

# 1

## Results

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method	$\beta$
power law fit of $m(t = 0, \chi) \sim \xi(\chi)^\beta$ , and varying which data points to use. $\chi \in \{8, \dots, 112\}$ .	0.124999
best fit (polynomial fit of order 5) of $\kappa$ and $\beta$ in a data collapse with $\xi(\chi) \sim \chi^\kappa$ . $\Delta t = 0.001$ . $\chi \in \{12, 20, \dots, 60\}$ .	0.12467 ( $\kappa = 1.9256$ )
best fit (polynomial fit of order 5) of $\beta$ in a data collapse with $\xi(\chi)$ from row-to-row transfer matrix. $\Delta t = 0.001$ . $\chi \in \{12, 20, \dots, 60\}$ .	0.12461

By fitting a power law

$$\xi(\chi) \sim \chi^\kappa$$

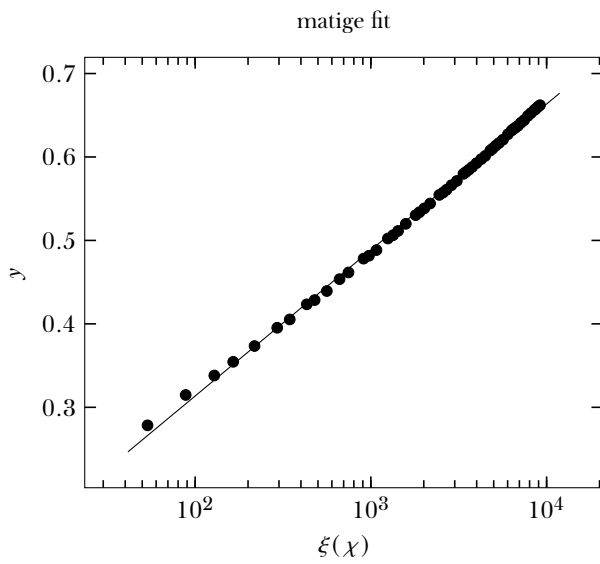
to the correlation length given by the transfer matrix at  $T_{\text{crit}}$ , I find

$$\kappa \approx 1.9$$

For the fitness of the data collapse, I use the percentual norm of residuals of a polynomial fit of order 5 through all data points.

Another option that I tried was the percentual mean-squared error between the interpolations of data points of lower  $\chi$  and the data points of the highest value of  $\chi$ . Both options are suggested in [2].

A generalization of the latter option is presented in [1]. Here, the fitness is judged not only relative to the highest value of  $\chi$ , but relative to all values of  $\chi$  with equal weight.



## Bibliography

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- [1] Somendra M Bhattacharjee and Flavio Seno. “A measure of data collapse for scaling”. In: *Journal of Physics A: Mathematical and General* **34**.33 (2001), p. 6375.
- [2] Anders W Sandvik, Adolfo Avella, and Ferdinando Mancini. “Computational studies of quantum spin systems”. In: *AIP Conference Proceedings*. Vol. 1297. 1. AIP. 2010. Chap. 3, pp. 135–338.