

Practical 7A :- Trapezoidal Rule

Q1 $\int 1/x^2 dx$ from 1 to 5

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In[17]:= f[x_] = 1 / x ^ 2;  
a = 1;  
b = 5;  
n = 10;  
h = (b - a) / n;  
sol = (h / 2) * (f[a] + 2 * Sum[f[i], {i, a + h, b - h, h}] + f[b]);  
in = Integrate[1 / x ^ 2, {x, 1, 5}];  
Print["Exact Value of Integral is: ", in]  
Print["Approximate value of Integral is: ", N[sol]]  
Print["Error in Integral is: ", Abs[in - N[sol]]]
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Exact Value of Integral is: $\frac{4}{5}$

Approximate value of Integral is: 0.825681

Error in Integral is: 0.0256813

Q2 $\int e^{-x^2}$ from 0 to 0.6

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In[87]:= f[x_] = Exp[-x ^ 2];  
a = 0;  
b = .6;  
n = 10;  
h = (b - a) / n;  
sol = (h / 2) * (f[a] + 2 * Sum[f[i], {i, a + h, b - h, h}] + f[b]);  
in = Integrate[Exp[-x ^ 2], {x, 0, .6}];  
Print["Exact Value of Integral is: ", in]  
Print["Approximate value of Integral is: ", N[sol]]  
Print["Error in Integral is: ", Abs[in - N[sol]]]
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Exact Value of Integral is: 0.535154

Approximate value of Integral is: 0.534902

Error in Integral is: 0.000251232

Q $\int 1/(1+x^2)$ from 0 to 0.6 and h=0.1

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In[188]:= f[x_] = 1/(1 + x^2);
a = 0;
b = 0.6;
h = 0.1;
sol = (h/2)*(f[a] + 2*Sum[f[i], {i, a+h, b-h, h}] + f[b]);
in = N[Integrate[1/(1 + x^2), {x, 0, 0.6}]];
Print["Exact Value of Integral is: ", in]
Print["Approximate value of Integral is: ", N[sol]]
Print["Error in Integral is: ", Abs[in - N[sol]]]

Exact Value of Integral is: 0.54042
Approximate value of Integral is: 0.539878
Error in Integral is: 0.000541031
Q4  $\int x^2/(1+x^3) dx$  from 0 to 1 and h=0.25

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In[167]:= f[x_] = x^2/(1 + x^3);
a = 0;
b = 1;
h = 0.25;
sol = (h/2)*(f[a] + 2*Sum[f[i], {i, a+h, b-h, h}] + f[b]);
in = N[Integrate[x^2/(1 + x^3), {x, 0, 1}]];
Print["Exact Value of Integral is: ", in]
Print["Approximate value of Integral is: ", N[sol]]
Print["Error in Integral is: ", Abs[in - N[sol]]]

Exact Value of Integral is: 0.231049
Approximate value of Integral is: 0.232341
Error in Integral is: 0.00129221
Q4  $\int \sin x dx$  from 0 to  $\pi$ 

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In[117]:= f[x_] = Sin[x];
a = 0;
b = Pi;
n = 11;
h = (b - a)/n;
sol = (h/2)*(f[a] + 2*Sum[f[i], {i, a+h, b-h, h}] + f[b]);
in = Integrate[Sin[x], {x, 0, Pi}];
Print["Exact Value of Integral is: ", in]
Print["Approximate value of Integral is: ", N[sol]]
Print["Error in Integral is: ", Abs[in - N[sol]]]

Exact Value of Integral is: 2
Approximate value of Integral is: 1.98639
Error in Integral is: 0.013613

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