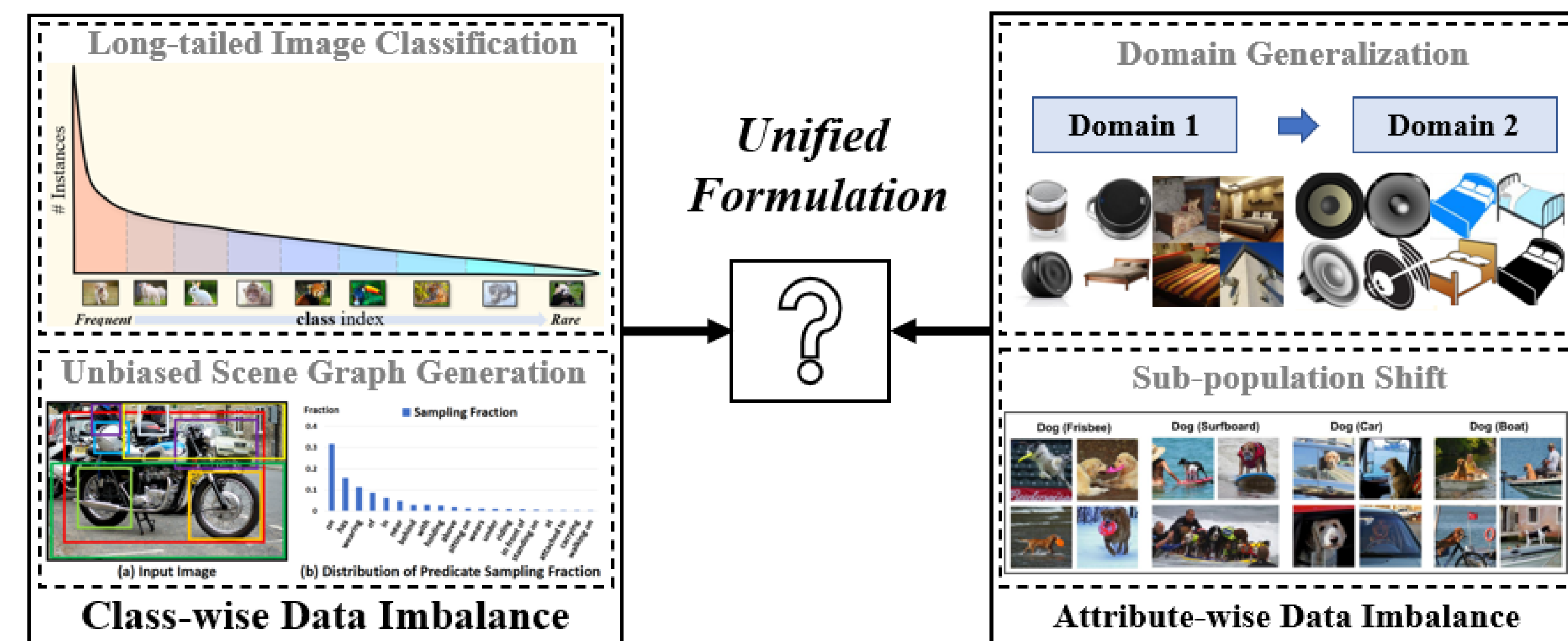


Motivation:

➤ Generalized Long-tailed Problem:

- a) Class-wise Data Imbalance
- b) Attribute-wise Data Imbalance



➤ Reviewing the Conventional Long Tail:

The previous problem formulation [1,2]:

$$P(y|x) = \frac{P(x|y)}{P(x)} P(y) \propto P(x|y) \overset{\text{bias}}{P(y)}$$

Unbiased Prediction:

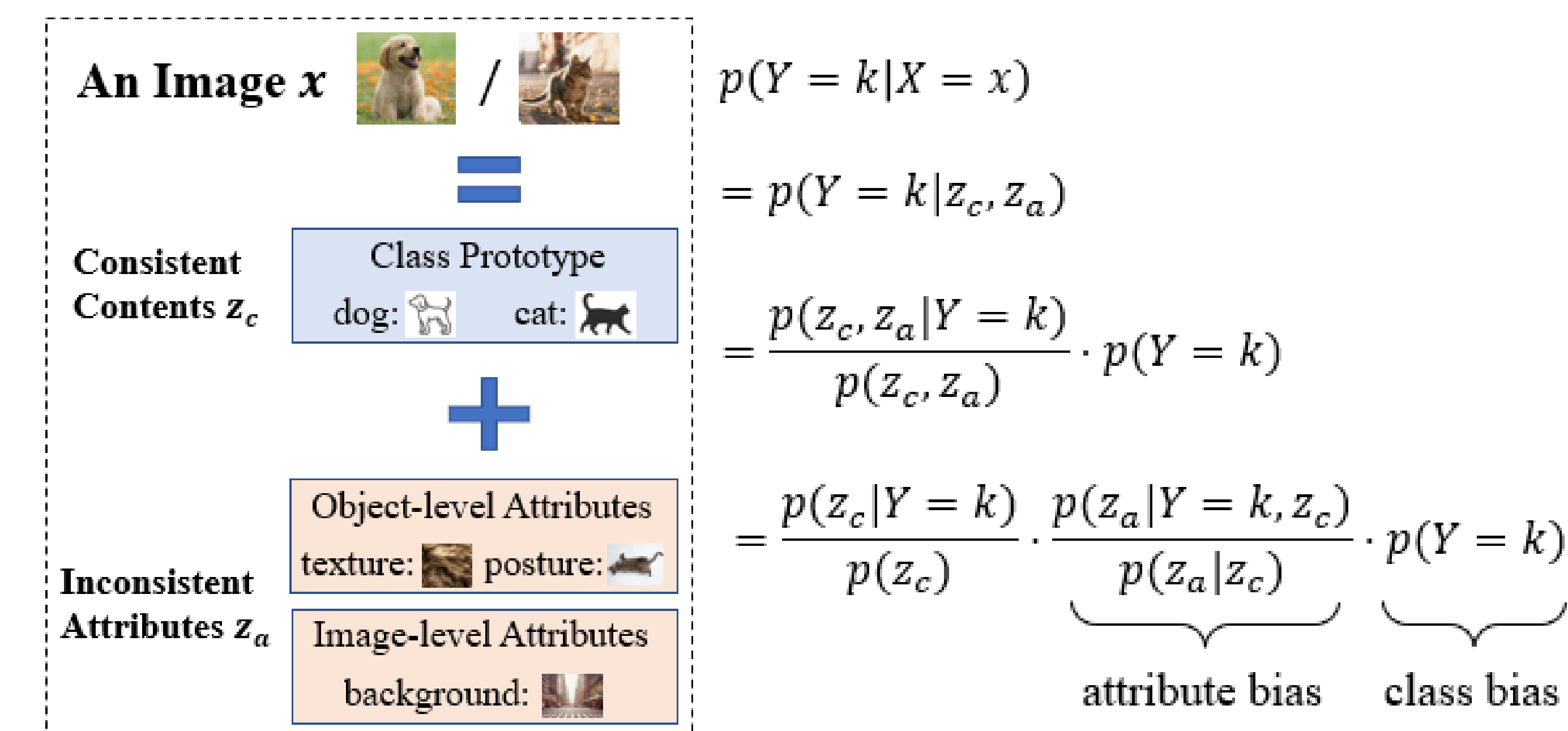
$$\log(P(y|x)) - \log(P(y)) = \log \left(\frac{P(x, y)}{P(x) \cdot P(y)} \right)$$

Point-wise mutual information

Underlying assumption (**Too Strong!**):

Intra-class distribution is unchanged, $P_{tr}(x|y) = P_{te}(x|y)$

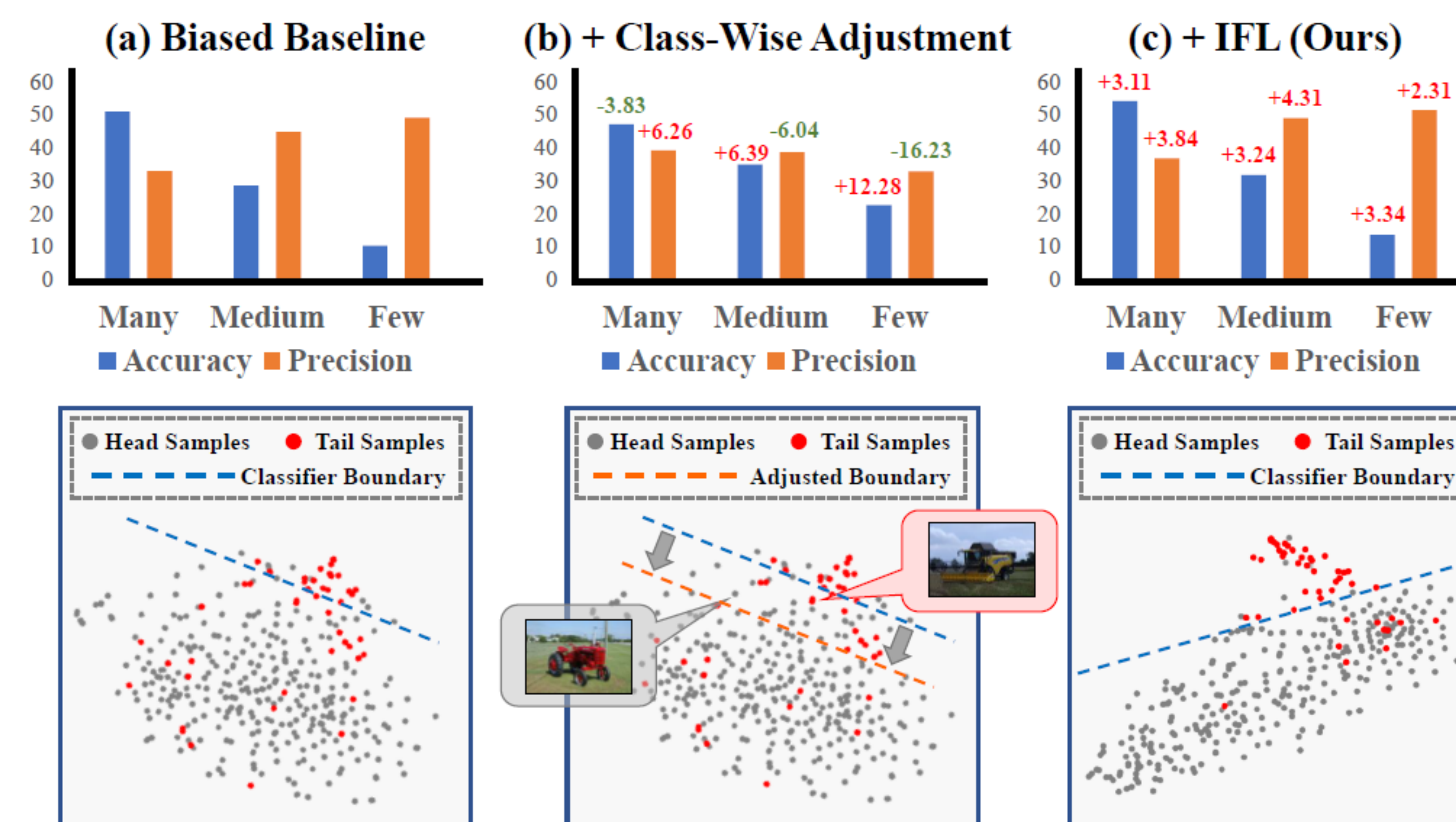
➤ The Generalized Problem Formulation:



Approach:

➤ The Limitation of Conventional LT:

- a) Class-wise adjustment has precision-accuracy trade-off.
- b) The confusing feature space is not well addressed.

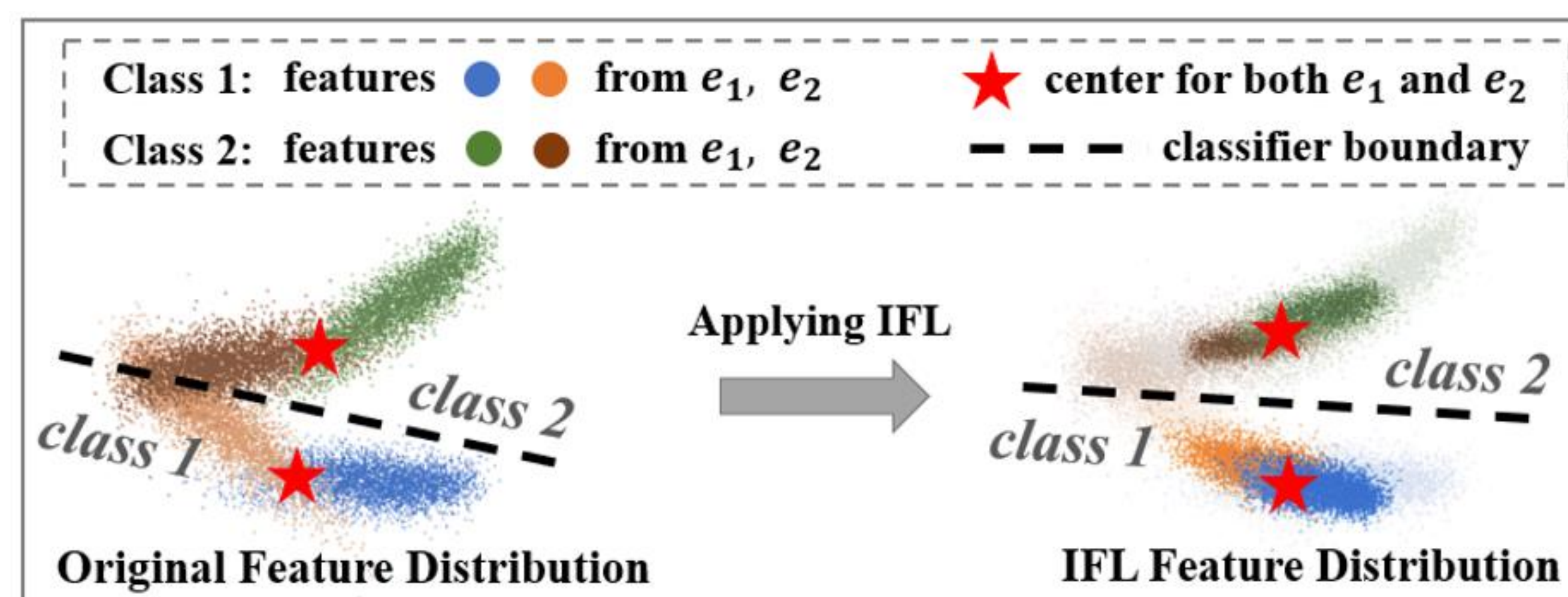


➤ The Proposed Invariant Feature Learning (IFL):

Invariant Risk Minimization [3] version of Center Loss [4]:

$$\min_{\theta, w} \sum_{e \in E} \sum_{i \in e} L_{cls}(f(x_i^e; \theta), y_i^e; w),$$

$$\text{subject to } \theta \in \operatorname{argmin}_{\theta} \sum_{e \in E} \sum_{i \in e} \|f(x_i^e; \theta) - c_{y_i^e}\|_2$$



➤ The Purposes of Applying IFL:

1. Estimating a set of more balanced and fairer class centers.
2. Increasing worst case performance to ensure the consistency.
3. Solving the attribute-wise data imbalance.

Experiment:

➤ Evaluation Protocols and Metrics:

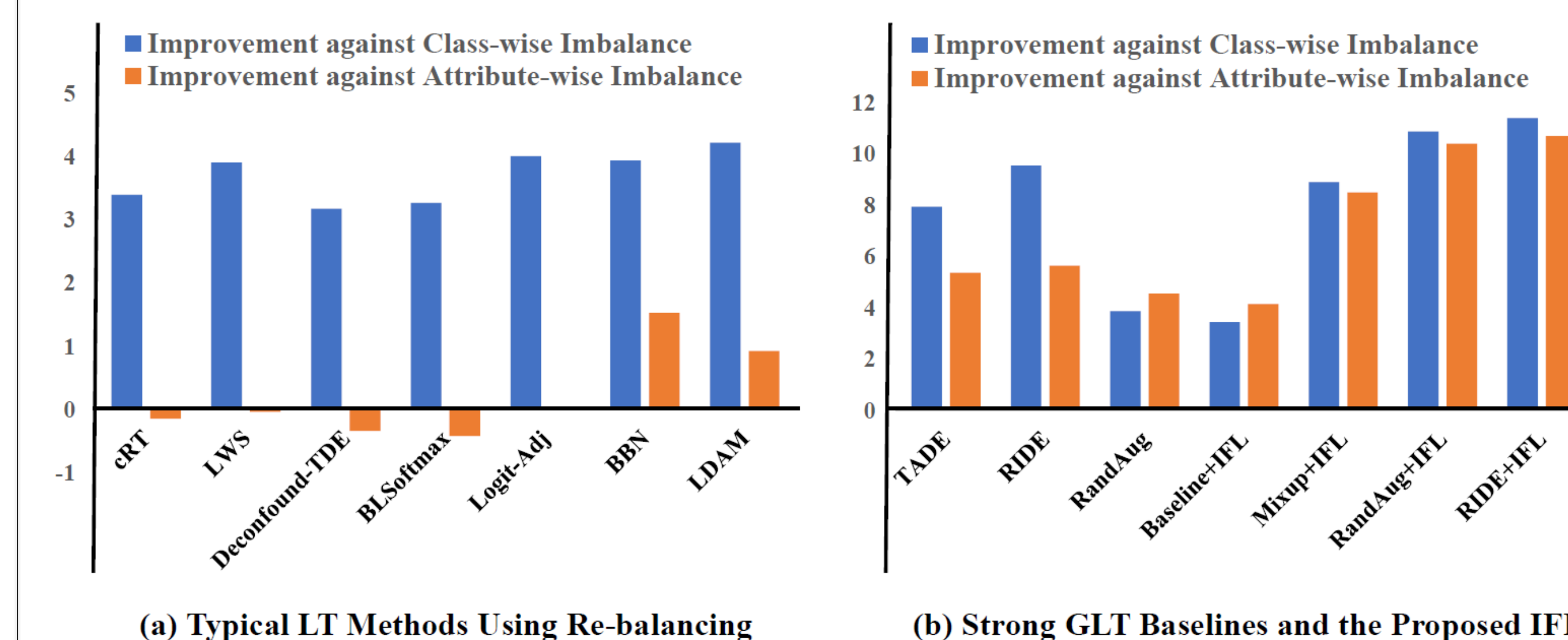
- a) Protocol 1: Class-wise Long Tail (CLT)
- b) Protocol 2: Attribute-wise Long Tail (ALT)
- c) Protocol 3: Generalized Long Tail (GLT=CLT+ALT)
- d) Metrics: Top-1 Accuracy and Top-1 Precision

➤ Plugging IFL into different types of LT algorithms:

Methods	Class-Wise Long Tail (CLT) Protocol				Generalized Long Tail (GLT) Protocol			
	Accuracy	Precision	Many _C	Medium _C	Accuracy	Precision	Many _C	Medium _C
Baseline	59.34	39.08	36.95	52.87	14.39	56.65	42.52	47.92
cRT [19]	56.55	45.79	42.89	46.23	26.67	41.47	45.92	45.34
LWS [19]	55.38	46.67	43.91	46.87	30.11	40.92	46.43	45.90
Deconfound-TDE [50]	54.94	49.27	43.18	43.91	28.64	33.40	45.70	44.48
BLSoftmax [41]	55.60	48.19	42.74	47.27	28.79	38.14	45.79	46.27
Logit-Adj [33]	54.55	49.70	44.40	45.05	31.53	36.04	46.53	45.56
BBN [71]	61.64	42.74	43.80	54.44	13.94	55.12	46.46	49.86
LDAM [6]	59.05	45.39	43.23	48.80	24.44	44.99	46.74	46.86
(ours) Baseline + IFL	62.71	42.98	40.10	56.83	18.92	61.92	45.97	52.06
(ours) cRT + IFL	61.27	45.84	43.96	51.67	24.32	53.64	47.94	49.63
(ours) LWS + IFL	61.50	45.43	43.79	52.85	23.86	55.58	47.89	50.29
(ours) BLSoftmax + IFL	58.00	53.70	44.70	51.73	33.49	37.58	48.34	50.39
(ours) Logit-Adj + IFL	56.96	56.22	46.54	50.10	36.88	33.29	49.26	50.02
Mixup [66]	59.68	37.96	30.83	55.74	7.09	34.33	38.81	45.41
RandAug [10]	64.96	42.63	40.30	59.10	15.20	56.60	46.40	52.13
(ours) Mixup + IFL	67.71	47.77	45.87	62.58	24.71	67.77	51.43	57.44
(ours) RandAug + IFL	69.35	49.42	48.05	63.19	26.92	66.04	53.40	58.11
TADE [67]	58.44	56.38	48.01	51.41	36.60	41.08	50.47	51.85
RIDE [56]	64.04	51.91	48.66	53.21	30.44	46.25	52.08	44.55
(ours) TADE + IFL	61.71	55.59	48.87	53.42	34.02	40.93	51.78	52.41
(ours) RIDE + IFL	65.68	54.13	50.82	56.22	31.91	52.10	53.93	54.76

➤ Why GLT is a “Generalized” Version of LT?

A: GLT algorithms can automatically solve the previous (class-wise) LT problem, but not vice versa.



Reference:

- [1] Menon, Aditya Krishna, et al. "Long-tail learning via logit adjustment." ICLR 2021
- [2] Ren, Jiawei, et al. "Balanced meta-softmax for long-tailed visual recognition." NeurIPS 2020
- [3] Arjovsky, Martin, et al. "Invariant risk minimization." arXiv preprint arXiv:1907.02893 (2019).
- [4] Wen, Yandong, et al. "A discriminative feature learning approach for deep face recognition." ECCV 2016.

QR Code to
Github Link:



QR Code to
Paper Link:

