

**Date: 04-09-2021**

## **Experiment 4**

**Aim:** To work with MATLAB loops, logical arrays and vectorization.

**Apparatus:** MATLAB Software

### **Objective:**

1. To learn how to execute a sequence of statements more than once using different loops like for loop, while loop.
2. To learn the different applications of logical arrays.
3. To learn the benefits of vectorization by comparing the same logical code using loop and vectorization.

### **Problems:**

✓ **Q-1.** Write an M-file to evaluate the equation  $y(x)=x^2-3x+2$  for all values of  $x$  between -1 and 3, in steps of 0.1. Do this twice, once with a for loop and once with vectors. Plot the resulting function using a 3-pointthick dashed red line.

### **Code:**

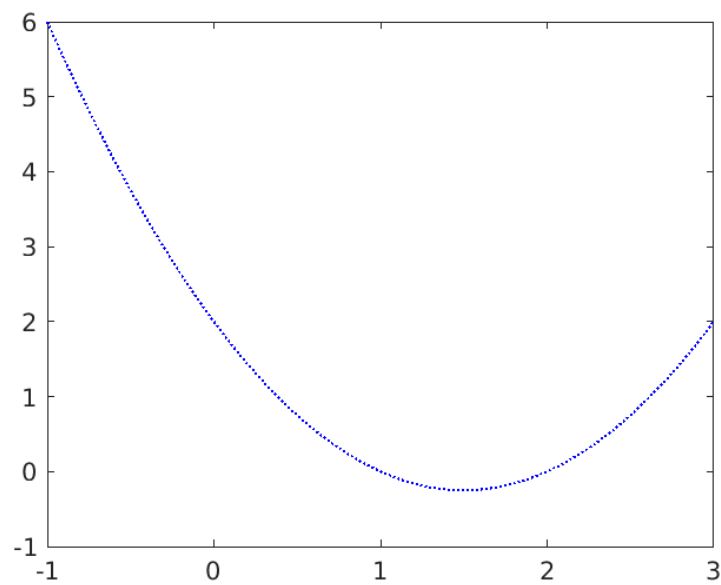
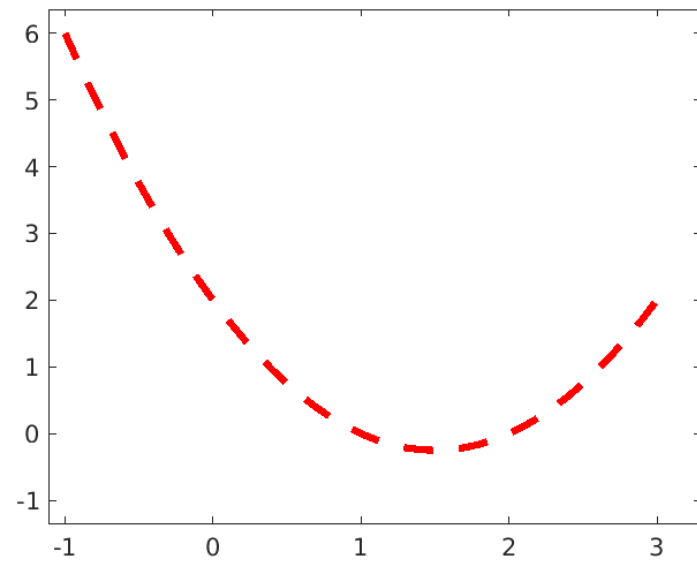
```
clc;
clear all;
close all;

x = -1:0.1:3; ✓
for i = -1:0.1:3
    y = x.*x - 3.*x + 2;
end
disp(y);
plot(x,y,"LineStyle","--","Color","red","LineWidth",3)

figure
x1 = -1:0.1:3;
y1 = x.*x - 3.*x + 2;

disp(y1);
plot(x1,y1,"LineStyle",":","Color","blue","LineWidth",1)
```

### Output:



```

Command Window
Columns 1 through 14
    6.0000    5.5100    5.0400    4.5900    4.1600    3.7500    3.3600    2.9900    2.6400    2.3100    2.0000    1.7100    1.4400    1.1900

Columns 15 through 28
    0.9600    0.7500    0.5600    0.3900    0.2400    0.1100         0    -0.0900    -0.1600    -0.2100    -0.2400    -0.2500    -0.2400    -0.2100

Columns 29 through 41
   -0.1600   -0.0900         0    0.1100    0.2400    0.3900    0.5600    0.7500    0.9600    1.1900    1.4400    1.7100    2.0000

Columns 1 through 14
    6.0000    5.5100    5.0400    4.5900    4.1600    3.7500    3.3600    2.9900    2.6400    2.3100    2.0000    1.7100    1.4400    1.1900

Columns 15 through 28
    0.9600    0.7500    0.5600    0.3900    0.2400    0.1100         0    -0.0900    -0.1600    -0.2100    -0.2400    -0.2500    -0.2400    -0.2100

Columns 29 through 41
   -0.1600   -0.0900         0    0.1100    0.2400    0.3900    0.5600    0.7500    0.9600    1.1900    1.4400    1.7100    2.0000

>> |

```

**Q-2.** Examine the following for statements and determine how many times each loop will be executed in MATLAB.

- ✓(a) for ii = -32768:32767
- (b) for ii = 32768:32767
- ✓(c) for kk = 2:4:3
- (d) for jj = ones(5,5)

### Code:

```
clc;
clear all;
close all;
c = 0;
for i = -32768:32767
    c = c +1;
end

fprintf("\n1. %d",c);

c = 0;
for i = 32768:32767
    c = c +1;
end

fprintf("\n2. %d",c);

c = 0;
for i = 2:4:3
    c = c +1;
end

fprintf("\n3. %d",c);

c = 0;
for i = ones(5,5)
    c = c +1;
end

fprintf("\n4. %d",c);
```

### Output:

Command Window

```
1. 65536
2. 0
3. 1
4. 5
>>
```

**Q-3.** Examine the following for loops and determine the value of ires at the end of each of the loops, and also the number of times each loop executes.

(a) ires = 0;  
    for index = -10:10  
        ires = ires + 1;  
    end

(b) ires = 0;  
    for index = 10:-2:4  
        if index == 6  
            continue;  
        end  
        ires = ires + index;  
    end

(c) ires = 0;  
    for index = 10:-2:4  
        if index == 6  
            break;  
        end  
        ires = ires + index;  
    end

(d) ires = 0;  
    for index1 = 10:-2:4  
        for index2 = 2:2:index1  
            if index2 == 6  
                break  
            end  
            ires = ires + index2;  
        end  
    end

### Code:

```
clc;
clear all;
close all;

fprintf("Sr.\tIres\tCount1\tCount2")
c = 0;
ires = 0;
for i = -10:10
    ires = ires + 1;
    c = c +1;
end

fprintf("\n1.\t%d\t%d",ires,c);
```

```

c = 0;
ires = 0;
for i = 10:-2:4
    if i == 6
        c = c +1;
        continue;
    end
    ires = ires + i;
    c = c +1;
end

fprintf("\n2.\t%d\t%d",ires,c);

c = 0;
ires = 0;
for i = 10:-2:4
    if i == 6
        c = c +1;
        break;
    end
    ires = ires + i;
    c = c +1;
end

fprintf("\n3.\t%d\t%d",ires,c);

c1 = 0; c2 = 0;
ires = 0;
for i1 = 10:-2:4
    for i2 = 2:2:i1
        if i2 == 6
            break
        end
        ires = ires + i2;
        c2 = c2 +1;
    end
    c1 = c1 +1;
end

fprintf("\n4.\t%d\t%d\t%d",ires,c1,c2);

```

## Output:

### Command Window

Sr.	Ires	Count1	Count2
1.	21	21	
2.	22	4	
3.	18	3	
4.	24	4	8

>>

**Q-4.** Examine the following while loops and determine the value of ires at the end of each of the loops and the number of times each loop executes.

(a) ires = 1;  
while mod(ires,10) ~= 0  
ires = ires + 1;  
end

(b) ires = 2;  
while ires <= 200  
ires = ires^2;  
end

(c) ires = 2;  
while ires > 200  
ires = ires^2;  
end

### Code:

```
clc;  
clear all;  
close all;  
  
fprintf("Sr.\tIres\tCount")
```

```
c = 0;  
ires = 1;  
while mod(ires,10) ~= 0  
    ires = ires + 1;  
    c = c + 1;  
end  
fprintf("\n1.\t%d\t%d",ires,c);
```

```
c = 0;  
ires = 2;  
while ires <= 200  
    ires = ires^2;  
    c = c + 1;  
end  
fprintf("\n2.\t%d\t%d",ires,c);
```

```
c = 0;  
ires = 2;  
while ires > 200  
    ires = ires^2;  
    c = c + 1;  
end  
fprintf("\n3.\t%d\t%d",ires,c);
```

## Output:

Command Window		
Sr.	Ires	Count
1.	10	9
2.	256	3
3.	<u>2</u>	0
>>		

**Q-5.** What is contained in array `arr1` after each of the following sets of statements have been executed in MATLAB?

(a) `arr1 = [1 2 3 4; 5 6 7 8; 9 10 11 12];`  
`mask = mod(arr1,2) == 0;`  
`arr1(mask) = -arr1(mask);`

(b) `arr1 = [1 2 3 4; 5 6 7 8; 9 10 11 12];`  
`arr2 = arr1 <= 5;`  
`arr1(arr2) = 0;`  
`arr1(~arr2) = arr1(~arr2).^2;`

## Code:

```
clc;
clear all;
close all;

arr1 = [1 2 3 4; 5 6 7 8; 9 10 11 12];
mask = mod(arr1,2) == 0;
arr1(mask) = -arr1(mask); ✓

fprintf("1.-----arr1----- \n")
disp(arr1);

arr1 = [1 2 3 4; 5 6 7 8; 9 10 11 12];
arr2 = arr1 <= 5;
arr1(arr2) = 0;
arr1(~arr2) = arr1(~arr2).^2;

fprintf("2.-----arr1----- \n")
disp(arr1);
```

## Output:

```
Command Window

1.-----arr1-----
      1      -2       3      -4
      5      -6       7      -8
      9     -10      11     -12

2.-----arr1-----
      0       0       0       0
      0      36      49      64
     81     100     121     144

>>
```

**Q-6.** Write a MATLAB program to evaluate the function

$$y(x) = \ln \frac{1}{1-x}$$

for any user-specified value of  $x$ , where  $\ln$  is the natural logarithm (logarithm to the base  $e$ ). Write the program with a while loop, so that the program repeats the calculation for each legal value of  $x$  entered into the program. When an illegal value of  $x$  is entered, terminate the program. (Any  $x \geq 1$  is considered an illegal value.)

## Code:

```
clc;
clear all;
close all;

while (true)
    s = "\n\nEnter Your X value: ";
    x = input(s);

    if x>=1
        fprintf("\nInvalid X value (Illegal)");
        break;
    else
        y = log(1/(1-x));
        fprintf("\nY is: %f",y);
    end
end
```



## Output:

```
Command Window

Enter Your X value:
0.2

Y is: 0.223144

Enter Your X value:
0.005

Y is: 0.005013

Enter Your X value:
1.2

Invalid X value (illegal)
```

✓ **Q-7.** The  $n^{\text{th}}$  Fibonacci number is defined by the following recursive equations:

$$\begin{aligned}f(1) &= 1; \\f(2) &= 2; \\f(n) &= f(n-1) + f(n-2)\end{aligned}$$

Therefore,  $f(3) = f(2) + f(1) = 2 + 1 = 3$ , and so forth for higher numbers. Write an M-file to calculate and write out the  $n^{\text{th}}$  Fibonacci number for  $n > 2$ , where  $n$  is input by the user. Use a while loop to perform the calculation.

## Code:

```
clc;
clear all;
close all;
```

```
s = "Enter Your N value: ";
n = input(s);
a = 0;
b = 1;
fprintf("%d %d ", a, b);
i = 3;
sum = 0;
```

```
while (i <= n)
    c = a+b;           %performs add operation on previous two values
    fprintf("%d ", c); % It prints from third value to given length
    a=b;
    b=c;
    i=i+1;
end
```

```
fprintf("\n\nLast Value till %d th is: %d ", n, c);
```

## Output:

### Command Window

Enter Your N value:

15

0 1 1 2 3 5 8 13 21 34 55 89 144 233 377

Last Value till 15 th is: 377

>> |

**Q-8.** The current flowing through the semiconductor diode shown in Figure 4.7 is given by the equation

$$i_D = I_o(e^{\frac{qv_D}{kT}} - 1)$$

Where,  $i_D$  = voltage across the diode, in volts ✓

$v_D$  = current flow through the diode, in amps ✓

$I_o$  = leakage current of the diode, in amps

$q$  = charge on an electron,  $1.602 \times 10^{-19}$  coulombs

$k$  = Boltzmann's constant,  $1.38 \times 10^{-23}$  joule/K

$T$  = temperature, in kelvins (K) ✓

The leakage current  $I_o$  of the diode is  $2.0 \mu\text{A}$ . Write a program to calculate the current flowing through this diode for all voltages from  $-1.0 \text{ V}$  to  $+0.6 \text{ V}$ , in  $0.1 \text{ V}$  steps. Repeat this process for the following temperatures:  $75^\circ\text{F}$  and  $100^\circ\text{F}$ , and  $125^\circ\text{F}$ . Create a plot of the current as a function of applied voltage, with the curves for the three different temperatures appearing as different colors.

## Code:

```
clc;
clear all;
close all;

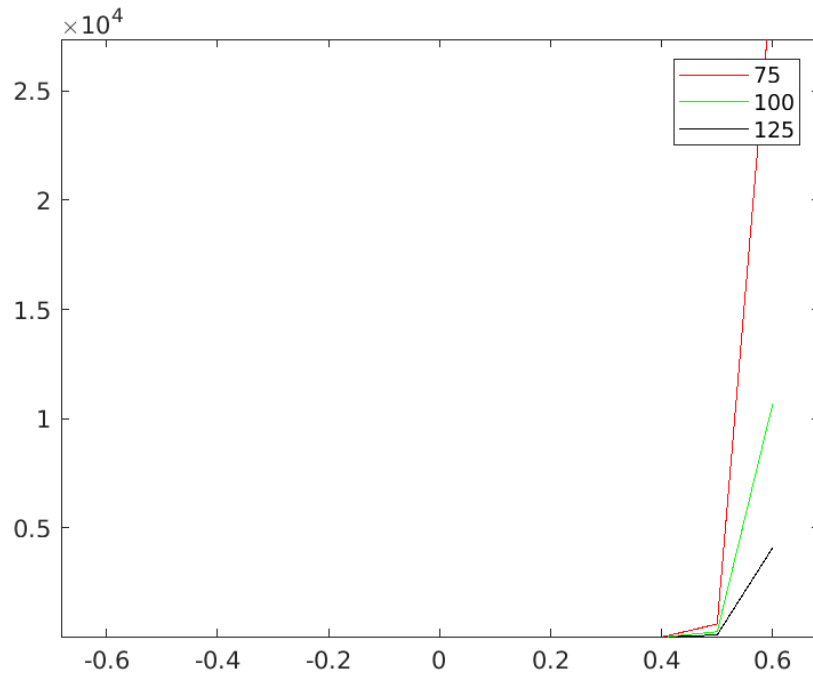
t=[75,100,125];
format long;
color=['r','g','k'];
c=1;
I0=2 * 10^-6;
V=-1:0.1:0.6;
k=1.38 * 10^-23;
q=1.602 * 10^-19;
for i=t
    i=(i - 32) * 5/9 + 273.15;
    temp=(q/(k*i))*V;
    I=I0*(exp(temp)-1);
    plot(V,I,color(c));
```

```

        hold on
        c=c+1;
        I=[];
    end
    legend('75','100','125');

```

## Output:



**Q-9.** Engineers often measure the ratio of two power measurements in *decibels*, or dB. The equation for the ratio of two power measurements in decibels is

$$dB = 10 \log_{10} \frac{P_2}{P_1}$$

where  $P_2$  is the power level being measured and  $P_1$  is some reference power level. Assume that the reference power level  $P_1$  is 1 watt, and write a program that calculates the decibel level corresponding to power levels between 1 and 20 watts, in 0.5 W steps. Plot the dB-versus-power curve on a log-linear scale.

## Code:

```

clc;
clear all;
close all;

p1 = 1;
p2 = 1:0.5:20;

dB = 10 .* log10(p2./p1)

figure(1)
plot(p2,dB);
ylabel("Decibal");
xlabel("Power");
title("Normal Graph");

```

```
figure(2)
semilogx(p2,dB);
ylabel("Decibal");
xlabel("Power");
title("Log Linear Graph");
```

## Output:

Command Window

dB =

Columns 1 through 14

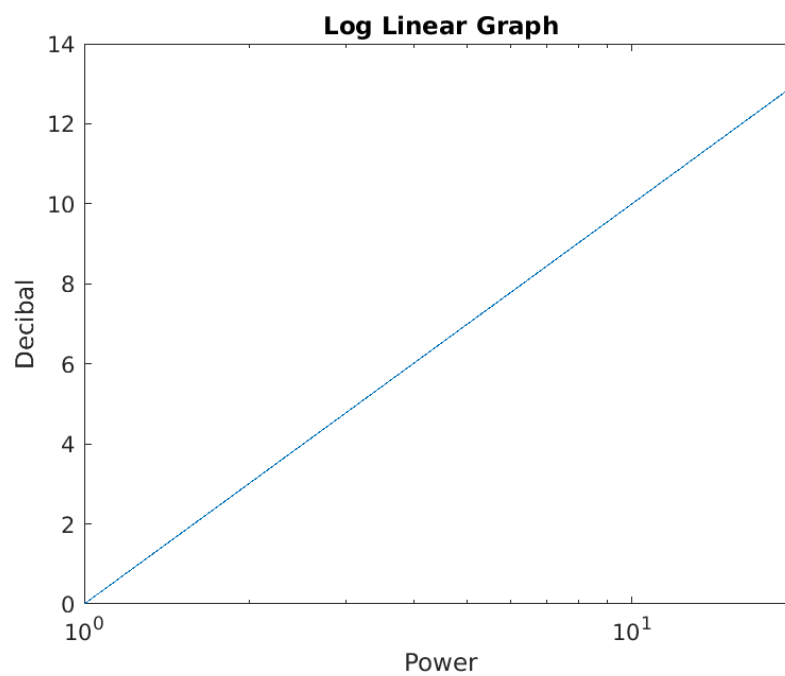
0	1.7609	3.0103	3.9794	4.7712	5.4407	6.0206	6.5321	6.9897	7.4036	7.7815	8.1291	8.4510	8.7506
---	--------	--------	--------	--------	--------	--------	--------	--------	--------	--------	--------	--------	--------

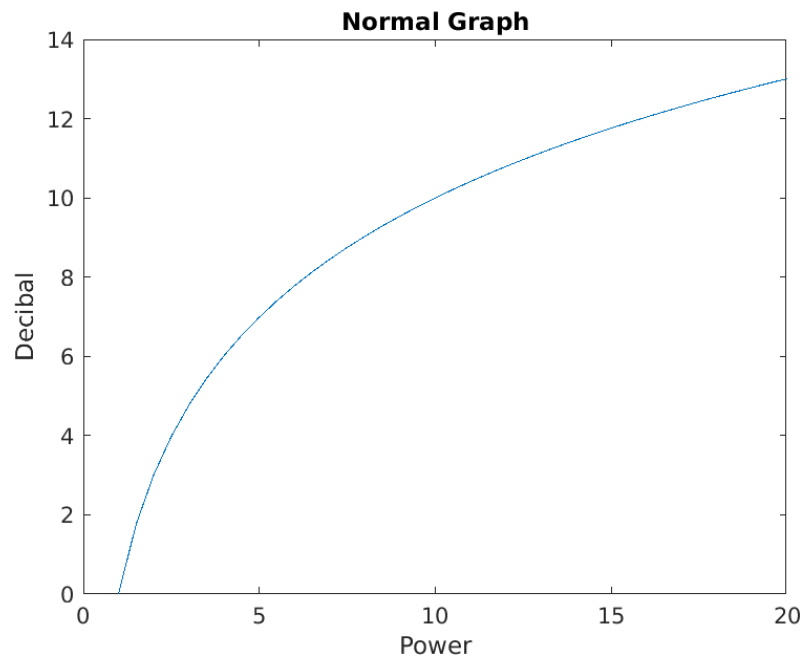
Columns 15 through 28

9.0309	9.2942	9.5424	9.7772	10.0000	10.2119	10.4139	10.6070	10.7918	10.9691	11.1394	11.3033	11.4613	11.6137
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Columns 29 through 39

11.7609	11.9033	12.0412	12.1748	12.3045	12.4304	12.5527	12.6717	12.7875	12.9003	13.0103
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**Conclusion:**

From this experiment we came to learn different types and ways to plot graphs, use for and while loops. As using for loops we came to understand how we have to provide different types of conditions in for loop. We even got acquainted with break and continue statements. We learnt about the while iterative loops also.