| Paper Code | Examiner | Department | Office |
|------------|-----------|------------------------------------|--------|
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Question 1

Suppose we have a collection of 20 documents, $d_1, d_2, ..., d_{20}$, which have been judged for relevance to a query. A 3-point relevance scale was used, so relevant documents have been divided into Perfect, Good and just Relevant results. Weights for these levels are shown below:

| Perfect | 3 |
|--------------|---|
| Good | 2 |
| Relevant | 1 |
| Non-relevant | 0 |

Here are the documents and their judgments:

Perfect =
$$\{d_1, d_8\}$$

Good = $\{d_4, d_9\}$
Relevant = $\{d_2, d_7, d_{10}\}$
Non-relevant = $\{d_3, d_5, d_6, d_{11} - d_{20}\}$

Consider now these two ordered result lists retrieved by different systems:

$$Result_1 = \langle d_1, d_2, d_7, d_3, d_4, d_8, d_6, d_5 \rangle$$

 $Result_2 = \langle d_1, d_4, d_8, d_2, d_6, d_3, d_5, d_7 \rangle$

- 1. What are the precision and recall for result list $Result_2$?
- 2. What is the precision @4 of each result list?
- 3. What is the average precision of each result list?
- 4. To measure/evaluate information retrieval (IR) effectiveness, what are the three elements required for a test collection, so the performance of the IR system could be compared?

Question 2

Consider following documents with the stop word list: [when, in, the, and, I]

Doc 1: when walking in the rain

Doc 2: rain stopped walk, I ran, rain stop.

Doc 3: stop walking and run

Consider the query $rain\ stop$ on a fictitious collection with N=1,000 documents where the document frequencies of walk, rain, stop and run are respectively 50, 10, 100 and 100. What is the similarity score for this query with documents Doc 1 and Doc 2?

Use logarithmic term weighting for query and maximum tf (term frequency) formula normalization for documents, idf weighting for the query only. Normalization is not required.

The maximum tf formula for normalization is listed as below:

$$0.25 + [0.75 \times t f_{t,d} / max(t f_{t,d})]$$

