

Practical - 4

ATM : Implement linear regression using python programming

Key formulas :

1) linear equation :

$$y = ax + b$$

- $y \rightarrow$ dependent variable (target)
- $x \rightarrow$ independent variable (feature)
- $a \rightarrow$ slope (coefficient)
- $b \rightarrow$ intercept

2) Slope (a) calculation :

$$a = \frac{\sum (x_i - \bar{x})(y_i - \bar{y})}{\sum (x_i - \bar{x})^2}$$

- $\bar{x} \rightarrow$ mean of x
- $\bar{y} \rightarrow$ mean of y

3) Intercept (b) calculation :

$$b = \bar{y} - a\bar{x}$$

Input:

- A dataset with
 - Independent (x) \rightarrow eg. Mores Studies
 - Dependent variable (y) \rightarrow eg. Exam score

Expected output:

- computed slope (a) & intercept (b)
- A best fit regression line plotted over data points
- predicted y -values for given x -values.

THEORY:

Linear Regression is a foundational supervised learning algorithm that models the linear relationship between independent variable (x) & dependent variable y . The algorithm assumes the relationship the slope & intercept. The model coefficients by minimizing the sum squared residuals (RSS) between observed & predicted values, known as the 'least square method'. optimizer & yield coefficients that produce a fit line through the data points.

The slope is calculated is the covariance between divided by variance of x , while the intercept derived include identity, independency of residuals lead to biased or inefficient estimates, requiring diagnostic checks like residual diagonal plots, residual analysis.

model performance in evaluation using if observed enhance while simple, linear regression is powerful for predictive tasks in economics, healthcare & engineering, providing all implementation involving preprocessing steps like feature scaling & outlier removal to enhance accuracy

PROCEDURE :

1) Input Data

- Take user input for x & y as comma separated values.

2) Data processing

- converts inputs to numpy arrays & - reshape for back end compatibility

3) Model training

- use linear regression (1) from scikit learn to fit the data & compute H_{opt} (a) not of intercept (b)

4) prediction

- predict y for a new x value using a trained model

5) visualization

- plot all data points (x & y) & regression line
- Highlight the predict & actual values.

c) output result:

- Display the regression equation ($Y = a + bx$)
- print the predicted y value for value provided

OBSERVATIONS:

- 1) slope (a) : indicates the rate of change of y w.r.t x
- 2) intercept (b) : value of y when $x = 0$
- 3) The regression line minimizes the error between predicted & actual values.

Conclusion:

- successfully implemented linear Regression using key features.
- The best fit line in predicting future based on training data.
- The method is fundamental for prediction in machine learning.

Flowchart:

