







Introduction: Summary

**B Field Topology**

# Vector Mapping

**Field Line Mapping**

**Mapping Gradient**



**Winding (2D)**

**Linking (2D)**

**Poincare Index**

**Positive  
Null**

**Negative  
Null**

**Separatrix**

QSL

**Rotation  
around  
fix-point**



**Rotation  
between  
two lines**





























Defne Boundary

calculate the quantity







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Define Boundary

Calculate the Quantity

# Additive Self-Helicity

As the volume  $V$  of the corona is by the  $B$  field mapping:

$$V = \bigcup \mathcal{D}_i$$

Boundary condition for the relative helicity:

$$(\mathbf{B}_i - \mathbf{B}_o) \cdot \mathbf{n} \big|_{\partial\Omega} = 0$$

$$\left\{ \begin{array}{l} \mathbf{B}_R = \nabla\Phi \\ \nabla^2\Phi = 0 \end{array} \right\}$$

$$\left\{ \begin{array}{l} \nabla\Phi \cdot \mathbf{n} \big|_{bottom} = B_z \\ \nabla\Phi \cdot \mathbf{n} \big|_{other} = 0 \end{array} \right\}$$

