

```

close all;
clear all;

%Complete Pivoting
fprintf('no4b.\n\n')
n = 12;
A = vandermonde(n);

b = A(:,n);

[LU,p,q,gf,L,U]= lucp(A);
P = eye(n); P=P(p,:);
Q = eye(n); Q = Q(:,q);
yc = forsub(L,P*b);
zc = backsub(U,yc);

fprintf('Compute pivoting solution \n')
xc = Q*zc

x = A\b
residual = norm(b - A*xc);
fprintf('The value of the max-norm of the residual = %f\n\n',residual);

fprintf('no4c.\n\n')
%Gaussian Elimination with Partial pivoting
[Lp,Up,P1,g] = lupp(A);
yp = forsub(Lp,P1*b);

fprintf('Partial pivoting solution \n')
xp = backsub(Up,yp)

residual_xp = norm(b - A*xp);
fprintf('The value of the max-norm of the residual = %f\n\n',residual_xp);

fprintf('Results from part (b), are exactly the same as the exact solution x, since even the residual\n is zero. But for part(c), the solution doesnot

function A = vandermonde(n)

    t = zeros(n,n);
    for i = 1:n
        for j = 1:n
            t(j,i) = j^(n-i);
        end
    end

    %fliping the vandermonde matrix t to form A
    A = fliplr(t);

end

```

no4b.

Compute pivoting solution

```

xc =

    0
    0
    0
    0
    0
    0
    0
    0
    0
    0
    0
    1

```

Warning: Matrix is close to singular or badly scaled. Results may be inaccurate.  
RCOND = 8.296438e-17.

```

x =

    0
    0
    0
    0
    0
    0
    0
    0
    0
    0
    0
    1

```

The value of the max-norm of the residual = 0.000000

no4c.

Partial pivoting solution

xp =

```
-0.0080  
0.0233  
-0.0279  
0.0184  
-0.0075  
0.0020  
-0.0004  
0.0000  
-0.0000  
0.0000  
-0.0000  
1.0000
```

The value of the max-norm of the residual = 0.000236

Results from part (b), are exactly the same as the exact solution  $x$ , since even the residual is zero. But for part(c), the solution doesnot properly approximate the actual solution, according to the residual computed.