

EECE 7200_Assignment 2

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1) The files attached are as follows:

myNorm.m

myCircle.m

Hw2_1_Final.m

Figure 1.fig

Figure 2.fig

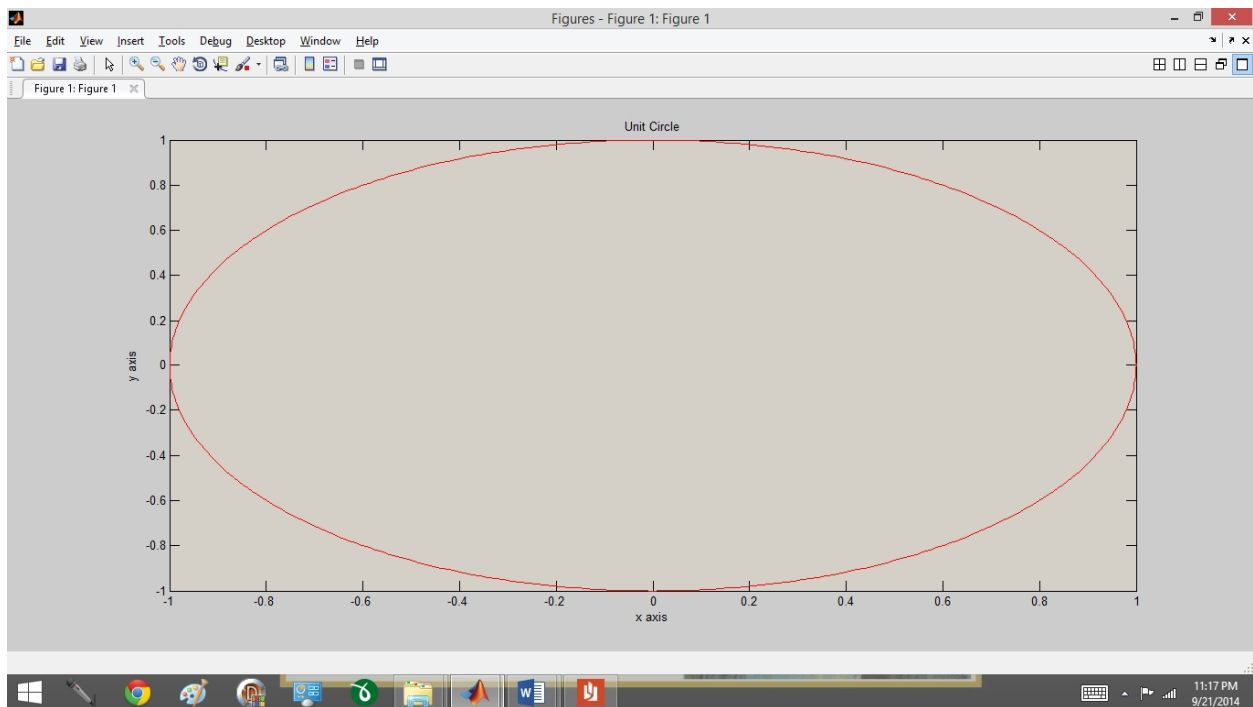
myNorm.m

In this file I have defined the norm function with two input variables, namely the vector v and the value p with which the norm of the vector v can be calculated using the formula

$$\|x\|_p = (\sum_{i=1}^n (|x_i|)^p)^{1/p}, p < \infty, \text{ and } \|x\|_\infty = \max_{1 \leq i \leq n} |x_i|$$

myCircle.m

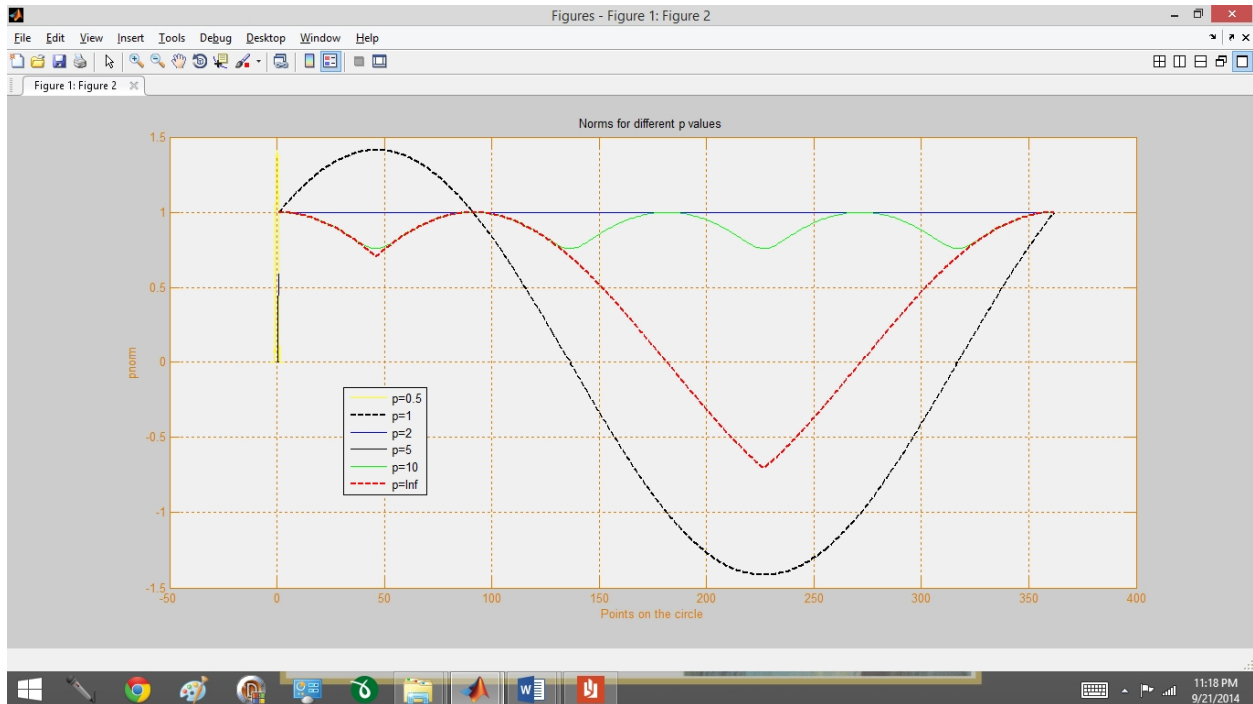
In this file I have defined a function which takes input values as the radius and the number of points on the circle as the inputs. Here unit circle is mentioned, so taking 1 as radius and 360 points on the circle, I am plotting the unit circle as shown in the figure below.



Hw2_1_Final.m

Here I am using the functions myCircle and myNorm which is already defined and hence calculating the norms for different values of p .

The curves of different values of p are plotted and is shown in the figure below.



PS: The m file contains the necessary comments description.

Order of executing files:

myCircle.m

myNorm.m

Hw2_1_Final.m

For $p=1$ and $p=10$ the curves are cos and sine waves, valid norms.

2) The files attached are as follows:

Finding_c.m

Figure 3.fig

Finding_c.m

I have taken the c values in the range -1 to +1, as the given value of yn ranges between -1 and 1. The value of increment is 0.01, to get more points between that range selected.

PS: Took 0.1 initially and there were only 21 points to plot for p-norm, so changed it to 0.01

In order to find the c value which gives the min p norm value, the following codes used in the command window to execute the file.

```
ans = Find (pnorm==min(pnorm))
```

The answer when applied here ,

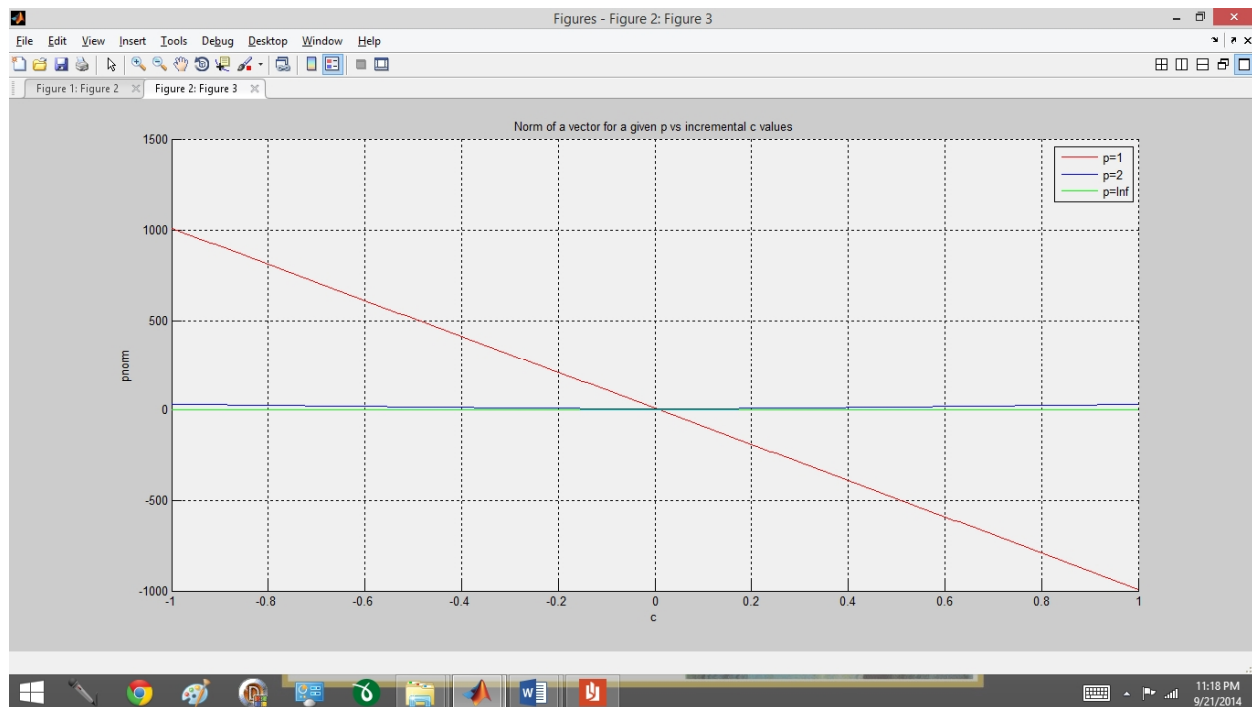
-1+0.01*ans

will fetch the required c value.

The following figure shows the plot of the pnorm for different values of p, over the range of c.

- (i) When $p=1$, the minimum value of pnorm is found and the index of it is determined, with which the c value is determined as explained above. Thus $c=-0.9900$
- (ii) When $p=2$, the minimum value of pnorm is found and the index of it is determined, with which the c value is determined as explained above. Thus $c=0.0200$
- (iii) When $p=\text{Inf}$, $c=0$

The figure below shows the error norms for different values of p.



The error norms are filtered from the noise signal y_n given.

All the m files and fig files are attached for reference.

3) Solution:

1. For the sequence, $(k, k+1, k+2, \dots, K+\infty)$, the norm tends to ∞ as k increases
2. For the sequence, $(\cos(k), \sin(k))$, the p_2 norm gives a unit circle or a sphere, when k varies from 0 to 2π
3. For the sequence $(-1/k, -2/k, \dots)$, the norm tends to 0 as k tends to ∞