

# Image Dehazing and Guided Filtering

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ECE 278A

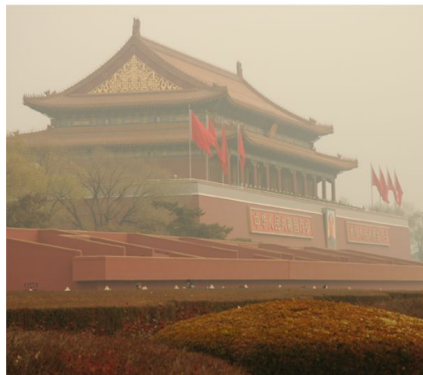
Nina Miolane

# Dataset



# Dark Channel Prior

Hazy Image



Dark Channel of Hazy Image



Non-Hazy Image



Dark Channel of Non-Hazy Image



$$J^{dark}(\mathbf{x}) = \min_{c \in \{r, g, b\}} \left( \min_{\mathbf{y} \in \Omega(\mathbf{x})} (J^c(\mathbf{y})) \right)$$

# Atmospheric Transmission Map and Global Atmospheric Light

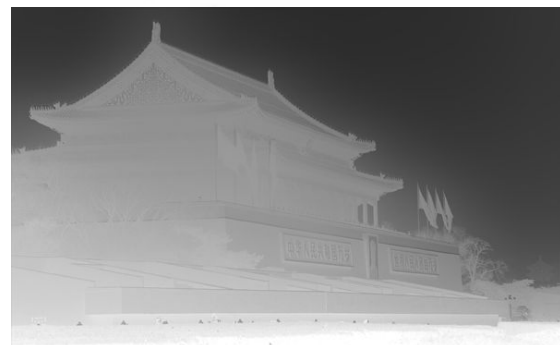
**Global Atmospheric Light:** color/intensity value that can be attributed to illumination of the image caused by the atmosphere

- Independent of the haze
- Helps avoid distorting the natural illumination of the image
- Identify the locations of the top 0.1% highest intensity pixels of the dark channel, and then where they correspond in the original image, take *those* intensity values as the global atmospheric light.

$$\tilde{t}(x) = 1 - \omega \min_{c \in r, g, b} \left( \min_{y \in \Omega(x)} \left( \frac{I_c(y)}{A_c} \right) \right)$$

# Transmission Map Refinement with Guided Filtering

- The Raw Transmission map computed from the dark channel does not accurately represent the edges and detail of the original image
  - 15x15 minimum filter is used to compute dark channel
  - Local minimum of region will be represented many times in area around its true location
- Original paper suggests using a complicated optimization called Levin's Soft Matting method
  - Complicated to implement
  - Not many resources that outline the procedure
- Instead we use a method called guided filtering to achieve similar results



# Guided Filtering

Input: Rough Image ( $p$ ), Guiding Image ( $I$ ), Kernel Size ( $n$ )

Output: Image ( $q$ )

Goal: For each possible square neighborhood of size ( $n \times n$ ), assign output window  $q_k$  where  $k$  is the window index in the form:

$$q_i = a_k I_i + b_k, \forall i \in \omega_k$$

with linear coefficients ( $a_k, b_k$ ) that minimize cost:

$$E(a_k, b_k) = \sum_{i \in \omega_k} ((a_k I_i + b_k - p_i)^2 + \epsilon a_k^2)$$

This can be solved by linear regression

$$a_k = \frac{\frac{1}{|\omega|} \sum_{i \in \omega_k} I_i p_i - \mu_k \bar{p}_k}{\sigma_k^2 + \epsilon}$$

$$b_k = \bar{p}_k - a_k \mu_k$$

Combine all  $q_k$  into output image  $q$  by averaging all overlapping values of  $q_k \forall k$

# Other Applications of Guided Filtering

# Blurring with Edge Preservation

Original Image



Heavily Blurred Image



Output of Guided Filter





# Binary Mask Refinement

Original Image



Rough Manually Generated Mask



Output of Guided Filter



# Dehazing Results

