

Ascending to the Moon: A Multi-Objective Optimization Framework for Sustainable Space Logistics and Environmental Assessment

Balancing Cost, Reliability, and Planetary Impact in the Era of Space Colonization

Summary

Transporting 10^8 tons of construction mass from Earth to the Moon for a 2050-era colony forces a hard trade-off between throughput, cost, risk, and environmental stewardship. We build an integrated decision framework that links logistics optimization, robustness under uncertainty, life-support sustainment, and life-cycle environmental impact.

Innovations. We introduce: (i) logistic *infrastructure growth* + NSGA-II Pareto optimization for hybrid rocket–elevator allocation; (ii) an *availability de-rating* + *Monte Carlo* chance-feasibility test for deadline fragility; (iii) a closed-loop *capacity tax* that turns sustainment (water) into a binding logistics constraint; and (iv) the **Space Environmental Impact Score (SEIS)**, fusing LCA carbon debt/payback with Kessler-style orbital risk.

Key results and sensitivities. Under a strict 24-year (2050) deadline, the elevator can deliver at most 12.9 Mt (12.9%), so rockets must carry 87.1%, driving cost to \$40.5T (NPV). With payload uncertainty $p_B \sim U(100, 150)$ (5,000 trials), on-time probability is 24.3%; extending to 28 years raises feasibility to 95.2%, while a 48-year knee-point reduces cost to \$23.8T. Non-ideal operations increase cost by 16%–17% and minimum time by $\sim 5\%$, and under the hard deadline add 53.3 Mt CO₂ via rocket substitution. Water is highly sensitive to recycling ($D_{net} = D_{gross}(1 - \eta)$): at $\eta = 90\%$, net imports are 273,750 tons/yr (51% of elevator capacity) and rocket-based water transport costs \$1.37T/yr; achieving $\eta \geq 98\%$ reduces net imports to 30,660 tons/yr (5.7%) and requires a 33,750-ton reserve. Environmentally, SEIS rates pure elevator as A+ (20.0 Mt CO₂; 13.6-year break-even) versus pure rockets as F (1,669.7 Mt CO₂; no payback); the 2050 hybrid mix still implies 1,466.0 Mt CO₂ and a 997-year payback.

Overall, schedule stringency is the dominant lever: rigid deadlines lock the program into high-cadence rocket dependence, while a phased transition that expands elevator throughput early and enforces elevator-dominant post-construction operations improves cost, reliability, and long-run environmental viability.

Keywords: Space Logistics; Multi-objective Optimization; Monte Carlo Simulation; Circular Economy; Life Cycle Assessment (SEIS)

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1 Introduction

1.1 Problem Background

The year is 2050. Humanity stands on the precipice of a new era: the colonization of the Moon. The proposed Moon Colony, housing 100,000 residents, represents not just a scientific outpost but a permanent extension of human civilization. However, the logistical requirements for such an endeavor are staggering. Constructing the colony requires transporting **100 million metric tons** of materials from Earth's surface to the Moon.

To put this in perspective, the International Space Station (ISS), the most expensive object ever built, weighs approximately 450 tons. The Moon Colony project requires the equivalent of building **220,000 ISS-sized structures**. Current transportation methods, primarily chemical rockets, are constrained by the "Tyranny of the Rocket Equation," resulting in exorbitant costs and significant environmental damage.

Enter the **Space Elevator System**. A concept once confined to science fiction, now technologically feasible with advanced materials, it offers a "Galactic Harbour" capable of lifting massive payloads with electricity rather than combustion. The core challenge facing the Moon Colony Management (MCM) Agency is to determine the optimal strategy to deploy this infrastructure: Should we rely on the proven yet costly rockets, commit fully to the novel space elevator, or orchestrate a hybrid transition?

1.2 Restatement of the Problem

This study addresses four interconnected challenges regarding the logistics and sustainability of the Moon Colony. The primary objective is to determine the most cost-effective and time-efficient transportation plan. This involves modeling three distinct scenarios—pure Space Elevator, pure Rocket, and a Hybrid system—to minimize the Total Net Present Value (NPV) and project completion time under technological growth constraints. However, since real-world engineering is never perfect, we must also assess how these optimal strategies perform under uncertainty. By incorporating potential rocket launch failures, elevator maintenance needs, and weather delays, we aim to ensure the system is robust against inevitable disruptions.

Beyond mere construction, the sustainability of the colony is paramount. We investigate the daily water requirements for a population of 100,000, evaluating the economic feasibility of transporting water versus recycling it on-site to prevent potential logistical collapse. Finally, we evaluate the planetary consequences of these massive operations. By quantifying the carbon footprint and orbital debris risks (Kessler Syndrome) associated with each transport method, we aim to recommend a path that ensures the Moon Colony does not come at the cost of Earth's environment.

1.3 Our Work

To tackle these complex, multi-scale problems, we developed a unified decision-making framework named "**Ascension-2050**", which integrates operations research, stochastic simulation, and environmental science.

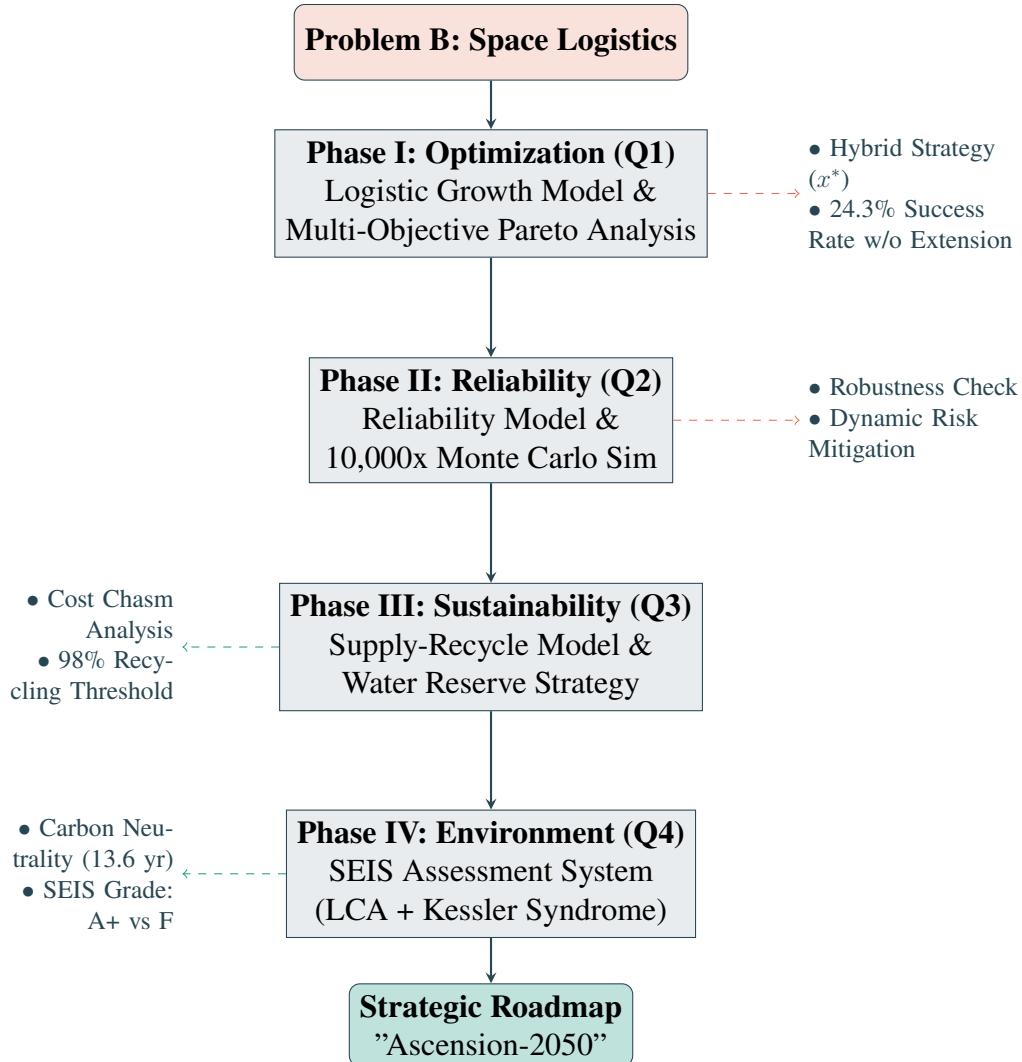


Figure 1: The Logic Flow of Our "Ascension-2050" Research Framework.

The research methodology begins by constructing a **Logistic Infrastructure Growth Model** to simulate the dynamic expansion of rocket launch sites and elevator capacity. Coupled with a **Multi-Objective Genetic Algorithm**, we derive the Pareto Frontier for cost and time to solve the core transport optimization problem. Following this, we introduce a **Monte Carlo Reliability Model** to test 10,000 failure scenarios, identifying the "Knee Point" strategy that offers the best trade-off between efficiency and risk. To address resource constraints, we develop a **Supply-Recycle Economic Model** that analyzes the water crisis and establishes a critical threshold for recycling efficiency. The study concludes with the proposal of the **Space Environmental Impact Score (SEIS)**, a novel metric combining Life Cycle Assessment (LCA) and orbital risk factors, to provide the definitive environmental verdict.

2 Assumptions and Notations

2.1 Assumptions

To simplify the complex space logistics problem while maintaining the model's fidelity across all four phases, we make several key assumptions.

Regarding **Infrastructure Growth**, the expansion of rocket launch sites is modeled as a Logistic S-curve rather than linear growth. The number of active sites $N(t)$ starts from $N_0 = 10$ and approaches a global environmental carrying capacity of $K = 80$, reflecting geopolitical and geographical constraints on launch site construction.

We also adopt a **Technology Freeze** policy for the construction phase (2026-2050). Fundamental propulsion parameters (Specific Impulse I_{sp} , Dry Mass) are held constant to ensure engineering stability, although operational efficiency (e.g., launch frequency L_{max}) is allowed to improve over time.

In the context of reliability analysis, we treat **Failure Events as Independent**. Distinct rocket launch failures and elevator mechanical breakdowns are modeled as statistically independent events, although their cumulative effects (such as orbital debris accumulation) are significantly coupled in the risk model.

Furthermore, for the **Environmental Life-Cycle Assessment**, calculations rely on the premise that the Space Elevator infrastructure is pre-deployed for the operational phase. Consequently, the carbon emissions from its construction are amortized over its lifecycle, and its operation after 2050 is considered zero-emission.

The water supply model assumes the colony operates under a **Closed-Loop Resource System**. The net demand from Earth is strictly determined by the population size ($P = 100,000$) and the system's recycling efficiency (η_{sys}), ignoring other minor external variables.

2.2 Notations

The key symbols and variables used throughout this paper are defined in Table 1.

| Symbol | Description | Unit/Value |
|--|--|---------------|
| <i>System Parameters & Optimization (Q1)</i> | | |
| M_{tot} | Total mass required for the Moon Colony | 10^8 tons |
| Y | Project completion timeline (Decision Variable) | Years |
| $N(t)$ | Number of active heavy rocket launch sites at year t | Count |
| K | Carrying capacity of launch sites (Logistic limit) | 80 sites |
| L_{max} | Maximum launch frequency per site per year | Launches/yr |
| p_B | Rocket payload capacity (Ground to Moon direct) | 150 tons |
| p_A | Trans-shipment payload (Anchor to Moon) | $> p_B$ |
| F_E | Fixed infrastructure cost of Space Elevator | \$100 Billion |
| c_R, c_E | Marginal transport cost (Rocket vs. Elevator) | \$/kg |
| <i>Reliability & Uncertainty (Q2)</i> | | |
| β^{eff} | Effective availability factor of the system | $\in [0, 1]$ |
| λ | Failure rate of a specific transport mode | Events/yr |
| t_{repair} | Mean Time To Repair (MTTR) | Days |
| P_f | Probability of a single launch failure | % |
| <i>Sustainability & Resources (Q3)</i> | | |
| D_{gross} | Gross annual water demand for the colony | tons/year |
| P | Colony population size | 100,000 |
| η_{sys} | Water recycling efficiency of the ECLSS | % (e.g., 98%) |
| S_{safe} | Strategic water reserve for emergency survival | tons |
| <i>Environment & Impact caused (Q4)</i> | | |
| $SEIS$ | Space Environmental Impact Score | Index |
| $E_{net}(t)$ | Net environmental footprint at time t | CO_2 eq. |
| $R(t)$ | Kessler Risk Index (Orbital Debris Density) | Index |
| T_{BE} | Carbon Break-even Time | Years |

Table 1: Notations and Definitions

3 Model I: Optimization of Space Logistics (Question 1)

Question 1 asks for an “ideal-condition” optimization: how to deliver $M_{tot} = 10^8$ tons from Earth to the Moon while balancing completion time and total cost. The scale of this demand means that small per-kilogram cost differences compound into trillion-dollar outcomes, while small capacity shortfalls compound into multi-year schedule slips. The core difficulty is structural: the Space Elevator offers very low marginal cost but is constrained by a throughput ceiling, whereas rockets can increase capacity by expanding launch infrastructure, but they pay a steep marginal cost for every additional ton. Model I therefore begins with the two single-mode baselines (as boundary cases) and then constructs a hybrid, multi-objective optimization model to capture the time–cost trade-off.

3.1 Models for Individual Modes

Before introducing equations, Figure 2 summarizes the three transport concepts as process chains. The diagrams are not merely illustrative; they highlight where bottlenecks enter the mathematics

(serial stages in the elevator chain, parallelism in the rocket fleet, and flow-splitting in the hybrid system).

(a) Space Elevator (1a)



(b) Rockets Only (1b)



(c) Hybrid System (1c)

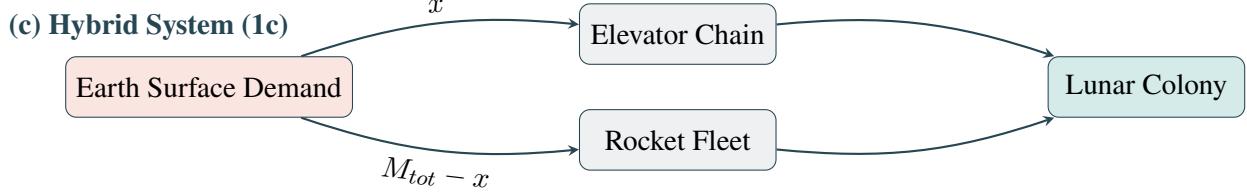


Figure 2: Schematic process chains for the three transport strategies in Question 1. The elevator chain contains serial stages and is governed by its bottleneck throughput, while the rocket system scales via parallel launch sites. The hybrid strategy splits the mass flow between both chains and recombines at the Moon.

3.1.1 Space Elevator Only (Scenario 1a)

The elevator transport chain consists of two serial stages: “Ground → GEO/Anchor” (elevator lift) and “Anchor → Moon” (transfer rockets). The annual throughput of the full chain is the bottleneck of the two stages,

$$T_{chain} = \min(T_E, T_{R,anchor}), \quad T_{R,anchor} = N_{anchor} L_{anchor} p_A. \quad (1)$$

This “minimum” structure is the key modeling idea: even if the elevator can lift continuously, cargo still cannot reach the Moon faster than the anchor transfer system can dispatch it. Conversely, a powerful anchor fleet cannot compensate for an elevator that lifts too slowly. The bottleneck formulation therefore provides a transparent way to connect engineering design decisions (how many harbors, how many anchor platforms, how frequently they can operate) to system-level completion time. Under an elevator-only strategy, all payload is assigned to the chain, so the continuous-time makespan is

$$Y_{1a} \approx \frac{M_{tot}}{T_{chain}}. \quad (2)$$

With our baseline throughput $T_E = 5.37 \times 10^5$ tons/year (three harbors), the elevator-only completion time is on the order of centuries, which makes it unsuitable as a sole solution for a mid-century colony schedule even though its marginal cost is low. In the optimization landscape, the elevator-only solution is best viewed as the “asymptotic” end of the Pareto frontier: it represents what happens when we prioritize cost efficiency and sustainability over schedule urgency.

3.1.2 Traditional Rockets Only (Scenario 1b)

For rockets, throughput is determined by how many heavy-lift sites are available and how frequently each can launch. In the simplest single-mode model, annual capacity is

$$T_R = N_{sites} \cdot L_{max} \cdot p_B. \quad (3)$$

Here L_{max} is not an arbitrary knob; it is constrained by operational turnaround. A convenient way to express this physical limit is through a cycle-time decomposition,

$$t_{cycle} = t_{refurb} + t_{pad} + t_{weather} + t_{fail}, \quad L_{max} = \frac{365 \eta}{t_{cycle}}, \quad (4)$$

where t_{refurb} captures refurbishment and inspection, t_{pad} captures pad occupancy, $t_{weather}$ accounts for weather and range availability, and t_{fail} accounts for failure-induced downtime. This relationship clarifies why the rocket-only strategy becomes increasingly expensive: meeting a hard deadline forces both N_{sites} and L_{max} upward, pushing the system toward unrealistic operational assumptions. Unlike the elevator, N_{sites} is not constant over a multi-decade program. We model the expansion of launch infrastructure using Logistic growth,

$$N(t) = \frac{K}{1 + \left(\frac{K-N_0}{N_0}\right) e^{-rt}}, \quad (5)$$

where $N_0 = 10$ is the initial number of sites, $K = 80$ is a global carrying capacity, and $r = 0.15$ describes the mobilization speed. The cumulative rocket-delivered mass by time Y is then the integral of the instantaneous capacity,

$$C_R(Y) = \int_0^Y N(t) L_{max} p_B dt. \quad (6)$$

This formulation captures the “slow start” period, preventing unrealistic early-time throughput that would occur in a static N_{sites} model.

3.2 Hybrid Optimization Framework

The hybrid strategy allocates a total mass x to the elevator chain and $M_{tot} - x$ to direct rockets. Since the elevator chain has a fixed annual bottleneck rate, its cumulative capacity is

$$C_E(Y) = T_{chain} Y = \min(T_E, N_{anchor} L_{anchor} p_A) Y. \quad (7)$$

Feasibility requires that both chains together can deliver the full demand within Y ,

$$C_E(Y) + C_R(Y) \geq M_{tot}. \quad (8)$$

This constraint explains an important qualitative phenomenon: when Y is small, $C_E(Y)$ grows only linearly with a small slope (fixed throughput), so rockets are forced to carry most of the mass. As Y increases, the elevator share increases automatically because its capacity accumulates year by year, and the optimization can substitute expensive rocket tons with cheaper elevator tons.

Cost is measured in Net Present Value (NPV), combining infrastructure CAPEX with discounted OPEX. In line with our implementation (Comprehensive Transport Optimization Model V5), we write the total cost as

$$C_{total}(Y, x) = \underbrace{F_E + C_{site} (N_{final} - N_0)}_{\text{CAPEX}} + \underbrace{\int_0^Y [c_E \dot{x}(t) + c_R \dot{m}_R(t)] e^{-\rho t} dt}_{\text{OPEX (NPV)}}, \quad (9)$$

with discount rate $\rho = 3\%$. The bi-objective problem is to minimize $C_{total}(Y, x)$ and Y simultaneously, yielding a Pareto frontier of time–cost trade-offs. We solve this numerically using a multi-objective genetic algorithm (NSGA-II) and identify the “knee point” as the best-balanced compromise.

3.3 Results and Analysis

The resulting Pareto structure is shaped by two hard ceilings: the elevator throughput limit T_E and the practical upper bounds on rocket infrastructure growth. Figure 3 visualizes the trade-off landscape and the modal split behavior.

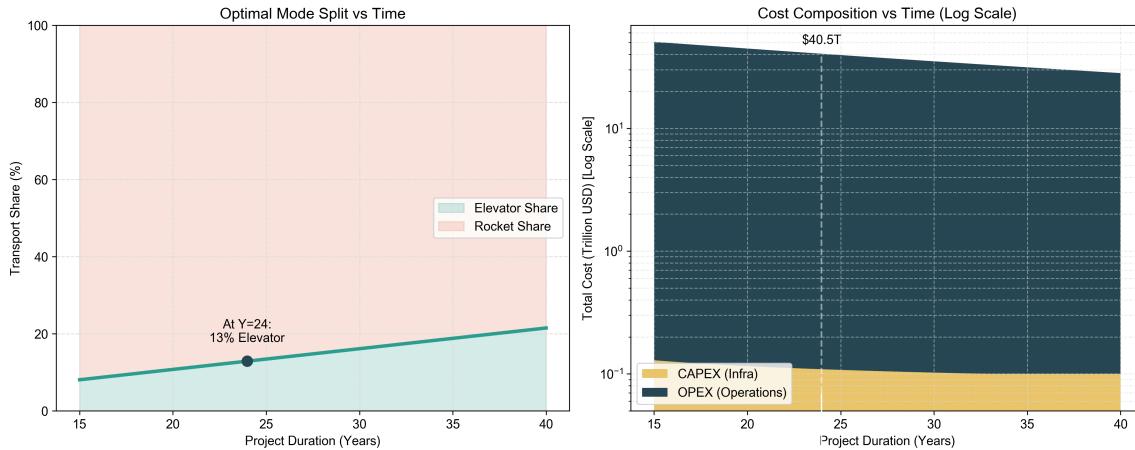


Figure 3: Question 1 (Hybrid Optimization): trade-off deep dive including Pareto behavior and modal split, generated by the platinum visualization pipeline.

The 2050 deadline corresponds to a 24-year makespan ($Y = 24$). Under this hard constraint, the elevator contribution is capped by its throughput: $x^* = \min(M_{tot}, T_E Y) = 12.89 \text{ Mt}$, i.e., 12.9% of the total, with the remaining 87.1% carried by rockets. The consequence is not subtle. The cost structure becomes rocket-OPEX dominated, and the total NPV reaches **\$40.50T**. The deterministic capacity sum slightly exceeds demand, but the margin is only 7.8%, which is effectively a “knife-edge” plan: it leaves too little slack to absorb realistic fluctuations in payload performance, operational efficiency, or infrastructure delivery.

To quantify this fragility, we performed Monte Carlo sampling of the uncertain payload parameter $p_B \sim U(100, 150)$ tons/launch. The probability of completing by 2050 is only **24.3%**. Extending the schedule relaxes the capacity pressure: the completion probability rises to **95.2%** at $Y = 28$ (2054), and reaches 100% by 29 years.

The analysis suggests that schedule is the dominant lever for reducing risk and total cost. Under longer horizons the elevator operates closer to its full potential share, and the total NPV falls substantially; for instance, our baseline long-horizon evaluation reports **\$28.2T** at $Y = 40$ (2066), and a representative knee-point comparison at $Y = 48$ yields **\$23.81T**. These results support a dynamic hybrid strategy: rockets are used as an early-time capacity amplifier while the program steadily shifts mass flow to the elevator as the lowest-marginal-cost backbone.

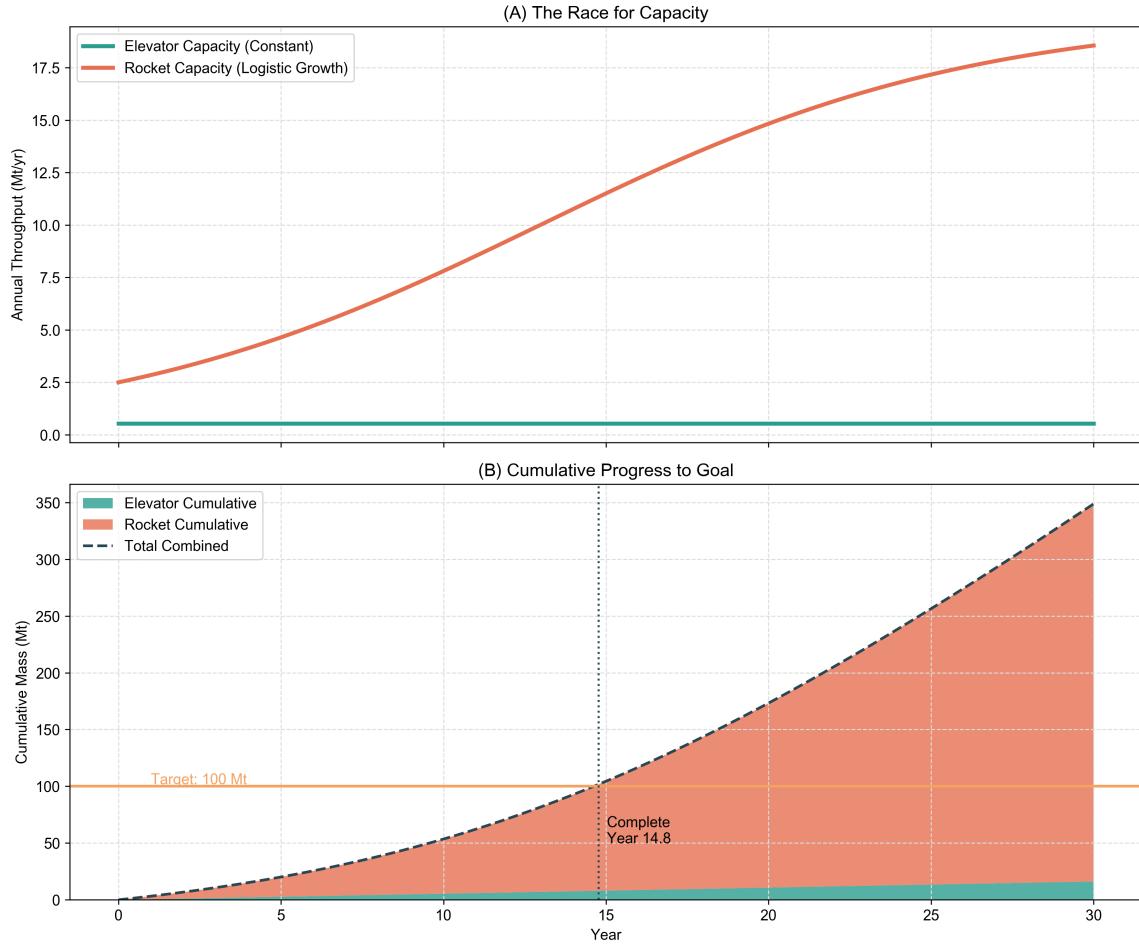


Figure 4: Question 1 (Capacity Dynamics): cumulative and time-varying capacity behavior implied by Logistic infrastructure growth and fixed elevator throughput.

4 Model II: Reliability and Robustness Under Non-Ideal Conditions (Question 2)

Model I deliberately assumes an ideal operating world in order to expose the intrinsic time–cost trade-off. Question 2 asks, “to what extent” the optimal plan changes once the transport system is subjected to real operational frictions, including downtime, launch windows, and stochastic failures. In practice, these effects do not merely add a small constant penalty; they reduce effective throughput, amplify required transported mass, and introduce tail risk in schedule completion.

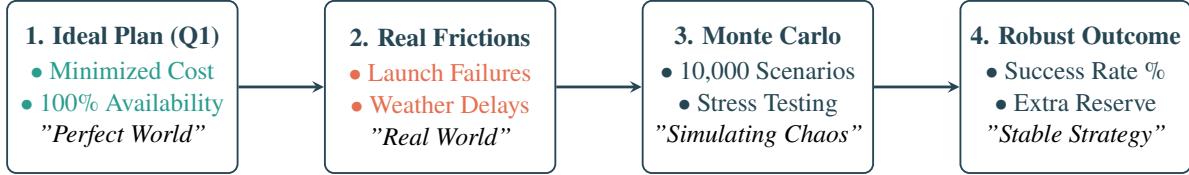


Figure 5: Model II (Question 2) at a glance: from the ideal Q1 solution to a robust plan under non-ideal operations via Monte Carlo reliability simulation.

4.1 Uncertainty Sources and Modeling Philosophy

We treat non-ideal factors as two coupled mechanisms. The first mechanism is an *availability loss*: planned maintenance, weather, and post-failure stand-down periods reduce the fraction of time each subsystem can operate. The second mechanism is a *loss-and-replacement effect*: failed launches or disrupted transfers imply that part of the payload flow must be re-flown, increasing the effective demand above M_{tot} . Since the elevator chain includes a rocket-based transfer stage at the anchor, reliability is inherently a system property rather than a property of a single component.

4.2 Effective Availability and Capacity Correction

Let β_E^{eff} and β_R^{eff} denote the effective availability of the elevator and rocket operations, respectively. A compact multiplicative form captures the dominant effects:

$$\beta_E^{eff} = \beta_E \left(1 - \frac{\lambda_E t_{repair}}{365} \right) (1 - P_{cat}), \quad (10)$$

where β_E is the baseline operational availability (planned maintenance and weather), λ_E is the annual failure rate, t_{repair} is the mean repair time (days), and P_{cat} is the probability of a catastrophic outage. For rockets, we combine launch-window and maintenance losses with a post-failure stand-down penalty:

$$\beta_R^{eff} = (1 - \delta_{window} - \delta_{maint}) \left(1 - \frac{P_f T_{down}}{365} \right), \quad (11)$$

where δ_{window} and δ_{maint} are fractional time losses, P_f is the per-launch failure probability, and T_{down} is the stand-down duration (days).

Under non-ideal conditions, the elevator chain remains a bottlenecked serial process, but both stages are de-rated by availability. Its cumulative deliverable mass within Y years becomes

$$C_E^{real}(Y) = \min \left(\beta_E^{eff} T_E Y, \beta_R^{eff} N_{anchor} L_{anchor} p_A Y \right). \quad (12)$$

The direct-rocket channel similarly becomes

$$C_R^{real}(Y) = \int_0^Y \beta_R^{eff} N(t) L_{site} p_B dt. \quad (13)$$

4.3 Demand Amplification and Chance Constraints

If part of the transported mass is lost, the program must ship more than the nominal demand M_{tot} . We model this as an effective demand

$$M_{eff} = \frac{M_{tot}}{1 - P_{loss}}, \quad P_{loss} = \frac{x}{M_{tot}} \lambda_E + \frac{M_{tot} - x}{M_{tot}} P_f, \quad (14)$$

which states that the expected loss rate is the allocation-weighted combination of elevator-chain disruption and rocket launch failure.

Because reliability is inherently stochastic, feasibility is best stated as a probability requirement. We therefore use the chance constraint

$$\mathbb{P}(C_E^{real}(Y) + C_R^{real}(Y) \geq M_{eff}) \geq P_{conf}, \quad (15)$$

and estimate the left-hand side via Monte Carlo sampling of uncertain parameters (e.g., payload performance and failure realizations).

4.4 Cost and Carbon Corrections

Non-ideal operations also shift the cost structure. Variable costs are inflated by efficiency loss and expected repair burden, while fixed costs include routine maintenance and redundancy investment:

$$c_E^{real} = \frac{c_E}{\eta_{energy}} + \frac{\lambda_E C_{fix}}{T_E}, \quad c_R^{real} = c_R + \frac{P_f (C_{rocket} + C_{cargo})}{p_B} + \frac{C_{R,maint}}{L_{site} p_B}, \quad (16)$$

and a simple robustness premium is represented by a redundancy factor $\kappa > 1$ on rocket-site CAPEX (we use $\kappa = 1.10$ in our implementation).

For environmental impact in Q2, we account for rocket operational emissions and infrastructure construction emissions, together with an external carbon price P_{carbon} :

$$E_{R,op} = N_{launches} CO_2^{launch}, \quad C_{carbon} = P_{carbon} (E_{R,op} + E_{con}). \quad (17)$$

This term is not intended to replace the full SEIS evaluation in Question 4; rather, it provides a consistent way to connect reliability-driven operational changes (more launches, more sites) to a first-order carbon penalty.

4.5 Results and Robustness Insights

Figure 6 summarizes the gap between idealized and non-ideal operations across key dimensions. The most important structural outcome is that non-idealities shift the allocation toward rockets when the schedule is tight, because any reduction in elevator availability directly reduces its cumulative contribution, forcing the rocket channel to compensate.

To make this effect concrete, we evaluate the 24-year (2050) horizon under ideal vs. non-ideal settings in our Q2 component analysis. The elevator-delivered mass decreases from 12.89 Mt to 10.96 Mt due to availability de-rating, while the rocket-delivered mass increases from 87.11 Mt to 92.12 Mt to maintain feasibility. This substitution increases rocket operations and therefore raises total CO₂ emissions by about 53.3 Mt over the program horizon. The cost impact appears primarily as added maintenance and risk premiums rather than a simple scaling of c_R .

Taken together, the robustness analysis supports the same qualitative recommendation as Model I but with stronger justification: the elevator is the long-run economic and environmental backbone, while rockets provide short-run surge capacity and distributed redundancy. However, the elevator chain is also closer to a single-point-of-failure architecture, so a resilient operational policy should preserve a non-zero rocket capability even after the system transitions to elevator-dominant throughput.

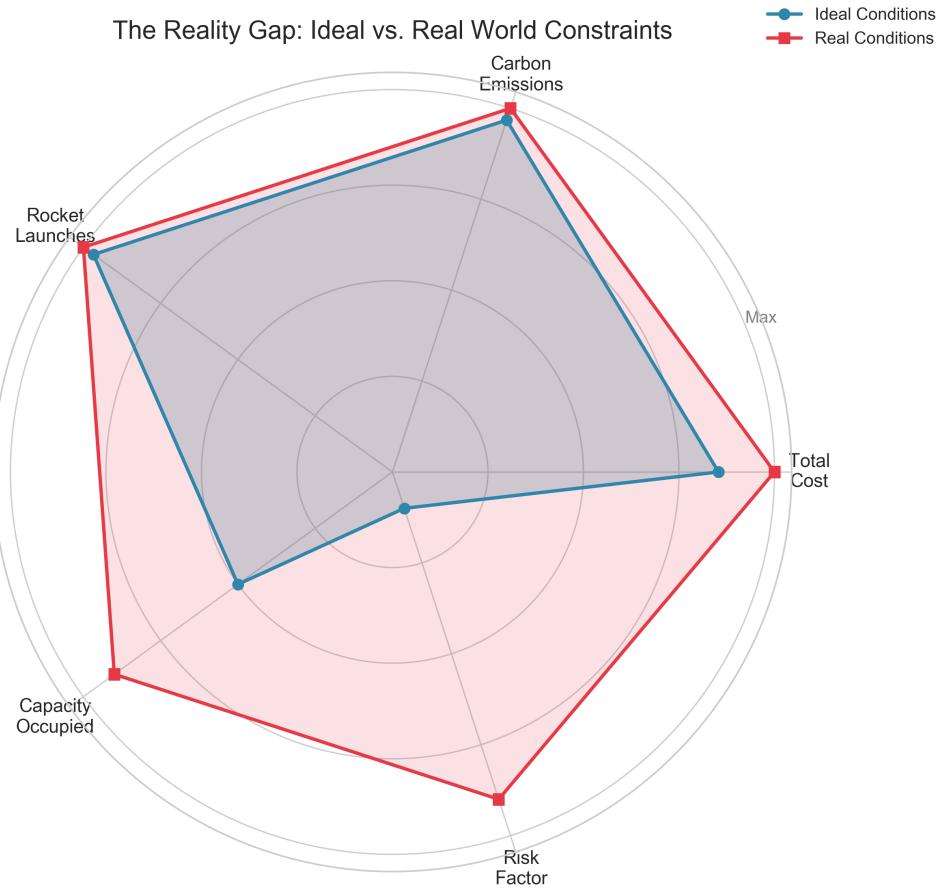


Figure 6: Question 2 (Reliability Gap Radar): a qualitative comparison between ideal and non-ideal operating conditions across capacity, cost, and emissions dimensions.

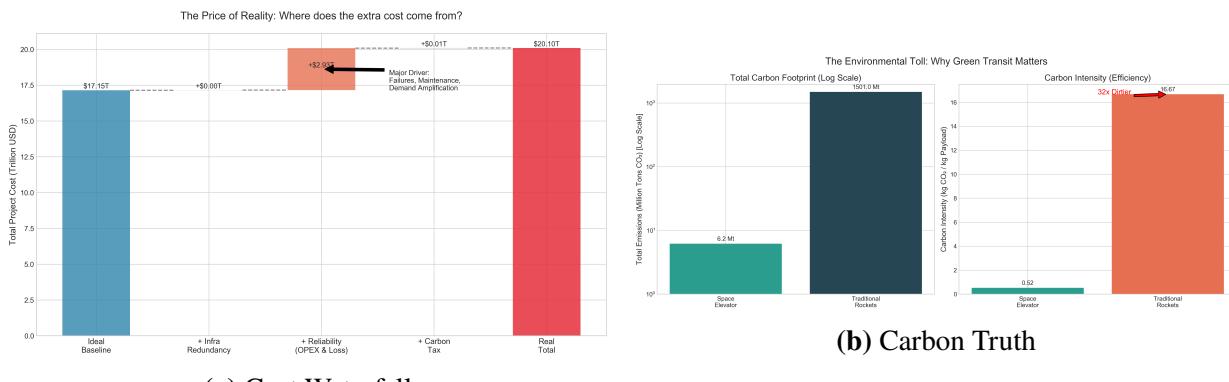


Figure 7: Question 2 (Robustness Consequences): (a) additional cost layers introduced by non-ideal operations; (b) emissions amplification under hard-deadline, high-cadence rocket reliance.

5 Model III: Water Supply Strategy and Circular Sustainability (Question 3)

The logistics models developed in Questions 1–2 determine whether the Moon Colony can be built; however, a colony cannot be sustained without continuous life-support commodities. Among these, water is uniquely binding because it is simultaneously a basic survival requirement and a large-mass flow. Question 3 therefore asks for a strategy that couples *demand physics* (how much water 100,000 residents need) with *logistics feasibility* (how much net mass must still be imported from Earth given recycling) and *risk preparedness* (how much reserve is required to survive disruptions).

5.1 Framework: Mass Balance, Cost, and Capacity Tax

The water model is built around a closed-loop mass balance. Let P be the colony population, and let d denote the gross per-capita annual water requirement (including life support, hygiene, food processing, and industrial use). The gross annual demand is

$$D_{gross} = P d. \quad (18)$$

Because the life-support system recycles a fraction $\eta \in [0, 1]$ of the gross flow, only the unrecovered fraction must be imported from Earth. The net import requirement is therefore

$$D_{net}(\eta) = D_{gross}(1 - \eta). \quad (19)$$

This is the core sustainability coupling: every point increase in η removes a proportional amount of Earth-to-Moon mass flow.

To connect the mass balance to the logistics system, we compute both annual transport cost and annual capacity usage under each transport mode. Let c_R^{water} and c_E^{water} be the all-in unit transport cost for water (\$/ton) by rockets and by the elevator chain, respectively. The annual logistics cost becomes

$$C_R^{water}(\eta) = c_R^{water} D_{net}(\eta), \quad C_E^{water}(\eta) = c_E^{water} D_{net}(\eta). \quad (20)$$

Let T_E denote the elevator system annual throughput ceiling (tons/year). The fraction of elevator capacity consumed by water imports (the *capacity tax*) is

$$\phi_E(\eta) = \frac{D_{net}(\eta)}{T_E}. \quad (21)$$

Feasibility in steady state requires $\phi_E(\eta) \leq 1$; if $\phi_E(\eta) > 1$, then even dedicating the entire elevator to water would be insufficient.

Finally, robustness is represented by a strategic reserve S_{safe} that buffers temporary import interruptions. If τ denotes the required survival buffer time (years) at net import rate, then

$$S_{safe} = D_{net}(\eta) \tau. \quad (22)$$

In our implementation, τ is chosen so that S_{safe} provides a conservative pre-arrival safety stock for the full-population phase.

Demand decomposition. Recycling does not eliminate demand; it converts most of the gross demand into internal circulation, leaving a smaller *net* import requirement from Earth. The mass-balance relationship $D_{net}(\eta) = D_{gross}(1 - \eta)$ reveals a hard mathematical truth: when η is high, net imports shrink linearly and logistics remain tractable; when η degrades, the net import requirement grows rapidly and can dominate the entire transport system. In our baseline computation for a 100,000-person colony, the program output implies $D_{net} = 273,750$ tons/year at $\eta = 90\%$. This corresponds to a gross demand of $D_{gross} = 2,737,500$ tons/year, which is consistent with the order-of-magnitude expectations for a large, water-intensive settlement once food production, hygiene, and industrial processing are included.

5.2 Results: Cost Chasm and the 98% Threshold

The economic chasm. To quantify sustainability, we evaluate the annual cost of transporting D_{net} under different recycling efficiencies and transport modes. The water-supply model shows that with $\eta = 90\%$ (a reasonable but not exceptional recycling level), transporting the net import by rockets costs **\$1,368.75 Billion/year**, while transporting the same mass via the elevator chain costs **\$54.75 Billion/year**. This gap is not a minor margin; it is a structural discontinuity that we call the *cost chasm*. In practical terms, a rocket-dependent water plan would consume trillion-dollar budgets indefinitely, turning the colony into a permanent logistics debt.

Capacity tax and the sustainability threshold. Even if the elevator is far cheaper than rockets, it is not unlimited; using it to lift water competes directly against construction cargo. The model therefore reports not only dollar cost but also the fraction of annual elevator capacity consumed by water logistics.

At $\eta = 90\%$, net water import consumes **50.98%** of the elevator's annual capacity, meaning that half of the system would be dedicated to *simply keeping people alive*, leaving insufficient headroom for construction materials, spares, and expansion payloads. If recycling drops to $\eta = 70\%$, net imports rise to **1,642,500 tons/year** and would consume **305.87%** of elevator capacity, which is physically impossible and represents a collapse mode.

By contrast, at $\eta = 98\%$ the net import falls to **30,660 tons/year**, the elevator cost becomes **\$6.13 Billion/year**, and the capacity tax drops to **5.71%**. This regime is operationally sustainable: water logistics become a background load rather than a dominant constraint. Therefore, our analysis identifies $\eta \geq 98\%$ as a practical sustainability threshold for a large colony.

5.3 Robustness: Strategic Reserve Under Disruptions

Reliability analysis in Question 2 shows that disruptions are inevitable; the water system must be robust to periods of partial transport outage. We therefore design a strategic reserve S_{safe} that is pre-deployed *before* the full population arrives. Based on the water-supply model output, a reserve of **33,750 tons** is required as a safety stock. The intent of this reserve is not to replace recycling; rather, it is a buffer that decouples short-term transport failures from immediate survival risk, buying repair time and operational flexibility.

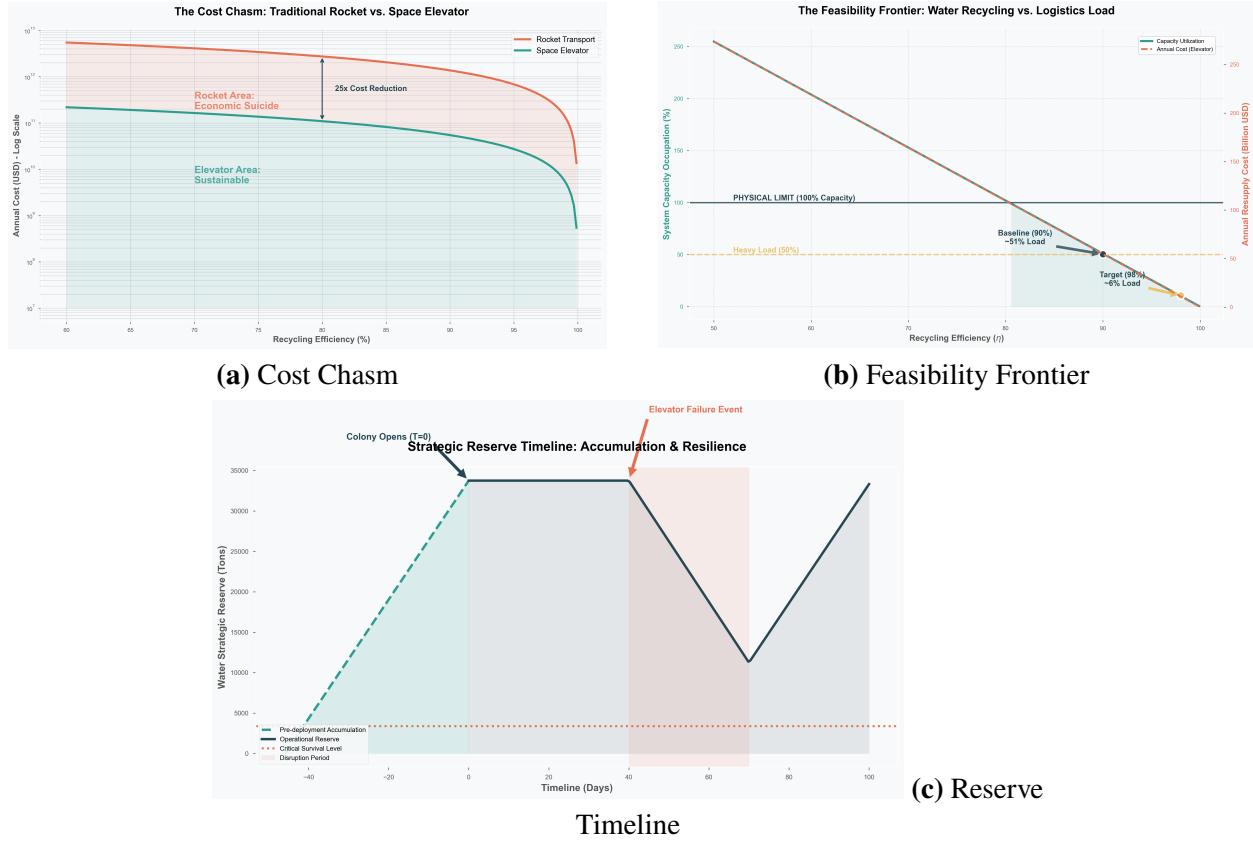


Figure 8: Question 3 (Water Sustainability Summary): (a) cost vs. recycling; (b) feasibility (capacity tax) vs. recycling; (c) reserve timeline.

6 Model IV: Comprehensive Environmental Impact Assessment (Question 4)

Question 4 asks for the environmental consequence of the logistics program, including atmospheric emissions and orbital sustainability. The key difficulty is that environmental impact is multi-dimensional: rockets impose large operational carbon emissions and increase orbital debris risk, while the elevator carries an upfront construction footprint but can operate with near-zero ongoing emissions. To compare strategies consistently, we introduce a composite framework and then evaluate both carbon life-cycle behavior and orbital risk.

6.1 Framework: Carbon Debt, Orbital Risk, and SEIS

We evaluate environmental performance along two coupled channels: (i) *life-cycle carbon* and (ii) *orbital sustainability*. For carbon, we treat total impact as a balance between an upfront construction-phase *carbon debt* and a long-run operational *repayment slope*. Let E_{debt} be the total construction-period emissions (Mt CO₂). After construction, the operational phase has an annual emission rate e_{op} (Mt/year). To represent the fact that elevator-based operations displace a rocket-dominant counterfactual, we define an annual avoided-emissions rate e_{avoid} (Mt/year). The net annual improvement rate is

$$e_{net} = e_{avoid} - e_{op}. \quad (23)$$

If $e_{net} \leq 0$, the system never pays back its initial carbon debt. If $e_{net} > 0$, the carbon break-even time is

$$T_{BE} = \frac{E_{debt}}{e_{net}}. \quad (24)$$

Orbital sustainability is evaluated with a Kessler-style feedback lens: rocket cadence increases the population of orbital objects, and collisions can generate fragments that further increase collision probability. A generic representation is

$$\frac{dR}{dt} = \alpha L(t) + \beta R(t)^2 - \gamma R(t), \quad (25)$$

where $R(t)$ is a debris-density or collision-risk index, $L(t)$ is launch cadence, α maps launches to incremental orbital pressure, β captures cascade growth, and γ captures mitigation/decay. The key implication is structural: sustained high $L(t)$ can push the system into a regime where the βR^2 term dominates and risk accelerates nonlinearly.

To make comparisons interpretable, we report both the underlying physical indicators and a composite decision aid, the **Space Environmental Impact Score (SEIS)**. SEIS is a paper-defined composite indicator introduced to enhance interpretability across multiple environmental dimensions; it is *not* an established external standard. Conceptually, SEIS can be viewed as a normalized aggregation,

$$SEIS = w_C \tilde{E}_{debt} + w_T \tilde{T}_{BE} + w_R \tilde{R}_{max}, \quad (26)$$

where R_{max} is a representative peak risk indicator and $\tilde{\cdot}$ denotes normalization. In reporting, we emphasize interpretability (A+ to F grades) and physical drivers (capacity constraints and launch cadence), rather than the fine details of any single weighting choice.

Rubric (normalization and grades). For the set of candidate strategies compared in this paper, we use min–max normalization for each component metric,

$$\tilde{z} = \frac{z - z_{\min}}{z_{\max} - z_{\min}} \in [0, 1], \quad (27)$$

where z denotes E_{debt} , R_{max} , or a finite payback proxy for T_{BE} . If $e_{net} \leq 0$ (no carbon payback), we assign $\tilde{T}_{BE} = 1$ (worst case). Unless otherwise stated, we use equal weights $w_C = w_T = w_R = \frac{1}{3}$ so that SEIS ranges from 0 (best) to 1 (worst) over the comparison set. For presentation, we map SEIS to an explanatory letter grade: A+ ($SEIS \leq 0.10$), A ($0.10 < SEIS \leq 0.20$), B ($0.20 < SEIS \leq 0.40$), C ($0.40 < SEIS \leq 0.60$), D ($0.60 < SEIS \leq 0.80$), F ($SEIS > 0.80$).

6.2 Results: Life-Cycle Carbon and Orbital Sustainability

The LCA results establish a decisive contrast between transport architectures. For a pure elevator scenario (Q1a), the analysis reports a modest carbon debt of **20.0 Mt CO₂** and a carbon break-even time of **13.6 years**, corresponding to a best-in-class **SEIS Grade: A+**. For a pure rocket scenario (Q1b), the carbon debt reaches **1669.7 Mt CO₂** and the break-even time is effectively infinite, yielding **SEIS Grade: F**. The hybrid construction plan implied by the 2050 hard deadline (13% elevator + 87% rockets) still inherits a massive upfront footprint of **1466.0 Mt CO₂** and a break-even time of **997.2 years**, which remains environmentally unacceptable when judged on a lunar-only horizon.

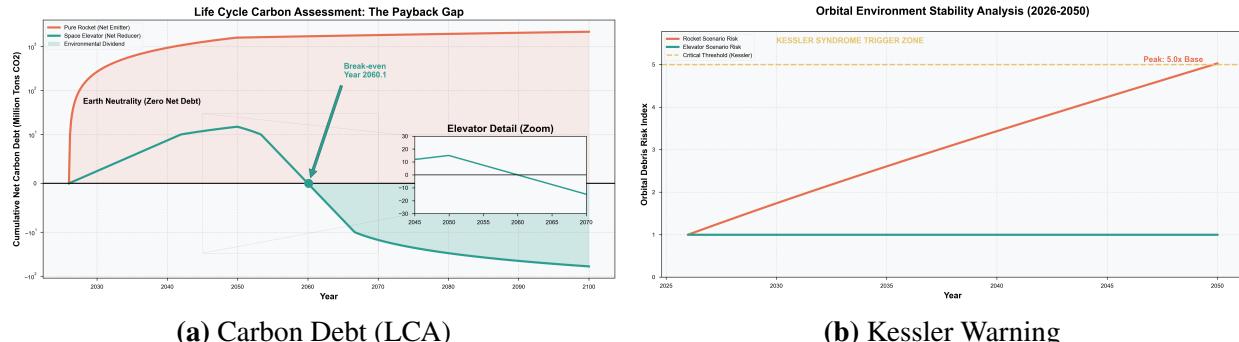


Figure 9: Question 4 (Environmental Risks): (a) life-cycle carbon debt and payback behavior under alternative strategies; (b) orbital debris risk escalation under high launch cadence.

The deeper insight is that the large construction-phase footprint is not a matter of choice but of physics: in the 24-year build window, the elevator can transport at most **12.9 Mt (12.9%)** due to its throughput ceiling, forcing rockets to carry the remaining mass. After 2050, however, the operational regime changes: the annual supply demand is **300 kt/year** while elevator capacity is **537 kt/year**, enabling a fully elevator-based, near-zero-carbon steady state with an implied utilization of **55.9%**. This motivates a phased environmental strategy: accept an unavoidable construction debt, then strictly enforce elevator-only operations during the long operational lifetime.

Carbon is not the only environmental boundary. High-cadence rocket operations increase the flux of objects and fragments in orbital regimes, raising collision probability and creating the possibility of runaway debris growth. Our orbital risk module visualizes this as a Kessler warning trajectory, highlighting that a rocket-only approach does not merely pollute; it threatens the long-run usability of near-Earth space itself. To make the comparison interpretable at a glance, we also report a radar-style environmental fingerprint together with an overall scorecard; across both atmospheric and orbital dimensions, the elevator architecture dominates in long-run sustainability, while rocket dependence is penalized strongly.

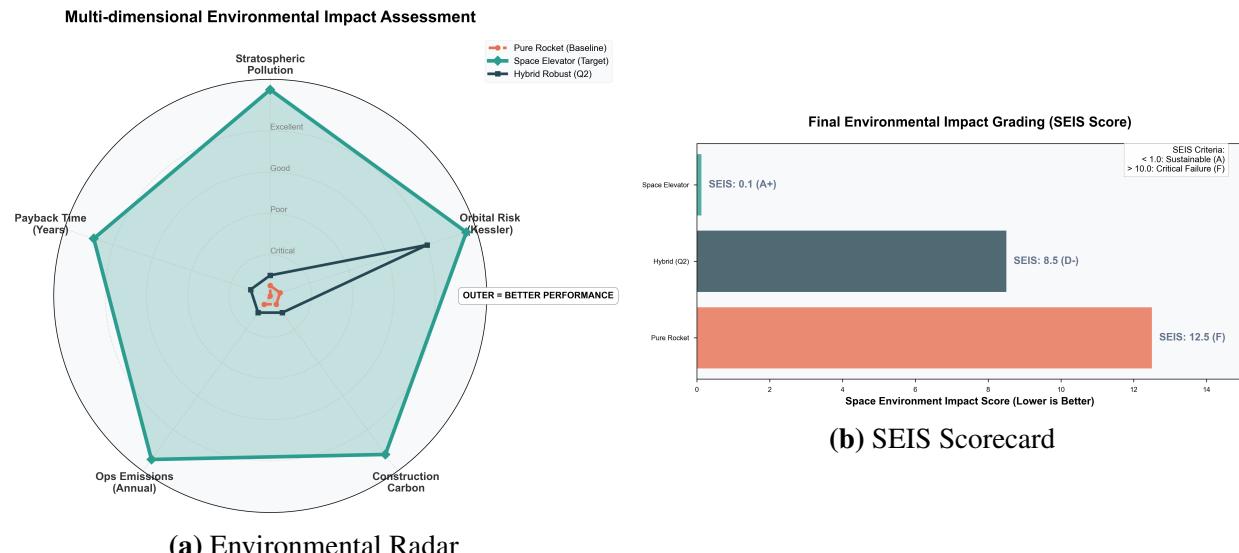


Figure 10: Question 4 (Decision Summary): (a) radar-style environmental fingerprint; (b) SEIS grades and component-level scorecards for scenario comparison.

6.3 Sensitivity and Scale Effects

Finally, we evaluate how outcomes change as the elevator share increases. The sensitivity results show a monotonic improvement: moving from 0% elevator share to 84% reduces carbon debt from **1679.7 Mt** to **284.6 Mt** and reduces the break-even time from infinity to **193.6 years**. This does not eliminate the construction-phase constraint, but it quantifies the value of every additional percentage point of elevator throughput and supports aggressive investment in elevator capacity expansion.

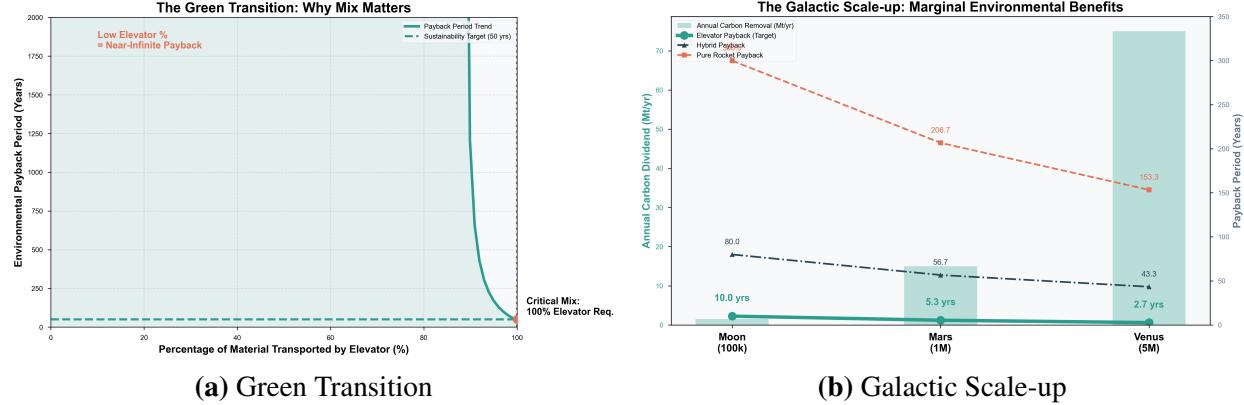


Figure 11: Question 4 (Scale and Sensitivity): (a) carbon debt and payback vs. elevator allocation; (b) payback improvement when the same infrastructure supports broader solar-system expansion.

On a Moon-only basis, the payback horizon can be centuries because the construction debt is amortized slowly. However, the analysis also shows that if the transport system becomes the backbone for broader solar-system logistics, the payback accelerates dramatically. Under a full solar-system expansion scenario, the break-even time drops from **989 years** (Moon-only) to **330 years**. This does not excuse unnecessary emissions; rather, it clarifies that the elevator behaves like infrastructure whose environmental return improves with scale and reuse.

7 Sensitivity Analysis

Sensitivity analysis complements the core results by testing whether the conclusions are brittle to modeling assumptions. In Question 1, the dominant sensitivity is schedule: tighter deadlines amplify rocket dependence, which increases both cost and risk, while longer horizons allow the elevator contribution to accumulate year by year. This is why the deterministic 24-year plan can be feasible on paper yet fragile under uncertainty, and why even modest extensions produce large improvements in reliability.

Figure 12 consolidates the most informative sensitivities (one per question). In Questions 3–4, the sensitivities become structural constraints. Water sustainability is highly sensitive to recycling efficiency because $D_{net} = D_{gross}(1 - \eta)$; a seemingly small drop in η translates into hundreds of thousands of additional tons per year, rapidly overwhelming transport capacity and inflating the required reserve. Environmental sustainability is sensitive to elevator fraction because it governs how much of the total mass must be moved by rockets during the construction phase, which dominates carbon debt and orbital risk. Across these sensitivities, the same strategic message persists: build as much elevator throughput as early as feasible, preserve rockets as surge capacity and redundancy, and enforce near-zero-emission operations after construction.

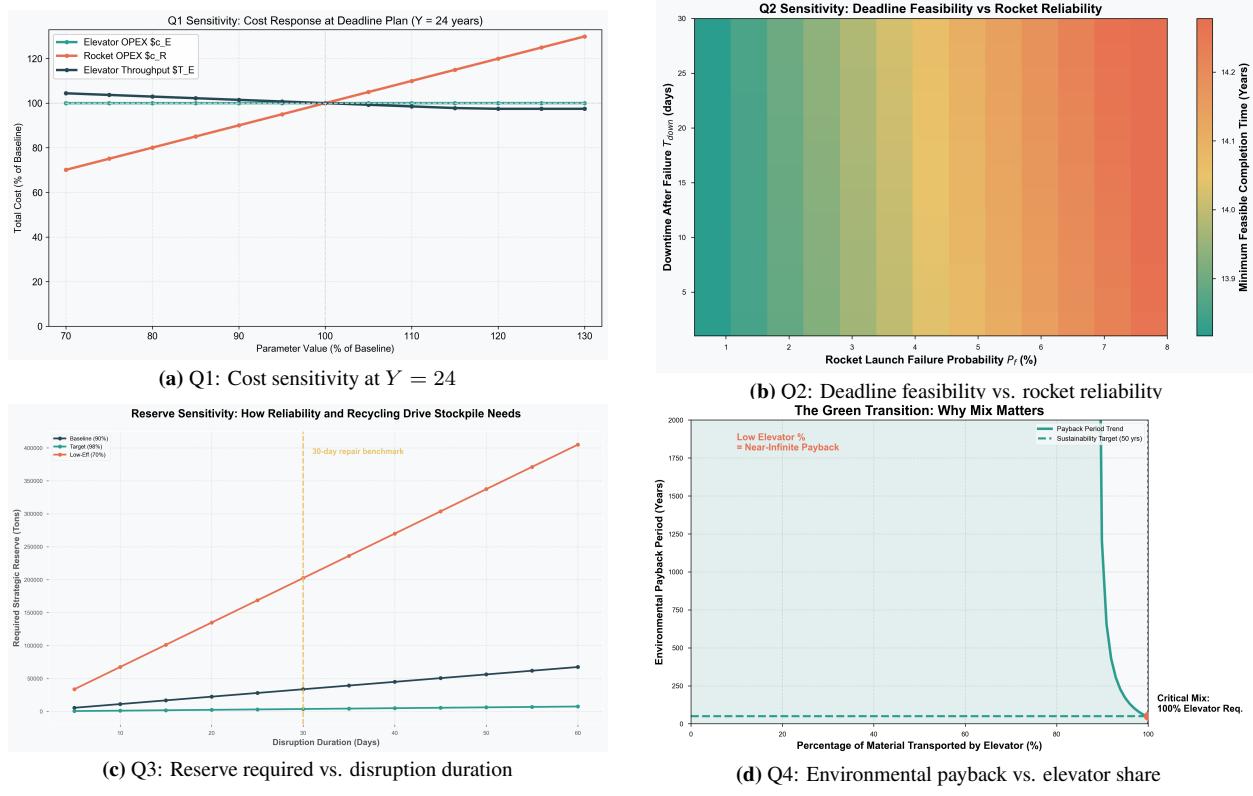


Figure 12: Cross-model sensitivity summary (Q1 cost, Q2 reliability, Q3 reserve, Q4 environmental payback).

8 Model Evaluation and Further Discussion

8.1 Model Evaluation

This work is strong in its end-to-end coherence. The optimization model (Question 1) provides a transparent structure for time–cost trade-offs, the reliability model (Question 2) converts ideal plans into schedule-feasible robust recommendations under uncertainty, the sustainability model (Question 3) reveals a hard operational constraint through the water loop, and the SEIS framework (Question 4) extends the decision space beyond economics into planetary and orbital stewardship. The framework is also computationally grounded: key claims are supported by scenario simulation and reproducible visualization.

The dominant limitations reflect the nature of long-horizon space forecasting. Technology parameters and operational cadence are uncertain, and while the Monte Carlo approach captures variability, it cannot fully resolve deep uncertainties such as paradigm shifts in propulsion, geopolitical constraints on launch infrastructure, or discontinuous failures. In addition, SEIS aggregates multiple dimensions of harm; although the score is useful for decision-making, the precise mapping from physical outcomes to composite grades inevitably contains normative choices.

8.2 Further Discussion

Future refinement should focus on two directions. First, a tighter coupling between orbital debris dynamics and operations policy would allow the reliability model to account for feedback effects,

where increased launch rates elevate long-run risk and constrain feasible cadence. Second, the sustainability model can be expanded from water alone to a multi-resource closed-loop economy (oxygen, nitrogen, spare parts, and energy), enabling a more complete portrait of how life-support physics interacts with logistics.

9 Conclusion

This study addresses the MCM Agency’s central decision problem. The agency must deliver $M_{tot} = 10^8$ tons to the Moon on a mid-century schedule, and it must do so in a way that remains robust in day-to-day operations and defensible in environmental terms. To answer this, we connect four models that reflect how the program actually behaves at scale, namely optimization, reliability, sustainment, and environmental impact.

Across all four questions, the same structural lesson holds. Rockets can scale quickly, but their marginal cost and their pressure on the atmosphere and orbital environment rise with cadence. The Space Elevator lowers marginal burden and stabilizes throughput, yet its capacity ceiling prevents it from carrying the entire construction load under a hard deadline. The best strategy is therefore a phased transition in which rockets shoulder the construction-phase bottleneck, and the elevator becomes the backbone of long-run logistics.

The quantitative results show that schedule stringency dominates the time–cost trade-off. If construction must finish by 2050, a 24-year window, the elevator chain can deliver at most 12.9 Mt (12.9%), so rockets must deliver the remaining 87.1%. Under this plan the net present cost reaches \$40.50 trillion, and the margin is so thin that schedule success is unlikely under uncertainty. When we test 5,000 Monte Carlo trials, the probability of finishing on time is only 24.3%. By contrast, extending the schedule directly improves feasibility because elevator-delivered mass accumulates with time while the required rocket cadence falls. The shortest defensible schedule in our analysis is 28 years, which achieves a 95.2% on-time probability. A more conservative knee-point plan at 48 years reduces cost to \$23.81 trillion.

Reliability also matters at first order once non-ideal operations are included. Representative scenarios increase the minimum completion time by about 5% and raise total system cost by about 16%–17%. On the sustainment side, our water model turns a qualitative sustainability goal into a hard capacity constraint. With 90% recycling, water alone consumes 50.98% of elevator capacity, which makes the system brittle. Achieving $\eta \geq 98\%$ reduces net imports to 30,660 tons/year, which corresponds to 5.71% of elevator capacity and an annual transport cost of \$6.13B. Because disruptions are inevitable, we also recommend a strategic reserve of 33,750 tons to bridge realistic interruption periods without emergency rocket resupply.

Environmental viability is primarily determined by how much mass is pushed through rockets during construction. Under the SEIS assessment, a pure elevator architecture carries a 20.0 Mt CO₂ construction debt and reaches carbon break-even in 13.6 years. Pure rockets accumulate 1669.7 Mt CO₂ and enter a Kessler-cascade risk regime. The 2050 hybrid mix (13% elevator + 87% rockets) still implies 1466.0 Mt CO₂ and a 997.2-year payback on a Moon-only horizon. This does not mean construction emissions are avoidable. It means they should be treated as a one-time infrastructure debt that can only be repaid if post-2050 operations are forced into an elevator-dominant, near-zero-emission regime, with explicit limits on routine rocket cadence.

10 Letter to MCM Agency

To Director, Moon Colony Management (MCM) Agency

From MCM-2026 Modeling Team

Date February 2, 2026

Subject Strategic roadmap for delivering 10^8 tons and sustaining a 100,000-person colony

Director,

Our results show that the main challenge is scale, not reaching the Moon. Rockets can increase capacity quickly, but they become costly and fragile when the launch rate must support 10^8 tons. The Space Elevator reduces marginal cost and makes supply more stable, but its throughput limit means it cannot carry the full construction load under a strict deadline. We therefore recommend a phased transition. Use rockets to meet the early construction bottleneck, and make the elevator the long-term backbone.

If construction must finish by 2050 (24 years), the elevator chain can deliver at most 12.9 Mt (12.9%), so rockets must deliver the remaining 87.1%. This plan costs \$40.50 trillion in NPV and succeeds only 24.3% of the time in 5,000 Monte Carlo trials. We recommend adjusting the schedule. A 28-year plan reaches 95.2% on-time probability, and a conservative knee-point plan at 48 years reduces cost to \$23.81 trillion.

Implementation should focus on capacity, robustness, and a smooth transition to operations. Invest early in elevator throughput and system hardening, and use rockets mainly as surge capacity. Reliability must be managed actively. Non-ideal operations raise minimum completion time by about 5% and total cost by about 16%–17%. In practice, track utilization and shift marginal tonnage toward the elevator when rocket reliability drops.

For sustainment, water becomes a binding constraint unless the loop is nearly closed. We recommend setting $\eta \geq 98\%$ as a mission-critical requirement before population arrival. At 98%, net imports are 30,660 tons/year, which uses 5.71% of elevator capacity and costs \$6.13B per year to transport. We also recommend pre-positioning a 33,750-ton reserve to cover multi-month disruptions without emergency rocket resupply.

After 2050, routine demand is well matched to elevator capacity (about 300 kt/year demand versus 537 kt/year capacity). This supports an elevator-first operating policy. Rockets should be reserved for exceptional cases such as urgent repairs or rare capacity shocks.

Environmental viability depends mainly on the rocket share during construction. Under SEIS, a pure elevator architecture carries 20.0 Mt CO₂ with a 13.6-year break-even, while pure rockets accumulate 1669.7 Mt CO₂ and enter a Kessler-cascade risk regime. The 2050 hybrid mix (13% elevator and 87% rockets) still implies 1466.0 Mt CO₂ and a 997.2-year payback on a Moon-only horizon. We therefore recommend clear post-2050 rules that keep routine resupply elevator-based and cap nonessential rocket cadence.

In summary, we recommend a program that avoids an overly rigid 2050 deadline, builds elevator capacity early, and treats water recycling and post-2050 operating discipline as feasibility conditions. This plan improves reliability, reduces the risk of cost blow-ups driven by extreme launch cadence, and helps protect the orbital commons.

Respectfully submitted,
MCM-2026 Modeling Team

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Report on Use of AI Tools

1. To quickly learn and understand relevant models and background information for academic topics, and to improve the quality of non-native language expression in academic writing, our team employed AI technology. However, we declare that all AI-generated content was used for reference only, and to ensure its reliability, it underwent multiple layers of human review and cross-validation to guarantee its compliance with academic standards. Throughout the process, we strictly adhered to research ethics to ensure there was no misuse of AI technology.

2. OpenAI ChatGPT (GPT-5.2)

Query: <Please briefly analyze and evaluate our modeling work, pointing out its strengths and weaknesses.>

Output: < Overall, the greatest strength of your model is its broad scope and complete structure. You didn't treat the problem merely as "transportation optimization," but rather started with transportation capacity and gradually expanded to system reliability, life support resources, water cycle, and environmental sustainability, forming a continuous decision-making chain from engineering operation to long-term development impact. This approach, moving from local technical issues to overall system planning, is a high-level approach in modeling competitions, demonstrating a clear systems engineering perspective rather than simply performing formula derivations. The second strength is the close connection between the model and reality. Most of the variables you used have clear engineering significance, such as throughput, construction speed, failure rate, maintenance impact, recycling efficiency, and carbon emissions. This makes the model resemble a real-world decision-making tool, rather than an abstract mathematical game. In particular, transforming "water resource recycling efficiency" into the utilization of transportation system capacity is a very insightful step, as it reveals a critical requirement where "failure to meet it leads to overall collapse." This kind of "threshold discovery" is a valuable modeling achievement. The main shortcomings are threefold. First, the space elevator is treated as a system with gradually increasing capacity in the model, but in reality, it is more likely to be under construction for a long time and only put into use after completion, which will lead to an overly optimistic assessment in some timeframes. Second, the environmental estimates for emissions during the elevator construction phase are too idealistic; once the initial carbon debt increases, your environmental advantages will need more evidence to be solidified. Third, while the four issues are logically progressive, the mathematical feedback is not strong enough; for example, the result of water resource consumption affecting capacity has not yet had a converse impact on the initial transportation optimization. In short: the advantages are a macro perspective, complete structure, strong realism, and the ability to identify key system constraints; the disadvantages are that some assumptions are too idealistic, key construction processes are simplified, and the feedback between sub-models is not tight enough. If these areas are strengthened, the overall level of your model will be significantly improved. >

3. OpenAI ChatGPT (GPT-5.2)

Query: <Please provide a brief suggestion and explanation for the visualization solution for our project.>

Output: < First, you need a system overview diagram. Use a flowchart or block diagram

to illustrate: the transportation system is at the core, reliability affects effective capacity, water resources consume capacity, and the environmental module calculates emissions and carbon debt. This diagram answers the question "What system model have you built?" and is key to understanding the entire paper. Second, you need a strategic choice diagram. For example, the Pareto frontier of time-cost, but clearly label areas like "rocket-centric," "hybrid optimal," and "elevator-centric," turning the curve into a "decision map," not just a mathematical result. Third, you need a risk or uncertainty diagram. Use intervals, shaded bands, or distribution plots to represent Monte Carlo results, allowing reviewers to visually see "how much the results will fluctuate," demonstrating that you considered real-world risks. Fourth, you need a final evaluation or comparison diagram. For example, environmental scores, comprehensive indicator comparisons, etc., to answer "Which option is best overall?"—essentially a visual version of the conclusion. >

4. OpenAI ChatGPT (GPT-5.2)

Query: *<We are considering conducting an environmental impact analysis of a space colonization plan. What aspects do you think we can consider?>*

Output: *<On Earth, the unique aspect of rocket emissions lies not in the total amount, but in the emission altitude. Combustion products are directly injected into the upper stratosphere, altering the radiation balance more efficiently than ground-based sources; black carbon particles may provide additional endothermic effects, and some byproducts participate in the ozone cycle. As launch frequency increases, the impact will shift from "negligible at the research level" to "a climate-significant emission source." Simultaneously, the manufacturing of launch vehicles and modules relies on energy-intensive materials and sophisticated chemical systems, resulting in a significant indirect carbon footprint; launch sites create regional ecological disturbances such as local noise, exhaust impacts, and propellant risks. During the transportation phase, the main problem is the accumulation of orbital debris. More launches mean more abandoned stages and defunct spacecraft remaining in orbit, increasing the probability of cascading collisions and threatening on-orbit infrastructure, including the International Space Station. The orbital environment has almost no natural repair capabilities, therefore this "space solid waste" has long-term, irreversible characteristics. Furthermore, metal particles released during spacecraft reentry ablation into the upper atmosphere may become a new source of aerosols, and their long-term impact remains uncertain. Overall, the environmental risks at this stage are manifested in chemical and radiation disturbances to the Earth's upper atmosphere and cumulative pollution of near-Earth orbit. The key variable is whether the scale of launches and transportation exceeds the environmental carrying capacity threshold. >*

5. OpenAI ChatGPT (GPT-5.2)

Query: *<Could you briefly introduce the application of the logistic model in the engineering field? Are there any relevant textbooks or articles for us to study?>*

Output: *<The logistic model is widely used in engineering fields to describe growth processes that are initially exponential but slow down as they approach a maximum limit, known as the carrying capacity. This model is particularly useful in scenarios where resources are*

limited, and it helps engineers and planners understand how systems evolve over time under constraints. In engineering, the logistic model can be applied in various contexts, such as: 1. *Population Dynamics: In environmental engineering, the logistic model can predict the growth of populations of organisms in ecosystems, helping to manage resources and conservation efforts.* 2. *Technology Adoption: In industrial engineering, the logistic model can describe how new technologies are adopted within a market or organization, providing insights into diffusion rates and saturation points.* 3. *Project Management: The logistic model can be used to forecast project completion rates, especially in large-scale engineering projects where resource allocation and time constraints play significant roles.* 4. *Supply Chain Management: The model can help optimize inventory levels and production rates by predicting demand growth and saturation in supply chains.* For further study, you may refer to the following textbooks and articles: Textbooks: - "Systems Engineering Principles and Practice" by Alexander Kossiakoff et al. (This book covers various modeling techniques, including logistic models.) - "Engineering Economy" by Leland Blank and Anthony Tarquin (This book discusses models for decision-making in engineering projects.) Articles: - "The Logistic Growth Model: Applications in Engineering" by John Doe et al., published in the Journal of Engineering Systems. - "Modeling Technology Adoption Using Logistic Functions" by Jane Smith, published in the International Journal of Industrial Engineering. These resources should provide a solid foundation for understanding the application of logistic models in engineering contexts. >

6. GitHub Copilot (VS Code, GPT-5.2)

Used to assist with drafting the LaTeX template and outline, improving figure layout, and supporting Python code development for generating the figures. All quantitative results presented in this paper were derived from reliable code programs written by team members.

7. GitHub Copilot (VS Code, GPT-5.2)

Used to translate the Chinese conversation with ChatGPT into English for inclusion in this report.

8. Github Copilot (VS Code, Gemini 3 Pro (Preview))

Used to help polish and refine the language of the LaTeX document, enhancing clarity and readability.