

$$H \begin{Bmatrix} +1 \\ -1 \end{Bmatrix} d^{-1}, \quad H \begin{Bmatrix} +1 \\ -1 \end{Bmatrix} 0 \begin{Bmatrix} -1 \\ +1 \end{Bmatrix} H$$

② O.N of 'O' is usually  $-2$  but

$-\frac{1}{3}$  in ozonide eg.  $\text{KO}_3$   $1 + 3x = 0 \Rightarrow x = -\frac{1}{3}$

+2 in  $of_2$

⑧ The sum of o.N of all the elements in a compound is always zero.

⑨ The sum of o.N of all the elements in an ION is always equal to charge on that ion.

$f \rightarrow -1$  in all compounds

$$\ddot{A}-\ddot{A}$$
$$E.N: A < B$$
$$\begin{array}{ccc} A \sim B & A \approx B & A \equiv B \\ +1 & +2 & +3 \\ -1 & -2 & -3 \end{array}$$

⑪ O.N in Co-ordinate Bond

$$A \leftarrow B$$
$$\exists N: A < B$$

eg  $H \equiv N \equiv C$  or  $H \equiv N^+ \equiv C^-$

+1	-1-2	+2	+1	-1-3	+3
↓	↓	↓	↓	↓	↓
+1	-3	+2	+1	-3	+2

⑦ o.N of elements in elemental state is always zero  
eg  $O_2$ ,  $P_4$ ,  $S_8$ ,  $N_2$ ,  $X_2$  etc

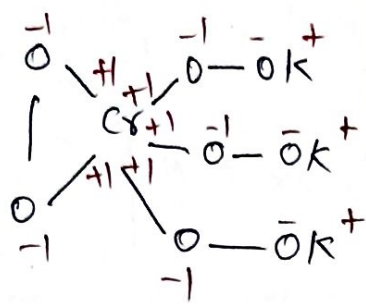
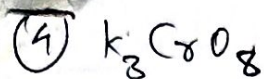
<p>① <math>\text{KClO}_3</math></p> $+1 + x + 3(-2) = 0$ $x = +5$	<p>④ <math>\text{Na}_2\text{S}_2\text{O}_3</math></p> $2 + 2x - 6 = 0$ $x = 2$	<p>⑧ <math>[\text{Co}(\text{NH}_3)_4(\text{H}_2\text{O})\text{Cl}]\text{SO}_4</math></p> $x + 4(0) + 0 - 1 = 2$ $x = +3$	<p>⑪ <math>\text{NH}_4^+ \text{NO}_3^-</math></p> $x + 4 = 1 \quad x - 6 = -1$ $x = -3 \quad x = +5$
<p>② <math>\text{Fe}_{0.94}\text{O}</math></p> $0.94x - 2 = 0$ $x = \frac{2}{0.94} = \frac{200}{94}$	<p>⑤ <math>\text{H}_5\text{IO}_6</math></p> $5 + x - 12 = 0$ $x = 7$	<p>⑨ <math>4\text{Ba}_2\text{Co}_3\text{O}_7</math></p> $\rightarrow 3 + 4 + 3x + 4 = 0$ $x = 7/3$	<p>⑫ <math>[\text{Fe}(\text{CN})_6]^{4-}</math></p> $\rightarrow x + 6(-1) = -4$ $x = -4 + 6$ $x = +2$
<p>③ <math>\text{SO}_4^{2-}</math></p> $4x + 6(-2) = -2$ $4x - 12 = -2$ $x = 2.5$	<p>⑥ <math>\text{KN}_3</math></p> $1 + 3x = 0$ $x = -1/3$	<p>⑩ <math>(\text{N}_2\text{H}_5)^+ \text{SO}_4^{2-}</math></p> $\rightarrow 2x + x - 8 = 0$ $x = +6$	

### Calculation of Individual o.N

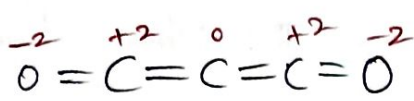
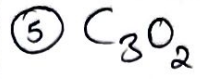
<p>① <math>\text{CrO}_5</math></p> <p>o.N of Cr = +6</p> <p>o.N of O = -1</p> <p>peroxy Bond = 2</p> <p><math>[-\text{O}-\text{O}-]</math></p> <p>Avg of O = <math>-\frac{6}{5}</math></p>	<p>② <math>\text{Br}_3\text{O}_8</math></p> <p>o.N of Br = +4 &amp; +6</p> <p>" " O = -2</p> <p>Peroxy Bond = 0</p> <p>Avg. o.N of Br = <math>\frac{16}{3}</math></p>	<p>③ Caro's Acid</p> <p><math>\text{H}_2\text{SO}_5</math></p> <p>o.N of S = +6</p> <p>o.N of O = -1 &amp; -2</p> <p>P. Linkage = 1</p> <p>A.V o.N of 'O' = <math>-\frac{4}{3}</math></p> <p><math>\frac{-2}{\text{O}} \quad \frac{-1}{\text{O}} \quad \frac{-1}{\text{O}}</math></p>
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Avg oxid<sup>n</sup> No. =  $\frac{\text{Total charge of atom y}}{\text{No. of atom y}}$

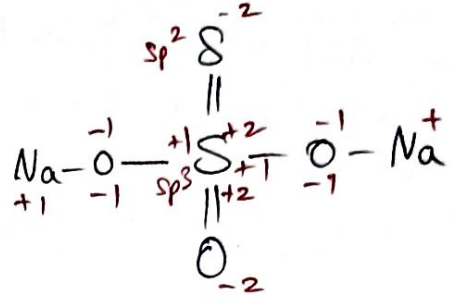
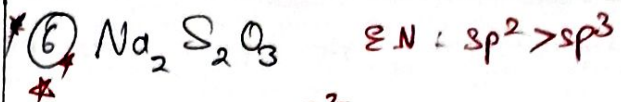




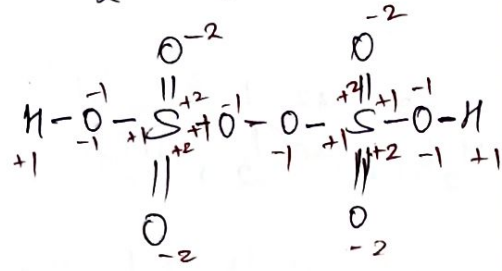
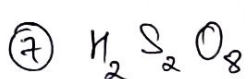
O.N of Cr = +5  
 O.N of 'O' = -1  
 Peroxy Bond = 4  
 O.N of K = +1



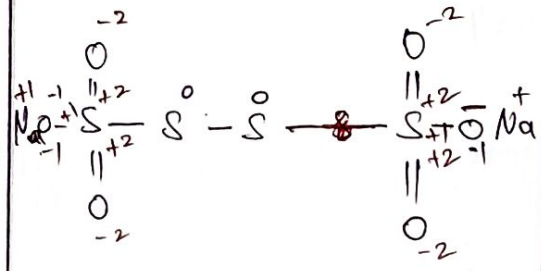
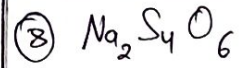
O.N of 'C' = 0 & +2  
 O.N of O = -2  
 P.L = 0



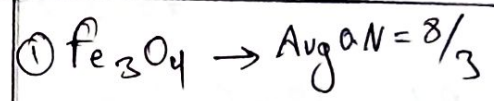
O.N of 'S' = -2 & +6  
 O.N of 'O' = -2  
 " " Na = +1  
 Peroxy linkage = 0



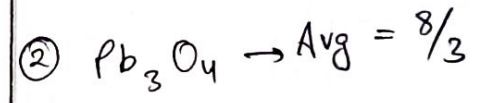
O.N of S = +6  
 O.N of O = -1 & -2  
 O.N of H = +1  
 Peroxy linkage = 1



O.N of S = +5 & 0  
 O.N of O = -2  
 O.N of Na = +1  
 P.L = 0



exist as  $FeO, Fe_2O_3$

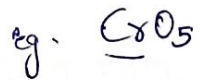


exist as  $2PbO, PbO_2$

How to find P.L without structure.

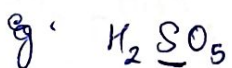
→ Peroxy linkage is present when  
 $\text{Avg } O.N > \text{Max } O.N$

Max O.N for s & d Block → group No.  
 for p Block → group No - 10



$x - 10 = 0$   
 $x = +10 > +6$

Yes, P.L is present



$2 + x - 10 = 0$   
 $x = +8 > +6$

Yes, P.L is present

How to find no. of P.L without struct in w.

Case I: when only one central atom is present

$$P.L = \frac{\text{Avg O.N} - \text{max O.N}}{2}$$

Eg  $\text{CrO}_5$

$$P.L = \frac{10 - 6}{2} = \frac{4}{2} = 2$$

Eg  $\text{K}_3\text{CrO}_8$  :  $3 + x - 16 = 0$   
 $x = +13 > +6$

$$P.L = \frac{13 - 6}{2} = \frac{7}{2} \approx 3.5 \approx 4$$

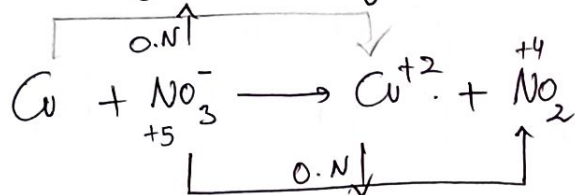
Case II: when two C.A are present

$$P.L = \text{Avg O.N} - \text{max O.N}$$

Eg  $\text{H}_2\text{S}_2\text{O}_8$  :  $2 + 2x - 16 = 0$   
 $x = +7 > +6$

$$P.L = 7 - 6 = 1$$

Oxidising & Reducing agent



O.N  $\uparrow$ , oxidises itself, Reducing agent

O.N  $\downarrow$ , Reduces itself, ~~Reducing~~ Oxidizing agent.

Case I: If C.A is in its max. O.N  
 Reduces itself, Oxidizing agent

Eg  $\text{KMnO}_4$ ,  $\text{K}_2\text{Cr}_2\text{O}_7$ ,  $\text{HNO}_3$ , etc

Case 2: If C.A is in its min O.N  
 oxidises itself, Reducing Agent

~~Case 3~~: Eg.  $\text{H}_2\text{S}$ ,  $\text{SnCl}_2$ ,  $\text{HCl}$

Case 3: If C.A is in its intermediate O.N

oxidises, Reduces itself,  
 oxidizing & Reducing agent Both

Eg  $\text{HNO}_2$ ,  $\text{HI O}_3$  etc.



## Normality (N)

$$N = \frac{\text{No. of gm equivalent}}{\text{Volume (in L)}}$$

$$\text{No. of gm equi} = \frac{\text{Weight}}{\text{Equivalent Weight}}$$

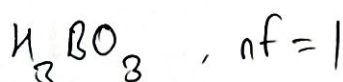
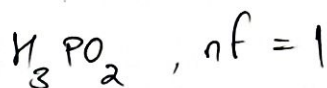
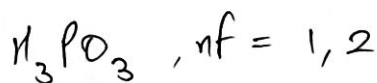
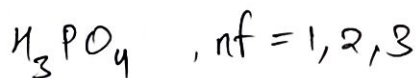
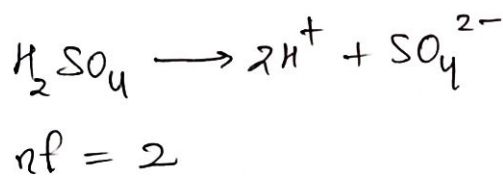
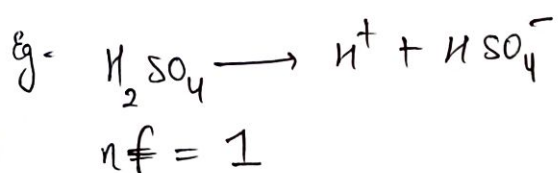
$$\text{Equivalent weight} = \frac{\text{Atomic or Molecular weight}}{n\text{-factor}}$$

$$\text{Normality} = \text{Molarity} \times n\text{-factor}$$

### n-factor

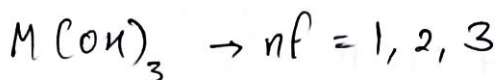
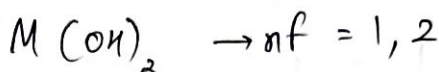
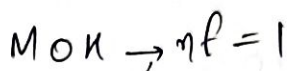
① Case I: for acids

nf = no. of  $H^+$  ions furnish in the solution



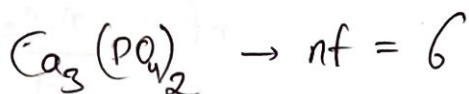
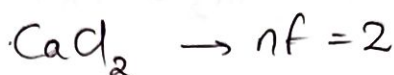
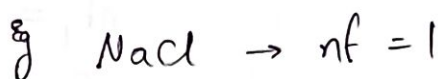
Case 2: for Bases

nf = no. of  $OH^-$  ions furnish in the solution



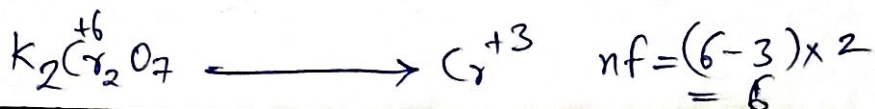
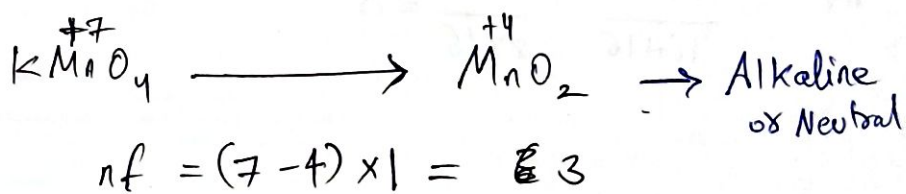
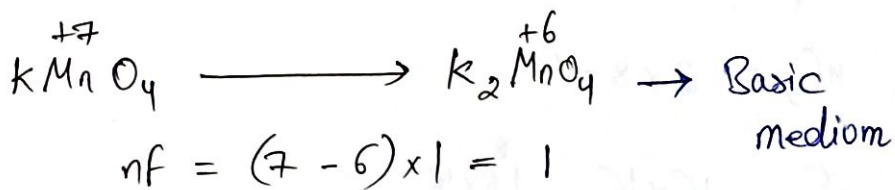
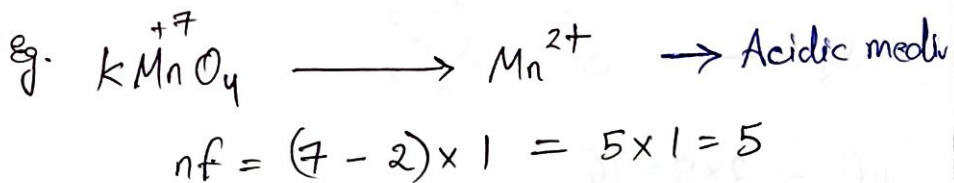
Case 3: for salts

nf = Total +ve charge or Total -ve charge

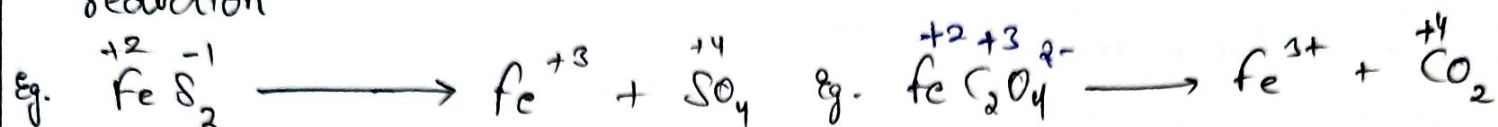


Case 4: Redox Rxn

$\pm$ : When only one atom can undergo either oxidation or reduction



② When two or more atoms can undergo either oxidation or reduction



$$nf_1 = (-1 - 1) \times 2 = 10$$

$$nf_2 = (3 - 2) \times 1 = 1$$

$$nf = 10 + 1 = 11$$

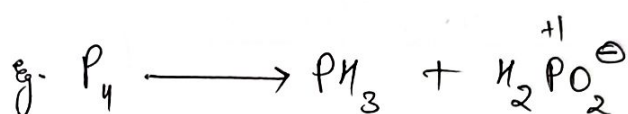
$$nf_1 = (3 - 2) \times 1 = 1$$

$$nf_2 = (4 - 3) \times 2 = 2$$

$$nf = 2 + 1 = 3$$

③ Disproportionation Rxn

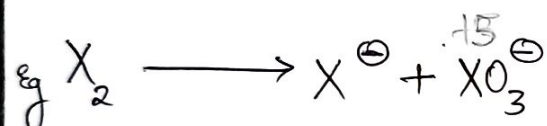
$$nf = \frac{n_1 n_2}{n_1 + n_2}$$



$$nf_1 = 2 \times 4 = 12$$

$$nf_2 = 1 \times 4 = 4$$

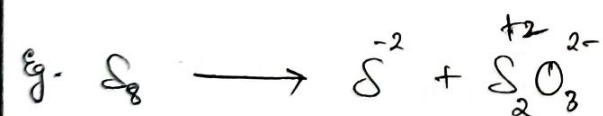
$$nf = \frac{n_1 n_2}{n_1 + n_2} = \frac{12 \times 4}{12 + 4} = \frac{12 \times 4}{16} = 3$$



$$nf_1 = 1 \times 2 = 2$$

$$nf_2 = 5 \times 2 = 10$$

$$nf = \frac{2 \times 10}{2 + 10} = \frac{20}{12} = \frac{5}{3}$$



$$nf_1 = 2 \times 8 = 16$$

$$nf_2 = 2 \times 8 = 16$$

$$nf = \frac{16 \times 16}{16 + 16} = \frac{16 \times 16}{2 \times 16} = 8$$

