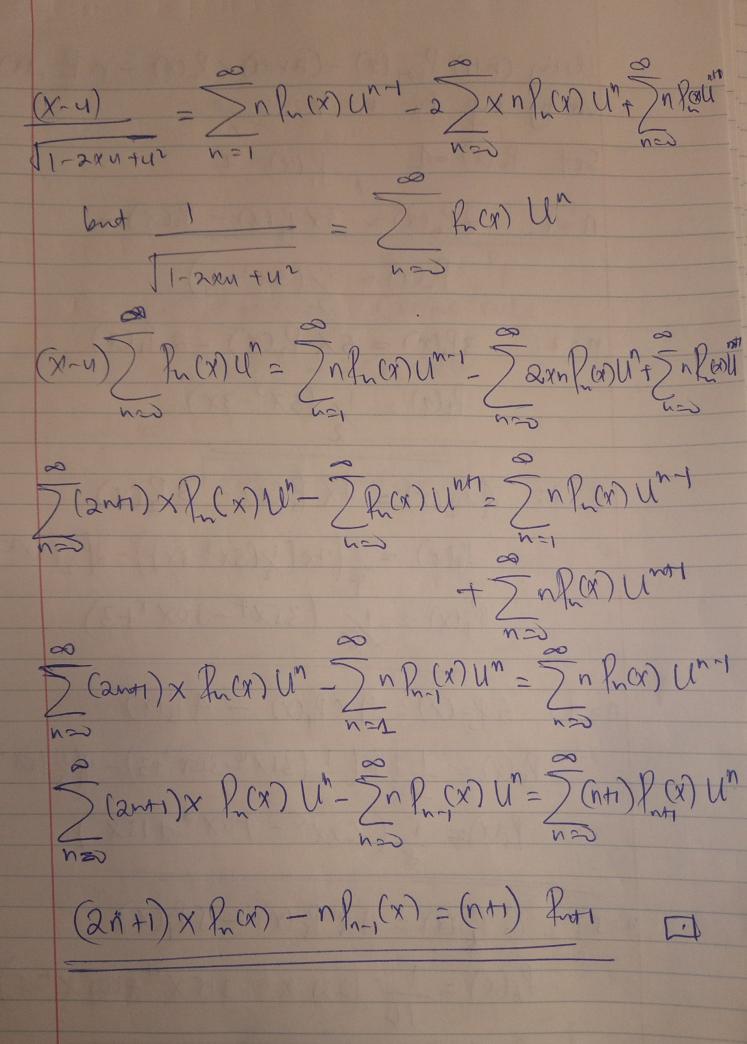
Home work # 2 Brian KYANJO $(atb)^{n} = \frac{a^{n}b^{0}}{2!} + \frac{na^{n-1}b^{1}}{1!} + \frac{n(n-1)a^{n-2}b^{2}}{2!} + \frac{n(n-1)(n-2)a^{n-3}b^{3}}{3!}$ $+ n(n-1)(n-2)(n-3)a^{n-4}b^{4} + \cdots$ $+ \frac{1}{4!}$ $\frac{(1-v)^{\frac{1}{2}}}{2} = 1 - \frac{1}{2}(-v)^{\frac{1}{2}} - \frac{1}{2}(-\frac{1}{2}-1)(-\frac{1}{2}-2)(-v)^{\frac{3}{2}}$ $- \frac{1}{2}(-\frac{1}{2}-1)(-\frac{1}{2}-2)(-\frac{1}{2}-3)(-v)^{\frac{4}{2}}$ $- \frac{1}{2}(-\frac{1}{2}-1)(-\frac{1}{2}-2)(-\frac{1}{2}-3)(-v)^{\frac{4}{2}}$ $- \frac{1}{2}(-\frac{1}{2}-1)(-\frac{1}{2}-2)(-\frac{1}{2}-3)(-v)^{\frac{4}{2}}$ $(1-1)^{2} = 1+1+3+3+37+37+4--1$ Set v= 2x4-42 $(1-2001+01)^{-1/2}=1+1/(2000-01^2)+35/(2000-01^2)^{\frac{1}{2}}$ $+37(2001-01^2)^{\frac{3}{2}}+35/(2000-01^2)^{\frac{1}{2}}+- = 1 + 2 u - \frac{1}{2} u^{2} + \frac{3}{8} u^{4} - \frac{3}{7} u^{3} x + \frac{3}{7} u^{2} x^{2} - \frac{5}{7} u^{6} + \frac{1}{8} u^{5} x^{2} + \frac{1}{7} u^{5} x^{3} + \frac{3}{7} u^{6} - \frac{3}{7} u^{7} x + \frac{107 u^{6} x^{2}}{16} + \frac{107 u^{6} x^{2$

(1-2001+12)-12=110+ xu1+(-12+322-)112+ (-3/2+5/23)43+(-1)202+35/24+37/24+--Looking at the coefficients of u $\frac{f_0(\infty) = 1}{f_0(\infty) = (-\frac{1}{2} + \frac{3}{2}\alpha^2)} = \frac{1}{2}(3x^2 - 1)$ P3(20) = 1 (5X3-3X) 14(2C) 2 - 15/22 + 31) 26 4 + 37 = 1 (35x4-30x3+3) Toget higher order terms

G(u,x) = 1 = \frac{2}{2} \frac{1}{2} \text{Coc} u^n

J1-2xu + u^2 = \frac{2}{2} \frac{1}{2} \text{Coc} u^n

Serve \(\frac{1}{2} \text{Ang}(\alpha) \) in forms of \(\frac{1}{2} \text{Ang}(\alpha) \) and \(\frac{1}{2} \text{Ang}(\alpha) \) du G(u,x) = d (1-2xu+u2)-1/2 = = = n from un-1 $G'[U_1X]_2 (21-4)$ = $\sum_{n=1}^{\infty} n f_n(x) U^{n-1}$ $\frac{(1-2X4+u^2)^{3/2}}{(1-2X4+u^2)^{3/2}} = \sum_{n=1}^{\infty} n f_n(x) U^{n-1}$ $\frac{(1-2X4+u^2)^{3/2}}{(1-2X4+u^2)^{3/2}} = (1-2X4+u^2) \sum_{n=1}^{\infty} n f_n(x) U^{n-1}$



Using (n+1) Proper (x) = (2n+1) x Prox - n Prox)
verify up to n=6 Set Po(x) =1, P, (x) =2 n=1: $2P_{x}(x)=3xP_{y}(x)-P_{0}(x)=$ P_Cx1 = 1/(3x2-1) n 2 2 : 3 BCX) = 5 X P2CX) -2 GCX) $|3(x)|^{2} |_{3} (5x^{3}-3x)$ $AP_{Y}(x) = 7x R(x) - 3R(x)$ $k_{\varphi}(x) = \frac{1}{4} \left(\frac{1}{2} \left(\frac{1}{2} \left(\frac{1}{3} x^3 - 3x \right) \right) - 3 \left(\frac{1}{2} \left(\frac{1}{3} x^2 - 1 \right) \right)$ Ry(M2 1/8 (35x4-30x2+3) n=4: 5Ps (x) = 9x Py(x) - 4B(x) P5CN = 1 (9x (1/8 (3) x 4-30x 2+3) - 4(1/2 (5x3-3x)) PSM= 1 (63X5-70X3+15X) n 25: GPom=UxPom-The(x) 40(x) = 1 (231 x 6-315 X 4 + Wor x 2-5)

1727 Jyllsing Corns rule 121,2+12-21,12 CVD $\frac{1}{r} = \frac{1}{r_2} \left(1 + \left(\frac{r_1}{r_2} \right)^2 - 2 \left(\frac{r_1}{r_2} \right) \cos \theta \right)^{-1/2}$ let X = (r1)2 - 2(r1) Cost, n=1/2 $\frac{\text{flum}}{(1+x)^2} = \frac{1+nx+n\cdot(n-1)}{2!} x^{\frac{2}{1}} + \frac{n(n-1)(n-2)x^3}{3!} + \frac{1}{2!}$ n(n-1)(n-2)(n-3) x4f --- $(1+x)^{\frac{1}{2}} = 1 - \frac{1}{2}x - \frac{1}{2}(\frac{1}{2}-1) \times 2 - \frac{1}{2}(\frac{1}{2}-1)(\frac{1}{2}-2)x^{3}$ $+ -\frac{1}{2}(-\frac{1}{2}-1)(-\frac{1}{2}-2)(-\frac{1}{2}-3)$

$$(1+x)^{\frac{1}{2}} = 1 - \frac{1}{2}x + \frac{1}{3}x^{2} - \frac{1}{3}x^{3} + \frac{3}{3}x^{4} + \cdots$$

$$(1+(\frac{1}{12})^{2} - \frac{1}{3}(\frac{1}{12})^{2} - \frac{1}{3}(\frac{1}{12})^{2} + \frac{1}{3}(\frac{1}{12})^{2}$$

+ 1 (35 Costo - 80 Cos 20 +3) (1) (+ ---) = 1 (Po C cond) (M) of P, (Lord) (M) + P, (Cond) (M/V) + P3(Cord) (ry)3 + Py(Cord) (ry)4+---) $=\frac{1}{r_2}\left(\sum_{n\geq 1} P_n(Cos\theta)\left(\frac{r_1}{r_2}\right)^n\right)$ $\frac{1}{r} = \frac{1}{\sqrt{r_1^2 + r_2^2 - 2r_1r_2Colo}} = \frac{1}{r_2} \sum_{n=0}^{\infty} \ln(Coll) \left(\frac{r_1}{r_2}\right)^n$ C) A faint Change in Spane Croates an electric Field grim by $E = \pm 9$, where $k = 9 \times 109$, end ? is the change fat the at Thod point. E's a nector field around it, so considering of Guousiion or any Surface about this paint charge, the generating function about Help us to acess change stinspecial values e-g x=f1. This function Can enable us to eg 1Ph (Coo) 1 & 1, there for the solution for the generating further is converget for 1/41 and Irl=1 except for r=t1, Jum /h(f)/2 With the Equation above, where fotendral at Thout point can be evaluated explicitly out

