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# **MODULE 3: DEADLOCKS**

#### 3.1 Deadlocks

- Deadlock is a situation where a set of processes are blocked because each process is
  - → holding a resource and
  - → waiting for another resource held by some other process.
- Real life example:

When 2 trains are coming toward each other on same track and there is only one track, none of the trains can move once they are in front of each other.

- Similar situation occurs in operating systems when there are two or more processes hold some resources and wait for resources held by other(s).
- Here is an example of a situation where deadlock can occur (Figure 3.1).

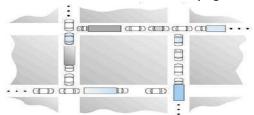


Figure 3.1 Deadlock Situation

#### 3.2 System Model

- A system consist of finite number of resources. (For ex: memory, printers, CPUs).
- These resources are distributed among number of processes.
- A process must
  - → request a resource before using it and
  - $\rightarrow$  release the resource after using it.
- The process can request any number of resources to carry out a given task.
- The total number of resource requested must not exceed the total number of resources available.
- In normal operation, a process must perform following tasks in sequence:

#### 1) Request

- > If the request cannot be granted immediately (for ex: the resource is being used by another process), then the requesting-process must wait for acquiring the resource.
- For example: open( ), malloc( ), new( ), and request( )

# 2) Use

- > The process uses the resource.
- For example: prints to the printer or reads from the file.

#### 3) Release

- > The process releases the resource.
- > So that, the resource becomes available for other processes.
- For example: close( ), free( ), delete( ), and release( ).
- A set of processes is deadlocked when every process in the set is waiting for a resource that is currently allocated to another process in the set.
- Deadlock may <u>invol</u>ve different types of resources.

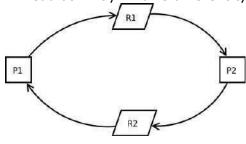


Figure 3.2

- As shown in figure 3.2,
  - Both processes P1 & P2 need resources to continue execution.
  - P1 requires additional resource R1 and is in possession of resource R2.
  - P2 requires additional resource R2 and is in possession of R1.
- Thus, neither process can continue.
- Multithread programs are good candidates for deadlock because they compete for shared resources.

## 3.3 Deadlock Characterization

• In a deadlock, processes never finish executing, and system resources are tied up, preventing other jobs from starting.

## 3.3.1 Necessary Conditions

• There are four conditions that are necessary to achieve deadlock:

#### 1) Mutual Exclusion

- > At least one resource must be held in a non-sharable mode.
- > If any other process requests this resource, then the requesting-process must wait for the resource to be released.

# 2) Hold and Wait

- > A process must be simultaneously
  - → holding at least one resource and
  - → waiting to acquire additional resources held by the other process.

#### 3) No Preemption

> Once a process is holding a resource (i.e. once its request has been granted), then that resource cannot be taken away from that process until the process voluntarily releases it.

#### 4) Circular Wait

➤ A set of processes { P0, P1, P2, . . ., PN } must exist such that

P0 is waiting for a resource that is held by P1

P1 is waiting for a resource that is held by P2, and so on

#### 3.3.2 Resource-Allocation-Graph

- The resource-allocation-graph (RAG) is a directed graph that can be used to describe the deadlock situation.
- RAG consists of a
  - → set of vertices (V) and
  - $\rightarrow$  set of edges (E).
- V is divided into two types of nodes
  - 1) P={P1,P2......Pn} i.e., set consisting of all active processes in the system.
  - 2) R={R1,R2......Rn} i.e., set consisting of all resource types in the system.
- E is divided into two types of edges:

# 1) Request Edge

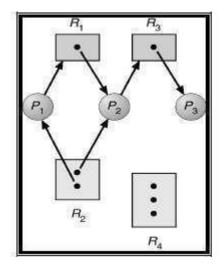
- $\triangleright$  A directed-edge  $P_i \rightarrow R_j$  is called a request edge.
- $ightharpoonup P_i 
  ightharpoonup R_i$  indicates that process  $P_i$  has requested a resource  $R_i$ .

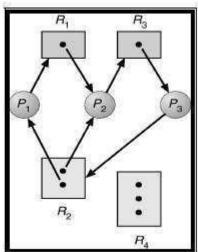
# 2) Assignment Edge

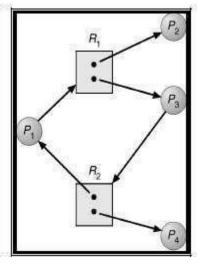
- $\triangleright$  A directed-edge  $R_i \rightarrow P_i$  is called an assignment edge.
- $ightharpoonup R_i 
  ightharpoonup P_i$  indicates that a resource  $R_i$  has been allocated to process  $P_i$ .
- Suppose that process Pi requests resource Rj.

Here, the request for Rj from Pi can be granted only if the converting request-edge to assignment-edge do not form a cycle in the resource-allocation graph.

- Pictorially,
  - $\rightarrow$  We represent each process  $P_i$  as a **circle**.
  - $\rightarrow$  We represent each resource-type R<sub>i</sub> as a **rectangle**.
- As shown in below figures, the RAG illustrates the following 3 situation (Figure 3.3):
  - 1) RAG with a deadlock
  - 2) RAG with a cycle and deadlock
  - 3) RAG with a cycle but no deadlock







(a) Resource allocation Graph (b) With a deadlock (c) with cycle but no deadlock Figure 3.3 Resource allocation graphs

#### **Conclusion:**

- 1) If a graph contains no cycles, then the system is not deadlocked.
- 2) If the graph contains a cycle then a deadlock may exist.

Therefore, a cycle means deadlock is possible, but not necessarily present.

## 3.4 Methods for Handling Deadlocks

- There are three ways of handling deadlocks:
  - 1) Deadlock prevention or avoidance Do not allow the system to get into a deadlocked state.
  - 2) Deadlock detection and recovery Abort a process or preempt some resources when deadlocks are detected.
  - 3) Ignore the problem all together If deadlocks only occur once a year or so, it may be better to simply let them happen and reboot the system.
- In order to avoid deadlocks, the system must have additional information about all processes.
- In particular, the system must know what resources a process will or may request in the future.
- Deadlock detection is fairly straightforward, but deadlock recovery requires either aborting processes or preempting resources.
- If deadlocks are neither prevented nor detected, then when a deadlock occurs the system will gradually slow down.

#### 3.5 Deadlock-Prevention

- Deadlocks can be eliminated by preventing at least one of the four required conditions:
  - 1) Mutual exclusion
  - 2) Hold-and-wait
  - 3) No preemption
  - 4) Circular-wait.

#### 3.5.1 Mutual Exclusion

- This condition must hold for non-sharable resources.
- For example:

A printer cannot be simultaneously shared by several processes.

- On the other hand, shared resources do not lead to deadlocks.
- For example:

Simultaneous access can be granted for read-only file.

- A process never waits for accessing a sharable resource.
- In general, we cannot prevent deadlocks by denying the mutual-exclusion condition because some resources are non-sharable by default.

#### 3.5.2 Hold and Wait

• To prevent this condition:

The processes must be prevented from holding one or more resources while simultaneously waiting for one or more other resources.

- There are several solutions to this problem.
- For example:

Consider a process that

- → copies the data from a tape drive to the disk
- $\rightarrow$  sorts the file and
- $\rightarrow$  then prints the results to a printer.

#### Protocol-1

- > Each process must be allocated with all of its resources before it begins execution.
- > All the resources (tape drive, disk files and printer) are allocated to the process at the beginning.

#### **Protocol-2**

- > A process must request a resource only when the process has none.
- > Initially, the process is allocated with tape drive and disk file.
- > The process performs the required operation and releases both tape drive and disk file.
- > Then, the process is again allocated with disk file and the printer
- > Again, the process performs the required operation & releases both disk file and the printer.
- Disadvantages of above 2 methods:
  - 1) Resource utilization may be low, since resources may be allocated but unused for a long period.
  - 2) Starvation is possible.

#### 3.5.3 No Preemption

- To prevent this condition: the resources must be preempted.
- There are several solutions to this problem.

#### Protocol-1

- If a process is holding some resources and requests another resource that cannot be immediately allocated to it, then all resources currently being held are preempted.
- The preempted resources are added to the list of resources for which the process is waiting.
- The process will be restarted only when it regains the old resources and the new resources that it is requesting.

#### **Protocol-2**

• When a process request resources, we check whether they are available or not.

```
If (resources are available)
then
{
    allocate resources to the process
}
else
{
    If (resources are allocated to waiting process)
    then
    {
        preempt the resources from the waiting process
        allocate the resources to the requesting-process
        the requesting-process must wait
    }
}
```

- These 2 protocols may be applicable for resources whose states are easily saved and restored, such as registers and memory.
- But, these 2 protocols are generally not applicable to other devices such as printers and tape drives.

#### 3.5.4 Circular-Wait

• Deadlock can be prevented by using the following 2 protocol:

### Protocol-1

- > Assign numbers all resources.
- > Require the processes to request resources only in increasing/decreasing order.

#### **Protocol-2**

- > Require that whenever a process requests a resource, it has released resources with a lower number.
- One big challenge in this scheme is determining the relative ordering of the different resources.

#### 3.6 Deadlock Avoidance

- The general idea behind deadlock avoidance is to prevent deadlocks from ever happening.
- Deadlock-avoidance algorithm
  - → requires more information about each process, and
  - → tends to lead to low device utilization.
- For example:
  - 1) In simple algorithms, the scheduler only needs to know the maximum number of each resource that a process might potentially use.
  - 2) In complex algorithms, the scheduler can also take advantage of the schedule of exactly what resources may be needed in what order.
- A deadlock-avoidance algorithm dynamically examines the resources allocation state to ensure that a circular-wait condition never exists.
- The resource-allocation state is defined by
  - → the number of available and allocated resources and
  - $\rightarrow$  the maximum demand of each process.

#### 3.6.1 Safe State

- A state is safe if the system can allocate all resources requested by all processes without entering a deadlock state.
- A state is safe if there exists a safe sequence of processes {P0, P1, P2, ..., PN} such that the requests of each process(Pi) can be satisfied by the currently available resources.
- If a safe sequence does not exist, then the system is in an unsafe state, which may lead to deadlock.
- All safe states are deadlock free, but not all unsafe states lead to deadlocks. (Figure 3.4).

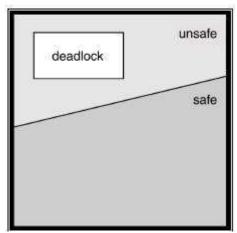
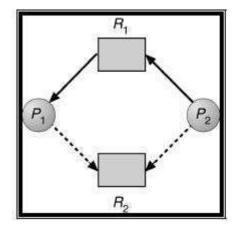
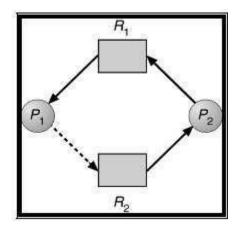


Figure 3.4 Safe, unsafe, and deadlock state spaces

# 3.6.2 Resource-Allocation-Graph Algorithm

- If resource categories have only single instances of their resources, then deadlock states can be detected by cycles in the resource-allocation graphs.
- In this case, unsafe states can be recognized and avoided by augmenting the resource-allocation graph with claim edges (denoted by a dashed line).
- Claim edge Pi → Rj indicated that process Pi may request resource Rj at some time in future.
- The important steps are as below:
  - 1) When a process Pi requests a resource Rj, the claim edge Pi  $\rightarrow$  Rj is converted to a request edae.
  - 2) Similarly, when a resource R<sub>i</sub> is released by the process Pi, the assignment edge R<sub>i</sub>  $\rightarrow$  Pi is reconverted as claim edge  $Pi \rightarrow Rj$ .
  - 3) The request for Rj from Pi can be granted only if the converting request edge to assignment edge do not form a cycle in the resource allocation graph.
- To apply this algorithm, each process Pi must know all its claims before it starts executing.
- Conclusion:
  - 1) If no cycle exists, then the allocation of the resource will leave the system in a safe state.
  - 2) If cycle is found, system is put into unsafe state and may cause a deadlock.
- For example: Consider a resource allocation graph shown in Figure 3.5(a).
  - > Suppose P2 requests R2.
  - > Though R2 is currently free, we cannot allocate it to P2 as this action will create a cycle in the graph as shown in Figure 3.5(b).
  - > This cycle will indicate that the system is in unsafe state: because, if P1 requests R2 and P2 requests R1 later, a deadlock will occur.





(a) For deadlock avoidance

(b) an unsafe state Figure 3.5 Resource Allocation graphs

### • Problem:

The resource-allocation graph algorithm is not applicable when there are multiple instances for each resource.

#### • Solution:

Use banker's algorithm.

#### 3.6.3 Banker's Algorithm

- This algorithm is applicable to the system with multiple instances of each resource types.
- However, this algorithm is less efficient then the resource-allocation-graph algorithm.
- When a process starts up, it must declare the maximum number of resources that it may need.
- This number may not exceed the total number of resources in the system.
- When a request is made, the system determines whether granting the request would leave the system in a safe state.
- If the system in a safe state,

the resources are allocated;

else

the process must wait until some other process releases enough resources.

• Assumptions:

Let n = number of processes in the system

Let m = number of resources types.

• Following data structures are used to implement the banker's algorithm.

# 1) Available [m]

- ➤ This vector indicates the no. of available resources of each type.
- ➤ If Available[j]=k, then k instances of resource type Rj is available.

#### 2) Max [n][m]

- This matrix indicates the maximum demand of each process of each resource.
- ➤ If Max[i,j]=k, then process Pi may request at most k instances of resource type Rj.

## 3) Allocation [n][m]

- ➤ This matrix indicates no. of resources currently allocated to each process.
- ➤ If Allocation[i,j]=k, then Pi is currently allocated k instances of Rj.

#### 4) Need [n][m]

- > This matrix indicates the remaining resources need of each process.
- ➤ If Need[i,j]=k, then Pi may need k more instances of resource Rj to complete its task.
- So, Need[i,j] = Max[i,j] Allocation[i]
- The Banker's algorithm has two parts:
- 1) Safety Algorithm
- 2) Resource Request Algorithm

# 3.6.3.1 Safety Algorithm

- This algorithm is used for finding out whether a system is in safe state or not.
- Assumptions:

Work is a working copy of the available resources, which will be modified during the analysis. Finish is a vector of boolean values indicating whether a particular process can finish.

```
Step 1:
       Let Work and Finish be two vectors of length m and n respectively.
              Initialize:
                      Work = Available
                      Finish[i] = false for i=1,2,3,....n
Step 2:
       Find an index(i) such that both
              a) Finish[i] = false
              b) Need i <= Work.
       If no such i exist, then go to step 4
Step 3:
              Set:
                  Work = Work + Allocation(i)
                  Finish[i] = true
       Go to step 2
Step 4:
       If Finish[i] = true for all i, then the system is in safe state.
```

#### 3.6.3.2 Resource-Request Algorithm

- This algorithm determines if a new request is safe, and grants it only if it is safe to do so.
- When a request is made (that does not exceed currently available resources), pretend it has been granted, and then see if the resulting state is a safe one. If so, grant the request, and if not, deny the request.
- Let Request(i) be the request vector of process Pi.
- If Request(i)[j]=k, then process Pi wants K instances of the resource type Rj.

```
Step 1:
       If Request(i) <= Need(i)
       then
              go to step 2
       else
              raise an error condition, since the process has exceeded its maximum claim.
Step 2:
       If Request(i) <= Available
       then
              go to step 3
       else
              Pi must wait, since the resources are not available.
Step 3:
       If the system want to allocate the requested resources to process Pi then modify the
       state as follows:
              Available = Available - Request(i)
              Allocation(i) = Allocation(i) + Request(i)
              Need(i) = Need(i) - Request(i)
Step 4:
       If the resulting resource-allocation state is safe,
                     i) transaction is complete and
                      ii) Pi is allocated its resources.
Step 5:
        If the new state is unsafe,
               then i) Pi must wait for Request(i) and
                     ii) old resource-allocation state is restored.
```

#### 3.6.3.3 An Illustrative Example

Question: Consider the following snapshot of a system:

	Allo	catio	on	Max			Available		
	Α	В	С	Α	В	С	Α	В	С
P0	0	1	0	7	5	3	3	3	2
P1	2	0	0	3	2	2			
P2	3	0	3	9	0	2			
Р3	2	1	1	2	2	2			
P4	0	0	2	4	3	3			

Answer the following questions using Banker's algorithm.

- i) What is the content of the matrix need?
- ii) Is the system in a safe state?
- iii) If a request from process P1 arrives for (1 0 2) can the request be granted immediately?

# Solution (i):

• The content of the matrix Need is given by

Need = Max - Allocation

• So, the content of Need Matrix is:

	Need						
	Α	A B C					
P0	7	4	3				
P1	1	2	2				
P2	6	0	0				
Р3	0	1	1				
P4	4	3	1				

# Solution (ii):

• Applying the Safety algorithm on the given system,

Step 1: Initialization

Step 2: For i=0

Finish[P0] = false and Need[P0]<=Work i.e.  $(7 4 3)<=(3 3 2) \Rightarrow$  false So P0 must wait.

Step 2: For i=1

Finish[P1] = false and Need[P1]<=Work i.e.  $(1\ 2\ 2)$ <= $(3\ 3\ 2)$   $\Rightarrow$  true So P1 must be kept in safe sequence.

Step 3: Work = Work + Allocation[P1] =  $(3\ 3\ 2)+(2\ 0\ 0)=(5\ 3\ 2)$ 

\_\_\_\_\_P0......P1......P2......P3... ... P4...... Finish = | false | true | false | false |

Step 2: For i=2

Finish[P2] = false and Need[P2]<=Work i.e.  $(6\ 0\ 0)$ <= $(5\ 3\ 2)$   $\rightarrow$  false So P2 must wait.

Step 2: For i=3

Finish[P3] = false and Need[P3]<=Work i.e.  $(0\ 1\ 1)<=(5\ 3\ 2)$   $\rightarrow$  true So P3 must be kept in safe sequence.

Step 3: Work = Work + Allocation[P3] =  $(5 \ 3 \ 2)+(2 \ 1 \ 1)=(7 \ 4 \ 3)$ 

\_\_\_\_\_P0......P1.....P2.......P3......P4.... Finish = | false | true | false | true | false |

Finish[P4] = false and Need[P4]<=Work i.e.  $(4\ 3\ 1)$ <= $(7\ 4\ 3)$   $\rightarrow$  true So P4 must be kept in safe sequence.

Step 3: Work = Work + 
$$Allocation[P4] = (7 4 3) + (0 0 2) = (7 4 5)$$

Finish = | false | true | false | true |

Finish[P0] = false and Need[P0]<=Work i.e.  $(7 4 3) <= (7 4 5) \Rightarrow$  true So P0 must be kept in safe sequence.

Step 3: Work = Work + 
$$Allocation[P0] = (7 4 5) + (0 1 0) = (7 5 5)$$

Finish = | true | true | false | true | true |

Finish[P2] = false and Need[P2]<=Work i.e.  $(6\ 0\ 0)$ <= $(7\ 5\ 5)$   $\rightarrow$  true So P2 must be kept in safe sequence.

Step 3: Work = Work + Allocation[P2] = 
$$(7 5 5)+(3 0 2)=(10 5 7)$$

.....P0......P1.......P2......P3......P4....

Step 4: Finish[Pi] = true for 
$$0 <= i <= 4$$

Hence, the system is currently in a safe state.

The safe sequence is <P1, P3, P4, P0, P2>.

**Conclusion:** Yes, the system is currently in a safe state.

# Solution (iii): P1 requests (1 0 2) i.e. Request[P1]=1 0 2

• To decide whether the request is granted, we use Resource Request algorithm.

Step 1: Request[P1] <= Need[P1] i.e.  $(1 \ 0 \ 2) <= (1 \ 2 \ 2) \rightarrow true$ 

Step 2: Request[P1]<=Available i.e. 
$$(1 \ 0 \ 2)$$
<= $(3 \ 3 \ 2) \rightarrow$  true.

Step 3: Available = Available - Request[P1] = 
$$(3\ 3\ 2)$$
 -  $(1\ 0\ 2)$  =  $(2\ 3\ 0)$   
Allocation[P1] = Allocation[P1] + Request[P1] =  $(2\ 0\ 0)$  +  $(1\ 0\ 2)$  =  $(3\ 0\ 2)$ 

Need[P1] = Need[P1] - Request[P1] = (1 2 2) - (1 0 2) = (0 2 0)

• We arrive at the following new system state:

	All	ocat	ion	Ma	X		Available		
	Α	В	С	Α	В	С	Α	В	С
P0	0	1	0	7	5	3	2	3	0
P1	3	0	2	3	2	2			
P2	3	0	2	9	0	2			
Р3	2	1	1	2	2	2			
P4	0	0	2	4	3	3			

Need is given by Allocation

Matrix is:

• The content of the matrix Need = Max -

So, the content of Need

	Need							
	Α	A B C						
Р0	7	4	3					
P1	0	2	0					
P2	6	0	0					
Р3	0	1	1					
P4	4	3	1					

• To determine whether this new system state is safe, we again execute Safety algorithm.

Here, 
$$m=3$$
,  $n=5$ 

Work = Available i.e. Work = 
$$230$$

Finish = | false | false | false | false |

```
Step 2: For i=0
                Finish[P0] = false and Need[P0]<=Work i.e. (7 4 3) <= (2 3 0) \rightarrow false
                So P0 must wait.
       Step 2: For i=1
                Finish[P1] = false and Need[P1]<=Work i.e. (0\ 2\ 0)<=(2\ 3\ 0) \Rightarrow true
                So P1 must be kept in safe sequence.
       Step 3: Work = Work + Allocation[P1] = (2\ 3\ 0)+(3\ 0\ 2)=(5\ 3\ 2)
                         .....P0......P1......P2......P3......P4.....
                Finish = | false | true | false | false |
       Step 2: For i=2
                Finish[P2] = false and Need[P2]<=Work i.e. (6\ 0\ 0)<=(5\ 3\ 2) \rightarrow false
                So P2 must wait.
       Step 2: For i=3
                Finish[P3] = false and Need[P3]<=Work i.e. (0\ 1\ 1)<=(5\ 3\ 2) \rightarrow true
                So P3 must be kept in safe sequence.
       Step 3: Work = Work + Allocation[P3] = (5 \ 3 \ 2)+(2 \ 1 \ 1)=(7 \ 4 \ 3)
                         .....P0.......P1......P2......P3......P4.....
                Finish = | false | true | false | true | false |
       Step 2: For i=4
                Finish[P4] = false and Need[P4]<=Work i.e. (4\ 3\ 1)<=(7\ 4\ 3) \rightarrow true
                So P4 must be kept in safe sequence.
       Step 3: Work = Work + Allocation[P4] = (7 4 3) + (0 0 2) = (7 4 5)
                         .....P0......P1.....P2......P3......P4....
                Finish = | false | true | false | true | true |
       Step 2: For i=0
                Finish[P0] = false and Need[P0]<=Work i.e. (7 4 3) <= (7 4 5) \Rightarrow true
                So P0 must be kept in safe sequence.
       Step 3: Work = Work + Allocation[P0] = (7.4.5)+(0.1.0)=(7.5.5)
                         .....P0......P1.......P2.....P3 ..... P4....
                Finish = | true | true | false | true | true |
       Step 2: For i=2
                Finish[P2] = false and Need[P2]<=Work i.e. (6\ 0\ 0)<=(7\ 5\ 5) \rightarrow true
                So P2 must be kept in safe sequence.
       Step 3: Work = Work + Allocation[P2] = (7.5.5)+(3.0.2)=(10.5.7)
                        .....P0......P1.......P2......P3......P4....
                Finish = | true | true | true | true |
       Step 4: Finish[Pi] = true for 0 <= i <= 4
                Hence, the system is in a safe state.
                The safe sequence is <P1, P3, P4, P0, P2>.
Conclusion: Since the system is in safe sate, the request can be granted.
```

When you blame others, you give up your power to change.

#### 3.7 Deadlock Detection

- If a system does not use either deadlock-prevention or deadlock-avoidance algorithm then a deadlock may occur.
- In this environment, the system must provide
  - 1) An algorithm to examine the system-state to determine whether a deadlock has occurred.
  - 2) An algorithm to recover from the deadlock.

#### 3.7.1 Single Instance of Each Resource Type

- If all the resources have only a single instance, then deadlock detection-algorithm can be defined using a wait-for-graph.
- The wait-for-graph is applicable to only a single instance of a resource type.
- A wait-for-graph (WAG) is a variation of the resource-allocation-graph.
- The wait-for-graph can be obtained from the resource-allocation-graph by
  - → removing the resource nodes and
  - → collapsing the appropriate edges.
- ullet An edge from  $P_i$  to  $P_j$  implies that process  $P_i$  is waiting for process  $P_j$  to release a resource that  $P_i$  needs.
- An edge  $P_i \rightarrow P_j$  exists if and only if the corresponding graph contains two edges
  - 1)  $P_i \rightarrow R_q \mbox{ and }$
  - 2)  $R_q \rightarrow P_j$ .
- For example:

Consider resource-allocation-graph shown in Figure 3.6 Corresponding wait-for-graph is shown in Figure 3.7.

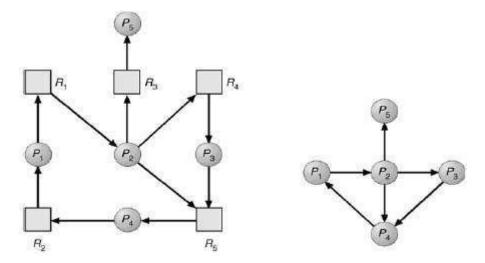


Figure 3.6 Resource-allocation-graph

Figure 3.7 Corresponding wait-for-graph.

- A deadlock exists in the system if and only if the wait-for-graph contains a cycle.
- To detect deadlocks, the system needs to
  - → maintain the wait-for-graph and
  - $\rightarrow$  periodically execute an algorithm that searches for a cycle in the graph.

# 3.7.2 Several Instances of a Resource Type

- The wait-for-graph is applicable to only a single instance of a resource type.
- Problem: However, the wait-for-graph is not applicable to a multiple instance of a resource type.
- Solution: The following detection-algorithm can be used for a multiple instance of a resource type.
- Assumptions:

Let 'n' be the number of processes in the system

Let 'm' be the number of resources types.

• Following data structures are used to implement this algorithm.

#### 1) Available [m]

- > This vector indicates the no. of available resources of each type.
- ➤ If Available[j]=k, then k instances of resource type Rj is available.

# 2) Allocation [n][m]

- > This matrix indicates no. of resources currently allocated to each process.
- ➤ If Allocation[i,j]=k, then Pi is currently allocated k instances of Rj.

# 3) Request [n][m]

- > This matrix indicates the current request of each process.
- $\triangleright$  If Request [i, j] = k, then process Pi is requesting k more instances of resource type Rj.

```
Step 1:
```

```
Let Work and Finish be vectors of length m and n respectively.
```

```
a) Initialize Work = Available
```

#### Step 2:

Find an index(i) such that both

- a) Finish[i] = false
- b) Request(i) <= Work.

If no such i exist, goto step 4.

# Step 3:

```
Set:
    Work = Work + Allocation(i)
    Finish[i] = true
```

# Go to step 2.

# Step 4:

If Finish[i] = false for some i where 0 < i < n, then the system is in a deadlock state.

#### 3.7.3 Detection-Algorithm Usage

- The detection-algorithm must be executed based on following factors:
  - 1) The frequency of occurrence of a deadlock. 2) The no. of processes affected by the deadlock.
- If deadlocks occur frequently, then the detection-algorithm should be executed frequently.
- Resources allocated to deadlocked-processes will be idle until the deadlock is broken.
- Problem:

Deadlock occurs only when some processes make a request that cannot be granted immediately.

- Solution 1:
  - > The deadlock-algorithm must be executed whenever a request for allocation cannot be granted immediately.
  - > In this case, we can identify
    - → set of deadlocked-processes and
    - → specific process causing the deadlock.
- Solution 2:
  - > The deadlock-algorithm must be executed in periodic intervals.
  - > For example:
    - → once in an hour
    - → whenever CPU utilization drops below certain threshold

#### 3.8 Recovery from deadlock

- Three approaches to recovery from deadlock:
  - 1) Inform the system-operator for manual intervention.
  - 2) Terminate one or more deadlocked-processes.
  - 3) Preempt(or Block) some resources.

#### 3.8.1 Process Termination

• Two methods to remove deadlocks:

# 1) Terminate all deadlocked-processes.

- > This method will definitely break the deadlock-cycle.
- ➤ However, this method incurs great expense. This is because
  - → Deadlocked-processes might have computed for a long time.
  - $\rightarrow$  Results of these partial computations must be discarded.
  - → Probably, the results must be re-computed later.

# 2) Terminate one process at a time until the deadlock-cycle is eliminated.

 $\succ$  This method incurs large overhead. This is because

after each process is aborted,

deadlock-algorithm must be executed to determine if any other process is still deadlocked

- For process termination, following factors need to be considered:
  - 1) The priority of process.
  - 2) The time taken by the process for computation & the required time for complete execution.
  - 3) The no. of resources used by the process.
  - 4) The no. of extra resources required by the process for complete execution.
  - 5) The no. of processes that need to be terminated for deadlock-free execution.
  - 6) The process is interactive or batch.

#### 3.8.2 Resource Preemption

- Some resources are taken from one or more deadlocked-processes.
- These resources are given to other processes until the deadlock-cycle is broken.
- Three issues need to be considered:

# 1) Selecting a victim

- ➤ Which resources/processes are to be pre-empted (or blocked)?
- > The order of pre-emption must be determined to minimize cost.
- > Cost factors includes
  - 1. The time taken by deadlocked-process for computation.
  - 2. The no. of resources used by deadlocked-process.

#### 2) Rollback

- > If a resource is taken from a process, the process cannot continue its normal execution.
- ➤ In this case, the process must be rolled-back to break the deadlock.
- > This method requires the system to keep more info. about the state of all running processes.

# 3) Starvation

- > Problem: In a system where victim-selection is based on cost-factors, the same process may be always picked as a victim.
- > As a result, this process never completes its designated task.
- > Solution: Ensure a process is picked as a victim only a (small) finite number of times.

#### **Exercise Problems**

1) Consider the following snapshot of a system:

	Allo	catio	on	Max			Available		
	Α	В	С	Α	В	С	Α	В	С
P0	0	0	2	0	0	4	1	0	2
P1	1	0	0	2	0	1			
P2	1	3	5	1	3	7			
Р3	6	3	2	8	4	2			
P4	1	4	3	1	5	7			

Answer the following guestions using Banker's algorithm:

- i) What is the content of the matrix need?
- ii) Is the system in a safe state?
- iii) If a request from process P2 arrives for (0 0 2) can the request be granted immediately?

# Solution (i):

• The content of the matrix Need is given by

Need = Max - Allocation

• So, the content of Need Matrix is:

	Need							
	Α	A B C						
P0	0	0	2					
P1	1	0	1					
P2	0	0	2					
Р3	2	1	0					
P4	0	1	4					

#### Solution (ii):

• Applying the Safety algorithm on the given system,

Step 1: Initialization

Work = Available i.e. Work = 
$$102$$

Step 2: For i=0

Finish[P0] = false and Need[P0]<=Work i.e.  $(0\ 0\ 2)<=(1\ 0\ 2)$  true

So P0 must be kept in safe sequence.

Step 3: Work = Work + Allocation[P0] = 
$$(1 \ 0 \ 2) + (0 \ 0 \ 2) = (1 \ 0 \ 4)$$

Step 2: For i=1

Finish[P1] = false and Need[P1]<=Work i.e.  $(1\ 0\ 1)<=(1\ 0\ 4)$  true So P1 must be kept in safe sequence.

Step 3: Work = Work + Allocation[P1] = 
$$(1 \ 0 \ 4) + (1 \ 0 \ 0) = (2 \ 0 \ 4)$$
  
......P1.....P2........P3... .... P4...

Step 2: For i=2

Finish[P2] = false and Need[P2]<=Work i.e.  $(0\ 0\ 2)<=(2\ 0\ 4)$  true So P2 must be kept in safe sequence.

Step 3: Work = Work + Allocation[P2] =  $(2\ 0\ 4)+(1\ 3\ 5)=(3\ 3\ 9)$ 

Finish[P3] = false and Need[P3]<=Work i.e.  $(2\ 1\ 0)$ <= $(3\ 3\ 9)$   $\rightarrow$  true So P3 must be kept in safe sequence.

Step 3: Work = Work + Allocation[P3] = 
$$(3\ 3\ 9)+(6\ 3\ 2)=(9\ 6\ 11)$$

Finish[P4] = false and Need[P4]<=Work i.e.  $(0\ 1\ 4)<=(9\ 6\ 11)$   $\rightarrow$  true So P4 must be kept in safe sequence.

Step 3: Work = Work + 
$$Allocation[P4] = (9 6 11) + (1 4 3) = (10 10 14)$$

Finish = | true | true | true | true |

Step 4: Finish[Pi] = true for 
$$0 <= i <= 4$$

Hence, the system is currently in a safe state.

The safe sequence is <P0, P1, P2, P3, P4>.

**Conclusion:** Yes, the system is currently in a safe state.

Solution (iii): P2 requests (0 0 2) i.e. Request[P2]=0 0 2

• To decide whether the request is granted, we use Resource Request algorithm.

Step 1: Request[P2] <= Need[P2] i.e. 
$$(0\ 0\ 2) <= (1\ 3\ 7) \rightarrow true$$
.

Step 2: Request[P2]<=Available i.e. 
$$(0\ 0\ 2) <= (1\ 0\ 2) \Rightarrow$$
 true.

Step 3: Available = Available - Request[P2] = 
$$(1\ 0\ 2)$$
 -  $(0\ 0\ 2)$  =  $(1\ 0\ 0)$   
Allocation[P2] = Allocation[P2] + Request[P2] =  $(1\ 3\ 5)$  +  $(0\ 0\ 2)$  =  $(1\ 3\ 7)$   
Need[P2] = Need[P2] - Request[P2] =  $(0\ 0\ 2)$  -  $(0\ 0\ 2)$  =  $(0\ 0\ 0)$ 

• We arrive at the following new system state:

	Alle	ocat	ion	Ma	X		Available		
	Α	В	С	Α	В	С	Α	В	С
P0	0	0	2	0	0	4	1	0	0
P1	1	0	0	2	0	1			
P2	1	3	7	1	3	7			
Р3	6	3	2	8	4	2			
P4	1	4	3	1	5	7			

• The content of the matrix Need is given by

$$Need = Max - Allocation$$

• So, the content of Need Matrix is:

	Need						
	Α	С					
P0	0	0	2				
P1	1	0	1				
P2	0	0	0				
Р3	2	1	0				
P4	0	1	4				

• To determine whether this new system state is safe, we again execute Safety algorithm.

Work = Available i.e. Work = 
$$230$$

Finish[P0] = false and Need[P0]<=Work i.e. 
$$(0\ 0\ 2)<=(2\ 3\ 0)$$
  $\rightarrow$  false So P0 must wait.

```
Step 2: For i=1
                Finish[P1] = false and Need[P1]<=Work i.e. (1\ 0\ 1)<=(2\ 3\ 0) \rightarrow false
                So P1 must wait.
       Step 2: For i=2
                Finish[P2] = false and Need[P2] <= Work i.e. (0\ 0\ 0) <= (2\ 3\ 0) \rightarrow true
                So P2 must be kept in safe sequence.
       Step 3: Work = Work + Allocation[P2] = (1\ 0\ 0)+(1\ 3\ 7)=(2\ 3\ 7)
                          .....P0......P1.......P2.....P3.......P4....
                Finish = | false | false | true | false | false |
       Step 2: For i=3
                Finish[P3] = false and Need[P3]<=Work i.e. (2\ 1\ 0)<=(2\ 3\ 7) \rightarrow true
                So P3 must be kept in safe sequence.
       Step 3: Work = Work + Allocation[P3] = (2\ 3\ 7)+(6\ 3\ 2)=(8\ 6\ 9)
                          ....P0......P1......P2......P3......P4...
                 Finish = | false | false | true | true | false |
       Step 2: For i=4
                Finish[P4] = false and Need[P4]<=Work i.e. (0\ 1\ 4)<=(8\ 6\ 9) \rightarrow true
                So P4 must be kept in safe sequence.
       Step 3: Work = Work + Allocation[P4] = (8 6 9) + (0 1 4) = (8 7 13)
                          ....P0.......P1......P2......P3......P4...
                Finish = | false | false | true | true |
       Step 2: For i=0
                Finish[P0] = false and Need[P0]<=Work i.e. (0\ 0\ 2)<=(8\ 7\ 13) \rightarrow true
                So P0 must be kept in safe sequence.
       Step 3: Work = Work + Allocation[P0] = (8713)+(002)=(8715)
                           ....P0.......P1......P2......P3......P4...
                Finish = | true | false | true | true | true |
       Step 2: For i=1
                Finish[P1] = false and Need[P1]<=Work i.e. (1\ 0\ 1)<=(8\ 7\ 15) \rightarrow true
                So P1 must be kept in safe sequence.
       Step 3: Work = Work + Allocation[P1] = (8 \ 7 \ 15) + (1 \ 0 \ 0) = (9 \ 7 \ 15)
                         ....P0......P1......P2.....P3......P4...
                Finish = | true | true | true | true |
       Step 4: Finish[Pi] = true for 0 <= i <= 4
                Hence, the system is in a safe state.
                The safe sequence is <P2, P3, P4, P0, P1>.
Conclusion: Since the system is in safe sate, the request can be granted.
```

To accomplish great things, we must not only act, but also dream; not only plan, but also believe.

2) For the following snapshot, find the safe sequence using Banker's algorithm: The number of resource units is (A, B, C) which are (7, 7, 10) respectively.

	Allo	catio	on	Max	X		Available		
	Α	В	С	Α	В	С	Α	В	С
P1	2	2	3	3	6	8	7	7	10
P2	2	0	3	4	3	3			
P3	1	2	4	3	4	4			

#### **Solution:**

• The content of the matrix Need is given by

Need = Max - Allocation

• So, the content of Need Matrix is:

	Need						
	A B C						
P1	1	4	5				
P2	2	3	0				
Р3	2	2	0				

Applying the Safety algorithm on the given

system, Step 1: Initialization

Here, m=3, n=3

Work = Available i.e. Work = 7710

....P1.........P2..........P3....

Finish = | false | false | false |

Step 2: For i=1

Finish[P1] = false and Need[P1]<=Work i.e.  $(1 \ 4 \ 5)$ <= $(7 \ 7 \ 10) \rightarrow$  true So P1 must be kept in safe sequence.

Step 3: Work = Work + Allocation[P1] =(7 7 10)+(2 2 3)=(9 9 13)

.....P1.....P2......P3....

Finish = | true | false | false |

Step 2: For i=2

Finish[P2] = false and Need[P2]<=Work i.e.  $(2\ 3\ 0) <= (9\ 9\ 13)$   $\rightarrow$  true So P2 must be kept in safe sequence.

Step 3: Work = Work + Allocation[P2] =  $(9 \ 9 \ 13) + (2 \ 0 \ 3) = (11 \ 9 \ 16)$ 

<u>.....P1......P2.......P3......</u> Finish = | true | true | false |

Step 2: For i=3

Finish[P3] = false and Need[P3]<=Work i.e.  $(2\ 2\ 0)<=(11\ 9\ 16)$   $\rightarrow$  true So P3 must be kept in safe sequence.

Step 3: Work = Work + Allocation[P3] =  $(11\ 9\ 16)+(1\ 2\ 4)=(12\ 11\ 20)$ 

<u>.....P1.....P2......P3....</u> Finish = | true | true | true |

Step 4: Finish[Pi] = true for 1 <= i <= 3

Hence, the system is currently in a safe state.

The safe sequence is <P1, P2, P3>.

**Conclusion:** Yes, the system is currently in a safe state.

3) Consider the following snapshot of resource-allocation at time t1.

	Allo	catio	on	Max			Available		
	Α	В	С	Α	В	С	Α	В	С
P0	0	1	0	0	0	0	0	0	0
P1	2	0	0	2	0	2			
P2	3	0	3	0	0	0			
P3	2	1	1	1	0	0			
P4	0	0	2	0	0	2			

i) What is the content of

the matrix need?

- ii) Show that the system is not deadlock by generating one safe sequence
- iii) At instance t, P2 makes one additional for instance of type C. Show that the system is deadlocked if the request is granted. Write down deadlocked-processes.

# Solution (i):

• The content of the matrix Need is given by

Need = Max - Allocation

• So, the content of Need Matrix is:

	Need							
	Α	A B C						
P0	0	0	0					
P1	0	0	2					
P2	0	0	0					
Р3	0	0	0					
P4	0	0	0					

# Solution (ii):

Applying the Safety algorithm on the given system,

Step 1: Initialization

Work = Available i.e. Work = 0.0

.....P0......P1......P2.........P3......P4....

Finish = | false | false | false | false |

Step 2: For i=0

Finish[P0] = false and Need[P0]<=Work i.e.  $(0\ 0\ 0)$ <= $(0\ 0\ 0)$   $\Rightarrow$  true

So P0 must be kept in safe sequence.

Step 3: Work = Work + Allocation[P0] =  $(0\ 0\ 0)+(0\ 1\ 0)=(0\ 1\ 0)$ 

.....P0.......P1......P2......P3... ... <u>P4...</u>

Finish = | true | false | false | false | false |

Step 2: For i=1

Finish[P1] = false and Need[P1]<=Work i.e.  $(0\ 0\ 2)<=(0\ 1\ 0)$   $\rightarrow$  false So P1 must wait.

Step 2: For i=2

Finish[P2] = false and Need[P2]<=Work i.e.  $(0\ 0\ 0)$  <= $(0\ 1\ 0)$   $\rightarrow$  true So P2 must be kept in safe sequence.

Step 3: Work = Work + Allocation[P2] =  $(0\ 1\ 0)+(3\ 0\ 3)=(5\ 1\ 3)$ 

....P0.....P1......P2.......P3......P4...

Finish = | true | false | true | false | false |

Step 2: For i=3

Finish[P3] = false and Need[P3]<=Work i.e.  $(0\ 0\ 0)$ <= $(5\ 1\ 3)$   $\rightarrow$  true

So P3 must be kept in safe sequence.

Step 3: Work = Work + Allocation[P3] =  $(5 \ 1 \ 3)+(2 \ 1 \ 1)=(5 \ 2 \ 4)$ 

...P0.....P1......P2......P3......P4...

Finish = | true | false | true | true | false |

Step 4: Finish[Pi] = true for 0<=i<=4 Hence, the system is currently in a safe state. The safe sequence is <P0, P2, P3, P4, P1>.

**Conclusion:** Yes, the system is currently in a safe state. Hence there is no deadlock in the system.

**Solution (iii):** P2 requests (0 0 1) i.e. Request[P1]=0 0 1

• To decide whether the request is granted, we use Resource Request algorithm.

Step 1: Request[P1] <= Need[P1] i.e.  $(0\ 0\ 1) <= (0\ 0\ 2)$   $\rightarrow$  true.

Step 2: Request[P1]<=Available i.e.  $(0\ 0\ 1)$ <= $(0\ 0\ 0)$   $\rightarrow$  false.

**Conclusion:** Since Request[P1]>Available, we cannot process this request. Since P2 will be in waiting state, deadlock occurs in the system.

4) For the given snapshot:

	Allocation				Max	Max			Available			
	Α	В	С	D	Α	В	С	D	Α	В	С	D
P1	0	0	1	2	0	0	1	2	1	5	2	0
P2	1	0	0	0	1	7	5	0				
Р3	1	3	5	4	2	3	5	6				
P4	0	6	3	2	0	6	5	2				
P5	0	0	1	4	0	6	5	6				

Using Banker's algorithm:

- i) What is the need matrix content?
- ii) Is the system in safe state?
- iii) If a request from process P2(0,4,2,0) arrives, can it be granted?

# Solution (i):

• The content of the matrix Need is given by

Need = Max - Allocation

• So, the content of Need Matrix is:

	Need								
	A B C D								
P1	0	0	0	0					
P2	0	7	5	2					
Р3	1	0	0	2					
P4	0	0	2	0					
P5	0	6	4	2					

# Solution (ii):

• Applying the Safety algorithm on the given system,

Step 1: Initialization

Work = Available i.e. Work = 
$$1520$$
 .....P1.......P2......P3........P4.....P5.....
Finish =  $| false | false | false | false |$ 

Step 2: For i=1

Finish[P1] = false and Need[P1]<=Work i.e.  $(0\ 0\ 0\ 0)$ <= $(1\ 5\ 2\ 0)$   $\rightarrow$  true So P1 must be kept in safe sequence.

Step 3: Work = Work + Allocation[P1] = (1 5 2 0) + (0 0 1 2) = (1 5 3 2) ....P1......P2......P4......P5...Finish = | true | false | false | false |

Step 2: For i=2

Finish[P2] = false and Need[P2]<=Work i.e.  $(0\ 7\ 5\ 2)$ <= $(1\ 5\ 3\ 2)$   $\rightarrow$  false So P2 must wait.

Step 2: For i=3

Finish[P3] = false and Need[P3]<=Work i.e.  $(1\ 0\ 0\ 2)$ <= $(1\ 5\ 3\ 2)$   $\rightarrow$  true So P3 must be kept in safe sequence.

Step 3: Work = Work + Allocation[P3] = (1 5 3 2)+(1 3 5 4)=(2 8 8 6) ....P1.......P2......P3......P4.......P5...Finish = | true | false | true | false |

Step 2: For i=4

Finish[P4] = false and Need[P4]<=Work i.e.  $(0\ 0\ 2\ 0)$ <= $(2\ 8\ 8\ 6)$   $\rightarrow$  true So P4 must be kept in safe sequence.

Step 3: Work = Work + Allocation[P4] =  $(2 \ 8 \ 8 \ 6) + (0 \ 6 \ 3 \ 2) = (2 \ 14 \ 11 \ 8)$   $\dots P1 \dots P2 \dots P3 \dots P4 \dots P5 \dots$ Finish = | true | false | true | false |

Step 2: For i=5

Finish[P5] = false and Need[P5]<=Work i.e.  $(0 6 4 2)<=(2 14 11 8) \rightarrow$  true So P5 must be kept in safe sequence.

Step 3: Work = Work + Allocation[P5] =  $(2\ 14\ 11\ 8) + (0\ 0\ 1\ 4) = (2\ 14\ 12\ 12)$ 

Step 2: For i=2

Finish[P2] = false and Need[P2]<=Work i.e.  $(0 7 5 2) <= (2 14 12 12) \rightarrow$  true So P2 must be kept in safe sequence.

Step 3: Work = Work + Allocation[P2] = (2 14 12 12) + (1 0 0 0) = (3 14 12 12)

Finish = | true | true | true | true |

Step 4: Finish[Pi] = true for 1 <= i <= 5

Hence, the system is currently in a safe state.

The safe sequence is <P1, P3, P4, P5, P2>.

**Conclusion:** Yes, the system is currently in a safe state.

**Solution (iii):** P2 requests (0 4 2 0) i.e. Request[P2] = 0 4 2 0

• To decide whether the request is granted, we use Resource Request algorithm.

Step 1: Request[P2]<=Need[P2] i.e.  $(0 4 2 0) <= (0 7 5 2) \rightarrow \text{true}$ .

Step 2: Request[P2]<=Available i.e.  $(0.42.0) <= (1.5.2.0) \Rightarrow$  true.

Step 3: Available = Available - Request[P2] = (1 5 2 0) - (0 4 2 0) = (1 1 0 0)Allocation[P2] = Allocation[P2] + Request[P2] = (1 0 0 0) + (0 4 2 0) = (1 4 2 0)Need[P2] = Need[P2] - Request[P2] = (0 7 5 2) - (0 4 2 0) = (0 3 3 2)

• We arrive at the following new system state

	Allocation				Ma	X	Av			ailable		
	Α	В	С	D	Α	В	С	D	Α	В	С	D
P1	0	0	1	2	0	0	1	2	1	1	0	0
P2	1	4	2	0	1	7	5	0				
Р3	1	3	5	4	2	3	5	6				
P4	0	6	3	2	0	6	5	2				
P5	0	0	1	4	0	6	5	6				

• The content of the matrix Need is given by

$$Need = Max - Allocation$$

• So, the content of Need Matrix is:

	Need								
	Α	В	С	D					
P1	0	0	0	0					
P2	0	3	3	2					
Р3	1	0	0	2					
P4	0	0	2	0					
P5	0	6	4	2					

• Applying the Safety algorithm on the given system,

Step 2: For i=1

Finish[P1] = false and Need[P1]<=Work i.e.  $(0\ 0\ 0\ 0)$ <= $(1\ 1\ 0\ 0)$   $\Rightarrow$  true So P1 must be kept in safe sequence.

```
Step 3: Work = Work + Allocation[P1] = (1\ 1\ 0\ 0) + (0\ 0\ 1\ 2) = (1\ 1\ 1\ 2)
                  ....P1......P2......P3.......P4......P5...
         Finish = | true | false | false | false | false |
Step 2: For i=2
         Finish[P2] = false and Need[P2]<=Work i.e. (0 3 3 2)<=(1 1 1 2) \rightarrow false
         So P2 must wait.
Step 2: For i=3
         Finish[P3] = false and Need[P3]<=Work i.e. (1\ 0\ 0\ 2)<=(1\ 1\ 1\ 2) \rightarrow true
         So P3 must be kept in safe sequence.
Step 3: Work = Work + Allocation[P3] = (1\ 1\ 1\ 2)+(1\ 3\ 5\ 4)=(2\ 4\ 6\ 6)
                  ....P1.....P2.......P3......P4.........P5....
         Finish = | true | false | true | false | false |
Step 2: For i=4
        Finish[P4] = false and Need[P4]<=Work i.e. (0\ 0\ 2\ 0)<=(2\ 4\ 6\ 6) \rightarrow true
        So P4 must be kept in safe sequence.
Step 3: Work = Work + Allocation[P4] = (2 4 6 6) + (0 6 3 2) = (2 10 9 8)
                  ....P1......P2......P3......P4......P5....
         Finish = | true | false | true | true | false |
Step 2: For i=5
         Finish[P5] = false and Need[P5]<=Work i.e. (0.6.4.2)<=(2.10.9.8) \rightarrow true
         So P5 must be kept in safe sequence.
Step 3: Work = Work + Allocation[P5] = (2\ 10\ 9\ 8) + (0\ 0\ 1\ 4) = (2\ 10\ 10\ 12)
                  ....P1......P2......P3......P4.....P5....
         Finish = | true | false | true | true |
Step 2: For i=2
         Finish[P2] = false and Need[P2]<=Work i.e. (0\ 3\ 3\ 2)<=(2\ 10\ 10\ 12) \rightarrow true
         So P2 must be kept in safe sequence.
Step 3: Work = Work + Allocation[P2] = (2\ 10\ 10\ 12) + (1\ 4\ 2\ 0) = (3\ 14\ 12\ 12)
                  ....P1......P2.....P3......P4.....P5....
         Finish = | true | true | true | true |
Step 4: Finish[Pi] = true for 0 <= i <= 4
         Hence, the system is currently in a safe state.
         The safe sequence is <P1, P3, P4, P5, P2>.
```

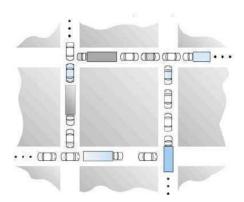
All you need in this life is ignorance and confidence; then success is sure.

**Conclusion:** Since the system is in safe sate, the request can be granted.

- 5) Consider a system containing 'm' resources of the same type being shared by 'n' processes. Resources can be requested and released by processes only one at a time. Show that the system is deadlock free if the following two conditions hold:
  - i) The maximum need of each process is between 1 and m resources
  - ii) The sum of all maximum needs is less than m+n.

#### Ans:

- Suppose N = Sum of all Need<sub>i</sub>
  - A = Sum of all Allocation
  - $M = Sum of all Max_i$ .
- Use contradiction to prove: Assume this system is not deadlock free.
- If there exists a deadlock state, then A=m because there's only one kind of resource and resources can be requested and released only one at a time.
- From condition (ii), N+A = M<m+n
- So we get N+m <m +n.
- So we get N < n.
- It shows that at least one process i that Need<sub>i</sub>=0.
- From condition (i), P<sub>i</sub> can release at least one resource.
- So, there are n-1 processes sharing 'm' resources now, condition (i) and (ii) still hold.
- Go on the argument, no process will wait permanently, so there's no deadlock.
- 6) Consider the traffic deadlock depicted in the figure given below, explain that the four necessary conditions for dead lock indeed hold in this examples.



#### Ans:

- The four necessary conditions for a deadlock are:
  - 1) Mutual exclusion
  - 2) Hold-and-wait
  - 3) No preemption and
  - 4) Circular-wait.
- The mutual exclusion condition holds since only one car can occupy a space in the roadway.
- Hold-and-wait occurs where a car holds onto its place in the roadway while it waits to advance in the roadway.
- A car cannot be removed (i.e. preempted) from its position in the roadway.
- Lastly, there is indeed a circular-wait as each car is waiting for a subsequent car to advance.
- The circular-wait condition is also easily observed from the graphic.

# **MODULE 3 (CONT.): MEMORY MANAGEMENT**

#### 3.9 Main Memory 3.9.1 Basic Hardware

- Program must be
  - → brought (from disk) into memory and
  - $\rightarrow$  placed within a process for it to be run.
- Main-memory and registers are only storage CPU can access directly.
- Register access in one CPU clock.
- Main-memory can take many cycles.
- Cache sits between main-memory and CPU registers.
- Protection of memory required to ensure correct operation.
- A pair of base- and limit-registers define the logical (virtual) address space (Figure 3.8 & 3.9).

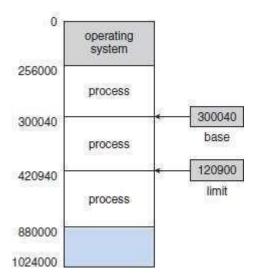


Figure 3.8 A base and a limit-register define a logical-address space

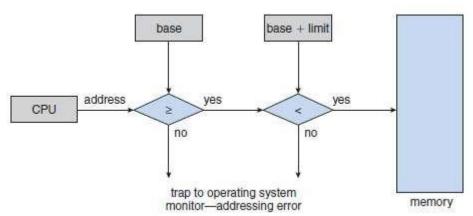


Figure 3.9 Hardware address protection with base and limit-registers

#### 3.9.2 Address Binding

• Address binding of instructions to memory-addresses can happen at 3 different stages (Figure 3.10):

#### 1) Compile Time

- > If memory-location known a priori, absolute code can be generated.
- > Must recompile code if starting location changes.

#### 2) Load Time

> Must generate relocatable code if memory-location is not known at compile time.

#### 3) Execution Time

- > Binding delayed until run-time if the process can be moved during its execution from one memory-segment to another.
- ➤ Need hardware support for address maps (e.g. base and limit-registers).

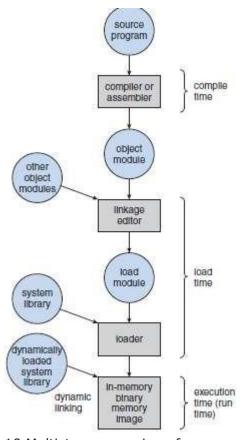


Figure 3.10 Multistep processing of a user-program

#### 3.9.3 Logical versus Physical Address Space

- **Logical-address** is generated by the CPU (also referred to as virtual-address). **Physical-address** is the address seen by the memory-unit.
- Logical & physical-addresses are the same in compile-time & load-time address-binding methods. Logical and physical-addresses differ in execution-time address-binding method.
- MMU (Memory-Management Unit)
  - > Hardware device that maps virtual-address to physical-address (Figure 3.11).
  - > The value in the relocation-register is added to every address generated by a user-process at the time it is sent to memory.
  - > The user-program deals with logical-addresses; it never sees the real physical-addresses.

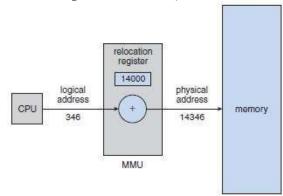


Figure 3.11 Dynamic relocation using a relocation-register

#### 3.9.4 Dynamic Loading

- This can be used to obtain better memory-space utilization.
- A routine is not loaded until it is called.
- This works as follows:
  - 1) Initially, all routines are kept on disk in a relocatable-load format.
  - 2) Firstly, the main-program is loaded into memory and is executed.
  - 3) When a main-program calls the routine, the main-program first checks to see whether the routine has been loaded.
  - 4) If routine has been not yet loaded, the loader is called to load desired routine into memory.
  - 5) Finally, control is passed to the newly loaded-routine.
- Advantages:
  - 1) An unused routine is never loaded.
  - 2) Useful when large amounts of code are needed to handle infrequently occurring cases.
  - 3) Although the total program-size may be large, the portion that is used (and hence loaded) may be much smaller.
  - 4) Does not require special support from the OS.

#### 3.9.5 Dynamic Linking and Shared Libraries

- Linking postponed until execution-time.
- This feature is usually used with system libraries, such as language subroutine libraries.
- A stub is included in the image for each library-routine reference.
- The **stub** is a small piece of code used to locate the appropriate memory-resident library-routine.
- When the stub is executed, it checks to see whether the needed routine is already in memory. If not, the program loads the routine into memory.
- Stub replaces itself with the address of the routine, and executes the routine.
- Thus, the next time that particular code-segment is reached, the library-routine is executed directly, incurring no cost for dynamic-linking.
- All processes that use a language library execute only one copy of the library code.

#### **Shared libraries**

- A library may be replaced by a new version, and all programs that reference the library will automatically use the new one.
- Version info. is included in both program & library so that programs won't accidentally execute incompatible versions.

#### 3.10 Swapping

- A process must be in memory to be executed.
- A process can be
  - → swapped temporarily out-of-memory to a backing-store and
  - → then brought into memory for continued execution.
- **Backing-store** is a fast disk which is large enough to accommodate copies of all memory-images for all users.
- Roll out/Roll in is a swapping variant used for priority-based scheduling algorithms.
  - > Lower-priority process is swapped out so that higher-priority process can be loaded and executed.
  - > Once the higher-priority process finishes, the lower-priority process can be swapped back in and continued (Figure 3.12).

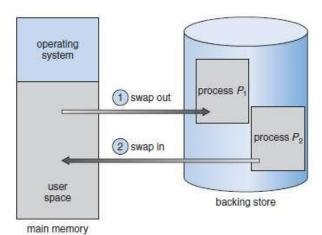


Figure 3.12 Swapping of two processes using a disk as a backing-store

- Swapping depends upon address-binding:
  - 1) If binding is done at load-time, then process cannot be easily moved to a different location.
  - 2) If binding is done at execution-time, then a process can be swapped into a different memory-space, because the physical-addresses are computed during execution-time.
- Major part of swap-time is transfer-time; i.e. total transfer-time is directly proportional to the amount of memory swapped.
- Disadvantages:
  - 1) Context-switch time is fairly high.
  - 2) If we want to swap a process, we must be sure that it is completely idle.

Two solutions:

- i) Never swap a process with pending I/O.
- ii) Execute I/O operations only into OS buffers.

#### 3.11 Contiguous Memory Allocation

- Memory is usually divided into 2 partitions:
  - $\rightarrow$  One for the resident OS.
  - → One for the user-processes.
- Each process is contained in a single contiguous section of memory.

#### 3.11.1 Memory Mapping & Protection

- Memory-protection means
  - → protecting OS from user-process and
  - → protecting user-processes from one another.
- Memory-protection is done using
  - → **Relocation-register**: contains the value of the smallest physical-address.
  - → **Limit-register**: contains the range of logical-addresses.
- Each logical-address must be less than the limit-register.
- The MMU maps the logical-address dynamically by adding the value in the relocation-register. This mapped-address is sent to memory (Figure 3.13).
- When the CPU scheduler selects a process for execution, the dispatcher loads the relocation and limit-registers with the correct values.
- Because every address generated by the CPU is checked against these registers, we can protect the OS from the running-process.
- The relocation-register scheme provides an effective way to allow the OS size to change dynamically.
- **Transient OS code**: Code that comes & goes as needed to save memory-space and overhead for unnecessary swapping.

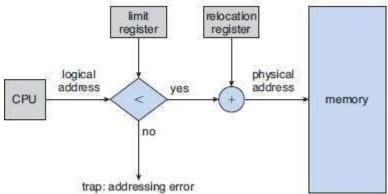


Figure 3.13 Hardware support for relocation and limit-registers

#### 3.11.2 Memory Allocation

- Two types of memory partitioning are: 1) Fixed-sized partitioning and
  - 2) Variable-sized partitioning

# 1) Fixed-sized Partitioning

- > The memory is divided into fixed-sized partitions.
- > Each partition may contain exactly one process.
- > The degree of multiprogramming is bound by the number of partitions.
- > When a partition is free, a process is
  - $\rightarrow$  selected from the input queue and
  - $\rightarrow$  loaded into the free partition.
- > When the process terminates, the partition becomes available for another process.

# 2) Variable-sized Partitioning

- > The OS keeps a table indicating
  - → which parts of memory are available and
  - $\rightarrow$  which parts are occupied.
- > A **hole** is a block of available memory.
- ➤ Normally, memory contains a set of holes of various sizes.
- > Initially, all memory is
  - → available for user-processes and
  - $\rightarrow$  considered one large hole.
- > When a process arrives, the process is allocated memory from a large hole.
- > If we find the hole, we
  - $\rightarrow$  allocate only as much memory as is needed and
  - $\rightarrow$  keep the remaining memory available to satisfy future requests.
- Three strategies used to select a free hole from the set of available holes.

#### 1) First Fit

- > Allocate the first hole that is big enough.
- > Searching can start either
  - $\rightarrow$  at the beginning of the set of holes or
  - $\rightarrow$  at the location where the previous first-fit search ended.

#### 2) Rest Fit

- > Allocate the smallest hole that is big enough.
- > We must search the entire list, unless the list is ordered by size.
- > This strategy produces the smallest leftover hole.

#### 3) Worst Fit

- > Allocate the largest hole.
- > Again, we must search the entire list, unless it is sorted by size.
- > This strategy produces the largest leftover hole.
- First-fit and best fit are better than worst fit in terms of decreasing time and storage utilization.

#### 3.11.3 Fragmentation

- Two types of memory fragmentation: 1) Internal fragmentation and
  - 2) External fragmentation

# 1) Internal Fragmentation

- The general approach is to
  - → break the physical-memory into fixed-sized blocks and
  - → allocate memory in units based on block size (Figure 3.14).
- The allocated-memory to a process may be slightly larger than the requested-memory.
- The difference between requested-memory and allocated-memory is called internal fragmentation i.e. Unused memory that is internal to a partition.

#### 2) External Fragmentation

- External fragmentation occurs when there is enough total memory-space to satisfy a request but the available-spaces are not contiguous. (i.e. storage is fragmented into a large number of small holes).
- Both the first-fit and best-fit strategies for memory-allocation suffer from external fragmentation.
- Statistical analysis of first-fit reveals that
  - → given N allocated blocks, another 0.5 N blocks will be lost to fragmentation.

This property is known as the **50-percent rule**.

• Two solutions to external fragmentation (Figure 3.15):

#### 1) Compaction

- > The goal is to shuffle the memory-contents to place all free memory together in one large hole.
- > Compaction is possible only if relocation is
  - → dynamic and
  - $\rightarrow$  done at execution-time.

#### 2) Permit the logical-address space of the processes to be non-contiguous.

- > This allows a process to be allocated physical-memory wherever such memory is available.
- > Two techniques achieve this solution:
  - 1) Paging and
  - 2) Segmentation.

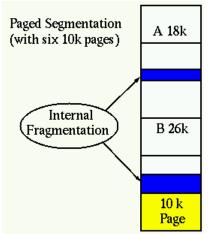


Figure 3.14: Internal fragmentation

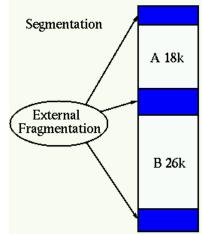


Figure 3.15: External fragmentation

#### 3.13 Paging

- Paging is a memory-management scheme.
- This permits the physical-address space of a process to be non-contiguous.
- This also solves the considerable problem of fitting memory-chunks of varying sizes onto the backing-store.
- Traditionally: Support for paging has been handled by hardware.

Recent designs: The hardware & OS are closely integrated.

#### 3.13.1 Basic Method

- Physical-memory is broken into fixed-sized blocks called **frames**(Figure 3.16). Logical-memory is broken into same-sized blocks called **pages.**
- When a process is to be executed, its pages are loaded into any available memory-frames from the backing-store.
- The backing-store is divided into fixed-sized blocks that are of the same size as the memory-frames.

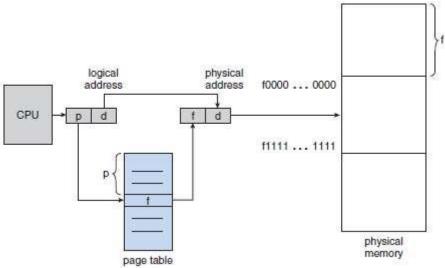


Figure 3.16 Paging hardware

- The page-table contains the base-address of each page in physical-memory.
- Address generated by CPU is divided into 2 parts (Figure 3.17):
  - 1) Page-number(p) is used as an index to the page-table and
  - 2) Offset(d) is combined with the base-address to define the physical-address.

This physical-address is sent to the memory-unit.

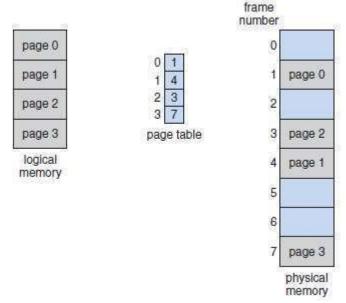


Figure 3.17 Paging model of logical and physical-memory

- The page-size (like the frame size) is defined by the hardware (Figure 3.18).
- If the size of the logical-address space is 2<sup>m</sup>, and a page-size is 2<sup>n</sup> addressing-units (bytes or words) then the high-order m-n bits of a logical-address designate the page-number, and the n low-order bits designate the page-offset.

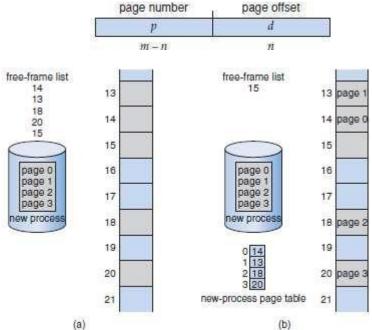


Figure 3.18 Free frames (a) before allocation and (b) after allocation

#### 3.13.2 Hardware Support for Paging

- Most OS's store a page-table for each process.
- A pointer to the page-table is stored in the PCB.

#### **Translation Lookaside Buffer**

- The TLB is associative, high-speed memory.
- The TLB contains only a few of the page-table entries.
- Working:
  - ▶ When a logical-address is generated by the CPU, its page-number is presented to the TLB.
  - ➤ If the page-number is found (**TLB hit**), its frame-number is
    - → immediately available and
    - $\rightarrow$  used to access memory.
  - ➤ If page-number is not in TLB (**TLB miss**), a memory-reference to page table must be made.
  - > The obtained frame-number can be used to access memory (Figure 3.19).
  - > In addition, we add the page-number and frame-number to the TLB, so that they will be found quickly on the next reference.
- If the TLB is already full of entries, the OS must select one for replacement.
- Percentage of times that a particular page-number is found in the TLB is called **hit ratio**.
- Advantage: Search operation is fast.

Disadvantage: Hardware is expensive.

- Some TLBs have wired down entries that can't be removed.
- Some TLBs store ASID (address-space identifier) in each entry of the TLB that uniquely
  - → identify each process and
  - → provide address space protection for that process.

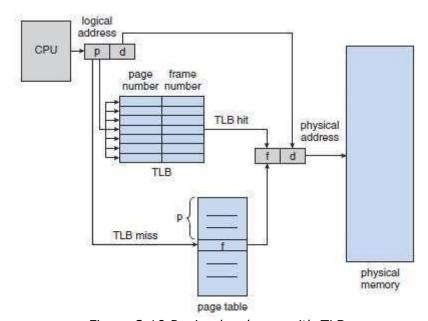


Figure 3.19 Paging hardware with TLB

#### 3.13.3 Protection

- Memory-protection is achieved by **protection-bits** for each frame.
- The protection-bits are kept in the page-table.
- One protection-bit can define a page to be read-write or read-only.
- Every reference to memory goes through the page-table to find the correct frame-number.
- Firstly, the physical-address is computed. At the same time, the protection-bit is checked to verify that no writes are being made to a read-only page.
- An attempt to write to a read-only page causes a hardware-trap to the OS (or memory-protection violation).

## **Valid Invalid Bit**

- This bit is attached to each entry in the page-table (Figure 3.20).
  - 1) Valid bit: The page is in the process' logical-address space.
  - 2) Invalid bit: The page is not in the process' logical-address space.
- Illegal addresses are trapped by use of valid-invalid bit.
- The OS sets this bit for each page to allow or disallow access to the page.

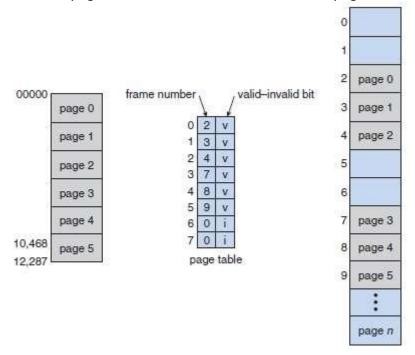


Figure 3.20 Valid (v) or invalid (i) bit in a page-table

#### 3.13.4 Shared Pages

- Advantage of paging:
  - 1) Possible to share common code.
- Re-entrant code is non-self-modifying code, it never changes during execution.
- Two or more processes can execute the same code at the same time.
- Each process has its own copy of registers and data-storage to hold the data for the process's execution.
- The data for 2 different processes will be different.
- Only one copy of the editor need be kept in physical-memory (Figure 3.21).
- Each user's page-table maps onto the same physical copy of the editor, but data pages are mapped onto different frames.
- Disadvantage:
  - 1) Systems that use inverted page-tables have difficulty implementing shared-memory.

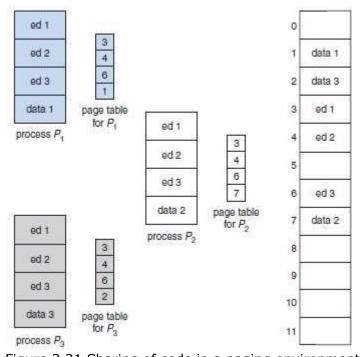


Figure 3.21 Sharing of code in a paging environment

#### 3.14 Structure of the Page Table

- 1) Hierarchical Paging
- 2) Hashed Page-tables
- 3) Inverted Page-tables

## 3.14.1 Hierarchical Paging

• Problem: Most computers support a large logical-address space (2<sup>32</sup> to 2<sup>64</sup>). In these systems, the page-table itself becomes excessively large.

Solution: Divide the page-table into smaller pieces.

#### **Two Level Paging Algorithm**

- The page-table itself is also paged (Figure 3.22).
- This is also known as a forward-mapped page-table because address translation works from the outer page-table inwards.
- For example (Figure 3.23):
  - > Consider the system with a 32-bit logical-address space and a page-size of 4 KB.
  - > A logical-address is divided into
    - → 20-bit page-number and
    - $\rightarrow$  12-bit page-offset.
  - > Since the page-table is paged, the page-number is further divided into
    - $\rightarrow$  10-bit page-number and
    - $\rightarrow$  10-bit page-offset.
  - > Thus, a logical-address is as follows:

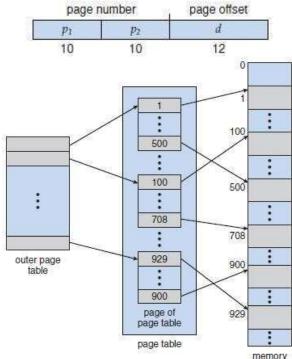


Figure 3.22 A two-level page-table scheme

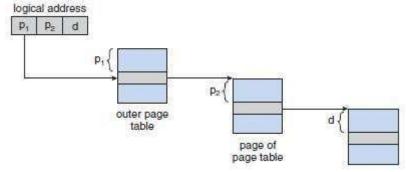


Figure 3.23 Address translation for a two-level 32-bit paging architecture

#### 3.14.2 Hashed Page Tables

- This approach is used for handling address spaces larger than 32 bits.
- The hash-value is the virtual page-number.
- Each entry in the hash-table contains a linked-list of elements that hash to the same location (to handle collisions).
- Each element consists of 3 fields:
  - 1) Virtual page-number
  - 2) Value of the mapped page-frame and
  - 3) Pointer to the next element in the linked-list.
- The algorithm works as follows (Figure 3.24):
  - 1) The virtual page-number is hashed into the hash-table.
  - 2) The virtual page-number is compared with the first element in the linked-list.
  - 3) If there is a match, the corresponding page-frame (field 2) is used to form the desired physical-address.
  - 4) If there is no match, subsequent entries in the linked-list are searched for a matching virtual page-number.

# **Clustered Page Tables**

- These are similar to hashed page-tables except that each entry in the hash-table refers to several pages rather than a single page.
- Advantages:
  - 1) Favorable for 64-bit address spaces.
  - 2) Useful for address spaces, where memory-references are noncontiguous and scattered throughout the address space.

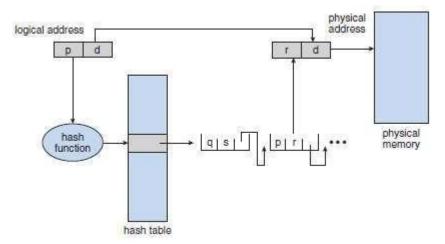


Figure 3.24 Hashed page-table

#### 3.14.3 Inverted Page Tables

- Has one entry for each real page of memory.
- · Each entry consists of
  - $\rightarrow$  virtual-address of the page stored in that real memory-location and
  - $\rightarrow$  information about the process that owns the page.

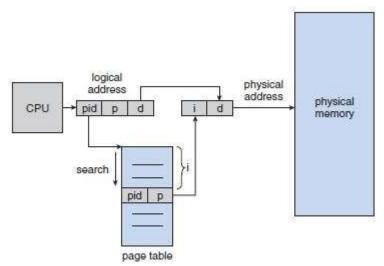


Figure 3.25 Inverted page-table

- Each virtual-address consists of a triplet (Figure 3.25):
  - cprocess-id, page-number, offset>.
- Each inverted page-table entry is a pair process-id, page-number>
- The algorithm works as follows:
  - 1) When a memory-reference occurs, part of the virtual-address, consisting of c
  - 2) The inverted page-table is then searched for a match.
  - **3)** If a match is found, at entry i-then the physical-address <i, offset> is generated.
  - 4) If no match is found, then an illegal address access has been attempted.
- Advantage:
  - 1) Decreases memory needed to store each page-table
- Disadvantages:
  - 1) Increases amount of time needed to search table when a page reference occurs.
  - 2) Difficulty implementing shared-memory.

#### 3.15 Segmentation

#### 3.15.1 Basic Method

- This is a memory-management scheme that supports user-view of memory(Figure 3.26).
- A logical-address space is a collection of segments.
- Each segment has a name and a length.
- The addresses specify both
  - $\rightarrow$  segment-name and
  - $\rightarrow$  offset within the segment.
- Normally, the user-program is compiled, and the compiler automatically constructs segments reflecting the input program.

For ex:

 $\rightarrow$  The code

- → Global variables
- → The heap, from which memory is allocated
- $\rightarrow$  The stacks used by each thread

→ The standard C library

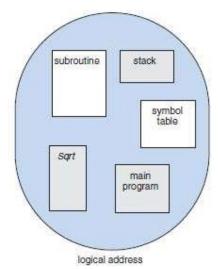


Figure 3.26 Programmer's view of a program

#### 3.15.2 Hardware Support

- Segment-table maps 2 dimensional user-defined addresses into one-dimensional physical-addresses.
- In the segment-table, each entry has following 2 fields:
  - 1) **Segment-base** contains starting physical-address where the segment resides in memory.
  - **2) Segment-limit** specifies the length of the segment (Figure 3.27).
- A logical-address consists of 2 parts:
  - 1) Segment-number(s) is used as an index to the segment-table.
  - 2) Offset(d) must be between 0 and the segment-limit.
- If offset is not between 0 & segment-limit, then we trap to the OS(logical-addressing attempt beyond end of segment).
- If offset is legal, then it is added to the segment-base to produce the physical-memory address.

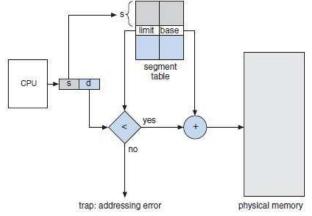


Figure 3.27 Segmentation hardware