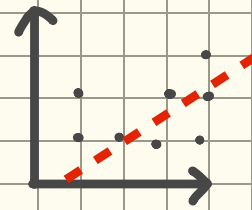


# Linear Regression



1. Define your inputs:

Learning Rate: how much "influence" will errors have

Loss Function: how do you define "loss"?

Features: How many inputs are we dealing with

2. setup random weights where  $\text{len}(\text{weights}) = \text{features}$  and a bias integer

Epoch →

3. Predict output by doing the following

$$\begin{bmatrix} A_1 \\ A_2 \\ A_3 \\ A_4 \end{bmatrix} \begin{bmatrix} B_1 & B_2 & B_3 & B_4 \end{bmatrix} + \text{bias} = \sum_{i=1}^4 A_i B_i + \text{bias}$$

4. Calculate Loss where  $y_i = \text{predictions}$ ,  $y_z = \text{true values}$  by:

Mean Absolute Error (MAE)

$$\frac{\sum_{i=1}^n |y_{i,1} - y_{i,2}|}{n}$$

Mean Squared Error (MSE)

$$\frac{\sum_{i=1}^n (y_{i,1} - y_{i,2})^2}{n}$$

5. Change Weights

dw = change to weights

db = change to bias

MAE

$$dw = \frac{1}{n} \cdot [\text{inputs}^T \cdot \text{sign}(\text{diff})]$$

$$db = \frac{1}{n} \cdot \sum \text{sign}(\text{diff})$$

MSE

$$dw = \frac{2}{n} \cdot [\text{inputs}^T \cdot \text{diff}]$$

$$db = \frac{2}{n} \cdot \sum \text{diff}$$

weights = learning rate · dw  
bias = learning rate · db

Epoch →