Unit 1 – Information Representation - Activities

(1) Convert to decimal the following values:

- a) $1001_2 \rightarrow 9_{10}$
- b) $110010_2 \rightarrow 50_{10}$
- c) $1010_2 \rightarrow 10_{10}$
- d) $100101,101_2 \rightarrow 37,625_{10}$
- e) $1011_2 \rightarrow 11_{10}$

(2) Convert to binary the following values:

- a) $8_{10} \rightarrow 1000_2$
- b) $512_{10} \rightarrow 1000000000_2$
- c) $20,625_{10} \rightarrow 10100,101_2$
- d) $255_{10} \rightarrow 11111111_2$
- e) $3560,75_{10} \rightarrow 110111101000,11_2$

(3) Convert to hex the following values:

- a) $100100101_2 \rightarrow 125_{16}$
- b) $1000000000_2 \rightarrow 200_{16}$
- c) $1001001_2 \rightarrow 49_{16}$
- d) $11111_2 \rightarrow 1F_{16}$

(4) Convert to binary the following values:

- a) $5A43_{16} \rightarrow 0101101001000011_2$
- b) BEA₁₆ \rightarrow 101111101010₂
- c) $23A_{16} \rightarrow 001000111010_2$
- d) $100_{16} \rightarrow 000100000000_2$
- e) $F410_{16} \rightarrow 1111010000010000_2$

(5) Convert to octal the following values:

- a) $100101_2 \rightarrow 45_8$
- b) $11101_2 \rightarrow 35_8$
- c) $110011_2 \rightarrow 63_8$
- d) $100_2 \rightarrow 4_8$
- e) $11010101_2 \rightarrow 325_8$

(6) Convert to binary the following values:

- a) $521_8 \rightarrow 101010001_2$
- b) $1234_8 \rightarrow 0010100111100_2$
- c) $100_8 \rightarrow 001000000_2$
- d) $7543_8 \rightarrow 111101100011_2$
- e) $111_8 \rightarrow 001001001_2$

(7) Convert to decimal the following values:

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a) F2A3_{16} \rightarrow 62115_{10}
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b)
$$4227_{16} \rightarrow 16935_{10}$$

c)
$$4227_8 \rightarrow 2199_{10}$$

d)
$$AAFF_{16} \rightarrow 43775_{10}$$

(8) Convert to hex the following values:

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a) 16_{10} \rightarrow 10_{16}
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b)
$$427_{10} \rightarrow 1AB_{16}$$

c)
$$255_{10} \rightarrow FF_{16}$$

d)
$$534_{10} \rightarrow 216_{16}$$

(9) Convert to octal the following values:

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a) 16_{10} \rightarrow 20_8
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b)
$$427_{10} \rightarrow 653_8$$

c)
$$255_{10} \rightarrow 377_8$$

d)
$$534_{10} \rightarrow 756_8$$

(10) Add the numbers 45 + 31 in binary code. Check the result by performing the conversion to decimal.

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45 + 31 = 86; 86_{10} \rightarrow 1010110_2; 45_{10} \rightarrow 101101_2, 31_{10} \rightarrow 11111_2; 101101_2 + 11111_2 = 1010110_2;
```

(11) \$ Subtract the numbers 80 –46 in binary code. Check the result by performing the conversion to decimal.

```
80-46=34_{10}; 34_{10} \rightarrow 100010_2; 80 \rightarrow 1010000_2, 46 \rightarrow 101110_2; 1010000_2 - 101110_2 \rightarrow 100010_2;
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(12) Substract the numbers 109 –23 in binary code. Check the result by performing the conversion to decimal.

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109 - 23 = 86; 86 \rightarrow 1010110; 109 \rightarrow 1101101, 23 \rightarrow 10111; 1101101 - 10111 = 1010110;
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(13) Multiply the numbers 30 * 6 in binary code. Check the result by performing the conversion to decimal.

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30 * 6 = 180; 30 \rightarrow 11110, 6 \rightarrow 110;

11110 * 110 = 10110100;

180 \rightarrow 10110100;
```

- (14) What is the negative representation of 58 in binary code? Give the result in sign and magnitude, 1's complement, 2's complement and Excess-K with $K = 2^{n-1}$, all for a value of 8-bit word.
 - 1. Signed magnitude → 10111010
 - 2. 1's complement \rightarrow 11000101
 - 3. 2's complement \rightarrow 11000110
 - 4. Excess-K \rightarrow 01000110
- (15) What is the decimal value of 10101010 if it is represented using Excess-K with K = 2^{n-1} ?

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- (16) Perform the following logical operations:
- a) NOT (10001001 OR 10111001) \rightarrow 01000110
- b) 11011011 XOR 10111001→ 01100010
- c) 00000111 AND 111111111 → 00000111
- d) 00000111 XOR 11111111 \rightarrow 11111000
- (17) How many bits should I need to represent the number 62?

You'll need at least 7 bits to represent +62 (0111110). This is because you need a MSB in addition to other bits. Or only 6 bits if you are using only positive numbers (no MSB).

(18) \$ With a 12 bits binary number, how many numbers can we represent?

 2^{12} numbers = 4096 numbers.

(19) What is UNICODE? How many bits are used to encode a symbol?

A standard for apphanumerical codification. Depending on the codification, it may need:

- a) UTF8 \rightarrow 1 to 6 bytes (8-48 bits)
- b) UTF16 \rightarrow 2 to 6 bytes (16-48 bits)
- c) UTF $32 \rightarrow 4$ bytes (32 bits)
- (20) Encode in decimal, octal and hex the phrase "Sistemas de representación" using the ASCII code. Note that the o is accentuated.
 - A) Message → "Sistemas de representación"
 - B)
 - C) DEC \rightarrow 83 105 115 116 101 109 47 115 32 102 101 32 114 101 115 101 110 116 97 99 105 243 110
 - D) OCT → 123 151 163 164 145 155 141 163 040 146 145 040 162 145 160 162 145 163 145 156 164 141 143 151 363 156
 - E) HEX \rightarrow 53 69 73 74 65 6D 61 73 20 66 65 20 72 65 70 72 65 73 65 6E 74 61 63 69 F3 6E

(21) \$\frac{1}{2}\$ What is the decimal value of C19E0000? The number is represented using 32 bits|EEE754

19,75

- (22) Perform the following conversions:
- a) 34 TB \rightarrow 3,4 * 10⁷ MB
- b) 1200 GB \rightarrow 1,2 * 10⁻⁶ EB
- c) \$ 100 Mb \rightarrow 1,25 * 10⁴kB
- d) \$ 6Mb/s \rightarrow 3,6288 * 10³GB/week
- (23) Divide the numbers 105/5 in binary code. Check the result by performing the conversion to decimal.

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105 \to 1101001, \, 5 \to 101 ; 105 / 5 = 21, resto = 0; 21 \to 10101; 1101001 / 101 = 10101 ;
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(24) How long will it take (maximum) to download a 3.5GB movie if your Internet provider tells you that it provides 100 Mb/s? And if they told you that the error rate is 5%,?

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280s = 4 min 40s;
With 5% error rate \rightarrow 294s = 4 min 54s; (?)
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1) 00000000111111111100000000 \rightarrow 00FF00
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- 2) $0000000111111111100000000 \rightarrow 00FF00$
- 3) $0000000011111101000101000 \rightarrow 00FA28$
- 4) $000000011111101000101000 \rightarrow 00FA28$
- 5) $0000000111111111100000000 \rightarrow 00FF00$
- 6) $0000000111111111100000000 \rightarrow 00FF00$
- 7) $0000000111111111100000000 \rightarrow 00FF00$
- 8) $000000011111101000101000 \rightarrow 00FA28$
- 10) 101010101010101011111111 \rightarrow AAAAFF
- 11) $0000000011111101000101000 \rightarrow 00FA28$
- 12) $00000000111111111100000000 \rightarrow 00FF00$
- 13) $0000000111111111100000000 \rightarrow 00FF00$
- 14) $0000000011111101000101000 \rightarrow 00FA28$
- 15) 101010101010101011111111 → AAAAFF
- 16) 101010101010101011111111 → AAAAFF
- 17) $000000001111101000101000 \rightarrow 00FA28$
- 18) $00000000111111111100000000 \rightarrow 00FF00$
- 19) $00000000111111111100000000 \rightarrow 00FF00$
- 20) $0000000011111101000101000 \rightarrow 00FA28$
- 21) $0000000011111101000101000 \rightarrow 00FA28$
- 22) $000000011111101000101000 \rightarrow 00FA28$
- 23) $0000000011111101000101000 \rightarrow 00FA28$
- 24) $00000001111111111000000000 \rightarrow 00FF00$
- 25) $0000000111111111100000000 \rightarrow 00FF00$
- 26) 1110111011101110101010 → EEEEAA
- 27) 111011101110111010101010 → EEEEAA
- 28) 111011101110111010101010 → EEEEAA
- 29) 1110111011101110101010 → EEEEAA
- 30) $0000000111111111100000000 \rightarrow 00FF00$
- 31) 11101110110111011100110 \rightarrow EEDD66
- 32) $0000000111111111100000000 \rightarrow 00FF00$
- 33) 11101110110111011100110 \rightarrow EEDD66
- 34) 11101110110111011100110 \rightarrow EEDD66
- 35) $0000000011111111100000000 \rightarrow 00FF00$
- 36) 111011101101110101100110 \rightarrow EEDD66

(26) To save memory many programmers use a "word" (the minimum storage unit in memory that has a computer system) to indicate a state for each bit in the word.For example, if the word is 4 bits you could use the first one to know if the player is alive, the second one to know if he plays with a keyboard ora joystick, the third one to know if he has extra life and the fourth one to know if it's a network game. Thus, instead of using 16 bits (4 data to be stored, each 4-bit), it only uses 4.

The problem arises when you have to activate or deactivate one of these bits and, of course, get the value you save. With what you already know about binary operations, can you think of any way to do it easily?

For instance, with the word 0101:

How can I activate bit 1 to get the word 0111? and disable bit 0 to get the word 0110? and how can i get the state of the bit 3 (zero)?

Enable bit $1 \rightarrow XOR$ mask (0010)

Disable bit $0 \rightarrow XOR$ mask (0001)

Get state of bit $3 \rightarrow \text{AND}$ mask (1000). After that you can only get 1000 or 0000.