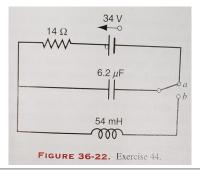
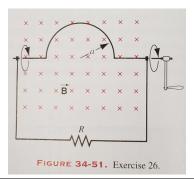
Name
Physics 51M Section Box #
Problem Set 11
9 December 2019

Collaborators:

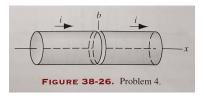
HRK E6.44 In the circuit shown in Fig 36-22, the switch has been in position a for a long time. It is now thrown to b. (a) Calculate the frequency of the resulting oscillating current. (b) What will be the amplitude of the current oscillations?



*[HRK E34.26] A stiff wire bent into a semicircle of radius a is rotated with a frequency f in a uniform magnetic field, as suggested in Fig. 34-51. What are (a) the frequency and (b) the amplitude of the emf induced in the loop?



HRK P38.4 A long, cylindrical conducting rod with radius R is centered on the x axis as shown in Fig. 38-26. A narrow saw cut is made in the rod at x = b. A conduction current i, increasing with time and given by $i = \alpha t$, flows toward the right in the rod; α is a (positive) proportionality constant. At t = 0, there is no charge on the cut faces near x = b. (a) Find the magnitude of the charge on these faces, as a function of time. (b) Use Eq. 1 in Table 38-1 to find E in the gap as a function of time. (c) Sketch the lines of E for E in the distance from the E axis. (d) Use Eq. IV in Table 38-1 to find E in the gap for E in the gap for E in the rod for E



A parallel plate capacitor has circular plates of radius R and separation d. The capacitor is connected to a battery of voltage V and then disconnected so that the charge ought to remain constant. The air is humid, however, and therefore slightly conducting; thus the stored charge leaks back across the air gap between the capacitor plates at rate i_{leak} . Assume that this leakage current is uniformly distributed across the area of the plates. Find the magnetic field everywhere between the plates.

In lecture we derived the wave equation for \vec{E} using Maxwell's equations in free space. Use a similar procedure to derive a wave equation for \vec{B} . Show that Maxwell's equations require that \vec{B} must be transverse to the direction of propagation. (You may want to remember the vector calculus identity $\vec{\nabla} \times (\vec{\nabla} \times \vec{C}) = \vec{\nabla}(\vec{\nabla} \cdot \vec{C}) - \nabla^2 \vec{C}$ for any \vec{C} .)

HRK E38.16 The electric field associated with a pane electromagnetic wave is given by $E_x = 0$, $E_y = 0$, $E_z = E_0 sink(x - ct)$, where $E_0 = 2.34 \times 10^{-4}$ V/m and $k = 9.72 \times 10^6$ m^{-1} . The wave is propagating in the +x direction. (a) Write expressions for the components of the magnetic field of the wave. (b) Find the wavelength of the wave.

(a) Consider an electromagnetic wave in a vacuum with electric field $\vec{E} = E_0 \hat{y} sin(kx - \omega t)$. What is the propagation direction of this electromagnetic wave? (b) Consider an electromagnetic wave with electric field $\vec{E} = E_0(\hat{-z}) sin(ky + \omega t)$. What is the propagation direction of this electromagnetic wave? (c) Consider the electric field $\vec{E} = E_0 \hat{y} [sin(kx - \omega t) + sin(kx + \omega t)]$. Show that this electric field satisfies the wave equation $\frac{\partial^2 \vec{E}}{\partial x^2} + \frac{\partial^2 \vec{E}}{\partial y^2} + \frac{\partial^2 \vec{E}}{\partial z^2} = \frac{1}{c^2} \frac{\partial^2 \vec{E}}{\partial t^2}$ provided $\frac{\omega}{k} = c$.