Homework Week 12

113-2 General Physics II

Due before 4:10 PM on May 12, 2025

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1. [20 points] Inductors in an AC Circuit

Consider an AC circuit consisting only of an inductor connected to the terminals of an AC source as shown in Figure 32.6. (a) Show $i_L = \frac{\Delta V_{\text{max}}}{\omega L} \sin\left(\omega t - \frac{\pi}{2}\right)$ [10 points] (b) Under what condition the current in an inductive circuit reaches its maximum value $I_{\text{max}} = \frac{\Delta V_{\text{max}}}{\omega L}$? [5 points] (c) What is the inductive reactance $X_L = 2$ (in ω , L) [5 points]

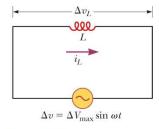


Figure 32.6 A circuit consisting of an inductor of inductance L connected to an AC source.

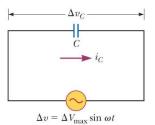


Figure 32.9 A circuit consisting of a capacitor of capacitance *C* connected to an AC source.

2. [20 points] Capacitors in an AC Circuit

Figure 32.9 shows an AC circuit consisting of a capacitor connected across the terminals of an AC source. (a) Show $i_C = \omega C \Delta V_{\text{max}} \sin \left(\omega t + \frac{\pi}{2}\right)$ [10 points] (b) Under what condition the current in a capacitor circuit reaches its maximum value $I_{\text{max}} = \omega C \Delta V_{\text{max}} = \frac{\Delta V_{\text{max}}}{(1/\omega C)}$? [5 points] (c) What is the capacitive reactance $X_C = 2$ (in ω , C) [5 points]

3. [15 points] **Example 33.7**

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An electricity-generating station needs to deliver energy at a rate of 20 MW to a city 1.0 km away. A common voltage for commercial power generators is 22 kV, but a step up transformer is used to boost the voltage to 230 kV before transmission. (a) If the resistance of the wires is 2.0Ω and the energy costs are about 0.11 \$/kWh, estimate the cost of the energy converted to internal energy in the wires during one day. [10 points] (b) Repeat the calculation for the situation in which the Power plant delivers the energy at its original voltage of 22 kV. [5 points]

4. [10 points] Example 32.4 Analyzing a Series RLC Circuit

A series *RLC* circuit has $R = 425 \Omega$, L = 1.25 H, and $C = 3.50 \mu F$. It is connected to an AC source with f = 60.0 Hz and $\Delta V_{max} = 150 V$.

- (a) Determine the inductive reactance, the capacitive reactance, and the impedance of the circuit. [3 points] (b) Find the maximum current in the circuit. [2 points] (c) Find the phase angle between the current and voltage. [2 points] (d) Find the maximum voltage across each element. [3 points]
- **5.** [5 points] According to our course schedule, what topics will be covered in the next lecture?
- 6. [30 points] (A) 嘗試問一個生活中跟物理有關的問題。[10 points]
 (B)列出關鍵字 (用物理思維,把大問題拆解成小問題)。[10 points]
 (C) Google 關鍵字 or 查閱維基有無文章 (注意維基不見得正確)。[10 points]
 螢幕截圖/照相,或是附上出處,線上繳交 (如前面手寫,可分開繳交)。

有問就給分,鼓勵同學多方閱讀,自己整理資訊。

範例問題:很慢很慢地把悠遊卡靠近讀卡機,可以感應成功嗎?

勇敢地提出笨的問題,有一天就會問到對的問題

截止後,已繳交需要解答的寄信助教: 110104035@nccu.edu.tw

1. (a)
$$\Delta V + \Delta V_{L} = 0$$
 (KVL)

$$\Rightarrow \Delta V - L \frac{di}{dt} = 0$$

$$\Rightarrow L \frac{di}{dt} = \Delta V_{max} \sin \omega t dt$$

$$\Rightarrow di = \frac{\Delta V_{max}}{L} \sin \omega t dt$$

$$\Rightarrow i = \frac{\Delta V_{max}}{L} \sin \omega t dt$$

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2.

(a)
$$0 \vee + 0 \vee c = 0$$
 $\Rightarrow 0 \vee - \frac{9}{C} = 0$
 $\Rightarrow 0 \vee = \frac{9}{C}$
 $\Rightarrow 1 = \frac{d9}{dt} = C \wedge V_{max} \sin \omega t$
 $\Rightarrow i = \frac{d9}{dt} = C \wedge V_{max} \sin \omega t$
 $\Rightarrow i = \omega \wedge C \wedge V_{max} \cos \omega t$
 $\Rightarrow i = \omega \wedge C \wedge V_{max} \cos \omega t$

(b) When
$$\omega_5$$
 (wt) = $\sin(\omega t + \frac{\pi}{2}) = \pm 1$

3.

Primes =
$$I_{rms}^{2} R = (37)^{2} \times 2 = 15 \text{ kW}$$

Tet = $P_{uages} \circ t = (15k)(24h) = 363 \text{ kWh}$

Cosf = $363 \times 0.11 = 3 \text{ fo}$

(b) $I_{rms} = \frac{P_{uvy}}{0 \text{ Vrms}} = \frac{20 \times 10^{6}}{22 \times 10^{3}} = 909 \text{ A}$

Primes = $I_{rms}^{2} R = (909)^{2} 2 = 1.7 \times 10^{3} \text{ kW}$

Tet = $P_{uites} \circ t = (1.7 \times 10^{3} \text{ kW})(24h)$

= $4 \times (04 \text{ kWh})$

Cost = $(4 \times 10^{4})(0.11) = 3 \text{ f.4} \times 10^{3}$

4.

(a)

 $W = 224 f = 24 (60) = 1202 (rad/s)$
 $X_{C} = 60 L = (1202)(1.25) \approx 47 L(20)$
 $X_{C} = \frac{1}{600} = \frac{1}{(1202)(3.5 \times 10^{-6})} \approx 758 L(20)$

$$Z = \sqrt{R^{4} + (X_{L} - X_{C})^{2}}$$

$$= \sqrt{(425)^{2} + (471 - 758)^{2}} \approx \sqrt{513} (.2)$$

$$(b) \Delta V_{max} = I_{max} \cdot Z$$

$$= \frac{\Delta V_{max}}{Z}$$

$$= \frac{471 - 758}{425}$$

$$= 441 - 758$$

$$= 441 - 758$$

$$= 425$$

$$= -0.59 \text{ (rad)}$$

$$(d) \Delta V_{R-max} = 2 \cos R = 0.29 \times 425$$

$$\approx 125 \text{ (V)}$$

