Probabilities of multilocus genotypes in SIB recombinant inbred lines

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1 Introduction

Set the working directory where the source functions file exists. You can download it from https://github.com/Kamel20/PMGISRIL.

```
# setwd("the directory")
# source("sibFun.R")
library(eply)
library(Matrix)
library(rlist)
library(rmarkdown)
```

2 Input

This code just needs to provide the locus number and the recombination rates values. For example for L=3

```
L = 3
recRates = c(0.4, 0.2, 0.3)
```

3 The variables names

To gain time we found the variables contribute to the system before.

```
allvar = list.load("allVarTillL=10.rds")
SCHPE = list.load("allContrVarTillL=10.rds")
varNom = allvar[[L]]$symQs
nonSymQs = allvar[[L]]$nonsymQs
scEq = SCHPE[[L]]
```

```
Or you can use their function to create it again

allVar = systemVar(L)

##

## Find the variables that are contributing to this system, please wait ...

## done.

So, the variable names are

varNom = allVar$symQs

and the nonsymmetric variable is

nonSymQs = allVar$nonsymQs
```

and all possible crossover are

```
Find the possible crossover for these variable, please wait ...
## done.
    Find the system AQ = B
4
res = twoWayRILsib(L, varNom, nonSymQs, scEq)
##
##
    # ===== 3 - Loci ===== #
##
##
   Computing the inhomogeneous equation: done.
##
   Computing the SCHP:
                                  2 >>
                                         3 >>
                                                4 >>
                                                       5 >>
                                                              6 >>
                                                                      7 >>
                                                                                    9 >>
##
                          1 >>
    done.
Hence, the matrix A is
A = res$A
A[1:3,1:2]
##
       000
                                    001
## SQ
      "4"
                                    "4"
## 000 "2*(0.5)*(1-r12)*(1-r23)-1" "0"
## 001 "2*(0.5)*(1-r12)*(r23)"
                                    "-1"
and, the matrix B is
B = res\$B
B[1:3]
## [1] 1 0 0
To solve this linear system you should evaluate this symbolic matrix
AA = evalMatrix(A = A, recRates = recRates)
## r12 = 0.4
                 r23 = 0.2
                               r34 = 0.3
                                              r13 = 0.44
                                                              r24 = 0.38
                                                                             r14 = 0.476
Hence,
sol = solve(AA, B)
names(sol) = varNom
##
          000
                     001
                                 002
                                            010
                                                       011
## 0.03413811 0.01322519 0.01308306 0.01125016 0.02666891 0.01045223
                                 022
## 0.01164653 0.01027273 0.02641467 0.01048960
```

5 Verification

To verify that the sum of all Q's equal to 1

scEq = allCrossOver(varNom = varNom)

```
QsProbs = rbind(sol, table(nonSymQs))
sum(QsProbs[1,] * QsProbs[2,])
```

[1] 1

For more detalis see (Jebreen, Petrizzelli and C.Martin, 2019).

Bibliography

Jebreen, Kamel, Marianyela Petrizzelli and Olivier C.Martin. 2019. "Probabilities of multilocus genotypes in SIB recombinant inbred lines." Statistical Genetics and Methodology, a section of the journal Frontiers in Genetics. p. Submitted.