Homework Week 6

113-2 General Physics II

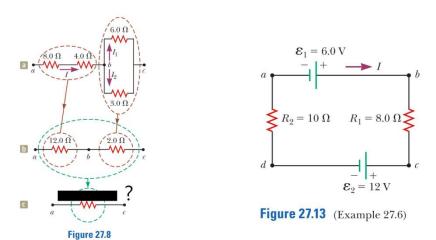
Due before 4:10 PM on March 31, 2025



1. [25 points] Example 27.4 Find the Equivalent Resistance

Four resistors are connected as shown in Figure 27.8a.

- (a) [15 points] Find the equivalent resistance between points a and c. Write down every step.
- (b) [10 points] What is the current in each resistor if a potential difference of 42 V is maintained between a and c?



2. [15 points] Example 27.6 A Single-Loop Circuit

A single-loop circuit contains two resistors and two batteries as shown in Figure 27.13. (Neglect the internal resistances of the batteries.) Find the current in the circuit.

3. [15 points] Charging a Capacitor.

Derive the expression from equation (27.15) to equation (27.18) for charging a capacitor.

$$\mathcal{E} - \frac{q}{C} - iR = 0$$
 (27.15)
$$q(t) = C\mathcal{E}(1 - e^{-t/RC}) = Q_{\text{max}}(1 - e^{-t/RC})$$
 (27.18)

4. [10 points] Discharging a Capacitor.

Derive the expression from equation (27.21) to equation (27.22) for discharging a capacitor.

$$-\frac{q}{C} - iR = 0$$

$$q(t) = Q_i e^{-t/RC}$$
(27.21)

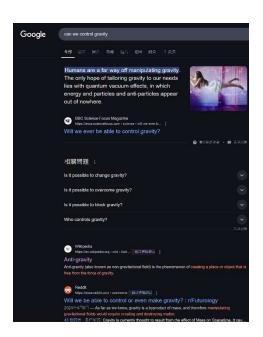
- 5. [10 points] According to our course schedule, what topics will be covered in the next lecture? _____ fields.
- 6. [25 points] (A) 重複 HW Week 3 最後一題的問題。[5 points] (B) Google 搜尋關鍵字 or 查閱維基有無文章 (注意維基不見得正確)。[20 points]

螢幕截圖或照相,線上繳交。如前面手寫,可分開繳交。

答案範例:

- 1. 庫侖力的形式與牛頓重力相似,我們可以打開和關閉電源,調控電力。而重力似乎一直存在,我們可以調控重力嗎,可能用什麼方式調控?
- 2. (中英皆可)





勇敢地提出笨的問題,

有一天就會問到對的問題

1. (a)
$$8+4+\frac{1}{6+\frac{1}{3}}=14(n)$$

$$\frac{1}{6+\frac{1}{3}}=1$$

$$1 = \frac{1}{7} = \frac{42}{74} = 3$$

$$1 = \frac{3}{6+3} = 1$$

$$1 = \frac{3}{3} = \frac{6}{6+3} = 2$$

$$1 = \frac{3}{3} = \frac{3}{6+3} = 2$$

$$2 = \frac{3}{4} = \frac{3}{74} = 3$$

$$3 = \frac{4}{6+3} = 2$$

$$4 = \frac{3}{4} = 2$$

$$4 = \frac{3}{4}$$

$$\frac{dq}{dt} = -\frac{q-c\xi}{1^{2}C}$$

$$\frac{dq}{q-c\xi} = -\frac{dt}{RC}$$

$$\frac{dq}{q-c\xi} = -\frac{dt}{RC}$$

$$\frac{dq}{q-c\xi} = \int_{0}^{t} \frac{-dt}{RC} = \frac{dq}{rder} = \frac{dq}{rder}$$

$$\int_{0}^{q} \frac{dq}{q-c\xi} = \int_{0}^{t} \frac{-dt}{RC} = \frac{dq}{rder} = \frac{dq}{rder}$$

$$\frac{dq}{q-c\xi} = \int_{-c\xi}^{q-c\xi} \frac{dt}{dt} = \frac{dq}{rder} = \frac{dq}{rder}$$

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$$\frac{dq}{rder} = \int_{-c\xi}^{q-c\xi} \frac{d$$

$$\frac{1}{7} \frac{dq}{dt} = \frac{-q}{RC}$$

$$\frac{1}{9} \frac{dq}{q} = \frac{-dt}{RC}$$

$$\frac{1}{7} \int_{CE} \frac{1}{q} \frac{dq}{q} = \int_{0}^{E} \frac{-dt}{RC} = \frac{-dt}{RC} = \frac{-dt}{RC}$$

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