

Physics 5B: Mirror I

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- In a flat mirror, the $\Theta_{\text{incident}} = \Theta_{\text{reflection}}$
Image is inverted in mirror and is full-size (no magnification)!
considered a virtual image, since light rays do not pass through mirror.
- Images formed in Spherical mirror
 - In a concave mirror, if a light ray....
comes into the middle, or the principal axis, the Θ_{incident} will reflect at 0°
Rays used for tracing: paraxial rays are parallel to principal axis (mimicking far-away source)
Paraxial rays falling on central part of mirror are reflected to common point, or the focal point.
Focal length f : focal point F to mirror

$$f = \frac{R}{2} \quad \text{Where } R = \text{radius of curvature}$$

- In a convex mirror
focal length: $f < 0$
Convex mirrors will have similar properties to concave. All $\Theta_{\text{reflection}}$ get reflected back to the Focal point.
Image located where lines cross!
In this case, $d_I > d_o$ Image is inverted, real, and larger than object
- Convex mirror, upright, virtual, smaller magnification
- Sign conventions:
 $f > 0$ for concave $f < 0$ for convex
 $d_i > 0$ for image in front of mirror $d_i < 0$ for image behind of mirror

- Mirror Equation

$$\frac{1}{d_o} + \frac{1}{d_i} = \frac{1}{f}$$

- Magnification $m = \frac{h_i}{h_o} = -\frac{d_i}{d_o}$
positive = upright, negative = inverted
- EXAMPLE:

In a concave mirror,

An object is 35 cm away from a concave mirror and the concave mirror has $R = 24\text{cm}$.

a) Focal length: $f = \frac{R}{2} \Rightarrow f = \frac{24\text{cm}}{2} \Rightarrow f = 12\text{cm}$

b) Where is d_i (image)?

$$\frac{1}{d_i} + \frac{1}{d_o} = \frac{1}{f} \Rightarrow \frac{1}{d_i} = \frac{1}{f} - \frac{1}{d_o} \Rightarrow \frac{1}{d_i} = \frac{1}{12\text{cm}} - \frac{1}{35\text{cm}} \Rightarrow \frac{1}{d_i} = \frac{1}{18\text{cm}} \Rightarrow d_i = 18\text{cm}$$

c) Upright or inverted?

$$m = -\frac{d_i}{d_o} \Rightarrow -\frac{18.26\text{cm}}{35\text{cm}} = -.52\text{cm} \text{ SO, smaller magnification and inverted!}$$