

Miscellaneous Things

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How strong is a prior? I

Suppose we want to calculate the average height \bar{X} of people in the school. There can be two scenarios:

- ▶ I We have no prior information about this quantity, we just go on street, observe the height of 100 people and have the estimation $\sum_{i=1}^{100} X_i / 100$
- ▶ We can hire an expert on estimation of people's height and he gives us a prior distribution $\mathcal{N}(\hat{\mu}, 0.1)$.

For both scenarios, we might be inconfident about the estimation, so we still want to get more accurate results. So we still go ahead on street and observe another 100 people's height. For the reason we are going to introduce, if our experts' estimation of $\hat{\mu}$ is right, these two scenarios will lead to the same conclusion about the distribution of the average height μ .

How strong is a prior? II

Because $\sigma_{\text{posterior}} = 1/\sqrt{n}$, we can see that $n = 100$ for prior distribution $\mathcal{N}(\hat{\mu}, 0.1)$.