, 0.5, 1, 5 10
Trials	Repeatly execute the neuron	100, 1000, 10000ฅ
RAND_MAX	Maximum range of a random generator	RAND_MAX = 10000
SEED	Seed of a random generatot	SEED = 0
Input	Input of a neuron	x1 = [1, 0, 1, -1, 0.5, -0.5]

Name	Description	value		
		x2 = [1, -1, 1, 1, -0.5, 1]		
weight	Weight of a neuron	w = [1, -1, 2, -1, 2, -1]		
*x[0], w[0] is dummy				

^{1.} Input x1 = [1, 0, 1, -1, 0.5, -0.5]

Gain(a)	Trials	Percent error	Average of 3 Trials
0.2	100	-8.73 %	4.04 %
1	1000	2.69 %	1
1	10000	0.71 %	1
0.5	100	-3.29 %	1.51 %
1	1000	1.17 %	1
1	10000	0.07 %	1
1	100	-0.60 %	0.37 %
1	1000	-0.50 %	1
1	10000	-0.02 %	1
5	100	-1.01 %	0.38 %
1	1000	-0.10 %	1
1	10000	-0.02 %	1
10	100	-1.01 %	0.37 %
1	1000	-0.10 %	1
1	10000	-0.01 %	1

Input1: Average percent error of each gain



2. Input x2 = [1, -1, 1, 1, -0.5, 1]

Gain(a)	Trials	Percent error	Average of 3 Trials
0.2	100	-7.82 %	3.66 %
1	1000	2.51 %	1
1	10000	0.66 %	1
0.5	100	-2.04 %	1.44 %
1	10000	1.20 %	1
1	1000	1.07 %	1
1	100	-2.97 %	1.57 %
1	1000	1.74 %	1
1	10000	0.01 %	1
5	100	-2.40 %	0.90 %
1	1000	-0.23 %	1
1	10000	0.07 %	1
10	100	-1.01 %	0.37 %
1	1000	-0.10 %	1
1	10000	-0.02 %	1

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Input2: Average percent error of each gain

Summary*

Trials: As the result, the percent error will be minimum when Trial = 10000, so we can conclude that the more trial, the less error.

Gain(a): As the result, the percent error will be minimum when a = 10, so we can conclude that **the more** gain, the less error.

For my opinion, this conclusion could not apply for all situation. It may suitable for these set of input and weigth only.