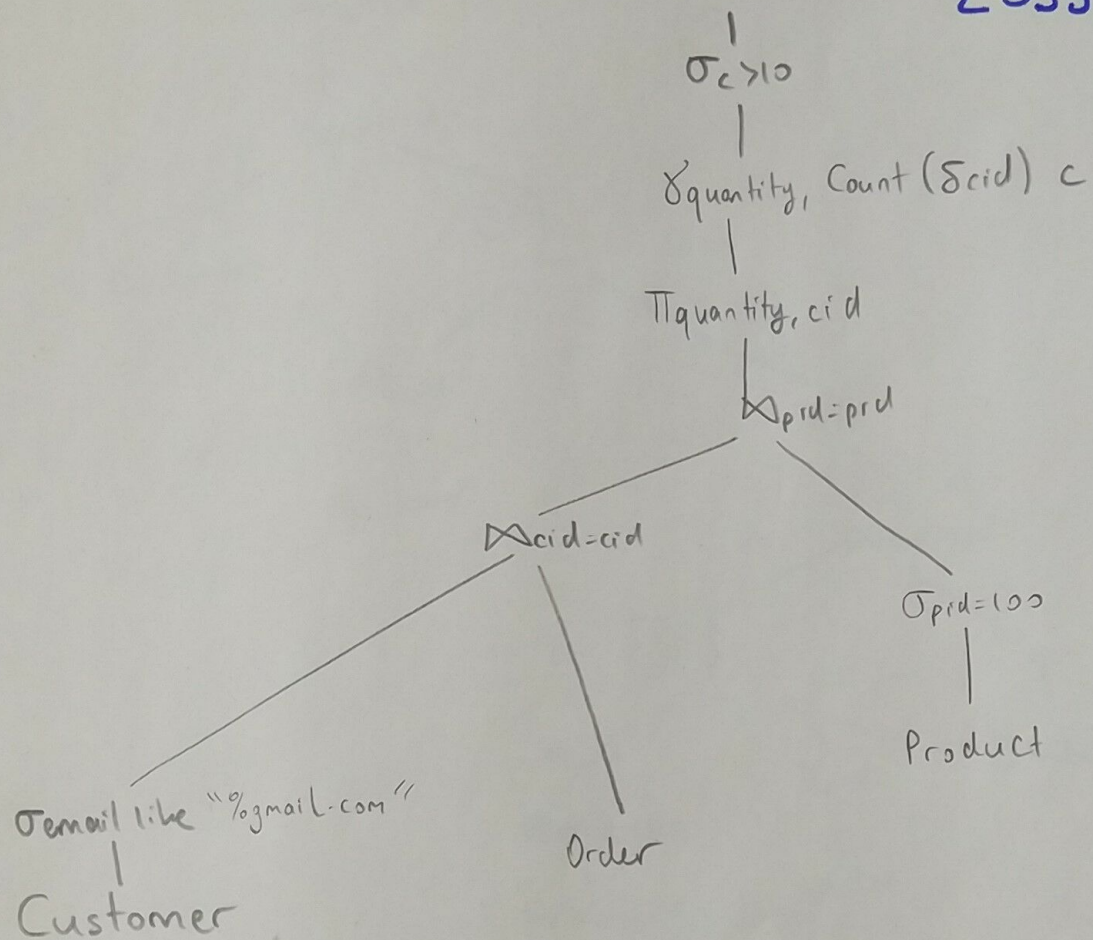
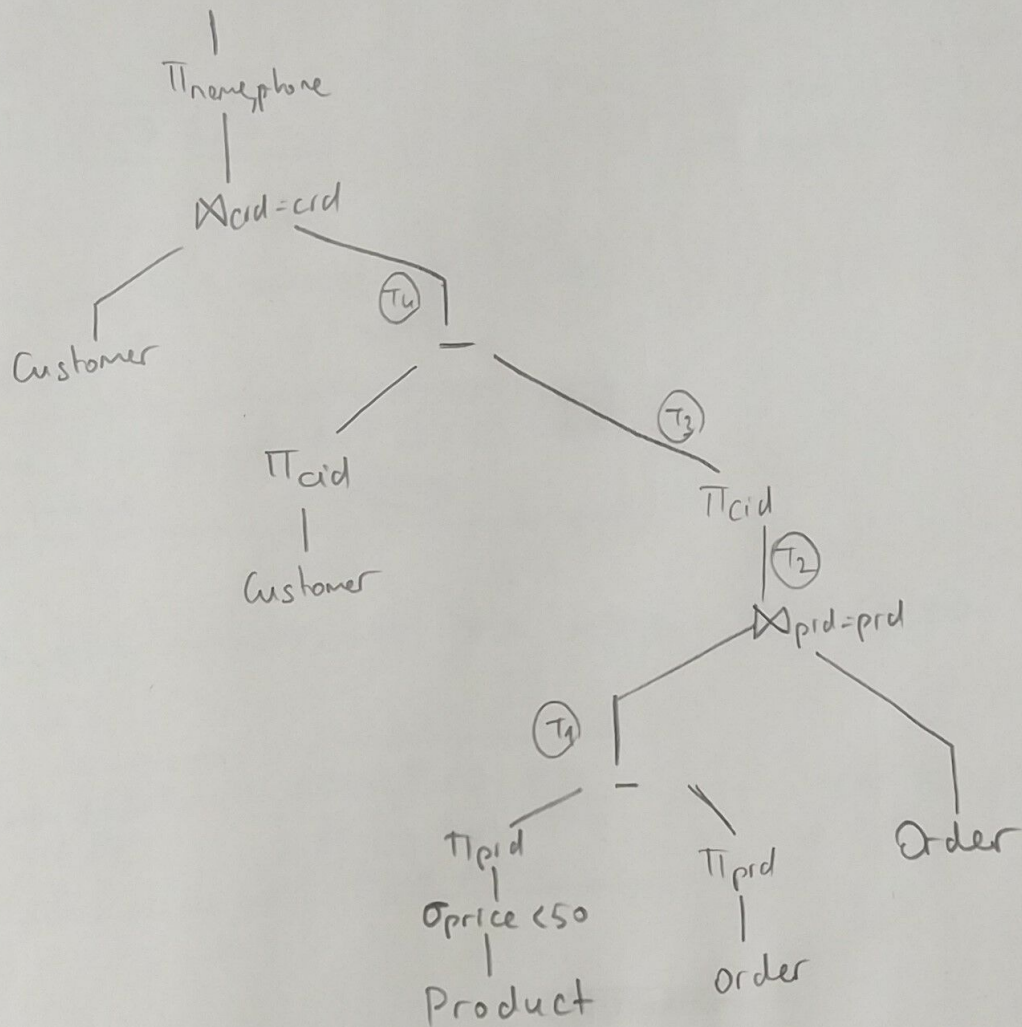


1A)



1B)



Clarification:

$T_1 \Rightarrow \left(\begin{array}{l} \text{Select } pid \\ \text{From } Product \\ \text{Where } price < 50 \\ \text{EXCEPT} \\ \text{Select } pid \\ \text{From } Order \end{array} \right) \rightarrow \text{unnesting the inner query} \rightarrow \text{to get } cid, \text{ we need } \Rightarrow T_2$
 $T_1 \bowtie Order$
 \downarrow
 $\text{Then, project } cid \text{ in } T_2 \rightarrow T_3$

outer query

$\left(\begin{array}{l} \text{Select } cid \\ \text{From } Customer \\ \text{Except} \\ \text{Select } cid \\ \text{From } T_3 \text{ (or } T_3, \text{ they are the same)} \end{array} \right) = T_4$

In the final step

$\left(\begin{array}{l} \text{Select } name, phone \\ \text{From } Customer, T_4 \\ \text{Where } T_4.cid = Customer.cid \end{array} \right)$

2A)

i) Table scan

$$B(\text{Teach}) = \boxed{500 \text{ I/O.}}$$

ii) Clustered B+ on semester

- 4 different values. each semester will have approx 125 page.

$$\text{Cost} = \boxed{\text{Some I/O for index} + 125 \text{ I/O for fetching}}$$

iii) Unclustered.

- 4 dif. values. Each semester will have approx. $\frac{10,000}{4} = 2500$ tuples.

In the worst case

$$\text{Cost} = \boxed{\text{Some I/O for index} + 2500 \text{ I/O for fetching tuples from different pages}}$$

2B)

i) Table scan.

$$B(\text{Prof}) = \boxed{200 \text{ I/O}}$$

ii) Clustered hash

- There are 100 dept. In 'CENG' dept approx 10 professor. $\left(\frac{1000 \text{ prof}}{100 \text{ dept}}\right)$

- 1000 prof \rightarrow 200 pages

10 prof \rightarrow 2 pages

$$\text{Cost} = \boxed{\text{Some I/O for finding correct bucket} + 1 \text{ I/O} \left(\begin{array}{l} \text{for chain, since 5 prof in the} \\ \text{1st bucket, the remaining 5 prof.} \\ \text{in the second bucket} \end{array} \right)}$$

iii) Unclustered hash

- In the bucket, there will be 10 values pointing different pages.

$$\text{Cost} = \boxed{\text{Some I/O for finding correct bucket} + 10 \text{ I/O}}$$

2c)

i) Table scan

$$B(\text{prof}) = \boxed{200 \text{ I/O}}$$

ii) Clustered B+ tree

1000pid \rightarrow 1000prof \rightarrow 200pages

200pid \rightarrow 40pages

$$\text{Cost} = \boxed{\text{Some I/O for finding the starting index (200)} + 40 \text{ I/O for linear search}}$$

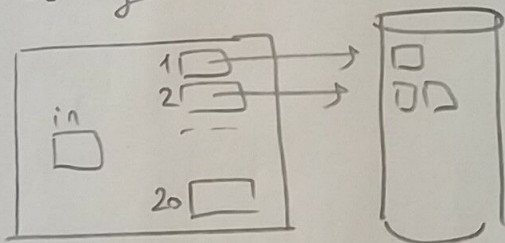
iii) Unclustered B+ tree

200pid \rightarrow 200prof \rightarrow in the index leaf we will have 200 dif. values

$$\text{Cost} = \boxed{\text{Some I/O for finding the index} + 200 \text{ I/O}}$$

2d)

i) Hashing



$$\text{Cost} = \boxed{200 \text{ I/O}} \text{ for reading all professor pages}$$

+
each partition will have approx. 5 pages, since $5 \text{ page} \times 10 \text{ name per page} \times 20 \text{ part/H} = 1000 \text{ rows}$
writing partitions to disk = $5 \times 20 = \boxed{100 \text{ I/O}}$

$$+ \text{ read partitions and do distinct operation} = \boxed{100 \text{ I/O}}$$

$$= \boxed{400 \text{ I/O}}$$

- 2d) (Continued)

ii) Sorting

Read original relation = $\boxed{200 \text{ I/O}}$

+

remaining relation will = $\boxed{100 \text{ I/O}}$

have 100 page
(only names)

read from disk and
sort, it will be in

one pass since $\frac{100}{20} < 20$ ✓

= $\boxed{100 \text{ I/O}}$

= $\boxed{400 \text{ I/O}}$

Q3)

a) $B(R) + B(R) \cdot B(S)$

$1000 + 1000 \cdot 1500 =$

$$\begin{array}{r} 1500,000 \\ + 1,000 \\ \hline 1,501,000 \end{array}$$

b) $B(R) + \frac{B(R)}{(M-2)} B(S) = 1000 + \frac{1000}{100} \cdot 1500 =$

$$\begin{array}{r} 15,000 \\ + 1,000 \\ \hline 16,000 \end{array}$$

c) $B(S) + \frac{B(S)}{(M-2)} B(R) = 1500 + \frac{1500}{100} \cdot 1000 =$

$$\begin{array}{r} 15,000 \\ + 1,500 \\ \hline 16,500 \end{array}$$

d)

i) Inner (S) has clustered index

R \bowtie S

$\begin{pmatrix} b_1 \\ b_2 \\ \vdots \end{pmatrix}$



$\begin{matrix} c_1 & b_1 \\ c_2 & b_1 \\ c_1 & b_2 \\ c_3 & b_3 \end{matrix}$

for each element

find matching

$$B(R) + T(R) \cdot \frac{B(S)}{V(S,b)}$$

$= 1000 + 10,000 \cdot \frac{1,500}{150}$

$= 101,000$

$\begin{pmatrix} 10 \end{pmatrix}$ → only need to find 10 match (in pages) ✓

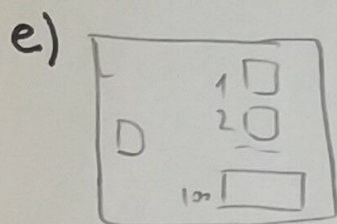
ii) $B(R) + T(R) \cdot \frac{T(S)}{V(S,b)}$

$= 1000 + 10,000 \cdot \frac{6000}{150}$

40 → since it is not clustered join attribute could be in more difo pages.

$= 401,000$

Q3) (continued)



Each bucket will have $\frac{B(R)}{M} = \frac{1000}{100} = 10$ pages

Since $\frac{B(R)}{M} < M$, each bucket will fit in the memory.

Partitioning

In R: Each bucket will have

$$\frac{B(R)}{M} = 10 \text{ pages} \quad (100 \text{ buckets} = 1000 \text{ pages})$$

In S: Each bucket will have

$$\frac{B(S)}{M} = 15 \text{ pages} \quad (100 \text{ buckets} = 1500 \text{ pages})$$

(Read + Write) R + (Read + Write) S = 2000 + 3000 = 5000

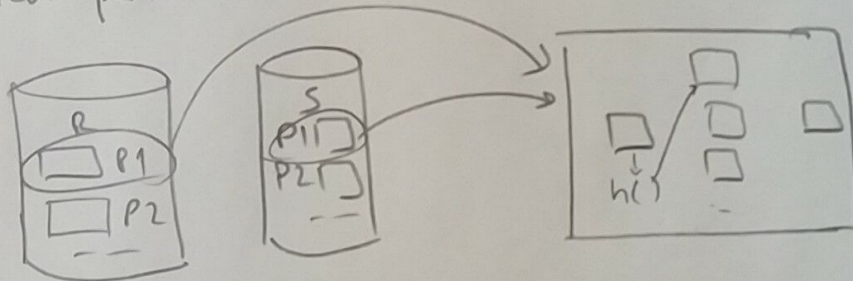
Joining
In the final step R's and S's partitions will be read from the

disk

$$5000 + 1000 + 1500 = \boxed{7500}$$

Only needed partitions will be read.

(i.e.)



f) 1st, we have external sorting

Sorting

- Generate runs of R → 10 runs of R, last run of R is 91 pages long.

- // S → 15 runs of S, last run of S is 85 pages long.

Total cost until now = $2B(R) + 2B(S) = \boxed{5000}$
(1 write + 1 read)

Merge-Join step

Since we will read runs of R and S

$$5000 + 1000 + 1500 = \boxed{7500}$$

$$\begin{aligned} B(R) &< M^2 \\ B(S) &< M^2 \end{aligned} \rightarrow \text{Both will fit.}$$

