$$I_0 = \xi \frac{d\Phi_E}{dt}$$

Proof:
$$\phi_{\varepsilon} = \varepsilon \cdot \hbar$$

$$\phi_{\varepsilon} = \varepsilon \cdot \hbar$$

$$A Q = \frac{46}{d} Ed$$

$$i_D = \frac{do}{dt} = \frac{d}{dt} + \mathcal{E} E$$

$$i_p = \mathcal{E}_0 \frac{d\phi_c}{dt}$$

2 Amperels circuital law:

i)
$$\oint \vec{E} \cdot d\vec{s} = \frac{9}{E_0} \int Gauss' law in Electrostatic$$

1)
$$\oint \vec{B} \cdot d\vec{l} = lo \left[\vec{I} + \mathcal{E} \frac{d \delta_E}{dt} \right] \int dmperels$$

i) Velocity of electromagnetic waves in free
space,
$$C = \frac{1}{\sqrt{A_c E_o}} = \frac{E_o}{B_o}$$
 $E_o = C B_o$

(3) Modified Ampere's circutal law:
$$N = \frac{C}{V} = \frac{1}{M_0 E_0} \times \sqrt{ME} = \frac{ME}{M_0 E_0}$$

$$\Phi \vec{R} \cdot \vec{al} = \mu_o \left[\vec{I}_c + \mathcal{E}_o \frac{d\Phi_E}{at} \right]$$

$$P = \frac{1}{C}$$

$$1 = \sqrt{M^2 \xi^2}$$

$$\eta = \sqrt{M_s \varepsilon_r}$$

$$M_s = \frac{M}{M_s} = \text{ releative permeability}$$

$$C = \varepsilon_s = \text{ relative}$$

$$E_8 = \underline{E} = \text{relative}$$
 $E_8 = \text{permittivity}$

$$T = \frac{1}{2} \frac{E_0 R_0}{N_0} = \frac{1}{2} \frac{R_0^2}{N_0} \times C = \frac{1}{2} \epsilon E_0 \times C$$

Displacement Current Bell Plates of Capaciton.

$$I_{p} = \varepsilon \frac{d(\varepsilon A)}{dt} = \varepsilon A \frac{d\varepsilon}{dt}$$

$$= \varepsilon A \frac{d(V)}{dt} = \varepsilon A \frac{dV}{dt}$$

$$I_{p} = \varepsilon \frac{dV}{dt}$$

Momentom transported Ry EMW:

$$p = \frac{U}{c}$$
, $V \rightarrow Energy to anspost$
By EMW

Energy transported By EMW per second per unit area.

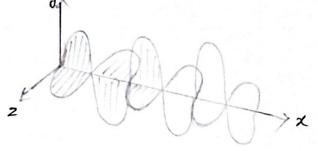
IT Eo & Ro be the peak values of the electric & magnetic fields,

$$T = \frac{E_0 R_0}{2 H_0} = \frac{E_0^2}{2 H_0 C} = \frac{c R_0^2}{2 H_0}$$

· Charge Ka flow -> Conduction I

· E vary with time t -> Displacement

I



- EXI -> disection of &M wave.