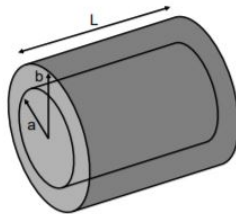


**Collaborators:**

(a) Calculate the capacitance per unit length  $\frac{C}{L}$  of a cylindrical capacitor (two concentric conducting cylindrical shells, inner radius  $a$  and outer radius  $b$ ) as shown in the figure. Ignore the end-caps of the cylinders. (b) Commercial RG-58 “BNC” coaxial cable (same geometry as part (a) above) has an inner cylinder diameter of  $0.8\text{mm}$ , and an outer diameter of  $5\text{mm}$ . Calculate the capacitance per unit length of RG-58 cable, and compare it to the commonly quoted value of  $33\text{ pF/foot}$ . Comment on your result.



■

The current density across a cylindrical conductor of radius  $R$  varies according to the equation  $j = j_0(1 - \frac{r}{R})$ , where  $r$  is the distance from the axis. Thus the current density is a maximum  $j_0$  at the axis  $r = 0$  and decreases linearly to zero at the surface  $r = R$ . (a) Calculate the current in terms of  $j_0$  and the conductor's cross-sectional area  $A = \pi R^2$ . (b) Suppose that, instead, the current density is a maximum  $j_0$  at the surface and decreases linearly to zero at the axis, so that  $j = j_0 \frac{r}{R}$ . Calculate the current. Why is the answer different from part (a)?

■

\* A dielectric slab of thickness  $b$  is inserted between the plates of a parallel-plate capacitor of plate separation  $d$ . Show that the capacitance is given by  $C = \frac{K_e \epsilon_0 A}{k_e d - b(k_e - 1)}$ .

■

**HRK 31.48** A capacitor (capacitance  $C$ ) with an initial stored energy  $U_0$  is discharged through a resistor of resistance  $R$ . (In parts (a) and (b) below, calculate a final numerical value assuming  $C = 1.0\mu F$ ,  $U_0 = 0.50J$ , and  $R = 1M\Omega$ .)

(a) What is the initial charge on the capacitor? (b) What is the current through the resistor when the discharge starts? (c) Determine  $\Delta VC$ , the voltage across the capacitor, and  $\Delta VR$ , the voltage across the resistor, as functions of time. (d) Express the rate of generation of internal energy in the resistor as a function of time.

■

**HRK E32.32** A metal wire of mass  $m$  slides without friction on two horizontal rails spaced a distance  $d$  apart, as in Fig 32-36. The track lies in a vertical uniform magnetic field  $\vec{B}$ . A constant current  $i$  flows from generator G along one rail, across the wire, and back down the other rail. Find the velocity (speed and direction) of the wire as a function of time, assuming it to be at rest at  $t = 0$ .

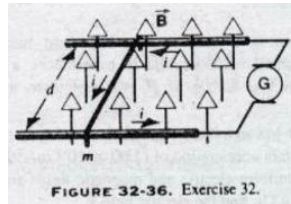


FIGURE 32-36. Exercise 32.

■

**HRK P32.5** Bainbridge's mass spectrometer, as shown in Fig. 32-39, separates ions having the same velocity. The ions, after entering through slits  $S_1$  and  $S_2$ , pass through a velocity selector composed of an electric field produced by the charged plates  $P$  and  $P'$ , and a magnetic field  $\vec{B}$  perpendicular to the electric field and the ion path. Those ions that pass undeviated through the crossed  $\vec{E}$  and  $\vec{B}$  fields enter into a region where a second magnetic field  $\vec{B}'$  exists, and are bent into circular paths. A photographic plate registers their arrival. Show that  $\frac{q}{m} = \frac{E}{rB\vec{B}'}$ , where  $r$  is the radius of the circular orbit.

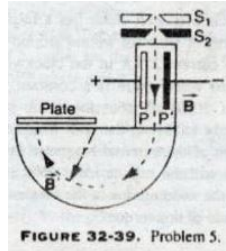


FIGURE 32-39. Problem 5.

■