

(100 Days of ML) → 132 videos

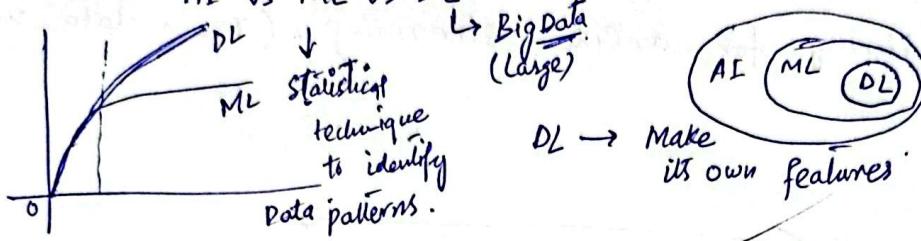
① Lecture # 01 (video - 1) → 20 min.

→ Intro to ML only.

Explicit Programming → code for specific logic/program.

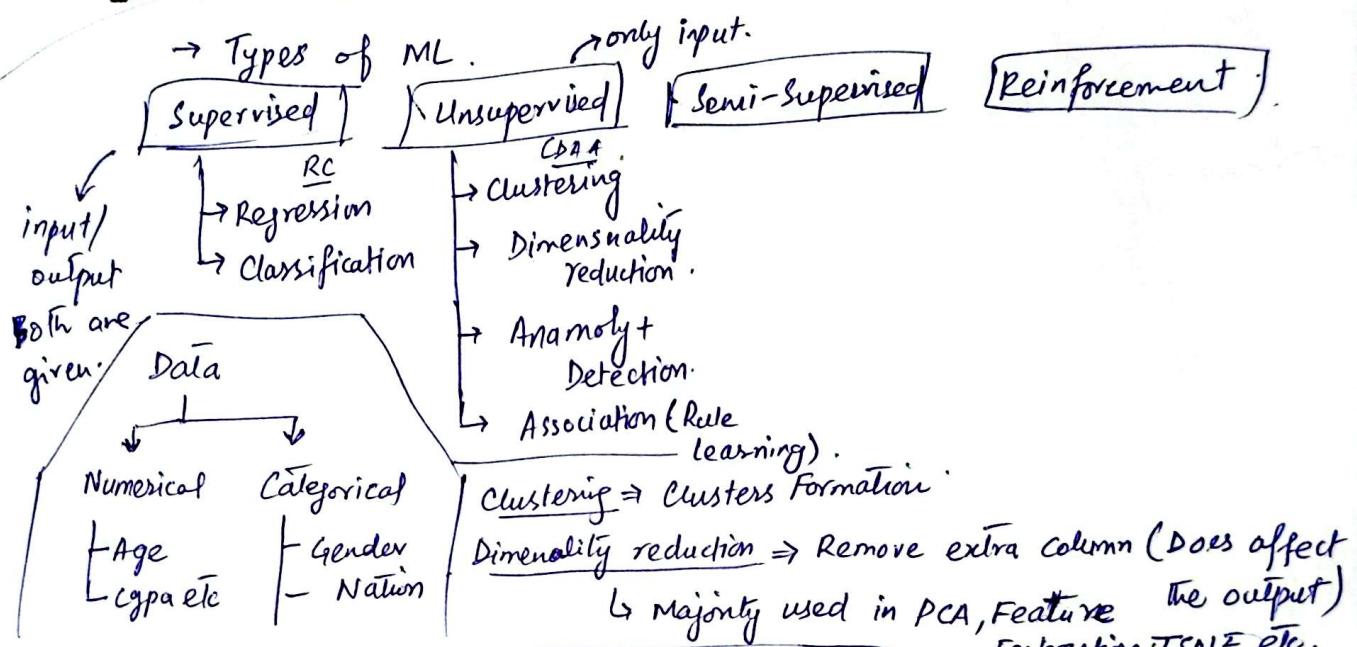
② Lecture # 02 (video - 2) → 16 min.

→ AI vs ML vs DL.



ML → You have to provide or make affecting features.

③ Lecture # 03 (video - 3) → 27 min.



Regression ⇒ Target column should be numerical.

Classification ⇒ Target column should be categorical.

④ Lecture # 04 (video - 4) → 11 min

→ Batch vs Online ML.

Batch → Train model on localhost and then test model is deployed on server.

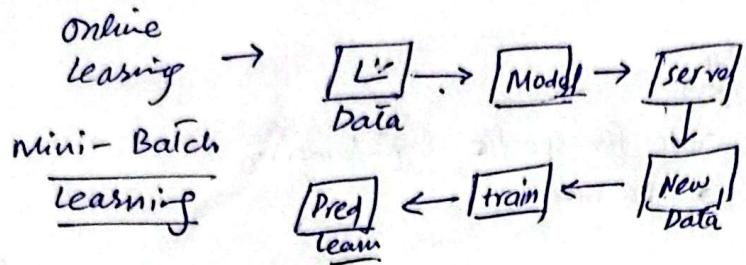
Disadvantage, one model is trained, not up-to-date.

Online

ML → Training model within period of time (efficient way) up-to-date model.

## ⑤ Lecture # 5 (video-5) → 20 min.

⑫ → Online vs Offline learning.



### Concept Drift:

→ Nature of problem changes volatility.

→ River → Library for online streaming. (Train data up-to-date)

Vowpal  
Wabbit

github rep.

## ⑥ Lecture # 6 (video-6) → 17 min.

→ Instance-Based Vs Model-Based learning.

Lazy learner: Instance → e.g. KNN etc. Instance learning. (when new query comes it check shortest distance and give instance)

Model-Based ⇒ learning without new query point. e.g. LR, LogR,

comes it check shortest distance and give instance discussion.

## ⑦ Lecture # 07 (video-7) → 24 min

→ Challenges:

- ① Data collection → Fetch data from API
- ② Insufficient/Labeled Data. → Web scraping.

③ Non-representative Data. → Sampling → Unreasonable effectiveness of Data → In huge amount of data, algorithm doesn't matter.

④ Poor Quality Data → outliers, empty values etc.

⑤ Irrelevant Features.

⑥ Overfitting → irrelevant feature in the Data.

⑦ Underfitting.

⑧ Software Integration

⑨ Offline Learning / Deployment

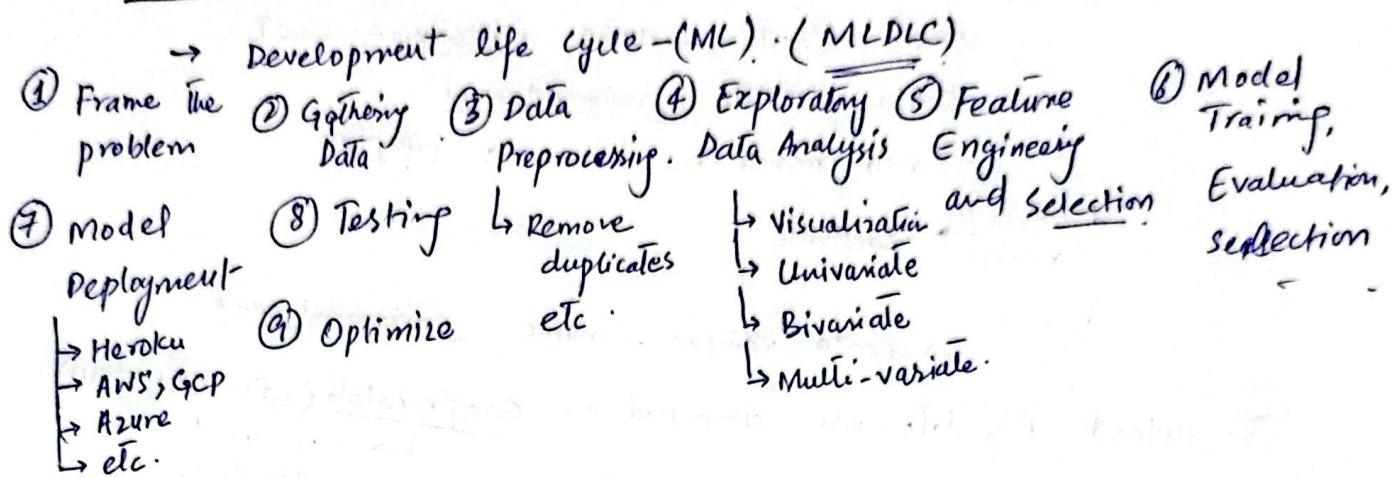
⑩ Cost Involved.

## ⑧ Lecture # 8 (video-8) → 30 min.

→ Application of Machine Learning

- ① Retail Sector
- ② Banking & Finance.
- ③ Transport → OLA
- ④ Manufacturing
- ⑤ Consumer Internet - Twitter etc.

## ⑨ Lecture # 9 (video-9) → 25 min.



## ⑩ Lecture # 10 (video-10) → 27 min

→ DE Vs DA Vs DS vs MLE Jobs roles.

Data Engineer → Scrape Data (Hard field). → Gather data.

Data Analyst → Cleaning data → Past (see Past Data)

Data Scientist → Full-stack. → (Future Data → prediction).

↳ Big company → Model Deployment etc.

ML Engineer → Deployment of Model. / optimize / maintenance

## ⑪ Lecture # 11 (video-11) → 42 min.

→ what is Tensor? → to store data.

↳ vectors, matrices etc.

→ Containers for storing numbers.

→ ndarray are called Tensor.

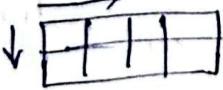
→ Tensor → no of axes = rank = no of dimensions

→ 1D Tensor = Vector.

→ 2D Tensor = Matrices

→ ND Tensor

→ Shape, Size of tensor.

↓  → ndimension or rank = 2  
 ↳ Shape → 2, 4, size = 2 × 4 = 8

① 1D Tensor → used in ML types like classification etc.

② 2D Tensor → also used as in same scenario as ①.

③ 3D Tensor → used in NLP mainly, Time-series Data etc.

④ 4D Tensor → used in images, computer vision, Deep learning etc.

⑤ 5D Tensor → used in video frames, etc.

## ⑫ Lecture # 12 (video-12) → 37 min.

→ Setting up tools.

→ Creating virtual environment -

Conda create --name environment name

Conda activate environment name

Conda install -c anaconda jupyter.

deactivate  
environment → deactivate

Remove  
env. → conda remove --name environment name

To upload Big data use command on Google colab (GPU, CPU, TPU)

↳ can used for

!mkdir -p ~/.kaggle

!cp kaggle.json ~/.kaggle

Before this make api token from kaggle.

Then Just copy api command and Paste (all done).

## ⑬ Lecture # 13 (video-13) → 30 min.

→ End to End Project.

Placement Y/N → Logistic Regression.

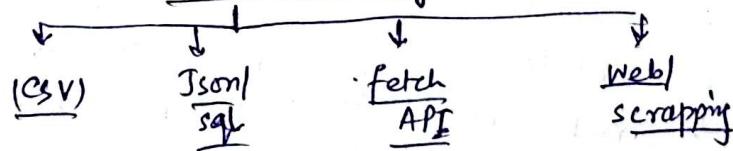
## ⑭ Lecture # 14 (video-14) → 22 min.

→ Frame of ML Problem.

Churn rate =  $\frac{\text{Total users}}{\text{Total user}} \times \frac{\text{out of}}{\text{Total user}} \text{ leave user in}$

## ⑮ Lecture # 15 (video-15) → 36 min.

→ Data Gathering.



CSV Gathering :  $\underline{\text{sep}} = ','$  → used to distinguish object.

$\underline{\text{name}} = []$  → passes array in the place of headings.

These are parameters of pandas.

`pd.read_csv(" ", sep=' ', etc)`  $\underline{\text{index-col}} = '$ ' → make another column as index-col.

Here you can pass parameters.  $\underline{\text{header}} = 1$  → 2nd row is header so more parameters ⇒ used this code.

$\underline{\text{usecols}}, \underline{\text{squeeze}}, \underline{\text{skiprows/nrows}}$  etc



## ⑯ Lecture # 16 (video- 16) → 17 min

→ Working with JSON/SQL

→ Working with SQL.

## ⑰ Lecture # 17 (video- 17) → 23 min

→ Working with API.

→ RapidAPI. → used to make dataset.

## ⑱ Lecture # 18 (video- 18) → 37 min

→ Fetching data using web scrapping.

## ⑲ Lecture # 19 (video- 19) → 15 min .

→ Understanding your data .

1 - How big is the data? → df.shape

2 - How does the data look like? → df.info() sample(s)

3 - What is the data type of cols? → df.info()

4 - Are there any missing value? → df.isnull().sum()

5 - How does the data looks like? → df.describe()

6 - Are there any duplicate values? → df.duplicated().sum()

7 - How the correlation between cols? → df.corr()

## ⑳ Lecture # 20 (video- 20) → 30 min

→ EDA using Univariate Analysis.

### Univariate Analysis

Categorical  
data {  
    ↳ Countplot -  
    ↳ Piechart -

Numerical  
data {  
    ↳ Histogram -  
    ↳ Distplot - (Kernel Density Function)  
    ↳ Boxplot -

## ㉑ Lecture # 21 (video- 21) → 39 min

→ Bivariate and Multivariate Analysis.

Generally  
used for  
both Bi-  
and  
Multi-  
variable.

{  
    → Scatter plot (Numerical- Numerical). sns.scatter  
    → Bar plot (Numerical- Categorical) sns.barplot  
    → Box plot (Numerical- Categorical) sns.boxplot  
    → Dist plot (Numerical - Categorical). sns.distplot  
    → HeatMap (Categorical - Categorical), sns.heatmap  
    → ClusterMap (Categorical - Categorical). pd.crosstab(sns.clustermap)  
    → Pairplot  
    → lineplot (Numerical- Numerical) → x quantity should be time or number based.

### Types of Encoding

↳ ordinal Encoding → used with ordinal data

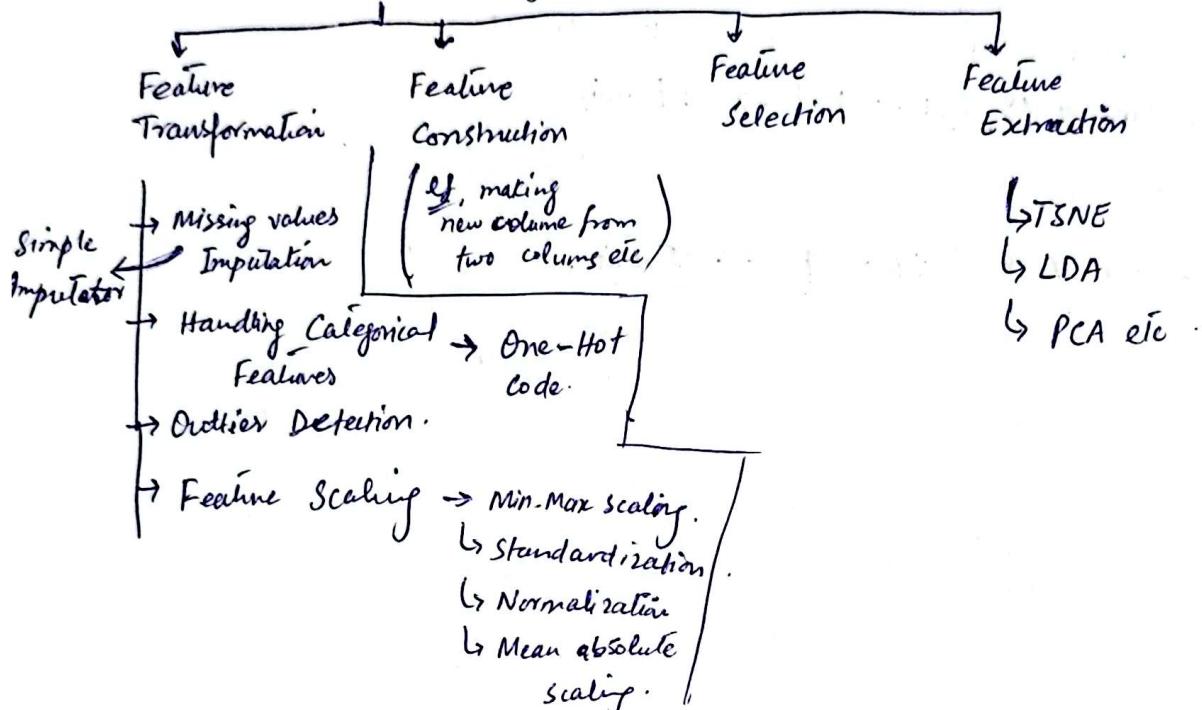
↳ One Hot Encoding → used with nominal data (the values of the column does not have relationship)

(22) Lecture # 22 (video - 22) — 13 min.

→ Pandas Profiling.

(23) Lecture # 23 (video - 23) — 25 min.

→ Feature Engineering.



(24) Lecture # 24 (video - 24) — 32 min

→ Standardization (Feature Transformation) → Feature Scaling

Types of feature Scaling.

- ↳ Standardization
- ↳ Normalization

↳ Min-Max scaling.

↳ Robust Scaling.

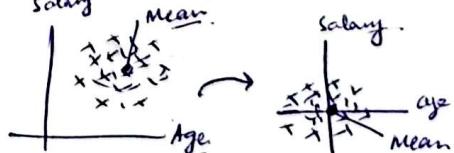
Standardization also called

2-score Normalization.

Formula:

$$x_i = \frac{x - \bar{x}}{s}$$

Mean centering & scaling by  $s$ .



$$\text{Mean} = 0, \text{SD} = 1$$

e.g., Logistic Regression etc.

When to use Standardization?

① K-Means, ② KNN (K-Nearest Neighbours), ③ PCA (Principal Component Analysis)

④ Artificial Neural Network, ⑤ Gradient Descent

↳ Used in majority of Neural Networks.

Not used in: Decision Tree, Random Forest, Gradient Boost, Xgboost. etc.

## (25) Lecture # 25 (video-25) → 24 min

→ Normalization, In this The units of any numerical values is normalized e.g., 10kg, 100g etc → convert this into standard unit and then proceed. → Min-Max Scaling →

### Types of Normalization:

- ↳ Min-Max Scale.
- ↳ Mean Normalization.
- ↳ Max absolute Scaling.
- ↳ Robust Scaling.

### → Mean Normalization →

$$x'_i = \frac{x_i - \bar{x}_{\text{mean}}}{x_{\text{max}} - x_{\text{min}}} \quad (\text{mean centering})$$

$$\rightarrow [-1, 1]$$

→ There is no specific library for that.

→ Required for centered data.

### → Robust Scaling,

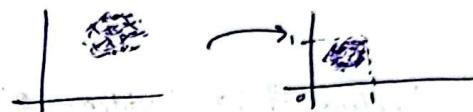
$$x'_i = \frac{x_i - \bar{x}_{\text{median}}}{\text{IQR} (75^{\text{th}} \text{ percentile} - 25^{\text{th}} \text{ percentile})}$$

library in Sklearn ⇒ Robust Scaler.

$$\text{Formula: } x'_i = \frac{x_i - \bar{x}_{\text{min}}}{x_{\text{max}} - \bar{x}_{\text{min}}}$$

Distribution

Must be scaled between  $[0, 1]$ .  
↓ Min ↓ Max.



→ Not good when there is outlier.

### → Max Absolute Scaling: (library sklearn, MaxAbsScaler)

$$x'_i = \frac{x_i}{\|x\|_{\infty}}$$

Used in sparse data  
↳ data having many zero values.

Used →

↳ Robust to outlier.

→ Majority Standardization is used.

→ Min-Max Scaler → images → CNN  
↓ 0 → 255.

if you know the min and max value of Data, use this.

## (26) Lecture # 26 (video-26) → 20 min

### → Encoding Categorical Variable:

Data →

- ↳ Numerical data
- ↳ Categorical data



Label Encoding → when the output data should be in categorical data.

e.g.: classification etc.

↳ Nominal Data → e.g., State, sections etc  
↳ Ordinal Data → e.g., order or relationship like reviews etc.

### Types of Encoding:

- ↳ ordinal Encoding → used with ordinal data (values have relation)
- ↳ One Hot Encoding → used with nominal data (the values of the columns does not have relationship)

## (27) Lecture # 27 (video - 27) → 30 min.

→ One-Hot Encoding (OHE).

↳ forms vector.

e.g., Yellow, Red, Blue.

↓      ↓      ↓

[1, 0, 0], [0, 1, 0], [0, 0, 1]

Dummy variable Trap ↗

After OHE we remove one column probably first column.

Multicollinearity → faces you should not have or let mathematical relation b/w columns.

→ OHE using most frequency variable ↗

what if there are many variables like suppose 40 brands, then we make some frequent values and make one column named others. e.g., 30 brand frequency used, 30 brand lies in other column.

## (28) Lecture # 28 (video - 28) → 16 min

→ Column Transformer → All practical.

## (29) Lecture # 29 (video - 29) → 46 min

→ Pipelines.

↳ output of every step is input for next step. ] - All practical.

## (30) Lecture # 30 (video - 30) → 32 min

↳ Feature Transformation

↳ Mathematical Transformer.

↳ Log Transform.

↳ Reciprocal Transform.

↳ Power Transform.

↳ Box-Cox.

↳ Yeo-Johnson.

Sklearn  
library

→ Function

Transformer.

+ log Transform.

+ Reciprocal Transform.

+ Power Transform.

+ Power Transform.

+ Box-Cox.

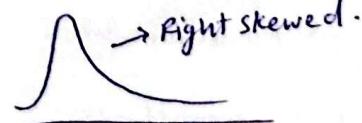
+ Yeo-Johnson.

How to check whether the data is skewed or not?

sns.displot

Q&Qplot

pd.skew()



Log Transform → used in right skewed data.

Reciprocal Transform →

$\frac{1}{x}$  →

$\text{sq}(x)^2$  → left skewed data

$\sqrt{x}$



### (31) Lecture # 31 (video - 31) → 21 min

Power Transformer.

→ Box-Cox

→ Yeo-Johnson.

$$\text{Box-Cox, } x_i^{(\lambda)} = \begin{cases} \frac{x_i^\lambda - 1}{\lambda} & \text{if } \lambda \neq 0, \text{ Range} \\ \ln(x_i) & \text{if } \lambda = 0, (-5 \text{ to } 5). \end{cases}$$

Restrictly Applicable on  $n > 0$ .

Yeo-Johnson:

Can apply on negative as well as positive values.

Box-Cox → library used → PowerTransformers (method = 'Box-Cox')

Yeo-Johnson → library used → PowerTransformers()

↳ Default value Yeo-Johnson.

For Q-Q plot used library → scipy.stats.

### (32) Lecture # 32 (Video - 32) → 39 min

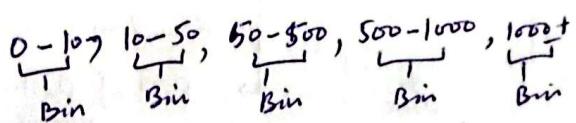
→ Binning & Binarization (Numerical to Categorical Data).  
(Discretization)

Binning

forming range

like

10, 1000, 200, 400, 500, 2 etc



Types of Binning:

↳ Unsupervised Binning.

- + Equal width (uniform) Binning.
- + Equal frequency (quantile) Binning.
- + KMeans Binning.

→ (Equal width Binning)

Number of Bins = ? You will decide

Formula =  $\frac{\max - \min}{\text{No. of Bins}}$

Benefits:

- ↳ Handling outlier
- ↳ No change in spread.

KMean Binning = makes cluster

→ Equal Frequency / Quantile Binning (Default).

Divide data into percentile (Interval)

Usually more used.

Benefit:

- ↳ Handling outlier.

- ↳ Make spread value uniform.

↳ library → sklearn.KBinsDiscretizer()

Binarization → convert value in 0 or 1.

↳ Custom / Domain Based Binning →

like  $\{[0-18] \rightarrow \text{kids}\}$

bins=?

Strategy

- + uniform
- + quantile
- + KMeans

Encode

- + ordinal
- + One-Hot Encoding

No Library

Pandas

↳ library used for it.

Used in specific areas.

library used  
sklearn.Binarizer()

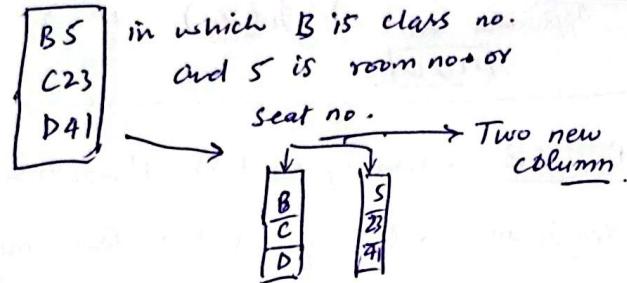
Threshold

above it value  
One below it zero

copy  
make...  
nan...

### (33) Lecture # 33 (video - 33) → 12 min.

↳ Mixed Data (Handling Mixed values)  
like cabin



Code: pd.to\_numeric(df),

column value  
errors = 'coerce',  
downcast = 'integer').

### (34) Lecture # 34 (video - 34) → 14 min

↳ Handling Data and Time Based column.

↳ Practical work.

→ month, year, day, quarter, semester, week, week-day, isweekend, etc.

### (35) Lecture # 35 (video - 35) → 25 min

↳ missing value (Handling Missing value).

↓  
Remove  
that column  
or row.  
(CCA)

Complete Case  
Analysis

Do it only when  
① MCAR

Missing completing  
at random

② if 5% Less  
data is missing.

↓  
Impute (Fill)

↳ Univariate (Simple Imputer Class)

↳ Multi-variate

↳ KNN Imputer

↳ Iterative  
Imputer

Numerical  
Data

Categorical  
Data

↳ Mode.  
Missing.

Mean / Median.

Random value.

End of Distribution  
value.

### (36) Lecture # 36 (video - 36) → 31 min

↳ Complete Missing value (Numerical data)

Univariate Imputation ↳ Numerical Data

① Mean/Median Imputation → Replace with mean & median.

Mean / Median.  
Random value / Arbitrary.  
End of Distribution  
Arbitrary value.

② Disadvantage.

1) Distribution shape change

2) Outlier formation

3) Covariance/corr relation change.

use Normal when Distribution

when Distribution when Skewness

use when Skewness

Arbitrary Value Imputation →  
Replace value with missing value or  
any value.

Benefit → easy to apply.

Disadvantage → PDF distort.

→ Variance changes → covariance  
change etc.

when to use,

1) MCAR

2) Missing value should  
be less than 5%.

### ③ End of Distribution Imputation

↳ Replace the null value with  
 Normal Data → Formula =  $(\text{mean} + 3\sigma)$   
 OR  
 $(\text{mean} - 3\sigma)$

Skewed Value Data → Formula:  
 $Q_1 = \text{mean} + 1.5 \times \text{IQR}$   
 $Q_3 = \text{mean} - 1.5 \times \text{IQR}$   
 $\text{IQR} = Q_3 - Q_1$

### ④ Lecture # 37 - (video-37) → 13 min

#### ④ Random Sample Imputation

↳ Handling Categorical missing Data

##### ① Most-Frequent Value Imputation,

→ Replace data with most frequent value (mode).

Disadvantage → change data distribution

##### ② Missing Category Imputation:

↳ Replace data with 'Missing' value named as 'Missing'.

If data is 10% greater missing.

### ⑧ Lecture # 38 - (video-38) → 38 min.

↳ Handling Missing values. (Both on Numerical & Categorical).

① Random Imputation : → Replace or fill by any random. by seeing the data.

② Missing Indicator → Replace with new value (make T/F).

↳ making the difference in the null or fill value.

③ Automatically select value for Imputation

↳ use gridsearch CV. for best Imputation

### ⑨ Lecture # 39 (video-39) → 25 min.

↳ Handling missing values. (Multivariate Imputation)

① KNN Imputer → Replace with the closest neighbour of the null value.

↳ Euclidean distance  
 Advantage

↳ More Accurate technique

↳ Complex Calculation.

↳ Production Deployment

↳ You have to deployment all dataset.

### ⑩ Lecture # 40 - (video-40) → 18 min

↳ Iterative Imputer (MICE)

MICE → Multivariate Imputation by Chained Equations.

Used for → MAR → Missing at Random.

→ Accurate Result.

→ Disadvantage.

same in KNN.

Steps

① Replace with mean value. (It's 1)

② Replace again with nan. (It's 2)

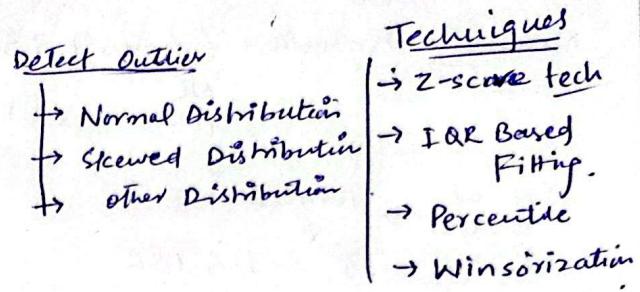
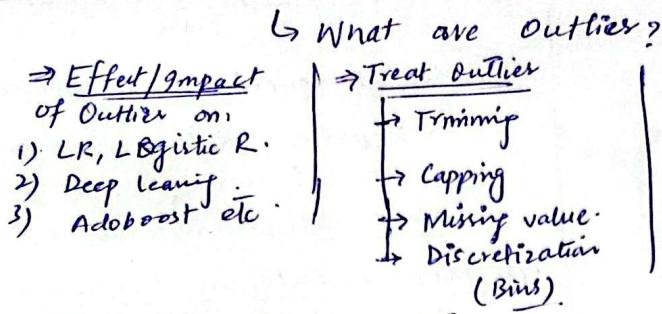
③ Applying model (Any).

→ Now do same on all columns

④ Subtract It's 1 - It's 2 then (make this to that the difference will be zero.)  
 By updating.



## 41) Lecture # 41 (video - 41) → 18 min



- Z-score tech
- IQR Based Fitting.
- Percentile
- Winsorization

## 42) Lecture # 42 (video - 42) → 18 min

Outlier Detection & Removal ( Z-score technique For Normal Distribution ).

Formula used,

$$\text{Outlier} = (\mu + 3\sigma, \text{Outlier} < \mu - 3\sigma)$$

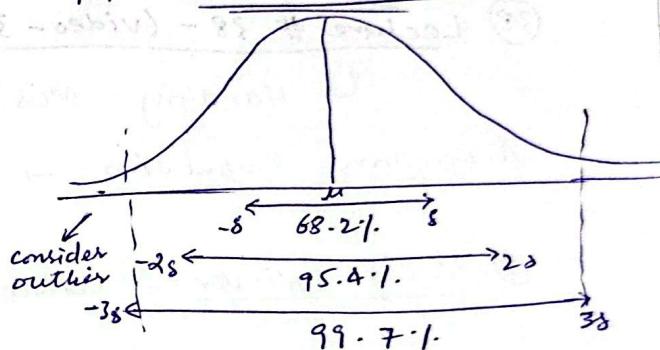
Zscore:

$$x_i = \frac{x_i - \mu}{\sigma}$$

Treatment of Outliers:

Trimming → Remove value.

Capping → Cap to the Max/min value.



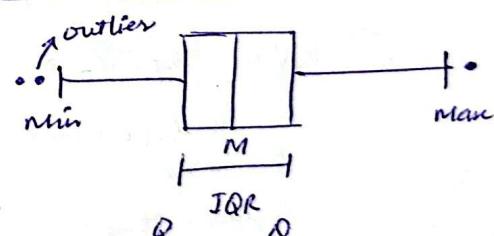
## 43) Lecture # 43 (video - 43) → 14 min

Outlier Detection & Removal ( IQR Technique For skewed Distribution ).

## 44) Lecture # 44 (video - 44) → 16 min

Outlier Detection using Percentile Method.

General value could be 99% or 1%, it totally depends on the you. In this capping is called winsorization.



## 45) Lecture # 45 (video - 45) → 12 min

↳ Feature Engineering → Feature Construction

- Make New column by combining different column.
- OR splitting data/column into different column.

46) Lecture # 46 (video - 46) → 16 min.

↳ Feature Selection (Curse of Dimensionality).

⇒ Curse of Dimensionality (COD)

feature → Dimensionality

↳ Images, text data etc.

Sparsity → The data point moves farther from each other.

Solution → Dimensionality Reduction.

↳ Feature Selection.

↳ Feature Extraction

1) Forward selection.

1) PCA

2) Backward selection.

2) LDA

3) TSNE

47) Lecture # 47 (video - 47) → 34 min.

↳ Feature Extraction → PCA (Unsupervised Learning Technique).

\* Benefits of using PCA ⇒

↳ Higher Dimension to Lower Dimension data.

1) Faster execution of algo.

How To select Feature:

2) Visualization.

→ Check the shadow/spread of Data.

→ Variance (to check spread).

48) Lecture # 48 (video - 48) → 57 min.

→ PCA (Part-2) Continuous: Mathematical computation in detail.

↳ Variance, Covariance & Covariance Matrix, Eigen vectors, Eigen values etc.

↳ Magnitude change  
Direction remains same.

Step By Step PCA

1) Mean Centered → Data

2) Find Covariance matrix.

3) Find the Eigen vector & Eigen value

49) Lecture # 49 (video - 49) → 43 min.

↳ Practical work on MNIST Dataset.

For Visualization used library ⇒ plotly.express, Pandas Profiler, IPWidgets etc..

→ Optimum Number of PCA component → By variance.

50) Lecture # 50 (video - 50) → 34 min.

↳ First Algorithm → Simple Regression (Linear Regression)

Simple  
LR

Multiple  
LR

Polynomial  
LR

Regularization.

## 51 Lecture 51 (video-51) → 53 min

↳ Simple Linear Regression (code - Make class of simple LR)

→ Closed-Form Solution → ability to solve technique by mathematical formula.  
 ↳ OLS (ordinary least square).

→ Non-Closed-Form Solution → Gradient Descent.

→ LR Mathematical Function:

My notes of IDS + Prob etc.

## 52 Lecture 52 (video-52) → 43 min

Metrics to check Regression Accuracy

→ MAE → Mean Absolute Error →  $MAE = \frac{1}{n} \sum_{i=1}^n |y_i - \hat{y}_i|$

→ MSE → Mean Squared Error →  $MSE = \frac{1}{n} \sum_{i=1}^n (y_i - \hat{y}_i)^2$

→ RMSE → Root Mean Squared Error.

→ R2 Score → Co-efficient of Determination.

→ Adjusted R2 Score →

$$RMSE = \sqrt{\frac{\sum_{i=1}^n (y_i - \hat{y}_i)^2}{n}}$$

$$R^2 = 1 - \frac{SSR}{SSM}$$

1) MAE  
Benefit.

1) give same units.  
2) Robust Outlier Disadvantage.

1) Modulus Function graph is not differentiable

2) MSE  
Benefit

1) Used as loss Function.

Disadvantage.  
1) Not same unit.  
2) Not Robust to outliers. (huge impact).

3) RSME.

Disadvantage.  
↳ Robust outliers.

R2-Score

Calculating the difference b/w mean and Regression line.

R2 Score,

Benefit:  
R2 score should close to 1.

Disadvantage:  
Sometimes R2 score increase with increase in no. of columns.

Adjusted R2 Score

$$\text{Adjusted } R^2 = 1 - \frac{(1-R^2)(n-1)}{(n-p-k)}$$

$n \rightarrow$  no. of rows.  
 $k \rightarrow$  independent.

## 53 Lecture 53 (video-53) → 21 min

↳ Multiple Linear Regression (Part-1)

## 54 Lecture # 54 (video-54) → 48 min

↳ Multiple Linear Regression (Part-2)

OLS → Linear Regression,  
Gradient descent → SGD Regression

## 55 Lecture # 55 (video-55) → 16 min.

↳ Multiple Linear Regression (Part-3) (code - Making class of MLR)

(56) Lecture 56 (video-56) → 1 hour 57 min

↳ Gradient Descent Complete. Batch Gradient Descent (2D)

↳ Types

- Batch GD.
- SGD (stochastic).
- MBGD. (mini batch)

→ Make learning rate according to  
of  $b_i$ , Data.

$$\text{Slope} = -2 \sum (y_i - mx_i - b) x_i$$

→ convex Functions.

↳ contain only one global

minima.

→ Loss Function Problem.

$$\frac{b_{\text{new}} - b_{\text{old}}}{m}$$

$$\text{Slope} = -2 \sum (y_i - mx_i - b) x_i$$

(57) Lecture 57 (video-57) → 1 hour 4 min

↳ Gradient Descent → Type I (Batch Gradient Descent)

\* Batch GD (3D): or (N-D)

$$Y = \beta_0 + \beta_1 X_1 + \beta_2 X_2 + \dots + \beta_n X_n$$

Random initialization,

1) Generally:  $\beta_0 = 0, \beta_1, \beta_2 = 1$ .

↳ above video is related to this

2) epoch = 100, lr = 0.1.

$$\beta_0 = \beta_0 - \eta \times \text{slope}$$

Learning rate.

$$\beta_1 = \beta_1 - \eta \times \text{slope}$$

$$\beta_2 = \beta_2 - \eta \times \text{slope}$$

Loss Function:

$$L = \frac{1}{n} \sum_{i=1}^n (y_i - \hat{y}_i)^2$$

General Formula of loss Function,

$$\frac{\delta L}{\delta \beta_m} = -\frac{2}{n} \sum_{i=1}^n (y_i - \hat{y}_i) x_{im}$$

↓ np.sum. ↓ mean

(58) Lecture 58 (video-58) → 60 min

When to use ↳ Stochastic GD → gives faster convergence.

→ Big data → sgd.

↳ Almost same minor changes but it is

↳ Non-Convex  
Function.

Used for Big data.

↳ Converge faster than other.

→ Vectorization, learning schedule.

(59) Lecture 59 (video-59) → 22 min.

↳ Mini Batch GD.

(60) Lecture 60 (video-60) → 27 min.

↳ Polynomial Linear Regression.

→ Hyper-parameter,

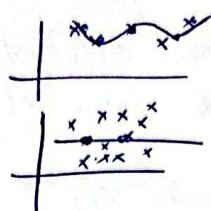
## \* Lecture # 61 (video-61) → 8 min.

↳ Bias-Variance Trade-off.

↳ The inability of ML model to recapture the relationship

of dataset.

- Low Bias → High Variance
- High Bias → Low Variance



Overfitting, give excellent result on dataset but is not good on test data.

Underfitting, give not good result on training dataset.

Three types:

- 1) Regularization
- 2) Bagging
- 3) Boosting.

## \* Lecture # 62 (video-62) → 18 min

↳ Regularization (Ridge Regularization) → Part 1

Types:

1) Ridge ( $L^2$ )

2) Lasso ( $L^1$ )

3) Elastic Net. ()

$$L = \sum_{i=1}^n (y_i - \hat{y}_i)^2 + \lambda (m^2)$$

To minimize  
this

hyper-parameter  
(can be tune it)

## \* Lecture # 63 (video-63) → 43 min

↳ Ridge Regression (Part-2)

→ Making our own class. of Ridge. (OLS) Method

$$m = \frac{\sum_{i=1}^n (y_i - \hat{y}_i)(x_i - \bar{x}_i)}{\sum_{i=1}^n (x_i - \bar{x})^2 + (\lambda)}$$

$$b = \bar{y} - m\bar{x}$$

↳ using library  
(Ridge).

This parameter is added in ridge regression. If its value is 0, it would be simple LR.

In N-Darray =

$$\text{Loss Function} \Rightarrow L = (XW - Y)^T (XW - Y) + \lambda W^T W.$$

## \* Lecture # 64 (video-64) → 19 min

↳ Ridge Regression (Part-3) → Applying Gradient Descent.

→ Gradient Descent (~~SGD~~ SGD Regressor)

\* Lecture # 65 (video- 65) → 30 min.

### ↳ (5 key Points of Ridge Regression)

1) Co-efficient get affected by Ridge (How)?

↳ The co-efficient always shrinks to zero but never be zero. (very close to zero).

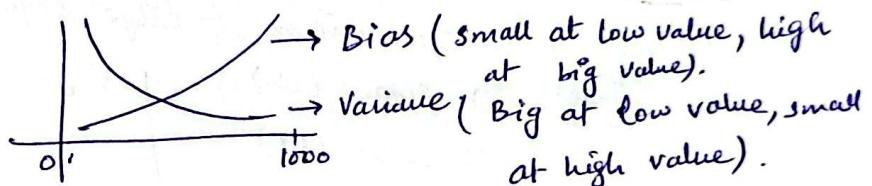
2) Higher values are affected more?

↳ Higher value of coeff. → higher value to shrink.

3) Bias Variance Trade-off?

↳ if  $\lambda \downarrow$  Bias  $\downarrow$  overfit Variance  $\uparrow$ .

↳ if  $\lambda \uparrow$  Bias  $\uparrow$  underfit Variance  $\downarrow$ .



4) Impact on Loss Function?

↳  $\lambda \uparrow$  coeff  $\downarrow$

5) Why called "Ridge"? → Hard constraint Ridge constraint

Tip: Always use Ridge value  $\geq 2$  inputs.

\* Lecture # 66 (video- 66) → 29 min

↳ Lasso Regression. (Notes) → on laptop.  
code

↳ It will do feature selection.

\* Lecture # 67 (video- 67) → 25 min

↳ Why lasso make more sparsity.

Lasso Makes 3 cases

1) If  $m > 0$ .

$$m = \frac{\sum (y_i - \bar{y})(x_i - \bar{x}) - \lambda}{\sum (x_i - \bar{x})^2}$$

If  $m = 0$ :

$$m = \frac{\sum (y_i - \bar{y})(x_i - \bar{x})}{\sum (x_i - \bar{x})^2}$$

for  $m < 0$

$$m = \frac{\sum (y_i - \bar{y})(x_i - \bar{x}) + \lambda}{\sum (x_i - \bar{x})^2}$$

In Lasso → the  $\lambda$  is in numerator.

In Ridge → the  $\lambda$  is in denominator.

\* Lecture # 68 (video - 68) → 12 min

↳ ElasticNet Regression.

(Combination of Lasso & Ridge).

\* Lecture # 69 (video - 69) → 47 min

\* How to label Regions? ↳ Logistic Regression (Part - 1) → Perceptron Tricks.

$$AX_1 + BX_2 + C = 0$$

↳ By check it on desmos website.

y-intercept.

\* Transformation:

↳  $C \uparrow$  → completely change line.

↳  $A \uparrow$  → etc.

→ If Negative point is in positive region  
Then subtract with line equation.  
→ If positive point is in negative region  
Then add with line equation.

\* Lecture # 70 (video - 70) → 18 min

↳ LR (Part - 2) (Notebook coding)

→ Perceptron Trick.

\* Lecture # 71 (video - 71) → 40 min

↳ LR (Part - 3) Sigmoid function.

$$w_{\eta} = w_{\text{old}} + \eta(y_i - \hat{y}_i)x_i$$

new      old      ↓  
                  learning rate

\* Lecture # 72 (video - 72) → 20 min

↳ LR (Part - 4) Loss Function (Maximum Likelihood).

→ Cross Entropy → The summation of -ve logs.

↳ Minimum value → Best Model (If using cross-entropy)

$$\text{Loss Function} = \sum -y_i \log(\hat{y}_i) - (1-y_i) \log(1-\hat{y}_i)$$

$$\boxed{\text{Log-loss error}} \\ \text{Binary Cross Entropy} = -\frac{1}{n} \sum_{i=1}^n y_i \log(\hat{y}_i) + (1-y_i) \log(1-\hat{y}_i)$$

\* Lecture # 73 (video - 73) → 6 min.

↳ Derivation of Sigmoid Function.

$$\delta = \frac{1}{1 + \exp(-z)}$$

Sigmoid Function

$$\text{Derivation} \Rightarrow \delta(x) [1 - \delta(x)]$$

$$\boxed{\delta'(x) = \delta(x) [1 - \delta(x)]}$$



\* Lecture # 74 - (video-74) → 37 min

↳ LR → (Part-5) → Applying on Gradient Descent.

Loss Function in form of Matrix. =  $-\frac{1}{m} \left[ Y \log \hat{Y} + (1-Y) \log (1-\hat{Y}) \right]$ , where  $\hat{Y} = g(XW)$ .

Gradient Descent for LR →  $W = W + \eta \left( \frac{1}{m} (Y - \hat{Y}) X \right)$

\* Lecture # 75 - (video-75) → 35 min.

↳ Classification Matrix.

→ Accuracy. (How Much Accuracy score should be?)

→ Confusion Matrix. ↳ It depends upon the model or problem on which you work.

Predicted value

1	True Positive	False Negative
0	False Positive	True Negative

Accuracy score =  $\frac{TP + TN}{TP + TN + FP + FN}$

False Positive (FP) → Type I Error.

False Negative (FN) → Type II Error.

\* Lecture # 76 - (video-76) → 42 min.

↳ Precision Recall & F1 Score.

Precision ⇒ Proportion of predicted Positive is Truly positive?

Recall ⇒ Proportion of Actual Positive is correctly classified.

F1 score ⇒  $\frac{2PR}{P+R}$  F1 score =  $\frac{2PR}{P+R}$  P = Precision  
R = Recall.

Macro-Precision ⇒ Get the combined precision (Balanced classes).

Weighted Precision ⇒ Also multiply with weights (with unbalanced class).

\* Lecture # 77 - (video-77) → 39 min

↳ softmax Regression (Multi-nomial LR).

Softmax Function,

$$g(z)_i = \frac{e^{z_i}}{\sum_{j=1}^K e^{z_j}}$$

Loss Function in Softmax ⇒

$$L = -\frac{1}{m} \sum_{i=1}^m \sum_{k=1}^K Y_k^{(i)} \log (\hat{Y}_k^{(i)})$$

\* Lecture # 78 - (video-78) → 10 min

Used in Non-linear dataset but RF & DT could result better.

↳ Polynomial LR → Polynomial Features by increasing degree like degree = 2 ↑

## \* Lecture # 79 (video-79) - 13 min

↳ Logistic Regression (LR) Hyperparameters.

Sklearn libraries:

Parameters of LR:

penalty, dual, etc. Use Bookmark for it + Notes (link under video)

## \* Lecture # 80 (video-80) → 1 hour

↳ Decision Tree (Geometric Intuition).

Game Based on DT → akinator

Entropy, Measure of disorder or measure of purity / impurity

For 2 class the min entropy = 0 & max Entropy = 1.  
log<sub>2</sub>. Those having less peak have high Entropy.  
leafnode → zero.

Gini Impurity, Measure the impurity in nodes.

Entropy:  $-P_Y \log_2(P_Y) - P_N \log_2(P_N)$  → For 2 class.

Gini Impurity:  $1 - (P_Y^2 + P_N^2)$  → For large dataset (Fast).

## \* Lecture # 81 (video-81) → 28 min

↳ Decision Tree Hyperparameters.

Hyper-parameter

↳ Depth of Tree (max\_depth).

Hyperparameter → criterion, splitter, max\_depth, min\_sample\_split,  
min\_sample\_leaf etc.

## \* Lecture # 82 (video-82) → 35 min

↳ Regression Trees.

→ Can done hyper tuning by GridSearchCV or RandomCV.

## \* Lecture # 83 (video-83) → 19 min

↳ library dtreeviz (used for tree).

→ Must use in case of Decision tree or Random Forest  
etc.

## \* Lecture # 84 (video-84) → 38 min

↳ Introduction to Ensemble learning.

→ Wisdom of The Crowd.

Ensemble learning  $\Rightarrow$  where multiple models combine together to form a predict.

\* Types of Ensemble learning  $\Rightarrow$

- (1) Voting Ensemble  $\rightarrow$  Diff models (combine)
- (2) Bagging  $\rightarrow$  Random Forest
- (3) Boosting  $\rightarrow$  AdaBoosting.  
   $\downarrow$  Gradient Boosting.  
   $\downarrow$  XgBoost.
- (4) Stacking.

$\rightarrow$  Bagging stands for Bootstrapped Aggregation.

Benefits:

$\rightarrow$  Improvement in performance.

$\rightarrow$  Bias & Variance (low)

$\rightarrow$  Robustness.

\* Lecture # 85 (video - 85)  $\rightarrow$  17 min

$\hookrightarrow$  Voting Ensemble

\* Lecture # 86 (video - 86)  $\rightarrow$  24 min

$\hookrightarrow$  Voting Ensemble  $\rightarrow$  Classifier / Classification

$\rightarrow$  Hyper-parameters  $\rightarrow$  Voting type, Estimators etc.

\* Lecture # 87 (video - 87)  $\rightarrow$  11 min

$\hookrightarrow$  Voting Ensemble  $\rightarrow$  Regression  $\rightarrow$  Part - (3).

\* Lecture # 88 (video - 88)  $\rightarrow$  32 min

$\hookrightarrow$  Pasting (give good result)  $\hookrightarrow$  Bagging  $\rightarrow$  Introduction.

$\rightarrow$  Random Subspace. (100 of models combine together)

$\rightarrow$  Random Patches. (Note) There should be only one model used.

\* Lecture # 89 (video - 89)  $\rightarrow$  23 min

$\hookrightarrow$  Bagging Ensemble  $\rightarrow$  Part (2).

Bagging Classifier Hyperparameter:

$\hookrightarrow$  Base estimator, no. of estimators, max samples, Bootstrap Samples,

Max Features etc.

OOB Score

etc



\* Lecture # 90 (video - 90) → 11 min.

↳ Bagging Ensemble → (Part - 3)

→ Bagging Regressor

\* Lecture # 91 (video - 91) → 34 min.

↳ Random Forest.

↓ group of trees.

Bagging → Bootstrapped Aggregation.

↓  
Multiple  
models

↓ Majority of Answer  
units.

\* Lecture # 92 (video - 92) → 13 min

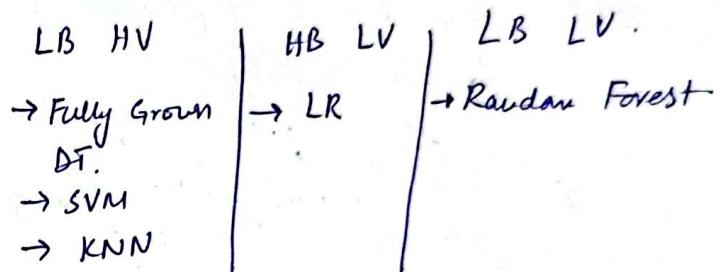
↳ Random Forest works well why?

↳ Bias Variance trade-off

Best Machine Learning Algo.

Low Bias  
Low High Bias.

→ Bias & Variance have  
inverse relation.



\* Lecture # 93 (video - 93) → 13 min

↳ Bagging Vs Random Forest.

Differences: Bagging

→ can use different  
models.

(Best is DT, KNN, SVM)

python parameters:

base-~~estimator~~ estimator.

→ Tree-level column  
Sampling.

\* Lecture # 94 (video - 94) → 16 min

↳ Random Forest Hyperparameters.

→ Num-estimator, Max-feature, bootstrap, max-sample, criterion, max\_depth  
↓ ↓ ↓ ↓ ↓  
How many DT No. of random No. of etc.  
we made. columns. ness or rows.

## \* Lecture # 95 (video - 95) → 12 min

↳ Hyperparameter tuning of Random Forest.  
 → GridSearch CV or Random <sup>Search</sup>CV is best used for hyper-parameter tuning.

## \* Lecture # 96 (video - 96) → 7 min

↳ OOB Evaluation → Out of Bag evaluation.  
 → Almost 37% of rows remains hidden in OOB sample.  
 ↳ can use as validation set for checking accuracy.

## \* Lecture # 97 (video - 97) → 28 min

↳ Feature Importance of Random Forest.  
 → Importance of column in predicting the output.

## \* Calculating Feature Importance (DT)

↳ Node Importance

$$X_i = \frac{N-t}{N} \left[ \text{impurity} - \left( \frac{N-t-r}{N-t} \times \text{right-impurity} \right) - \left( \frac{r}{N-t} \times \text{left-impurity} \right) \right]$$

$\stackrel{(1)}{\uparrow}$        $\stackrel{(2)}{\uparrow}$        $\stackrel{(3)}{\uparrow}$   
 $\stackrel{(4)}{\downarrow}$        $\stackrel{(5)}{\downarrow}$        $\stackrel{(6)}{\downarrow}$   
 $X_i = 0.18$        $N-t \rightarrow \text{Samples}$        $N \rightarrow$   
 $\text{gini} \rightarrow \text{Impurity}$

$X[1] \leq -0.89$ $\text{gini} = 0.48$ $\text{samples} = 5$ $\text{Value} = [3, 2]$
$X[0] \leq 1.01$ $\text{gini} = 0.375$ $\text{samples} = 4$ $\text{Value} = [3, 1]$

$0^{\text{th}}$  column =  $\frac{X_i}{X+Y} \rightarrow \frac{0.18}{0.18 + 0.37}$

Same do for y.

## \* Lecture # 98 (video - 98) → 18 min

↳ AdaBoost Classifier

→ Weak Learner → Just over 50% is called weak learner.  
 → Decision Stumps → is type of weak learner.

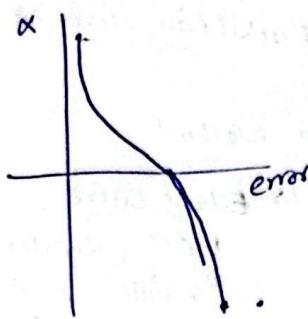
→ Stage-wise (additive Method)

formula:  $h(x) = \sum_{i=1}^{stage} (\alpha_1 h_1(x) + \alpha_2 h_2(x) + \alpha_3 h_3(x))$



\* Lecture # 99 (video - 99) → 20 min.

↳ AdaBoost → step by step Explanation



$$\text{Formula} = \alpha = \frac{1}{2} \ln \left( \frac{1 - \text{error}}{\text{error}} \right)$$

→ Upscaling → by giving more weightage to mis-classified points.

For mis-classified:

$$\text{new-wt} = \text{curr-wt} \times e^{\alpha_i}$$

For classified:

$$\text{new-wt} = \text{curr-wt} \times e^{-\alpha_i}$$

\* Lecture # 100 (video - 100) → 17 min.

↳ AdaBoost - Demo → Practical Notebook.  
Algorithm.

\* Lecture # 101 (video - 101) → 12 min

↳ AdaBoost Hyperparameters.

→ learning rate, n\_estimators, etc. hyper-parameters.

\* Lecture # 102 (video - 102) → 7 min.

↳ Bagging Vs Boosting.

Bagging

→ Model used (LBHV)

└ Fully grown DT.

Boosting.

→ Model used: (HBLV)

└ Shallow DT.  
↳ Decision stump.

→ Sequential Vs Parallel

Bagging uses Parallel.

→ Boosting uses sequentially.

→ weightage:

equally weightage.

weightage:

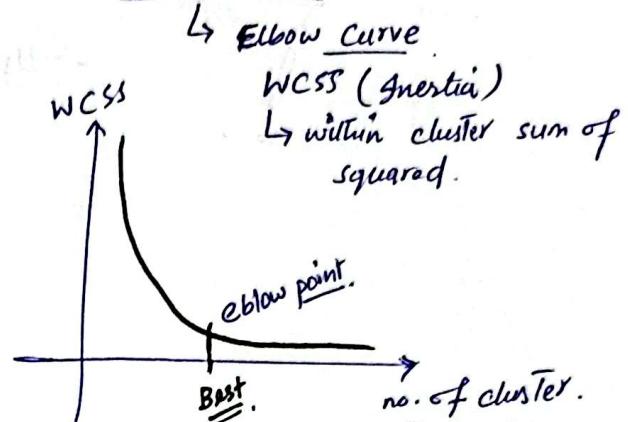
weight assigned, not equally, best model provide better weightage.

## \* Lecture # 103 (Video-103) → 24 min

↳ k-means Clustering Algorithm

Steps

- Decide  $n$  clusters. → Euclidean distance.
- ↓
- Init centroids. → Elbow Method
- ↓
- Assign cluster. ( ) ↓
- Move centroids
- ↓
- Finish.



## \* Lecture # 104 (Video-104) → 10 min

↳ k-means clustering Algorithm code.

→ Practical Notebook work.

## \* Lecture # 105 (Video-105) → 34 min

↳ K-Mean clustering Algo from scratch.

Euclidean Distance :  $\sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$

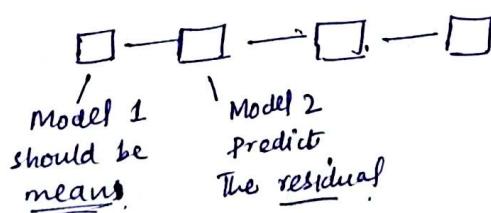
↳  $\text{np.sqrt}(\text{np.dot}(a - b, a - b))$

## \* Lecture # 106 (Video-106) → 32 min

↳ Gradient Boosting.

Loss Function  $\Rightarrow$  Actual - Predicted.

(pseudo-residual)



$$\text{Pred} = m_1 + m_2 \times lr$$

Pred1, Pred2  
Learning rate should be added after 1st model.

AdaBoost Vs Gradient Boost

Decision stumps

Weights given

Different for every model.

Max leaf nodes

Learning rate given

Constant for every model.

## \* Lecture # 107 (video - 107) → 57 min.

Regression Problem.  
 ↓  
Loss Function: Least square.

→ Additive Modelling → Add small function and make sum of it.

① We should have training data, Loss function, no. of iteration.

Should be in loop. → ② Initialize:  $f_0(x) = \operatorname{argmin}_y \frac{1}{2} \sum_{i=1}^m (y_i - y)^2$ .

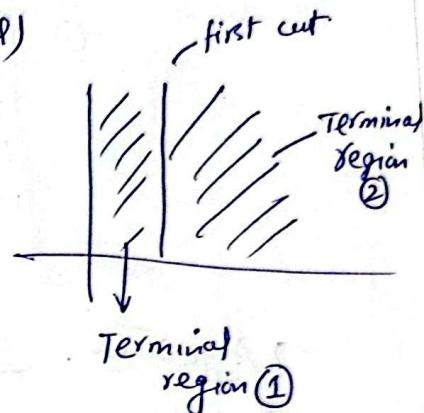
(a) Find mean of output.  
 (leaf function).

(b) Calculate Pseudo-residual (Residual)

(c) Predict 2nd model. (Regression Tree)  
 Decision Tree

(d) Update DT output.

③ Output of DT.



## \* Lecture # 108 (video - 108) → 1 hour 4 min.

Classification Problem.  
 ↓  
Loss Function: log loss.

→ Gradient Boosting.

① 1st model →  $\log\left(\frac{\#1}{\#0}\right)$  like if we have output 1's → 6.

② 2nd model Prediction Formula

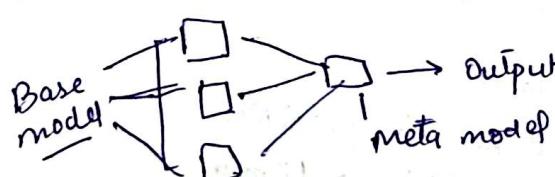
$$\frac{\sum \text{Residual}}{\sum (\text{Previous Probability}) * (1 - \text{Previous Prob})}$$

$$P = \frac{1}{1 + e^{-\log(\text{odds})}}$$

## \* Lecture # 109 (video - 109) → 36 min.

→ Stacking and Blending Ensemble.

→ Meta model



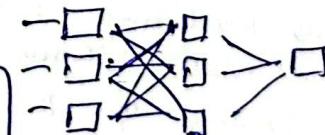
Difference b/w bagging & Boosting

→ Different Base model

→ Training the output on

new model

Multilayer stacking (Blending).



→ Hold-out Method

→ Blending

→ Divide the train data into two parts.

→ one used for training

→ one used for validation

→ K-fold Method

→ Stacking

→ Divide the train data into K fold (cut).

→ (K-1) used for training

→ one used for validation

Note: Each model is trained on the no. of K-fold.

## \* Lecture # 110 (video - 110) → 38 min.

↳ Agglomerative Hierarchical Clustering.

### Clustering Methods

↳ Hierarchical clustering.

↳ Density Based clustering (DB clustering).

### → Hierarchical Clustering Types

- ① Agglomerative clustering → Consider every point cluster itself.
  - ② Divisive clustering. → Then consider two close point cluster.
    - Then more close. and so on...
- works opposite to agglomerative.
- Start with one cluster and continue to every point cluster itself.
- Dendrogram (Tree like structure)
- Types.

### → Algorithm.

→ Dendrogram

① Arbitrarily

↳ To find the no. of cluster.

- Single link.
  - Complete link (Max)
  - Group Average
  - Ward
- Default value.

Hyperparameter: n-cluster, affinity, linkage, distance\_threshold etc.

→ No used for Bigger Dataset.

## \* Lecture # 111 (video - 111) → 52 min.

↳ K-Nearest Neighbors (KNN)

How to select k in KNN?

↳ Heuristic (Jugaad) → Experimented by other scientist.

↳ Experimentation → could be better to select this.

↳ cross-validation

Decision Surface → Tool → used classification problem

Limitations of KNN.

- 1) For large dataset (Not applicable)
- 2) High Dimensional data. (More columns).
- 3) Number of outliers.
- 4) Non-homogeneous scales. (Distance b/w two features large).

⑤ Imbalanced dataset

⑥ Inference and not for prediction.

## \* Lecture # 112 (video - 112) → 18 min.

↳ Assumptions of Linear Regression.

- ① Linear Relationship between Input & Output.
- ② No Multi-collinearity.
- ③ Normality of Residual.
- ④ Homoscedasticity.
- ⑤ No Autocorrelation of Errors.

\* Lecture # 113 (video - 113) → 12 min

↳ Support Vector Machine (SVM).

↳ Geometric Intuition.

→ Margin maximizing hyperplane.

→ Kernels → To handle Non-linear or robust outliers.

\* Lecture # 114 (video - 114) → 35 min

↳ Mathematics of Support Vector Machine (SVM)

$$\vec{w} \cdot \vec{u} + b \geq 0$$

$$\vec{w}^T \vec{x} + b = 0$$

$$d = \frac{2}{\|\vec{w}\|}$$

→ Hard-Margin SVM ⇒ contains separate data (clearly)

\* Lecture # 115 (video - 115) → 15 min

↳ Soft Margin SVM.

$$\underset{(\vec{w}^*, b^*)}{\operatorname{argmin}} \frac{\|\vec{w}\|}{2} + C \sum_{i=1}^n \xi_i$$

Hyper-parameter  $\xi_i$  → Hinge Loss.  $\xi_i = 0$  (for correctly classified point)

\* Lecture # 116 (video - 116) → 14 min

↳ Kernel Trick in SVM

→ Radial Basis Function.

\* Lecture # 117 (video - 117) → 6 min

↳ Kernel Trick in SVM → Geometric Intuition.

\* Lecture # 118 (video - 118) → 9 min

↳ Naive Based Bayes Classifier (Part - 1)

→ Conditional Probability.

\* Lecture # 119 (video - 119) → 8 min

↳ Naive Bayes Classifier (Part - 2)

→ Independent Events in Probability / Mutually Exclusive

\* Lecture # 120 (video - 120) → 1 min

↳ Naive Bayes Classifier (Part - 3)

→ Mutually Exclusive Event.

\* Lecture # 121 (video - 121) → 5 min

↳ Naive Bayes Classifier (Part - 4)

→ Bayes Theorem in Probability.

\* Lecture # 122 (video-122) → 9 min.

↳ Naïve Bayes Classifier (Part-5)

→ Problem Based upon Bayes theorem.

\* Lecture # 123 (video-123) → 15 min

↳ Naïve Bayes classifier (Part-6)

→ Intuition. (Naïve Bayes Theorem)

\* Lecture # 124 (video-124) → 20 min

↳ Naïve Bayes Classifier (Part-7)

→ Mathematics Behind Naïve Bayes Algorithm.

→ Conditional Independence.

\* Lecture # 125 (video-125) → 17 min.

↳ Naïve Bayes classifier (Part-8)

→ Simple Code Example.

\* Lecture # 126 (video-126) → 9 min.

↳ Naïve Bayes Classifier (Part-9)

→ Handling the Numerical Data for Naïve Bayes.

↳ Gaussian Naïve Bayes

↳ Binomial, Multi-nomial Bayes.

↳ Poisson Naïve Bayes

\* Lecture # 127 (video-127) → 1 hour 19 min.

↳ XgBoost.

→ Introduction → was developed in 2014.

XgBoost → use Gradient Boosting → have flexibility (Loss Function).

→ Performance.

→ Robust

→ Kaggle

Was open-source

in [2016].

→ Regression.

→ Classification.

→ Ranking.

→ Custom Function etc.

→ Optimization

→ Parallel Processing.  
→ Optimized Data Structure.  
→ Cache Awareness.  
→ Out of core computing.  
→ Distributed Computing.  
→ GPU Support

→ Performance

→ Regularized Learning objective.  
→ Handling Missing values.  
→ Sparsity effect.  
→ Efficient Split Finding.  
→ Tree Pruning.

Weighted Quantile Sketch

Approx Tree Learning

\* Lecture # 128 (video - 128) → 48 min.

↳ XgBoost + (Part - 2)

→ Simple Example Code.

Main Different is:

XgBoost uses ~~Decision~~ Decision tree which

are different from normal gradient

Boosting but the process will be same (Means not the Vanilla

Distributed Computing

↳ pyspark/spark used.

DT { gini, entropy }.  
use multi-class ↓  
estimators

Here we use:

$$\text{Similarity score (SS)} = \frac{(\text{sum of residuals})^2}{\# \text{no. of residual} + \lambda}$$

→ Exact Greedy Search Algorithm.

\* Lecture # 129 - (video - 129) → 40 min.

↳ XgBoost for Classification: (Part - 3)

→ XgBoost works on Classification.

\* Lecture # 130 - (video - 130) → 1 hour 57 min

Similarity Score different → in XgBoost

Regression

$$\left[ \text{Similarity score} = \frac{(\sum \text{Residuals})^2}{N + \lambda} \right]$$

Classification

$$\left[ \text{Similarity score} = \frac{(\sum \text{Residuals})^2}{\sum [P(1-P)] + \lambda} \right]$$

$(Y_i, \hat{Y}_i) \rightarrow$  relation  
↳ Loss Function.  
↓ Minimize

$$\left[ \text{Output value} = \frac{\sum \text{Residuals}}{N + \lambda} \right]$$

$$\left[ \text{Output value} = \frac{\sum \text{Residuals}}{\sum [P(1-P)] + \lambda} \right]$$

Objective Function:

Taylor S. Taylor Series.

$$L = \sum_{i=1}^n L(Y_i, \hat{Y}_i) + R(f_k).$$

\* Lecture # 131 - (video - 131) → 35 min.

↳ DBSCAN Clustering Algorithms (Density Based clustering)

→ Hyper-parameters → epsilon, minpts etc.

\* Lecture # 132 - (video - 132) → 58 min.

→ Imbalanced Data - in ML.

