Solution:

=>
$$K+1=5$$
 $O=5$
 $y+1=5$ $K=4$

=>
$$A + 1 = R$$
 $A = 9$
 $9 + 1 = 10$ $R = 0$

$$9 + I = 15$$
 $I = 6$
 $9 + 6 = 15$

9

=)
$$S+5=N$$

The value of $S=1,2,3,4$
 $1+5=6$ $\rightarrow 6'$ is abroady cosmod.

 $4+S=9$ $\rightarrow 9'$ is abroady cosmod.

The value of S'is must be 2,3;

$$=$$
 $2 + 5 = 7(N)$

$$7+5=E$$
 $7+5=12$ => Here 2 is already =>>uncl

=)
$$2+H = G$$

 $1+2+8=11(1)$

>> G+R+0+S+S = 1+0+5+2+2