# Homework1

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## Question1

(a) Qualitative: Ordinal
(b) Qualitative: Binary
(c) Qualitative: Nominal
(d) Quatitative: Continuous
(e) Quatitative: Discrete

## Question2

```
# Basic info
bike_scores <- c(45, 39, 25, 47, 49, 5, 70, 99, 74, 37, 99, 35, 8, 59)
car_scores <- c(67, 50, 85, 43, 64, 35, 47, 97, 58, 58, 10, 56, 50)
```

a) Compute Mean, Median, Range, SD

```
mean_bike = mean(bike_scores)
median_bike = median(bike_scores)
range_bike = range(bike_scores)
sd_bike = sd(bike_scores)
cat("Mean (bike crash group):", mean_bike, "\n")

## Mean (bike crash group): 49.35714

cat("Median (bike crash group):", median_bike, "\n")

## Median (bike crash group): 46

cat("Range (bike crash group):", range_bike, "\n")

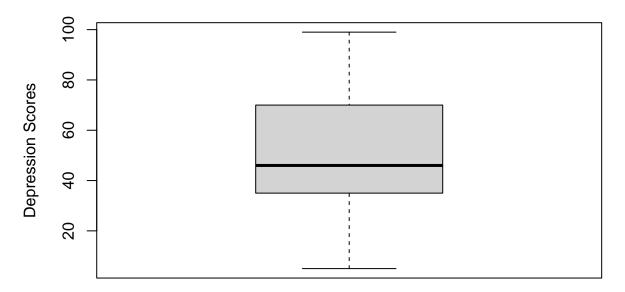
## Range (bike crash group): 5 99

cat("Standard Deviation (bike crash group):", sd_bike, "\n")

## Standard Deviation (bike crash group): 28.84603
```

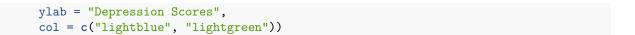
### b) Description

## **Depression Scores by Bike Crash**

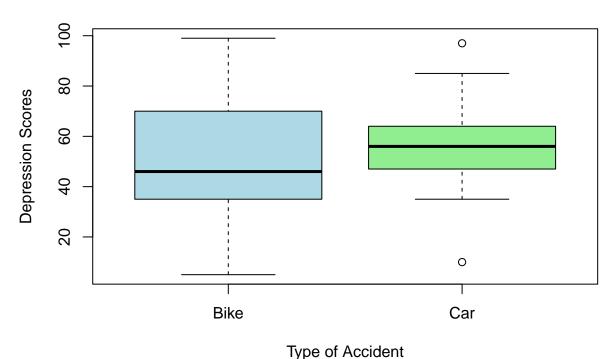


Therefore the boxplot shows that the median of this dataset is 46. And the shape of box shows that the underlying distribution seems like right-skewed and unimodal.

## c) Plot



## **Depression Scores by Type of Accident**



#### d) description

The boxplot of bike-crash dataset shows that the median of this dataset is 46. And the shape of box shows that the underlying distribution seems like right-skewed and unimodal. The boxplot of car-crash dataset shows that the median of this dataset is 58. And the shape of box shows that the underlying distribution seems like symmetric and unimodal.

## e) Comparison

The bike crash group has a lower median depression score (around 46) compared to the car crash group (with a median around 58). This suggests that the typical depression score is lower in bike crash group.

## Question3

**a**)

$$A =$$
 "an even number appears"  $P(A) = \frac{1}{2}$ 

b)

$$B =$$
 "number 10 appears"  $P(B) = \frac{1}{12}$ 

**c**)

$$\therefore B \subset A$$
$$\therefore P(B \cup A) = P(A) = \frac{1}{2}$$

d)

A and B are not independent. This is because if A does not happen, B cannot happen neither.

## Question4

$$P(dementia) = 5\%$$

$$P(positive|dementia) = 80\%$$

$$P(positive|\neg dementia) = 10\%$$

$$\therefore P(dementia|positive) = \frac{P(dementia, positive)}{P(positive)}$$

$$= \frac{P(positive|dementia) \times P(dementia)}{\sum_{s \in \{dementia, \neg dementia\}} P(positive|s) \times P(s)}$$

$$= \frac{0.8 * 0.05}{0.8 * 0.05 + 0.1 * 0.95}$$

$$= \frac{8}{27}$$
by that she actually has dementia is about 0.2962

So the probability that she actually has dementia is about 0.2962