Project Report on

LOAN ELIGIBLITY PREDICTION

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PROBLEM STATEMENT

Dream Housing Finance company deals in all home loans. They have a presence across all urban, semi-urban, and rural areas. Customer-first applies for a home loan after that company validates the customer eligibility for a loan.

The company wants to automate the loan eligibility process (real-time) based on customer detail provided while filling the online application form. These details are Gender, Marital Status, Education, Number of Dependents, Income, Loan Amount, Credit History, and others. To automate this process, they have given a problem to identify the customer's segments, those are eligible for loan amount so that they can specifically target these customers. Here they have provided a partial data set.

DATA DICTIONARY

Variable	Description			
Loan_ID	Unique Loan ID			
Gender	Male/ Female			
Married	Applicant married (Y/N)			
Dependents	Number of dependents			
Education	Applicant Education (Graduate/ Under Graduate)			
Self_Employed	Self employed (Y/N)			
ApplicantIncome	Applicant income			
CoapplicantIncome	Coapplicant income			
LoanAmount	Loan amount in thousands			
Loan_Amount_Term	Term of loan in months			
Credit_History	credit history meets guidelines			
Property_Area	Urban/ Semi Urban/ Rural			
Loan_Status	(Target) Loan approved (Y/N)			

#Loan_Status : is target feature

R LIBRARIES USED

```
# @Script for Loan Eligibility Prediction Script
# @Author : Kalyani Avhale
# @Language: R
# @Dataset source: https://www.kaggle.com/vikasukani/loan-eligible-dataset
# @Date: 17th April, 2021
setwd("D:/Trisem_2/R/Project/packages")
#Install Required Packages
# install.packages('tidyverse') # metapackage of all tidyverse packages
# install.packages('dplyr') #data manuplation(included in tidyverse)
# install.packages('caret') #for Classification and regression
# install.packages('ggpubr') #arranging plots into grids
# install.packages('modeest') #Estimation of the mode
# install.packages('ggplot2') #for plotting graphs(included in tidyverse)
# install.packages('ggcorrplot')#for plotting correlation matrix
# install.packages('randomForest')#Random forest
# install.packages('xgboost')
                              #Gradient Boosting
#import packages
```

- ➤ library('tidyverse')
- ➤ library('caret')
- library('ggpubr')
- ➤ library('modeest')
- library('ggcorrplot')
- library('randomForest')
- ➤ library('xgboost')

UNDERSTANDING THE DATA

- ➤ data=read.csv('loan-train.csv',na.strings=c("")) #Load the dataset
- ➤ head(data)

```
Education Self Employed ApplicantIncome CoapplicantIncome LoanAmount Loan Amount Term Credit History
 LP001002
            Male
                                        Graduate
                                                            No
2 LP001003
                                        Graduate
                                  0 Not Graduate
                                        Graduate
            Male
                                        Graduate
 Property_Area Loan_Status
         Urban
         Rural
         Urban
         Urban
         Urban
```

➤ dim(data) #Dimension of dataset

#[1]61413

> str(data) #returns type of attribute along with firstfew values

```
'data.frame':
               614 obs. of
                            13 variables:
$ Loan ID
                   : chr
                         "LP001002" "LP001003" "LP001005" "LP001006" ...
                          "Male" "Male" "Male" ...
$ Gender
                   : chr
                          "No" "Yes" "Yes" "Yes"
                   : chr
$ Married
                          "0" "1" "0" "0" ...
$ Dependents
                   : chr
                         "Graduate" "Graduate" "Not Graduate" ...
$ Education
                  : chr
                         "No" "No" "Yes" "No" ...
$ Self Employed
                  : chr
                         5849 4583 3000 2583 6000 5417 2333 3036 4006 12841 ...
$ ApplicantIncome : int
$ CoapplicantIncome: num 0 1508 0 2358 0 ...
                         NA 128 66 120 141 267 95 158 168 349 ...
$ LoanAmount
                          360 360 360 360 360 360 360 360 360 ...
 Loan_Amount_Term : int
                          1 1 1 1 1 1 1 0 1 1 ...
"Urban" "Rural" "Urban" "Urban" ...
  Credit_History : int
 Property Area
                  : chr
                          "Y" "N" "Y" "Y"
  Loan Status
                   : chr
```

> attr_type <- sapply(data,class) # list types for each attribute

```
attr type
Loan ID
                   character
Gender
                   character
Married
                   character
Dependents
                  character
Education
                  character
Self Employed
                  character
ApplicantIncome
                    integer
CoapplicantIncome
                     numeric
LoanAmount
                     integer
Loan Amount Term
                     integer
Credit History
                     integer
Property Area
                  character
Loan Status
                  character
```

#Levels of classes

unique(data\$Loan_Status) # Since we have 2 classes it's a binary classification problem

```
[1] "Y" "N"
```

#class distribution

- percent = prop.table(table(data\$Loan_Status))*100
- cbind(freq=table(data\$Loan_Status),percentage=percent)

```
freq percentage
N 192 31.27036
Y 422 68.72964
```

#We see that only 31% of all the people in the dataset had a loan being approved. This means that our baseline model has an accuracy of 69%. An important measure when evaluating our model we be the sensitivity (aka recall aka the probability of detection as positive). If this value is low then our model is not very good at detecting true positive cases, even if the accuracy is very high. There are several ways to deal with imbalance

#Statistical Summary

summary(data)

Loan_ID Length: 614 Class : character Mode : character	Gender Length:614 Class :character Mode :character	Married Length:614 Class :character Mode :character	Dependents Length:614 Class :character Mode :character	Education Length:614 Class :character Mode :character	Self_Employed Length:614 Class :character Mode :character	ApplicantIncome Min. : 150 1st Qu.: 2878 Median : 3812 Mean : 5403 3rd Qu.: 5795 Max. :81000
CoapplicantIncome Min. : 0 1st Qu.: 0 Median : 1188	Min. : 9.0 Mi 1st Qu.:100.0 1s		:0.0000 Length: u.:1.0000 Class:	614 Length: character Class:		
	3rd Qu.:168.0 3r Max. :700.0 Ma	ean :342 Mean rd Qu.:360 3rd Q ax. :480 Max. A's :14 NA's	:0.8422 u.:1.0000 :1.0000 :50			

we can see few cols has NA's and the scale for variables differ

We can perform scaling in later steps

We can see few outlier values

PRE-PROCESSING/CLEANING

#check for duplicate rows

dim(loan_dataset[duplicated(loan_dataset\$Loan_ID),])
[11 0 13

#we have 0 duplicates across 13 columns for Loan_Id

#check for all unique values across dataset (probably for char type values)

➤ Col_names=c("Gender", "Married", "Dependents", "Education",

 $"Self_Employed", "Loan_Amount_Term",$

"Credit_History", "Property_Area", "Loan_Status")

➤ lapply(loan_dataset[Col_names], function(x) unique(x))

```
$Gender
[1] "Male"
                "Female" NA
$Married
[1] "No"
           "Yes" NA
$Dependents
                 "2"
                       "3+" NA
[1] "Graduate"
                       "Not Graduate"
$Self_Employed
[1] "No" "Yes
$Loan_Amount_Term
 [1] 360 120 240 NA 180 60 300 480 36 84 12
$Credit_History
[1] 1 0 NA
$Property_Area
[1] "Urban"
                    "Rural"
                                   "Semiurban"
$Loan_Status
[1] "Y" "N"
```

Dependents, Gender, Self_Employed has NA's and 3 suffixed with +

Loan_Amount_Term, Credit_History has NA's

#check for null values count for numerical type cols

colSums(is.na(loan_dataset))

```
Loan_ID Gender Married Dependents Education Self_Employed ApplicantIncome CoapplicantIncome
0 13 3 15 0 32 0 0

LoanAmount Loan_Amount_Term Credit_History Property_Area Loan_Status
22 14 50 0 0
```

#replace 3+ with 3

➤ loan_dataset\$Dependents <replace(loan dataset\$Dependents,loan dataset\$Dependents=='3+',3)

HANDLING MISSING VALUES

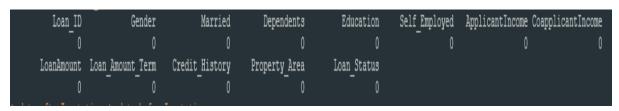
- numeric_cols <c('ApplicantIncome','CoapplicantIncome','LoanAmount','Loan_Amount_Term') #numerical cols
- cat_cols <- c('Gender','Married','Dependents','Self_Employed','Credit_History')</p>
 #categorical cols

#numeric NA: mean

- data_beforeImputation[numeric_cols] <sapply(data_beforeImputation[numeric_cols], function(x)ifelse(is.na(x), mean(x, na.rm=TRUE), x))</pre>
- colSums(is.na(data_beforeImputation))

#categorical NA: fill with mode

- ➤ data_beforeImputation[cat_cols] <- sapply(data_beforeImputation[cat_cols], function(x)ifelse(is.na(x), mfv(x), x))
- colSums(is.na(data_beforeImputation))

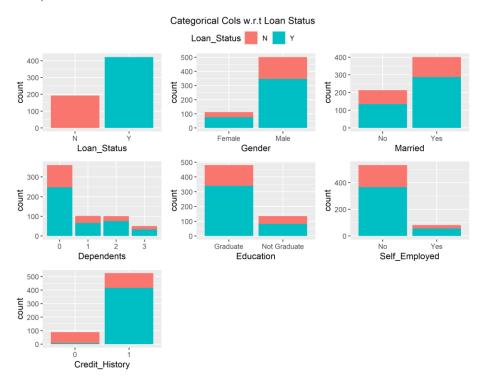


EXPLORATORY DATA ANALYSIS

> setwd("D:/Trisem_2/R/Project/Plots") #derictory to save plots

#visualizaing categorical variables first with respect to Loan Status

- ➤ ls_plt <- ggplot(data = data_afterImputation) + geom_bar(mapping = aes(x = Loan_Status,fill=Loan_Status))
- g_plt <- ggplot(data = data_afterImputation) +
 geom_bar(mapping = aes(x = Gender,fill=Loan_Status))</pre>
- m_plt <- ggplot(data = data_afterImputation) +
 geom_bar(mapping = aes(x = Married,fill=Loan_Status))</pre>
- d_plt <- ggplot(data = data_afterImputation) +
 geom_bar(mapping = aes(x = Dependents,fill=Loan_Status))</pre>
- e_plt <- ggplot(data = data_afterImputation) +
 geom_bar(mapping = aes(x = Education,fill=Loan_Status))</pre>
- se_plt <- ggplot(data = data_afterImputation) +
 geom_bar(mapping = aes(x = Self_Employed,fill=Loan_Status))</pre>
- ch_plt <- ggplot(data = data_afterImputation,aes(x=Credit_History,fill=Loan_Status))
 +geom_bar()</pre>
- ggarrange(ls_plt,g_plt,m_plt,d_plt,e_plt,se_plt,ch_plt,nrow=3,ncol=3,common.legend =TRUE)

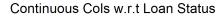


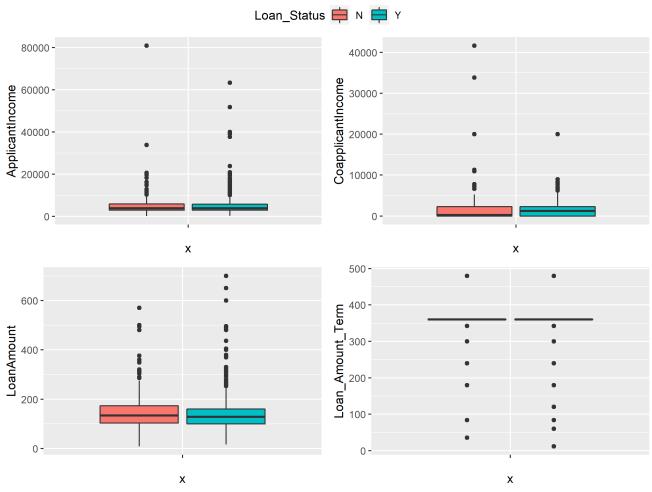
Inference :Male applicant has high loan approval, Applicant with 0 dependents has been approved with loan as compared to applicants with dependents. Self-employed applicants with loan approval e low as compared with which are not self employed (can be with other profession such as jobs, business, etc.). Applicant with Credit History has highest loan approval

#Analyzing the three continuous variables w.r.t Loan_Status:

 $\#ApplicantIncome, CoapplicantIncome, LoanAmount, Loan_Amount_Term$

- ai_plt <- ggplot(data_afterImputation, aes(y= ApplicantIncome, x = "", fill = Loan_Status)) + geom_boxplot()</pre>
- cai_plt <- ggplot(data_afterImputation, aes(y= CoapplicantIncome, x = "", fill = Loan_Status)) + geom_boxplot()</pre>
- ➤ la_plt <- ggplot(data_afterImputation, aes(y= LoanAmount, x = "", fill = Loan_Status)) + geom_boxplot()
- ➤ lat_plt <- ggplot(data_afterImputation, aes(y= Loan_Amount_Term, x = "", fill = Loan_Status)) + geom_boxplot()
- figure <ggarrange(ai_plt,cai_plt,la_plt,lat_plt,nrow=2,ncol=2,common.legend=TRUE)</pre>
- annotate_figure(figure,top = "Continuous Cols w.r.t Loan Status")
- ggsave('Numerical_col_plot.png')



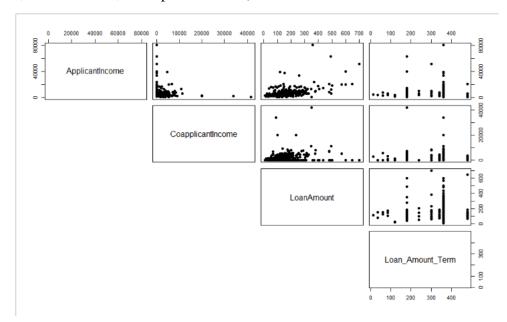


#Pair Plot

- numeric_cols <c('ApplicantIncome','CoapplicantIncome','LoanAmount','Loan_Amount_Term')
- > options(repr.plot.width =10, repr.plot.height = 10)

#adjust size of plot

pairs(data_afterImputation[numeric_cols], pch =
19,cex.labels=1.5,lower.panel=NULL)



#We have positive correlations: LoanAmount and ApplicantIncome and LoanAmount and CoapplicantIncome

- > options(repr.plot.width =10, repr.plot.height = 10) #adjust size of plot
- > par(mfrow=c(2,2)) #arrange plot (matrix grid)
- boxplot(data_afterImputation\$LoanAmount,horizontal=TRUE,main="Loan Amount",col='red')
- plot(density(data_afterImputation\$LoanAmount),main="Density Graph",col='red')
- ➤ boxplot(log(data_afterImputation\$LoanAmount),horizontal=TRUE,main="Loan Amount after log",col='blue')
- plot(density(log(data_afterImputation\$LoanAmount)),main="Density Graph after log",col='blue')

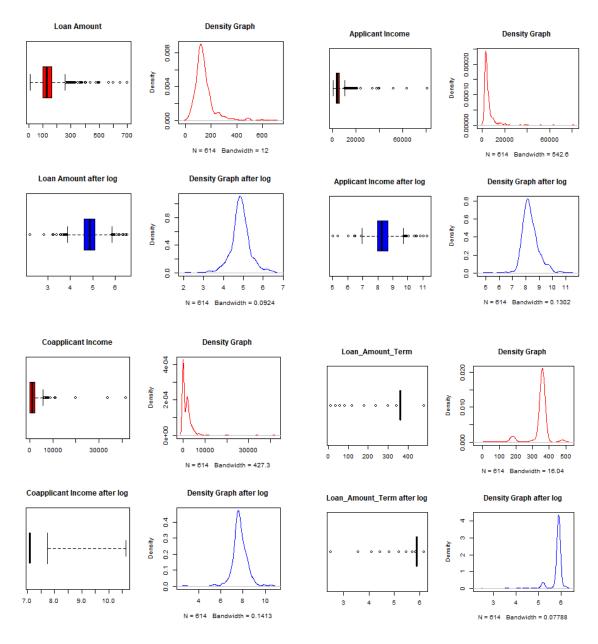
#LoanAmount log(removed the skewness)

#Similar plots for:

#ApplicantIncome

#CoapplicantIncome

#Loan_Amount_Term



#add log values to data

- data_afterImputation\$ApplicantIncome_log =
 log(data_afterImputation\$ApplicantIncome)
- ➤ data_afterImputation\$LoanAmount_log = log(data_afterImputation\$LoanAmount)
- data_afterImputation\$CoapplicantIncome_log =
 log(data_afterImputation\$CoapplicantIncome)

 $\#\log(0)$ is -Inf, so replace -Inf to 0

data_afterImputation[data_afterImputation== -Inf]<-0</pre>

#lets check the covariance metrics

round(cor(data_afterImputation[numeric_cols]),3)

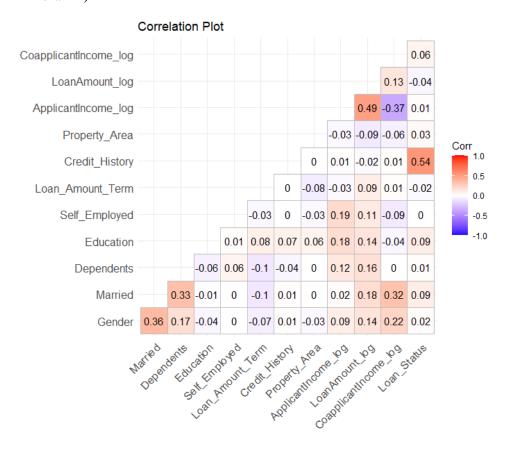
we have +ve correlations : LoanAmount and ApplicantIncome and LoanAmount and coapplicationIncome

As Loan Amount depends on Income of applicant ,the more the Income has high probablity of getting more Loan amount

_	ApplicantIncome	CoapplicantIncome	LoanAmount	Loan Amount Term
ApplicantIncome	1.000	-0.117	0.566	-0.045
CoapplicantIncome	-0.117	1.000	0.188	-0.060
LoanAmount	0.566	0.188	1.000	0.039
Loan_Amount_Term	-0.045	-0.060	0.039	1.000

#co-relation Plot after scaling data

- > options(repr.plot.width =20, repr.plot.height = 20)#adjust size of plot
- > loan_corr <- round(cor(af_scale),3) #get corr matrix
- ggcorrplot(loan_corr, title = "Correlation Plot",type = "lower",lab=TRUE,insig =
 "blank")



- # Credit History has Positive correlation with target feature Loan Status
- # Dependents and Married, Loan Amount and Applicant Income are positivly correlated
- # Applicant Income and CoApplicant Income has negative correlation

CATEGORICAL FEATURES

#drop log cols

loanData <- subset(data_afterImputation,select = c(ApplicantIncome,LoanAmount,CoapplicantIncome))</pre>

#Education

➤ loanData\$Education <- sapply(loanData\$Education,function(x) ifelse(x=='Graduate',1,0)) #replace "Graduate" with 1 and "Not Graduate" with 0

#Loan_status

➤ loanData\$Loan_Status <- sapply(loanData\$Loan_Status,function(x) ifelse(x=='Y',1,0))

#Gender

➤ loanData\$Gender <- sapply(loanData\$Gender,function(x) ifelse(x=='Male',1,0)) #replace "Y" with 1 and "N" with 0

#Married

➤ loanData\$Married <- sapply(loanData\$Married,function(x) ifelse(x=='Yes',1,0)) #replace "Y" with 1 and "N" with 0

#Self_Employed

➤ loanData\$Self_Employed <- sapply(loanData\$Self_Employed,function(x) ifelse(x=='Yes',1,0)) #replace "Yes" with 1 and "No" with 0

#Property_Area

➤ loanData\$Property_Area <- as.integer(factor(loanData\$Property_Area))

#Credit History and Dependents convert to numeric

- ➤ loanData\$Credit_History<-as.integer(loanData\$Credit_History)
- ➤ loanData\$Dependents<-as.integer(loanData\$Dependents)
- cleanData_bfscale <- subset(loanData,select = -c(Loan_ID,Loan_Status))</pre>

#Scaling

- af_scale <- data.frame(scale(cleanData_bfscale))</pre>
- ➤ af_scale\$Loan_Status <-loanData\$Loan_Status

MODEL BUILDING

1. Train Test Split

#Splitting the dataset into the Training set and Test set

- > set.seed(100) #randomization`
- train_sample <- sample(nrow(af_scale), 0.75 * nrow(af_scale))</p>

#splitting data into training/testing data using the trainIndex object

- > trainData <- af_scale[train_sample,] #training data (75% of data)
- > testData <- af_scale[-train_sample,] #testing data (25% of data)

Check whether data set fairly even split

- prop.table(table(trainData\$Loan_Status))#train
- prop.table(table(testData\$Loan_Status))#test

2. LOGISTIC REGRESSION

- # glm() --> for generalized linear model and can be used to compute Logistic Regression
- # family = binomial is specified to perform binary classification
- # Predictions can be easily made using the function predict(). Use the option type = "response" to directly obtain the probabilities
- # glm model with all Features
 - > model_all <- glm(Loan_Status ~., data = trainData, family = binomial)
 - pred_all <- predict.glm(model_all,testData[-12],type = 'response')</pre>
 - pclass_all <- ifelse(pred_all<0.5,0,1)</pre>
 - confusionMatrix(table(as.factor(testData\$Loan_Status),pclass_all),positive = '1')

- # Features will minimum p value are good features
- # glm model with single feature Credit_History
 - model1ch <- glm(Loan_Status ~Credit_History, data = trainData, family = binomial)</p>
 - pred_m1 <- predict.glm(model1ch,testData[-12],type = 'response')</pre>
 - pclass_m1 <- ifelse(pred_m1<0.5,0,1)</pre>
 - confusionMatrix(table(as.factor(testData\$Loan_Status),pclass_m1),positive = '1')

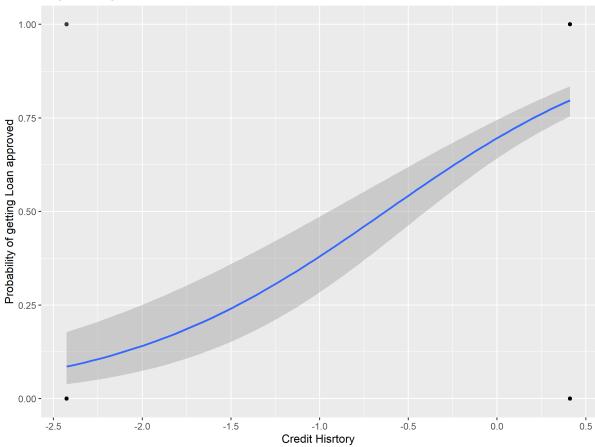
#Logistic curve

```
ggplot(data=trainData,aes(Credit_History, Loan_Status)) +
    geom_point(alpha = 0.2) +
    geom_smooth(method = "glm", method.args = list(family = "binomial")) +
    labs(
    title = "Logistic Regression Model",
    x = "Credit Hisrtory",
    y = "Probability of getting Loan approved"
    )
```

ggsave('Logistic_curve.png')

#No improvement in model accuracy





3. Random Forest

Bagging stands for bootstrap aggregating. It consists of building multiple different decision tree models from a single training data set by repeatedly using multiple bootstrapped subsets of the data and averaging the models. Here, each tree is build independently to the others.

Random Forest algorithm, is one of the most commonly used and the most powerful machine learning techniques. It is a special type of bagging applied to decision trees.

#random forest with default parameters and all features

- \triangleright set.seed(100)
- original_rf<-randomForest(as.factor(Loan_Status)~ ., trainData,OOB=TRUE)</p>
- original_rf

- pred <- predict(original_rf,testData[-12])</pre>
- confusionMatrix(as.factor(testData\$Loan_Status),pred)

```
Confusion Matrix and Statistics
          Reference
Prediction 0 1
0 19 30
             2 103
               Accuracy: 0.7922
   95% CI : (0.7195, 0.8533)
No Information Rate : 0.8636
    P-Value [Acc > NIR] : 0.9947
                  Kappa: 0.435
 Mcnemar's Test P-Value: 1.815e-06
            Sensitivity: 0.9048
            Specificity: 0.7744
         Pos Pred Value: 0.3878
         Neg Pred Value: 0.9810
             Prevalence: 0.1364
         Detection Rate: 0.1234
   Detection Prevalence: 0.3182
      Balanced Accuracy: 0.8396
       'Positive' Class: 0
```

accuracy = sum(testData\$Loan_Status == pred)/length(testData\$Loan_Status) #0.7922078

#no improvement observed as compared to glm model

Hyper Parameter Tunning – Random Forest

Hyperparameter tunning for Random Forest \triangleright set.seed(10) tune_grid<-expand.grid(mtry=c(1:10), ntree=c(500,1000,1500,2000,2500,3000)) #expand a grid of parameters mtry<-tune_grid[[1]]</pre> rtree<-tune_grid[[2]] #using vectors instead of dataframe to subset is faster in for loop ➤ OOB<-NULL #use to store calculated OOB error estimate for(i in 1:nrow(tune_grid)){ rf<-randomForest(as.factor(Loan_Status)~.,trainData, mtry=mtry[i], ntree=ntree[i]) confusion<-rf\$confusion temp<-(confusion[2]+confusion[3])/614 #calculate the OOB error estimate OOB<-append(OOB,temp) } > tune grid\$OOB<-OOB ➤ head(tune_grid[order(tune_grid["OOB"]),], 4) #order the results mtry ntree OOB # 22 2 1500 0.1400651 # 52 2 3000 0.1400651 # 2 2 500 0.1416938 # 32 2 2000 0.1416938 #We have optimal paramater with lowest OOB score mtry:2 and ntree:1500 #fit model with optimal Parameters ➤ final rf <- randomForest(as.factor(Loan Status)~.,trainData, mtry=2, ntree=1500)

#Comparing the above random forest models:

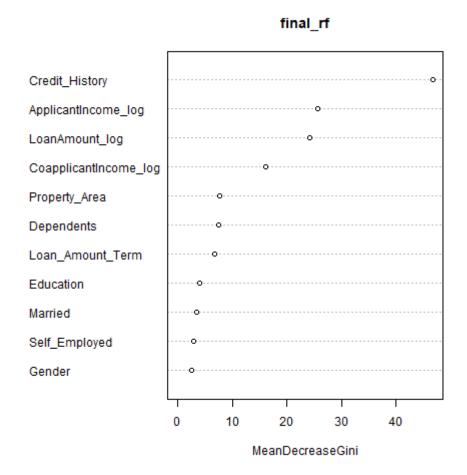
#model original_rf has better train accuracy but low test accuracy (its getting over fitted)
#model obtained with parameter tunning is the best fitted model as compared

Important Features

- png("FeatureImpPlot.png")
- featureImp_plt <- varImpPlot(final_rf)</pre>
- dev.off()

#Important Features are:

#Credit_History(strongest of all) , ApplicantIncome_log ,LoanAmount_log , CoapplicantIncome_log



4. GRADIENT BOOSTING

- \triangleright set.seed(101)
- > xgmat <-data.matrix(trainData[-12]) #convert dataframe to matrix
- xgmat_test <- data.matrix(testData[-12])</p>
- > xgb <- xgboost(data=xgmat,label = trainData\$Loan_Status,nrounds =100)

```
> xgb <- xgboost(data=xgmat,label = trainData$Loan Status,nrounds =100)
        train-rmse:0.422693
[1]
[2]
        train-rmse:0.370246
        train-rmse:0.331519
        train-rmse:0.305919
[5]
        train-rmse:0.283536
[6]
        train-rmse:0.270067
[7]
        train-rmse:0.259062
[8]
        train-rmse:0.248201
[9]
        train-rmse:0.242699
[10]
        train-rmse:0.233021
[11]
        train-rmse:0.225370
[12]
        train-rmse:0.207365
[13]
        train-rmse:0.200783
        train-rmse:0.195978
[14]
```

> xgb

```
#### xgb.Booster
raw: 383.2 Kb
call:
 xgb.train(params = params, data = dtrain, nrounds = nrounds,
   watchlist = watchlist, verbose = verbose, print_every_n = print_every_n,
   early stopping rounds = early stopping rounds, maximize = maximize,
   save period = save period, save name = save name, xgb_model = xgb_model,
   callbacks = callbacks)
params (as set within xgb.train):
 validate parameters = "TRUE"
xgb.attributes:
 niter
callbacks:
 cb.print.evaluation(period = print every n)
 cb.evaluation.log()
# of features: 11
niter: 100
nfeatures : 11
evaluation log:
    iter train rmse
      1 0.422693
      2 0.370246
         0.013028
         0.012902
```

- xgb_pred <- predict(xgb,newdata = xgmat_test)</pre>
- > xgb_pclass <- ifelse(xgb_pred<0.5,0,1)
- confusionMatrix(table(as.factor(testData\$Loan_Status),xgb_pclass),positive = '1')

```
Confusion Matrix and Statistics
  xgb_pclass
  0 24 25
 1 13 92
              Accuracy: 0.7532
                95% CI: (0.6774, 0.8191)
   No Information Rate: 0.7597
   P-Value [Acc > NIR] : 0.61707
                 Kappa: 0.3916
Mcnemar's Test P-Value: 0.07435
           Sensitivity: 0.7863
           Specificity: 0.6486
        Pos Pred Value: 0.8762
        Neg Pred Value: 0.4898
            Prevalence: 0.7597
        Detection Rate: 0.5974
  Detection Prevalence: 0.6818
     Balanced Accuracy: 0.7175
      'Positive' Class: 1
```

5. PREDICTIONS

#prediction

- predictions <- predict(final_rf,af_scale)</pre>
- predClass <- ifelse(predictions ==1,'Y','N')</pre>

#Final Submission score 0.7708333333333333

SUMMARY

- This is the end of the analysis, we started from data cleaning and processing, missing value imputation, then exploratory analysis and feature engineering, and finally model building and evaluation.
- The best accuracy we obtained on our validation data is 0.7792, Since dataset is not huge enough models performance does not vary but Random forest performed with hyperparameter tunning.
- The insights about loan approval status from the analysis is:
 - Applicants with credit history not passing guidelines mostly fails to get approved, probably because that they have a higher probability of not paying back.
 - Most of the time, applicants with high income, loaning low amount is more likely to get approved, which makes sense, those applicants are more likely to pay back their loans.
 - O Having a strong co-applicant can be a plus to the probability of getting approve.