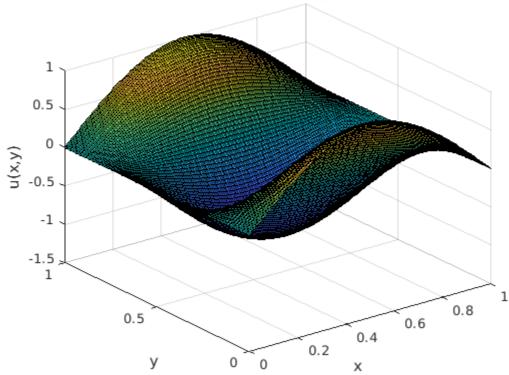
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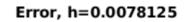
```
% USing fd2poissonsor function to solve the Poisson equation from the
% FD2-Poisson Handout.
m = (2^7) - 1;
a=0; b=1;
h = (b-a)/(m+1); %mesh spacing
w = 2/(1+\sin(pi*h)); %optimal relaxation parameter
f = @(x,y) -5*pi^2*sin(pi*x).*cos(2*pi*y);
g = @(x,y) \sin(pi*x).*\cos(2*pi*y);
uexact = @(x,y) g(x,y);
% Laplacian(u) = f
% u = g on Boundary
% Exact solution is g.
% Compute and time the solution
[u,x,y] = fd2poissonsor(f,g,a,b,m,w);
gedirect = toc;
fprintf('SOR take %d s\n',gedirect);
% Plot solution
figure, set(gcf, 'DefaultAxesFontSize', 10, 'PaperPosition', [0 0 3.5 3.5]),
surf(x,y,u), xlabel('x'), ylabel('y'), zlabel('u(x,y)'),
title(strcat('Numerical Solution to Poisson Equation, h=',num2str(h)));
% Plot error
figure, set(gcf, 'DefaultAxesFontSize', 10, 'PaperPosition', [0 0 3.5 3.5]),
surf(x,y,u-uexact(x,y)),xlabel('x'),ylabel('y'), zlabel('Error'),
title(strcat('Error, h=',num2str(h)));
```

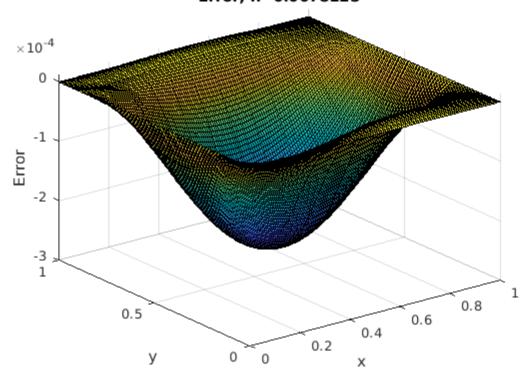
SOR take 1.730786e+00 s

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