

$$P_1 V_1 = P_2 V_2 \Rightarrow \text{for isothermal}$$

$$P_1 V_1^\gamma = P_2 V_2^\gamma \Rightarrow \text{for adiabatic}$$

Poisson's equation

Work (W) &  
Heat Q  
↓  
Path function

4) Adiabatic Process  $Q=0$

Enthalpy of Sublimation

$$W = -P_{\text{ext}} \Delta V$$

$$W = \frac{nR}{\gamma-1} (T_2 - T_1)$$

$$\Delta_{\text{sub}} H = \Delta_{\text{fus}} H + \Delta_{\text{vap}} H$$

$$W = - \int_{V_1}^{V_2} P_{\text{ext}} dV$$

OR

$\Delta_{\text{fus}} H$  = Enthalpy of fusion

$$W = \frac{P_2 V_2 - P_1 V_1}{\gamma-1}$$

$\Delta_{\text{vap}} H$  = Enthalpy of Vapourization.

$$1 \text{ atm l} = 101.3 \text{ J}$$

for irreversible adiabatic

Entropy:

$$1 \text{ dm}^3 \text{ Bar} = 100 \text{ J}$$

$$W = -P_{\text{ext}} \Delta V$$

$$\Delta S = \sum S_{\text{product}} - \sum S_{\text{reactant}}$$

$$1 \text{ Bar} = 10^5 \text{ Pa}$$

Work Done

1) Isochoric Process

$$W = 0$$

$$\Delta V = 0$$

$$\Delta U = \Delta q + \Delta W$$

↓ Change in U      ↓ Heat given to system      ↓ Work done on the system

$$\Delta S = \frac{q_{\text{reversible}}}{T}$$

2) Isobaric Process

$$\Delta P = 0$$

$$W = -P_{\text{ext}} \Delta V$$

Enthalpy:

$$H = U + PV$$

$$1 \text{ J} = 4.184 \text{ cal}$$

Extensive = Intensive  
Extensive

3) Isothermal Process

In Chemical rxn

$$W = -nRT \log_e \left( \frac{V_2}{V_1} \right)$$

$$W = -\Delta n_g RT$$

OR

$$\Delta H = \Delta U + \Delta n_g RT$$

4) In any cyclic process

→ change in → ~~state function~~

↳ state function → ZERO.

$$W = -2.303nRT \log_{10} \left( \frac{V_2}{V_1} \right)$$

OR

$$\Delta S_{\text{surrounding}} = -\frac{\Delta H}{T}$$

$$\Delta Q \neq 0 \text{ \& } \Delta W \neq 0$$

$$W = -2.303nRT \log_{10} \left( \frac{P_1}{P_2} \right)$$



Quantity	Sign	When applicable
$W$	-	Work done by the system (expansion)
$W$	+	Work done on the system (compression)
$q$	+	Heat absorbed by the system
$q$	-	Heat given out by the system
$\Delta U$	+	Energy absorbed by the system
$\Delta U$	-	Energy given out by the system

Extensive Property	Intensive Property
Mass, Volume, no. of moles, internal energy, Heat capacity. ① Energy → Enthalpy → Entropy → Gibbs free Energy	Density, M.P, B.P, Refractive index, specific heat capacity, Viscosity. Concentration terms: Molarity, molality, mole fraction, Normality Mole Entropy, Molar Enthalpy pH, Temperature, Surface tension.

$$1\text{m}^3 = 10^3\text{dm}^3 = 10^6\text{cm}^3 = 10^6\text{mL} = 10^3\text{L}$$

$$1\text{L} = 1000\text{mL} ; 1\text{mL} = 10^{-3}\text{L} ; 1\text{L} = 1\text{dm}^3 = 10^3\text{cm}^3$$

Bond Enthalpy & Enthalpy of Reaction.

$$\Delta H^\circ (\text{reaction}) = \sum m \Delta H^\circ (\text{Reactant Bonds}) - \sum n \Delta H^\circ (\text{Product Bonds})$$

Internal Energy  $\propto$  Temperature.

$$\Delta U = n C_v \Delta T$$

Heat at Const. Volume  $Q_v = U$  (Internal E.)

const. Pressure  $Q_p = H$  (Enthalpy)

# Entropy:

Graphite > Diamond.

$$\Delta S_{\text{fus}} = \frac{\Delta H_{\text{fus}}}{T}$$

$$\Delta S_{\text{vap}} = \frac{\Delta H_{\text{vap}}}{T}$$

$$\Delta S_{\text{sub}} = \frac{\Delta H_{\text{sub}}}{T}$$



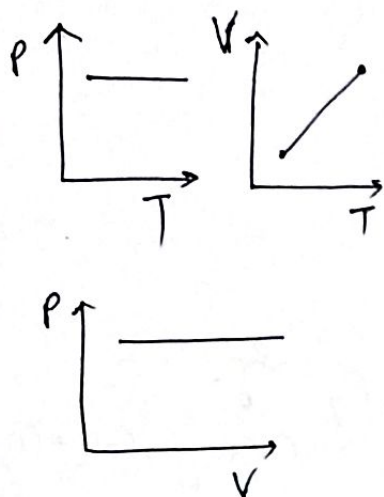
# Entropy: gas > liquid > solid

Bond formation  $\rightarrow$  Energy release. (Exothermic)

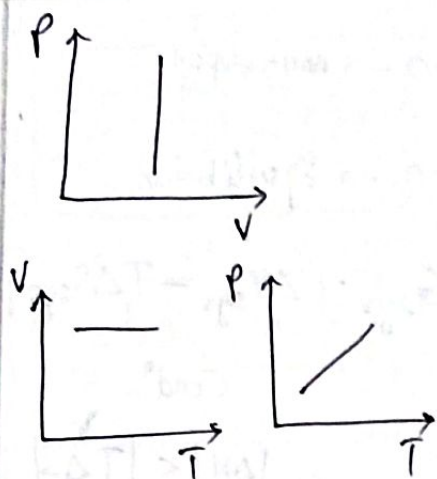
Expand  $\rightarrow$  Heating  
Compress  $\rightarrow$  Cooling

Processes ( $PV=nRT$ )

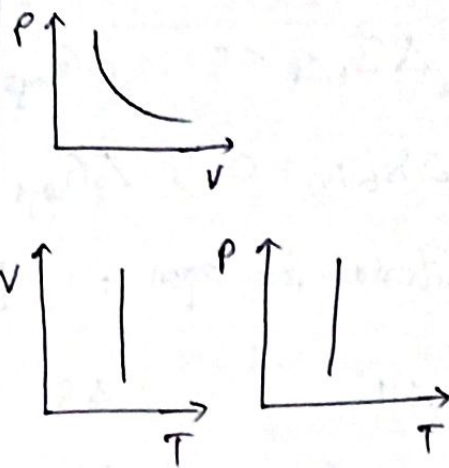
IsoBaric ( $\Delta P=0$ )



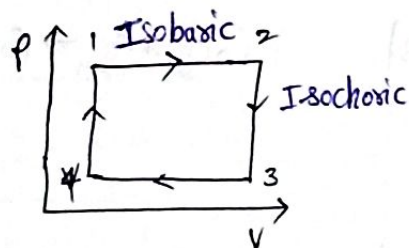
Isochoic ( $\Delta V=0$ )



Isothermal ( $\Delta T=0$ )



Cyclic: The process in which initial & final states are same with the formation of loop.



Calcu<sup>n</sup> of Entropy in diff process:

$$\Delta S = n C_{v,m} \log_e \left( \frac{T_2}{T_1} \right) + n R \log_e \left( \frac{V_2}{V_1} \right)$$

$$\Delta S = n C_{p,m} \log_e \left( \frac{T_2}{T_1} \right) + n R \log_e \left( \frac{P_1}{P_2} \right)$$

Case 3: Isothermal

$$\Delta S = n R \log_e \left( \frac{V_2}{V_1} \right) = n R \log_e \left( \frac{P_1}{P_2} \right)$$

Case I: In IsoBaric process:

$$\Delta S = n C_{p,m} \log_e \left( \frac{T_2}{T_1} \right)$$

Case II: Isochoic process

$$\Delta S = n C_{v,m} \log_e \left( \frac{T_2}{T_1} \right)$$

Irreversible adia

Rever. adia

$$\Delta S = \frac{q_{rev}}{T}$$

$$\therefore q = 0$$

$$\therefore \Delta S = 0$$

isentroptic processes.

Gibbs Helmholtz eq<sup>n</sup>: ① state fun<sup>n</sup> ② Extensive

ZnO is photocatalyst.

$$\Delta G = \Delta H - T\Delta S$$

$$\Delta G_{sys} = -T\Delta S_{univ}$$

1)  $\Delta S_{univ} > 0$  ;  $\Delta G_{sys} < 0 \rightarrow$  spontaneous.

2)  $\Delta S_{univ} < 0$  ;  $\Delta G_{sys} > 0 \rightarrow$  non-spont.

3)  $\Delta S_{univ} = 0$  ;  $\Delta G_{sys} = 0 \rightarrow$  Equilibrium

Criteria for spont:  $[\Delta G_{sys} = \Delta H_{sys} - T\Delta S_{sys}]$

$\Delta H$	$\Delta S$	Cond <sup>n</sup>	Eg.
+ve (endo)	+ve	$ \Delta H  <  T\Delta S $	$\text{CaCO}_3(s) \rightarrow \text{CaO}(s) + \text{CO}_2(g)$
+ve (endo)	-ve	Always non-spont.	$3\text{O}_2(g) \rightarrow 2\text{O}_3(g)$
-ve (exo)	+ve	Always spont.	$2\text{O}_3(g) \rightarrow 3\text{O}_2(g)$
-ve (exo)	-ve	$ \Delta H  >  T\Delta S $	$\text{CaO}(s) + \text{CO}_2(g) \rightarrow \text{CaCO}_3(s)$

# Reactivity  $\propto$  Bond length

$$\# \text{amu or } \mu = 1.6656 \times 10^{-24} \text{ g}$$