

# 14. Funny Numbers

## Condition:

Mubashir was playing with some numbers and found some funny numbers. Funny numbers are defined as follows:

- $89 \rightarrow 8^1 + 9^2 = 89 * 1$
- $695 \rightarrow 6^2 + 9^3 + 5^4 = 1390 = 695 * 2$
- $46288 \rightarrow 4^3 + 6^4 + 2^5 + 8^6 + 8^7 = 2360688 = 46288 * 51$

Create a program that accepts a number `n` and a positive integer `p` and returns a positive integer `k`, such that the sum of the digits of `n`, raised to successive powers of `p`, is equal to  $n * k$ .

Put simply, we are looking for whether an integer `k` exists, for which it is satisfied:

$$(a^p + b^{(p+1)} + c^{(p+2)} + d^{(p+3)} + \dots) = n * k$$

The program should return -1 if such k does not exist.

## Input:

- Integer `n`: the number for which we are checking if an integer exists  
`k`, such that the sum of its digits raised to successive powers of `p`, to be equal to  $n * k$ .
- Positive integer `p`: power to which the digits of the number `n`.

## Output:

- Integer `k`, which satisfies the condition :
  - The sum of the digits of `n`, raised to successive powers of `p`, to be equal to  $n * k$ .
- If such `k` does not exist, the function should return -1.

## Examples:

Input	Output
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92 1	-1
695 2	2