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APPENDIX:
clc
close all
global G; global h; global n; global x; global a; global b;
warning('off', 'all')
data = load('gravprob.mat');
x = data.x;
d = data.obs:
mtrue = 2.*[80 80 80 80 80 80 85 85 85 85 90 95 100 105 110 120 135 150 160 170]';
sig1 = 1e-12;
sig2 = 1e-14;
tol = 1e-6;
No.1
h = 0.8:
a = 0; b = 1000;
n = 20;
% generate roughening matrices
L2 = get I rough(n,2);
mo = 200*ones(n,1); %initial estimates
drho = 200; %density peturbations
G = @(m) g(m,drho); %calling the function G
J = @(m) jac(m); %calling the function Jacobian
mn1 = occam(G, J, L2, d, mo, 0); %calling occam model
%plots
figure(1)
plot(mn1,'ko'); hold on
plot(mtrue, 'r*')
ylabel('m');xlabel('i')
legend('estimated parameters', 'true parameters', Location='best')
No.1 d)
steploc = 650; low = 280; high = 400; %spike limits
mtest1 = spike(low,high,steploc); %spike model
noise = sig1*randn(n,1); %generating noise
dn1 = d + noise; %data subjected to noise
m1 = occam(G, J, L2, dn1, mtest1', 0); %calling occam model
noise = sig2*randn(n,1); %generating noise
dn2 = d + noise; %data subjected to noise
m2 = occam(G, J, L2, dn2, mtest1', 0); %calling occam model
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%plots
figure(2)
plot(m1.'ko'); hold on
plot(m2, 'r*');
plot(mtrue, 'b*')
ylabel('m');xlabel('i')
legend('estimated_{\sim} = 10^{-12})', 'estimated_{\sigma = 10^{-14}}', 'true
parameters', Location='best')
No.1 e)
drho = 900; G = @(m) g(m,drho); %upgrading the value of drho
steploc = 650; low = 1280; high = 1400; %spike limits
%new mtrue
mtru = 12.*[80 80 80 80 80 80 85 85 85 85 90 95 100 105 110 120 135 150 160 170]';
mtest2 = spike(low,high,steploc); %new spike model
noise = sig1*randn(n,1); %generating the noise
dn1 = G(mtru) + noise; %data subjected to noise
me1 = occam(G, J, L2, dn1, mtest2', 0); %calling occam model
noise = sig2*randn(n,1); %generating the noise
dn2 = G(mtru) + noise; %data subjected to noise
me2 = occam(G, J, L2, dn2, mtest2', 0); %calling occam model
%plots
figure(3)
plot(me1,'ko'); hold on
plot(me2, 'r*');
plot(mtru, 'b*');
vlabel('m');xlabel('i')
legend('estimated {\sigma = 10^{-12}}', 'estimated {\sigma = 10^{-14}}', 'true
parameters', Location='best')
No.2
maxiter = 1e6; %maxiter
drho = 200; G = @(m) g(m, drho); %dhro and the model
func = @(CD,CM,mprior,m)[(CD^{-0.5})*G(m);(CM^{-0.5})*m] - [(CD^{-0.5})*d;(CM^{-0.5})*mprior];
%standard least square function
Jac = @(CD,CM,m) [(CD^{-(-0.5))*J(m)}; CM^{-(-0.5)}; %standard Jacobian
tmean = 2.*[80 80 80 80 80 80 85 85 85 85 90 95 100 105 110 120 135 150 160 170]'; %new true
estimated mean
mprior = tmean - 0.005*tmean; %mprior
stdm = 0.005*tmean; %
CM = diag(stdm.^2); %covariance matrix
%noise in the data
stdd = G(tmean) - d;
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CD = diag(stdd.^2); %data covariance matrix
[MAP, iter] = Im(CD,CM,func, Jac, mprior, tol, maxiter); %calling the map function
%plots
figure(4)
plot(mn1,'ko'); hold on
plot(MAP,'b^');
plot(mtrue, 'r*');
ylabel('m');xlabel('i')
legend('No.1', 'MAP', 'mtrue', Location='best')
function [J] = jac(m) %formulation of the Jacobian
  global G; global h; global n;
  J = \Pi:
  for j=1:n
     ei = zeros(n,1);
     e_{i}(i) = 1;
     J = [J (G(m + h.*ej) - G(m - h.*ej))./(2*h)];
  end
end
%formulation of the G
function [G] = g(m,drho)
  global n; global x; global a; global b;
  R = 6.67428e-11; % Newton's gravitational constant
  dxc = (b-a)/(n-1);
  G = zeros(n,1);
  gg = @(xc,x,m) (((R*drho).*m)./((xc'-x).^2 + m.^2).^(3/2));
  for j = 1:n
     xj = x(j);
     for i = 1:n
        xc = a + (i-1)^*dxc; %creating xc using left end points
        G(j) = G(j) + (gg(xc,xj,m(i)))*dxc; %creating G using left end points
     end
  end
end
%spike model
function [mtest1] = spike(low,high,steploc)
  global a; global b; global n;
  dxc = (b-a)/(n-1);
  xc = \Pi:
  for j = 1:n
     xc = [xc a + (j-1)*dxc]; %form xc
  end
  xc = a:dxc:b;
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idx = find(xc <= steploc); %finding the step location
mtest1 = [];
for i = 1:n
    if i <= idx(end)
        mtest1 = [mtest1 low];
    else
        mtest1 = [mtest1 high];
    end
end</pre>
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