



# Discovering Knowledge in Data

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## Chapter 2

## Data Preprocessing

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# CRISP-DM Review



- This chapter (chapter 2) examines phases 2 and 3 of the CRISP-DM process
- Chapter 3 expands on the Data Understanding phase
- Chapter 4 and above focus on Modeling

# Why Do We Preprocess Data?

- Raw data is often unprocessed, incomplete, or noisy.
- May contain:
  - Obsolete/redundant fields
  - Missing values
  - Outliers
  - Data in form not suitable for data mining
  - Values not consistent with policy or common sense

# Why Do We Preprocess Data?

(cont'd)

- For data mining purposes, database values must undergo data cleaning and data transformation
- Data often from legacy (out-dated) databases where values:
  - Not looked at in years
  - Expired
  - No longer relevant
  - Missing
- Minimize GIGO (Garbage In → Garbage Out)
  - IF **G**arbage **I**nto model is minimized →  
THEN **G**arbage results **O**ut from model is minimized
- Effort for Data preparation ranges around 10%-60% of data mining process – depending on dataset

# Data Cleaning – Example

TABLE 2.1 Can You Find Any Problems in This Tiny Data Set?

Customer ID	Zip	Gender	Income	Age	Marital Status	Transaction Amount
1001	10048	M	75000	C	M	5000
1002	J2S7K7	F	—40000	40	W	4000
1003	90210		10000000	45	S	7000
1004	6269	M	50000	0	S	1000
1005	55101	F	99999	30	D	3000

CustomerID field is assumed to be fine; But Zip Code, Gender?

- Zip Code

- Do not assume local format
  - 90210 (U.S.) vs. J2S7K7 (Canada)
  - In a free trade era should expect some unusual values
- Be aware of data type/conversion issues
  - Zip code 06269 stored in numeric field truncates the leading zeroes, and thus, is represented as 6269 (Zip Code for Storrs, CT)

- Gender

- Value is missing for customer 1003



# Data Cleaning – Example (*cont'd*)

TABLE 2.1 Can You Find Any Problems in This Tiny Data Set?

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1001	10048	M	75000	C	M	5000
1002	J2S7K7	F	—40000	40	W	4000
1003	90210		10000000	45	S	7000
1004	6269	M	50000	0	S	1000
1005	55101	F	99999	30	D	3000

- **Income Field Contains \$10,000,000?**
  - Possibly valid on zip code 90210 (Beverly Hills, CA)
  - Still considered outlier (extreme data value) - Some statistical and data mining methods negatively affected by outliers
  - Handling of outliers examined later in this chapter
- **Income Field Contains -\$40,000?**
  - Income less than \$0?
  - Value beyond bounds for expected income, therefore an error
  - Caused by data entry error?
  - Discuss anomaly with database administrator
- **Income Field Contains \$99,999?**
  - Value may be valid, but...other values appear rounded to nearest \$5,000
  - Legacy Systems: Value represents database code used to denote missing value?
- **Other considerations for Income**
  - Confirm values in expected unit of measure, such as U.S. dollars
  - Which unit of measure for income?
  - Customer with zip code J2S7K7 in Canadian dollars?

# Data Cleaning – Example (*cont'd*)

TABLE 2.1 Can You Find Any Problems in This Tiny Data Set?

Customer ID	Zip	Gender	Income	Age	Marital Status	Transaction Amount
1001	10048	M	75000	C	M	5000
1002	J2S7K7	F	—40000	40	W	4000
1003	90210		10000000	45	S	7000
1004	6269	M	50000	0	S	1000
1005	55101	F	99999	30	D	3000

- **Age field contains C**
  - Possible a leftover of earlier categorization of age into a bin labeled C?
  - Data Mining software will likely reject a text value on an otherwise numeric field – this needs resolution
- **Age field contains 0 (zero)**
  - Unlikely: A newborn baby made \$1000 transaction
  - Most probably: Missing value or other anomalous condition coded as 0 (zero)
  - **Important:** Age value will quickly become obsolete; it is recommended to store date type fields (like birthdate) instead, and calculate age as needed
- **Marital Status Field**
  - What is the meaning of the symbols?
  - Don't make assumptions: Is S for Single or Separated?
  - Consider possibility of codes using words from another language: C is for Cold in English, and Chaud (Hot) in French
- **Transaction Amount Field**
  - Values in this fields seems OK, assuming common unit of measure

# Handling Missing Data

- Missing values pose problems to data analysis methods
- More common in databases containing large number of fields
- Absence of information rarely beneficial to task of analysis
- In contrast, all things being equal, having more data is almost always better
- Careful analysis required to handle issue



# Handling Missing Data (*cont'd*)

- Suppose you are given a *cars* dataset containing records for 261 automobiles manufactured in 1970s and 1980s
- Suppose that some fields are missing for certain records, like in figure below:

	mpg	cubicinches	hp	brand
1	14.000	350	165	US
2	31.900		71	Europe
3	17.000	302	140	US
4	15.000	400	150	
5	37.700	89	62	Japan

- **Delete Records Containing Missing Values?**
  - Dangerous, as pattern of missing values may be systematic
  - Valuable information in other fields lost
    - As much as 80% of the records lost, if only 5% of data values are missing, according to Schmueli, Patel, and Bruce [1].
- **Three alternative methods available** – Not entirely satisfactory
- **Data imputation methods** – Better approach

# Handling Missing Data (*cont'd*)

- Alternative Method #1- Replace Missing Values with a Constant, specified by the Analyst
- Example:
  - Missing numeric values are replaced with 0.0
  - Missing categorical values are replaced with “Missing”

	mpg	cubicinches	hp	brand
1	14.000	350	165	US
2	31.900	0	71	Europe
3	17.000	302	140	US
4	15.000	400	150	Missing
5	37.700	89	62	Japan

# Handling Missing Data (*cont'd*)

- **Alternative Method #2 - Replace Missing Values with Mode or Mean**
- **Example:**
  - Mode of categorical field *brand* = US
    - Missing values are replaced with this value
  - Mean for non-missing values in numeric field *cubicinches* = 200.65
    - Missing values are replaced with 200.65

	mpg	cubicinches	hp	brand
1	14.000	350	165	US
2	31.900	200.65	71	Europe
3	17.000	302	140	US
4	15.000	400	150	US
5	37.700	89	62	Japan

# Handling Missing Data (*cont'd*)


- Notes on Alternative Method #2 - Replace Missing Values with Mode or Mean
  - Substituting mode or mean for missing values sometimes works well – however, end user needs to be informed.
  - Mean is not always the best choice for “typical” value.
    - For example, the mean maybe greater than 80-th percentile.
  - Resulting confidence levels for statistical inference become overoptimistic (Larose), since measures of spread are artificially reduced.
  - Benefits and drawbacks resulting from the replacement of missing values must be carefully evaluated against possible invalidity of results.

# Handling Missing Data (*cont'd*)

- **Alternative Method #3 - Replace Missing Values with Random Values**
  - Example: Value for *cylinders*, *cubicinches*, and *hp* randomly drawn proportionately from each field's distribution
  - Values randomly taken from underlying distribution
  - Benefit: Measures of location and spread remain closer to original
  - No guarantee that resulting records would make sense (see side note)

This record leads to a car that does not exist!

Japanese car with 400cc engine



	mpg	cubicinches	hp	brand
1	14.000	350	165	US
2	31.900	450	71	Europe
3	17.000	302	140	US
4	15.000	400	150	Japan
5	37.700	89	62	Japan



# Handling Missing Data (*cont'd*)

- Data Imputation Methods
  - Imputation of Missing Data - What is the likely value, given record's other attribute values?
  - Example: From two samples below, American car would be expected to have more cylinders
    - American car with 300 cubic inches and 150 horsepower
    - Japanese car with 100 cubic inches and 90 horsepower
  - Requires tools like multiple regression, or classification and regression trees
  - To be discussed in Chapter 13 – *Imputation of Missing Data*

# Identifying Misclassifications

- Check classification labels to verify values are valid and consistent
- Example: Table below – Frequency distribution for origin of manufacture of automobiles
  - Frequency distribution shows four classes: USA, France, US, and Europe.
  - Count for USA = 1 and France = 1.
  - Two records classified inconsistently with respect to origin of the manufacture.
  - Maintain consistency by labeling USA → US, and France → Europe.

Brand	Frequency
USA	1
France	1
US	156
Europe	46

# Graphical Methods for Identifying Outliers

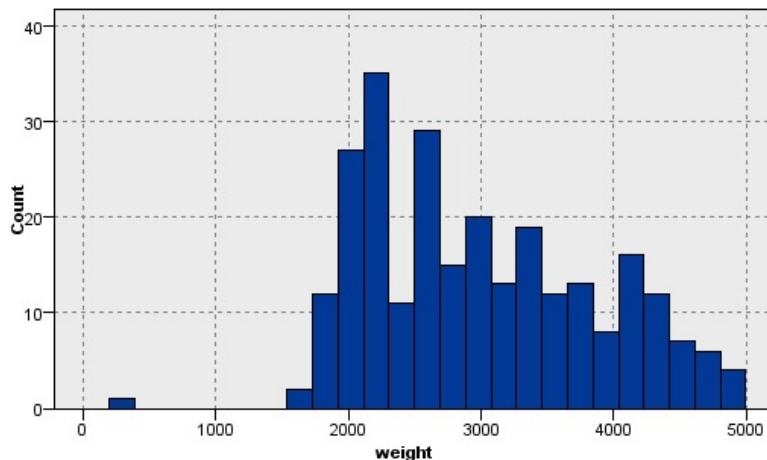
- Outliers are extreme values that go against the trend of the remaining data
- Outliers may represent errors in data entry
- Even if valid data point, certain statistical methods are very sensitive to outliers and may produce unstable results
- Two graphical methods presented

# Graphical Methods for Identifying Outliers

## (cont'd)

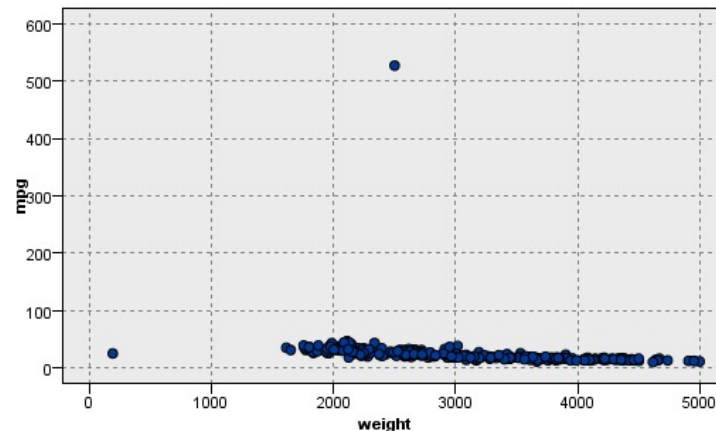
- Method #1 - Histogram

- A histogram examines values of numeric fields (good for one-dimensional data)
- Example: Histogram shows vehicle weights for a *cars* data set
  - The extreme left-tail contains one outlier weighing several hundred pounds (192.5)
  - Should we doubt validity of this value? This is too light for a car.
  - Possibility: Original value was 1925 pounds. Requires further investigation.



# Graphical Methods for Identifying Outliers (cont'd)

- Method #2 – Two (or three)-dimensional Scatter Plot
  - Two (or three)-dimensional scatter plots help determine outliers in two (or three) dimensions.
  - Example: Scatter plot of *mpg* against *weight (lbs)* shows two possible outliers
    - Most data points cluster together along x-axis
    - However, one car weighs 192.5 pounds and other gets over 500 miles per gallon!
    - Important: A record may be outlier in a particular dimension, but not in the other





# Measures of Center and Spread

## Measures of center (1/5) - Introduction

- Estimate where the center of a particular variable's distribution lies
- Most common *measures of center*
  - Mean, Median and Mode
    - They are a special case of *measures of location*, which indicate where a numeric variables lies.

# Measures of Center and Spread

## (cont'd)

### Measures of center (2/5) - Mean

- Average of the valid values for a random variable
  - Add all field values and divide by sample size
  - Denoted as  $\bar{X}$  (x-bar) and computed as:

$$\bar{x} = \frac{\sum x}{n}$$

- Where
  - $\sum$  represents “sum of all variables”
  - $n$  represents sample size

# Measures of Center and Spread

(cont'd)

## Measures of center (3/5) - Example

- From the table below, use the Sum and Count to calculate the Mean

$$\bar{x} = \frac{\sum x}{n} = \frac{5209}{3333} = 1.563$$

Population: Number of calls made by each customer

Customer Service Calls

Statistics

<b>Count</b>	3333
<b>Mean</b>	1.563
<b>Sum</b>	5209.000
<b>Median</b>	1
<b>Mode</b>	1

# Measures of Center and Spread

## (cont'd)

### Measures of center (4/5) – Alternatives

- Mean is not always ideal
  - On extremely skewed datasets, it is less representative of variable center; it is also sensitive to outliers
- Alternative measures of center
  - Median – Field value in the middle, when field values are sorted into ascending order
  - Mode – Field value occurring with the greatest frequency
    - Pros: Can be used with either numerical or categorical data
    - Cons: Not always associated with the variable center

# Measures of Center and Spread

## (cont'd)

### Measures of center (5/5) – Further notes

- Measures of center do not always concur
- Example: Table below
  - Median is 1 – Half the customers made one customer service call
  - Mode is 1 - Most frequent number of calls is one
  - But Mean is 1.563 – (56.3% higher than median/mode) Caused by the mean sensitivity to the right-skewness of the data

Population: Number of calls made by each customer

Customer Service Calls

Statistics

<b>Count</b>	3333
<b>Mean</b>	1.563
<b>Sum</b>	5209.000
<b>Median</b>	1
<b>Mode</b>	1



# Measures of Center and Spread

## Measures of Spread (I/5) - Introduction

- Measures of location not enough to summarize a variable
- Example: Table with Price/Earning (P/E) ratios for two portfolios
  - Portfolio A – Spread with one very low and one very high P/E value
  - Portfolio B – Tightly clustered around the center
  - P/E ratios for each portfolio is distinctly different, yet **they both** have P/E ratios with mean 10, median 11 and mode 11.
- Clearly, measures of center do not provide a complete picture
- Measures of spread or measures of variability complete the picture by describing how spread the data values of each portfolio are

Stock Portfolio A	Stock Portfolio B
1	7
11	8
11	11
11	11
16	13

→ P/E ratio for the first stock

# Measures of Center and Spread

## Measures of Spread (2/5) - Introduction

- Typical measures of variability include
  - Range (maximum – minimum)
  - Standard Deviation – Sensitive to the presence of outliers (because of the squaring (power 2) involved – see below)
  - Mean Absolute Deviation – Preferred in situations involving extreme values
- Sample Standard Deviation is defined by
$$s = \sqrt{\frac{\sum (x - \bar{x})^2}{n - 1}}$$
  - Interpreted as “typical” distance between a field value and the mean
  - Most field values (95%) lie within two standard deviations of the mean
    - Example: For table below, number of calls made by most customers are within  $2(1.315) = 2.63$  of the mean of 1.563 calls. Most customers made between -1.067 and 4.193 (rounded to integers 0 to 4) calls.

Customer Service Calls

Statistics

Count	3333
Mean	1.563
Sum	5209.000
Median	1
Mode	1

Population: Number of calls made by each customer

# Data Transformation

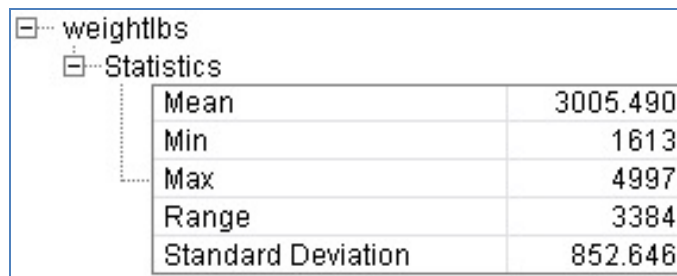
- Variables tend to have ranges different from each other
- In baseball, two fields may have ranges:
  - Batting average: [ 0.0, 0.400 ]
  - Number of home runs: [ 0, 70 ]
- Some data mining algorithms adversely affected by differences in variable ranges
- Variables with greater ranges tend to have larger influence on data models' results
- Therefore, numeric field values should be normalized
- Standardizing will scale the effect each variable has on results
- Neural Networks and other algorithms that make use of distance measures benefit from normalization
- Two of the prevalent methods will be reviewed
- In the following pages  $X^*$  will refer to the normalized form of random variable  $X$

# Min-Max Normalization

- Determines how much greater field value is than minimum value for field
- Scales this difference by field's range

$$X^* = \frac{X - \min(X)}{\text{range}(X)} = \frac{X - \min(X)}{\max(X) - \min(X)}$$

- Figure 2.8 below shows summary statistics for *weight (lbs)* field
  - Min = 1613
  - Max = 4997



weightlbs	
Statistics	
Mean	3005.490
Min	1613
Max	4997
Range	3384
Standard Deviation	852.646

# Min-Max Normalization (*cont'd*)

Find Min-Max normalization for cars weighing 1613, 3305 and 4997 pounds, respectively

$$X^* = \frac{X - \min(X)}{\max(X) - \min(X)}$$

Where:

$$\min(X) = 1613$$

$$\max(X) = 4997$$

Car	Weightlbs	Formula	Result	Comments
Lightest vehicle	$X = 1613$	$X^* = \frac{1613 - 1613}{4997 - 1613}$	$X^* = 0$	Represents the minimum value in this variable, and has min-max normalization of zero.
Mid-range vehicle	$X = 3305$	$X = \frac{3305 - 1613}{4997 - 1613}$	$X^* = 0.5$	Weight exactly half-weight between the lightest and the heaviest vehicle, and has min-max normalization of 0.5.
Heaviest vehicle	$X = 4997$	$X = \frac{4997 - 1613}{4997 - 1613}$	$X^* = 1$	Heaviest vehicle of the dataset has min-max normalization of one.

Min-Max normalization will always have a value between 0 and 1.

It is also possible to find the associated data value for a given Min-Max Normalization (how?)

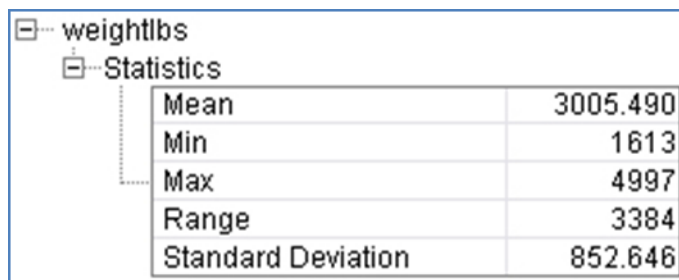


# Z-score Standardization

- Widely used in statistical analysis
- Takes difference between field value and field value mean
- Scales this difference by field's standard deviation

$$X^* = \frac{X - \text{mean}(X)}{\text{SD}(X)}$$

- Figure 2.8 below shows that mean (weight) and standard deviation for weight equals 3005.49 and 852.646, respectively



A screenshot of a software interface showing a tree view with 'weightlbs' expanded to 'Statistics'. Below this, a table displays statistical data for 'weightlbs'.

Mean	3005.490
Min	1613
Max	4997
Range	3384
Standard Deviation	852.646

# Z-score Standardization (*cont'd*)

Find Z-score standardization for cars weighing 1613, 3006 and 4997 pounds, respectively

Where:

$$X^* = \frac{X - \text{mean}(X)}{\text{SD}(X)}$$

$$\text{mean}(X) = 3005.49$$

$$\text{SD}(X) = 852.65$$

Car	Weightlbs	Formula	Result	Comments
Lightest vehicle	$X = 1613$	$X^* = \frac{1613 - 3005.49}{852.646}$	$X^* \approx -1.63$	Data values below the mean will have negative Z-score standardization.
Average vehicle	$X = 3005.49$	$X = \frac{3005.49 - 3005.49}{852.646}$	$X^* \approx 0$	Values falling very close to the mean will have zero (0) Z-score
Heaviest vehicle	$X = 4997$	$X = \frac{4997 - 3005.49}{852.646}$	$X^* \approx 2.34$	Data values above the mean will have a positive Z-score standardization

It is also possible to find the associated data value for a given Z-score (how?).