

# Relational Algebra

Wednesday, April 17, 2019 11:03 AM

- SQL vs RA

↓  
declare what we want  
↓  
express how to get it

- RA expression  $\leftrightarrow$  query plan
- Every DBMS implementations converts a SQL query to RA in order to execute it.
- RA are often displayed using a tree.

- { Set semantics - standard relational algebra

Bag (allow duplicate) semantics - extended relational algebra  
DB systems use; because it's more efficient.

- Relational Algebra Operators

Union  $\cup$ , difference  $-$  intersection (not basic one)  
Select  $\sigma$   
Projection  $\pi$   
Cartesian product  $\times$ , join  $\bowtie$   
Rename  $\rho$

→ ...

relational algebra

extended RA



## Duplicate elimination

## Grouping and Aggregation X

# Sorting τ

$$0 \quad R_1 \cap R_2 = R_1 - (R_1 - R_2)$$

$R1 \bowtie R2$  when  $R1, R2$  have same attributes

- $R_1 \cup R_2$  : Bag Sem: if  $a$  appear twice in  $R_1$ , three times in  $R_2$ , then  $a$  appear  **$D$  times** in union.

o selection  $\sigma_c(R)$

e.g.  $\sigma_{\text{salary} > 10000}$  (Employee)

o Projection  $T_{A_1, \dots, A_n}(R)$

e.g.  $\text{T}(\text{ssn}, \text{name} \mid \text{Employee}) \rightarrow \text{Answer}(\text{ssn}, \text{name})$

set semantics: will eliminate duplicate

bag semantics : will not. (more efficient)

## o Renaming $P_1, \dots, P_n (R)$

e.g. Given Employee (Name, SSN)

$P_{N,S}(\text{Employee}) \rightarrow \text{Answer}(N, S)$

## o Natural Join $R_1 \bowtie R_2$

$$R_1 \bowtie R_2 = \pi_A(\sigma_B(R_1 \times R_2)) \rightarrow \text{Cartesian product.}$$

$\cup\theta$  : check equality of all common attributes

TIA : eliminates duplicate common attributes.

- Do projection after joined.

- When they don't share attribute:

$$R(A, B, C) \bowtie S(D, E)$$

$$= R \times S \quad (\text{Simply join everything})$$

- $R(A, B) \bowtie S(A, B)$

$$= R \cap S$$

- Theta join : are expensive

$R_1 \bowtie_{\theta} R_2$ ,  $\theta$  can be any condition.

- Equijoin

$R_1 \bowtie_{\theta} R_2$ ,  $\theta$  is equality

e.g.  $P \bowtie_{age=v.age} V$

\* By " $\bowtie$ ", we often mean equijoin.

- Left outer join  $P \Rightarrow J$

have everything on left.

- Group by  $\gamma$

- there's no diff between having & where, they differ just by the

• σ after τ: having

σ before τ: where

- Represent RA Queries as joins

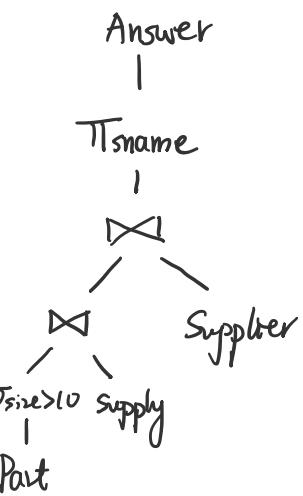
o e.g.

$\Pi_{\text{pname}} (\text{Supplier} \bowtie \text{Supply} \bowtie (\sigma_{\text{psize} > 10} (\text{Part}))$

select z.pname

from Part x, Supply y, Supplier z

where x.psize > 10  
and x.pho = y.pho  
and y.sno = z.sno



- Group by

select city, sum(quantity)

from sales

group by city

having count(x) > 100

