



Introduction to AI

Lecture 2: Problem Solving as Search (Blind/Uninformed Strategies)

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Agenda

- **Goal-based agents**
- **Problem Solving as Search**
- **Search Strategies**

Excerpts from the previous lecture

- Agent types:
 - ✓ Simple reflex agents
 - ✓ Model-based reflex agents
 - ✓ **Goal-based agents**
 - ✓ Utility-based agents
- All of which can be generalized into **learning agents** that can improve their performance and generate better actions.

Excerpts from the previous lecture

- **Goal-based agents:** problem solving agents or planning agents.
- Agents that work towards **a goal**.
- Agents consider the impact of actions on future states.
- Agent's job is to identify the action or series of actions that lead to the goal.
- Formalized as a search through possible solutions.

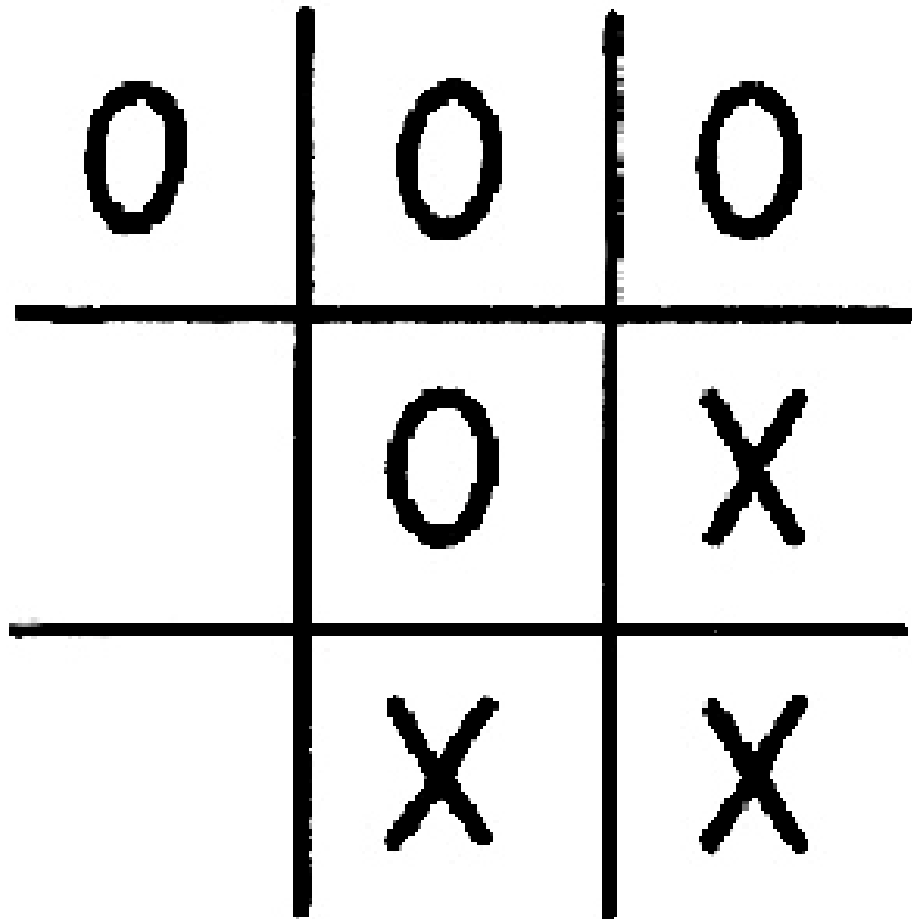
Real World Problem



Real World Problem

0	0	0
	0	X
	X	X

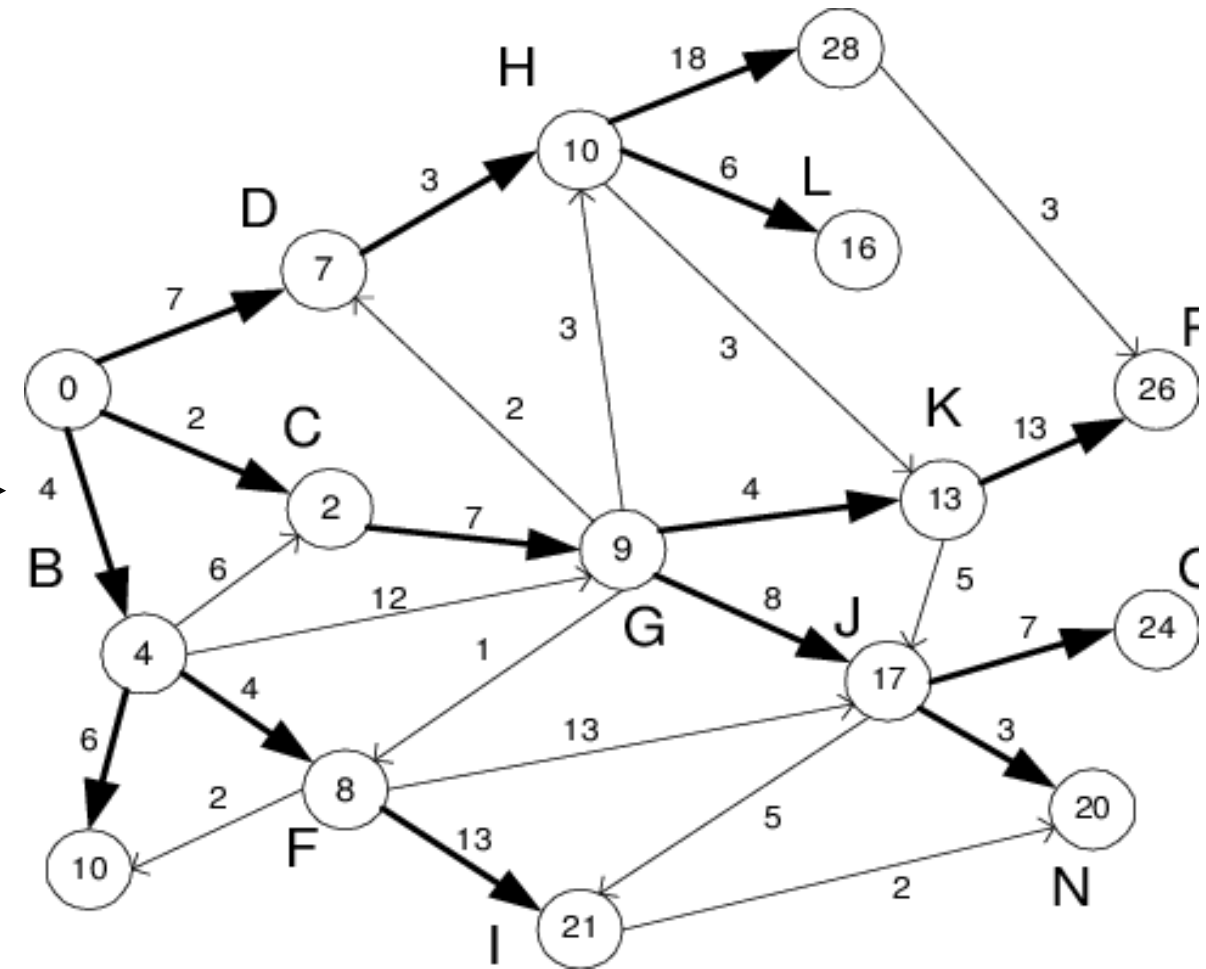
How to Make AI Solve Real World Problems



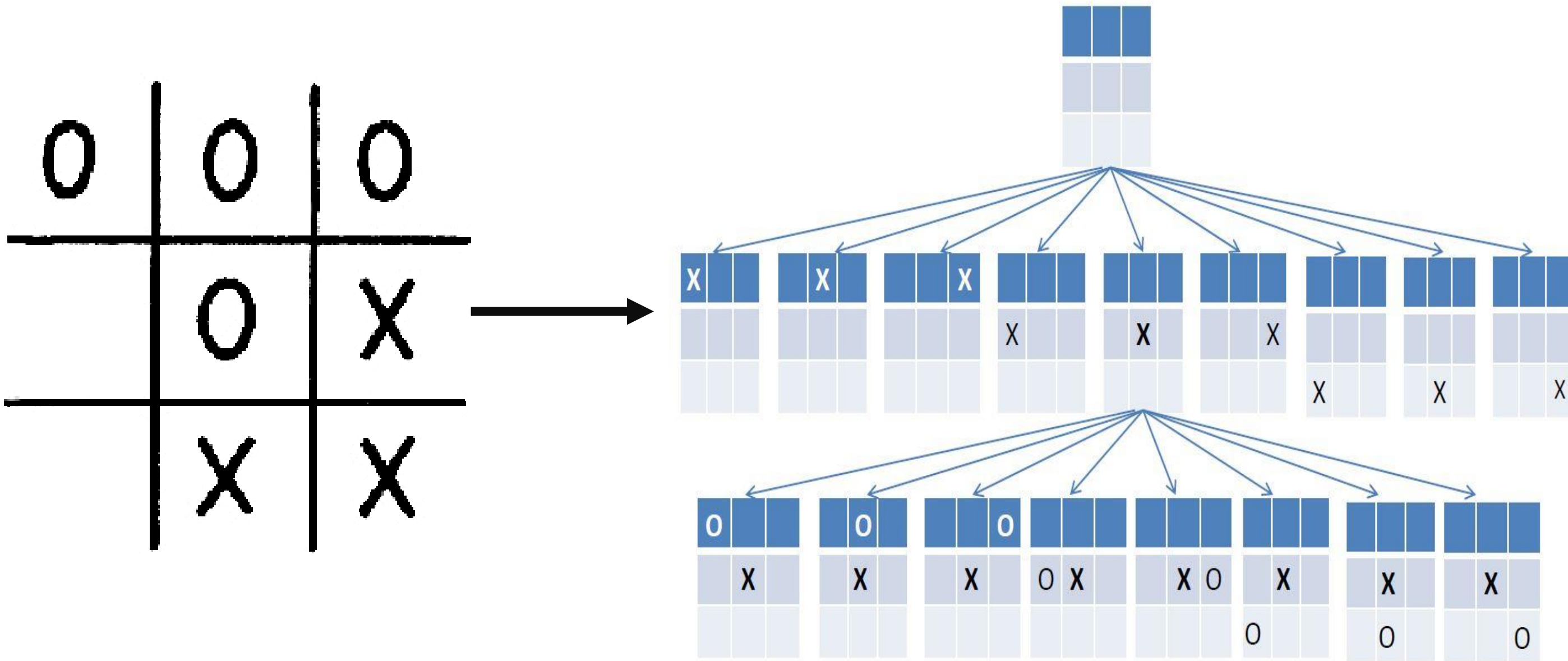
Modeling Problems

- Modeling a problem is a critical first step in solving it, especially in artificial intelligence and computer science.
- Modeling involves abstracting the real-world problem into a structured representation that can be analyzed and solved using computational methods.
- For problems that involve searching for solutions (e.g., finding the shortest path, solving puzzles, or optimizing resources), modeling the problem as a search problem is a common and effective approach.

Modeling Problems



Modeling Problems



Problem Solving as Search

1. Define the problem through:

- ✓ Goal formulation
- ✓ Problem formulation

2. Solving the problem as a 2-stage process:

- ✓ Search: exploration of several possibilities
- ✓ Execute the solution found

Search Problem Components

Initial state: the state in which the agent starts

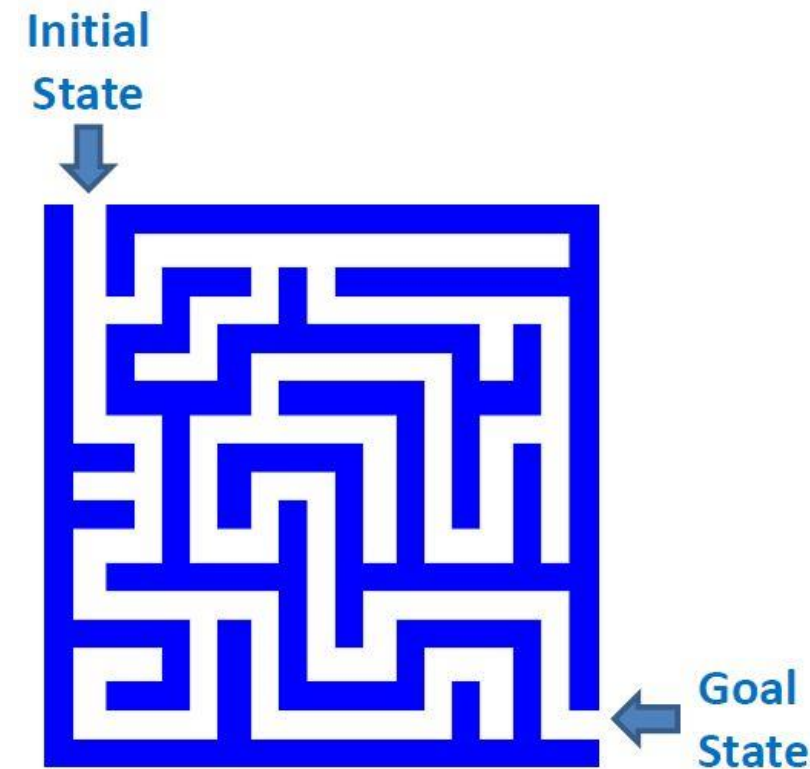
States: All states reachable from the initial state by any sequence of actions (**State space**).

Actions: possible actions available to the agent. At a state s , $\text{Actions}(s)$ returns the set of actions that can be executed in state s (**Action space**).

Transition model: A description of what each action does $\text{Results}(s, a)$

Goal test: determines if a given state is a goal state

Path cost: function that assigns a numeric cost to a path w.r.t. performance measure



Example: Tic-Tac-Toe

O	O	O
	O	X
	X	X

- **Initial state:** an empty board
- **States:** The state space consists of all possible configurations of the 3x3 grid, where each cell can be empty, contain an X, or contain an O.
- **Actions:** The actions are the possible moves a player can make. For a given state, an action is placing an X or an O in an empty cell.
- **Transition model:** Given a state and an action, returns resulting state
- **Goal test:** a board state having three Xs in a row, column, or diagonal
- **Path cost:** total moves, each move costs 1

Example: 8 puzzles

	0	6
7	1	2
5	3	4

Start State

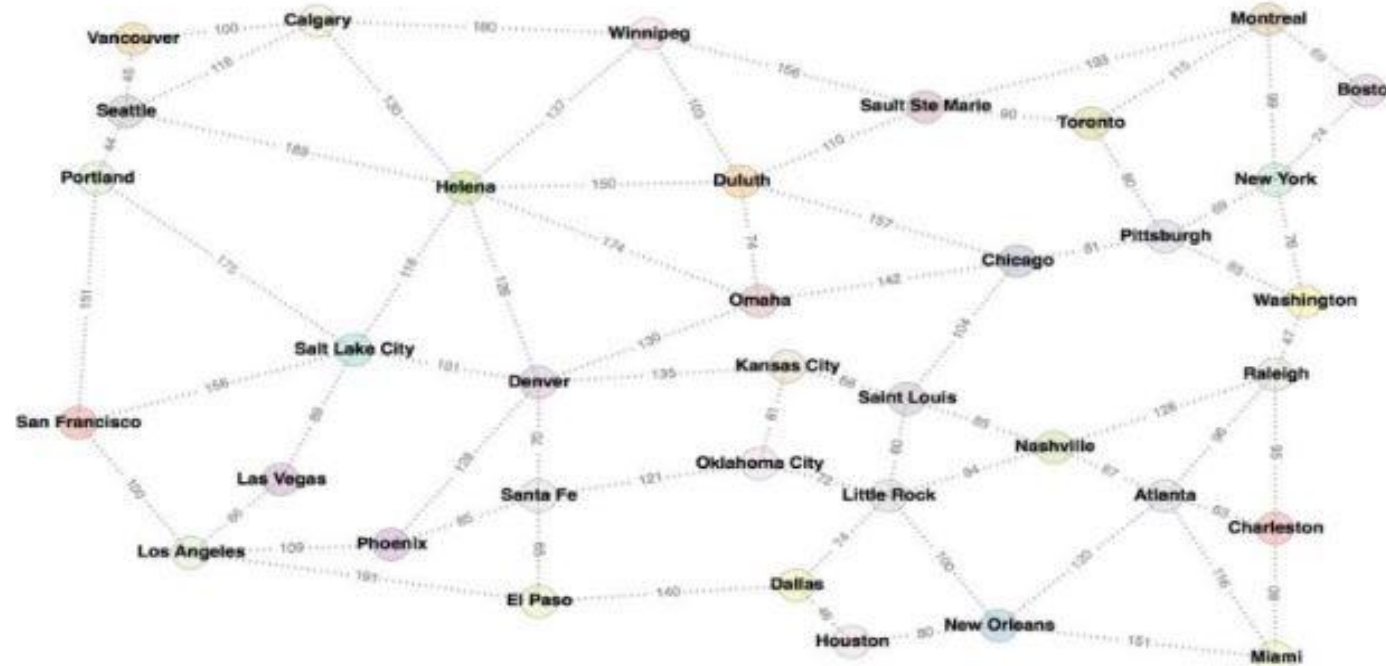


	0	1
2	3	4
5	6	7

Goal State

- **Initial state:** Any state
- **States:** Location of each of the 8 tiles in the 3x3 grid
- **Actions:** Move Left, Right, Up or Down
- **Transition model:** Given a state and an action, returns resulting state
- **Goal test:** state matches the goal state?
- **Path cost:** total moves, each move costs 1

Example: Map Search



- **Initial state:** The starting location on the map (for example: in Boston)
- **States:** In City where $\text{City} \in \{\text{Los Angeles, San Francisco, Denver, ...}\}$
- **Actions:** Go New York, etc.
- **Transition model:** Results (In (Boston), Go (New York)) = In(New York)
- **Goal test:** In(Denver)
- **Path cost:** path length in kilometers

Search

- Given:
 - ✓ Initial state
 - ✓ Actions
 - ✓ Transition model
 - ✓ Goal state
 - ✓ Path cost
- How do we find the optimal solution?

Search

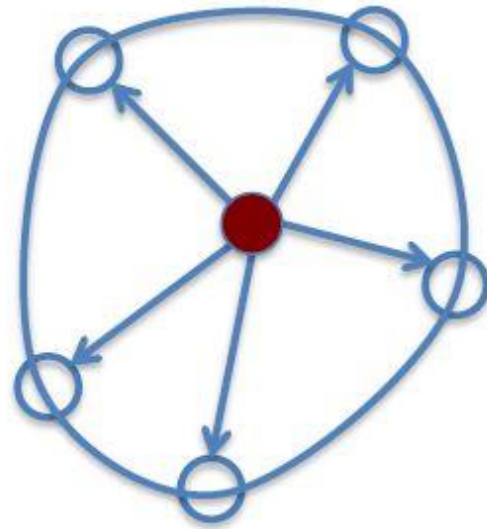
- The search space is divided into three regions:
 - ✓ Explored (Closed List, Visited Set)
 - ✓ Frontier (Open List)
 - ✓ Unexplored.
- The essence of search is moving nodes from regions (3) to (2) to (1), and the essence of **search strategy** is deciding the order of such moves.

Search

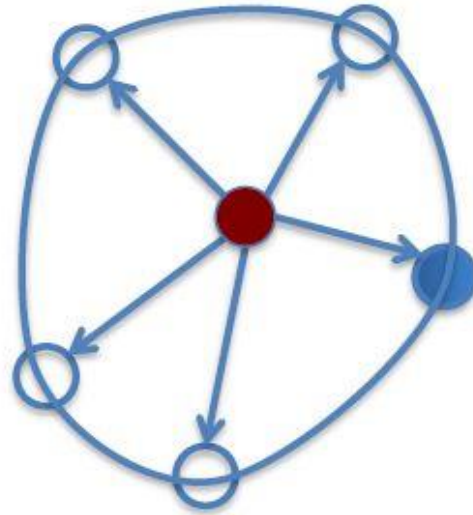
Start

A small, solid red circle is positioned to the left of the word "Start".

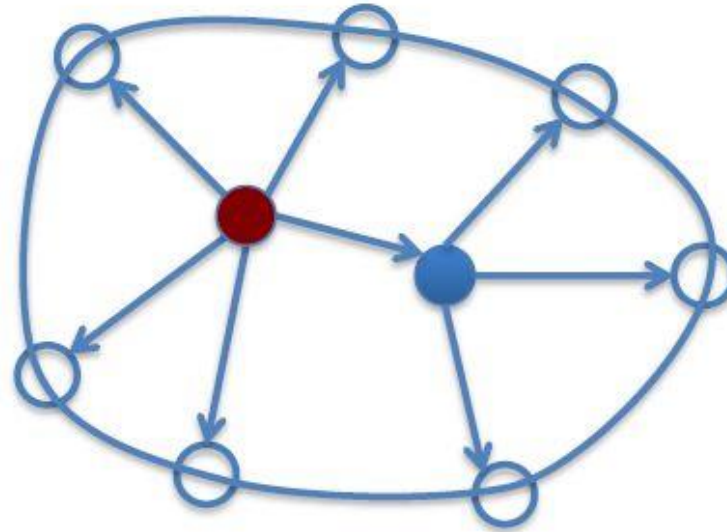
Search



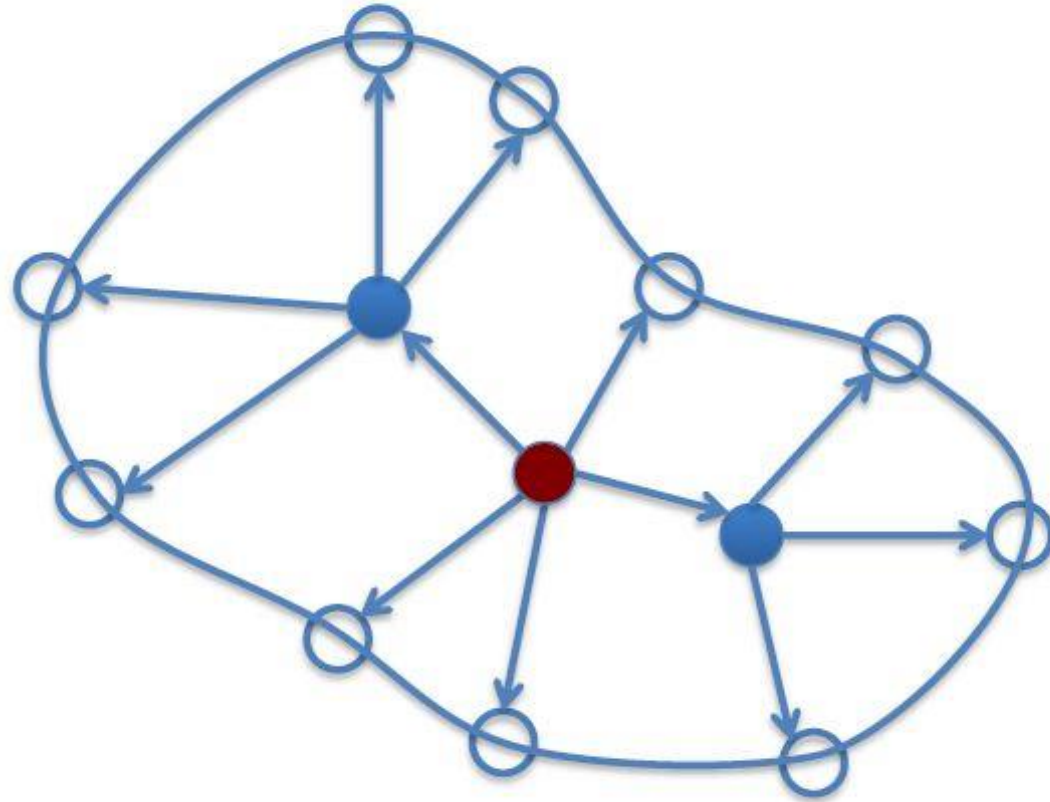
Search



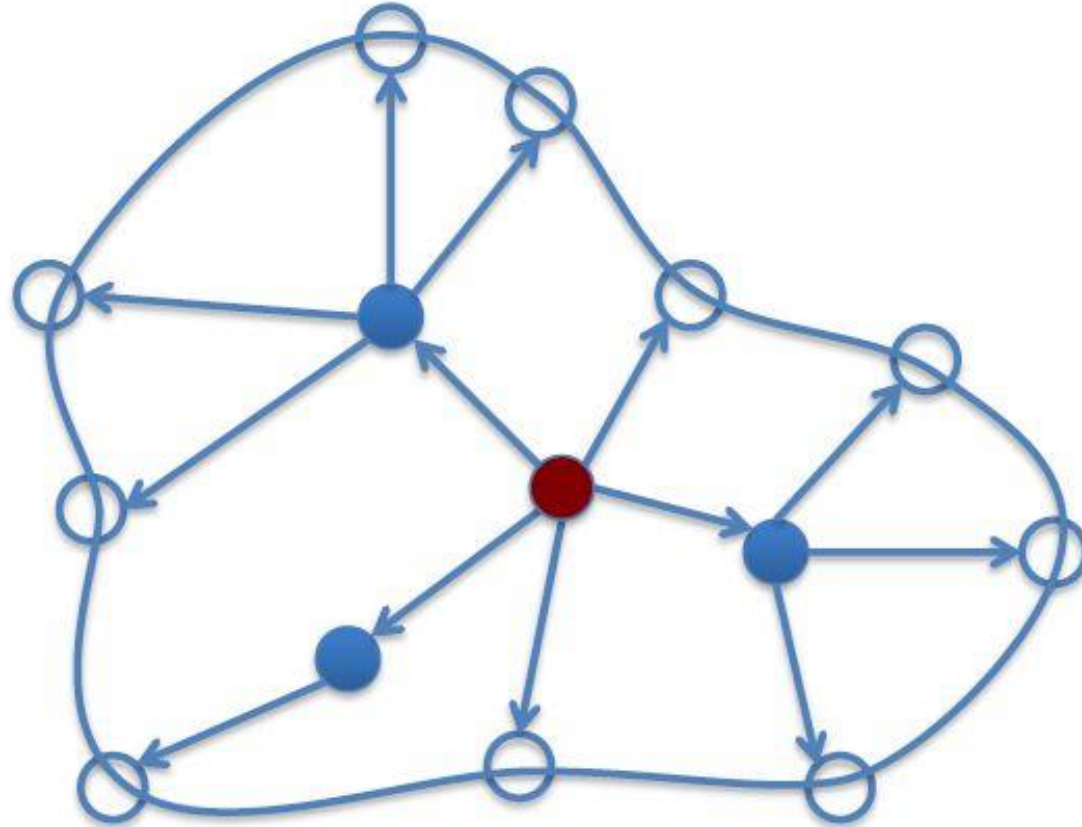
Search



Search



Search



Search

- Start with the initial state (or node) and expand it by making a list of all possible successor states.
- Maintain a frontier or a list of newly discovered nodes that have not yet been expanded.
- At each step, pick a state from the frontier to expand.
- Keep going until you reach a goal state.
- Try to expand as few states as possible.

Search

- Handling Repeated States
 - ✓ Every time you expand a node according to search strategy, add that state to the explored set do not put explored states on the frontier again
 - ✓ Every time you add a node to the frontier, check whether it already exists with a higher path cost, and if yes, replace that node with the new one

Search Strategies

- A strategy is defined by picking the order of node expansion
- Strategies are evaluated along the following dimensions:
 - ✓ **Completeness**
 - Does it always find a solution if one exists?
 - ✓ **Time complexity**
 - Number of nodes generated/expanded
 - ✓ **Space complexity**
 - Maximum number of nodes in memory
 - ✓ **Optimality**
 - Does it always find a least-cost solution?

Search Strategies

There are two kinds of search

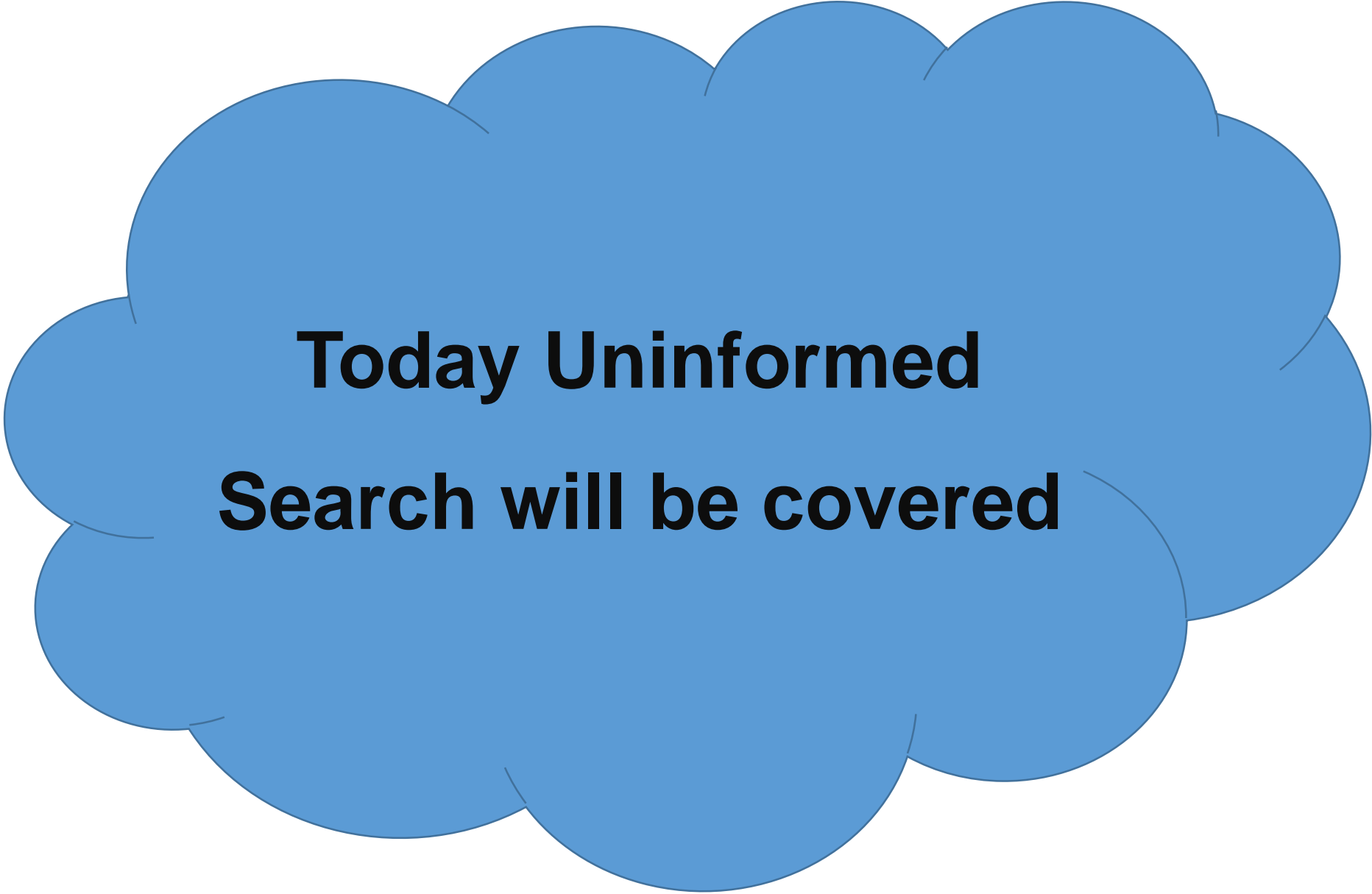
- **Uniformed (Blind, Exhaustive or Brute Force) search**
- **Informed (or Heuristic) search**

Uniformed Search

- It is a type of search algorithm used in artificial intelligence to solve problems where the agent has no additional information about the problem other than its definition.
- It explores the state space systematically without any preference for paths that are more likely to lead to the goal.

Informed Search

- It is a type of search algorithm in artificial intelligence that uses problem-specific knowledge or heuristics to guide the search process.
- Informed search algorithms use heuristic functions to estimate the cost or potential of reaching the goal from a given state. This allows them to prioritize paths that are more likely to lead to the goal, making them more efficient for many problems.

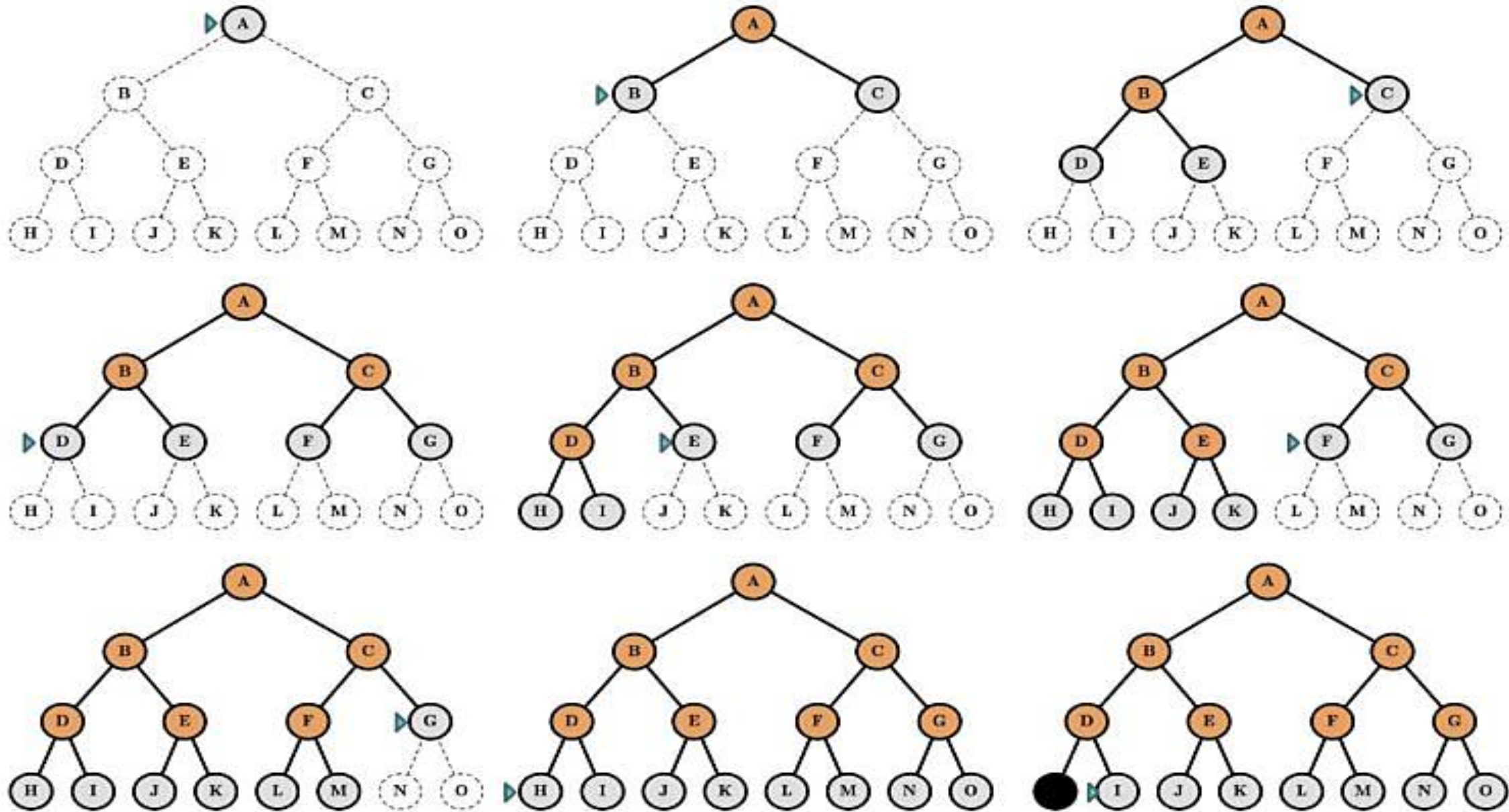
A blue cloud shape with a thin black outline, centered on a white background. Inside the cloud, the text "Today Uninformed Search will be covered" is written in a bold, black, sans-serif font, arranged in two lines.

**Today Uninformed
Search will be covered**

Uniformed Search Algorithms

- There are several common blind search algorithms, each with its own strategy for exploring the state space:
 - ✓ Breadth-First Search (BFS)
 - ✓ Depth-First Search (DFS)
 - ✓ Depth-Limited Search (DLS)
 - ✓ Uniform-Cost Search (UCS)

Breadth-First Search (BFS)

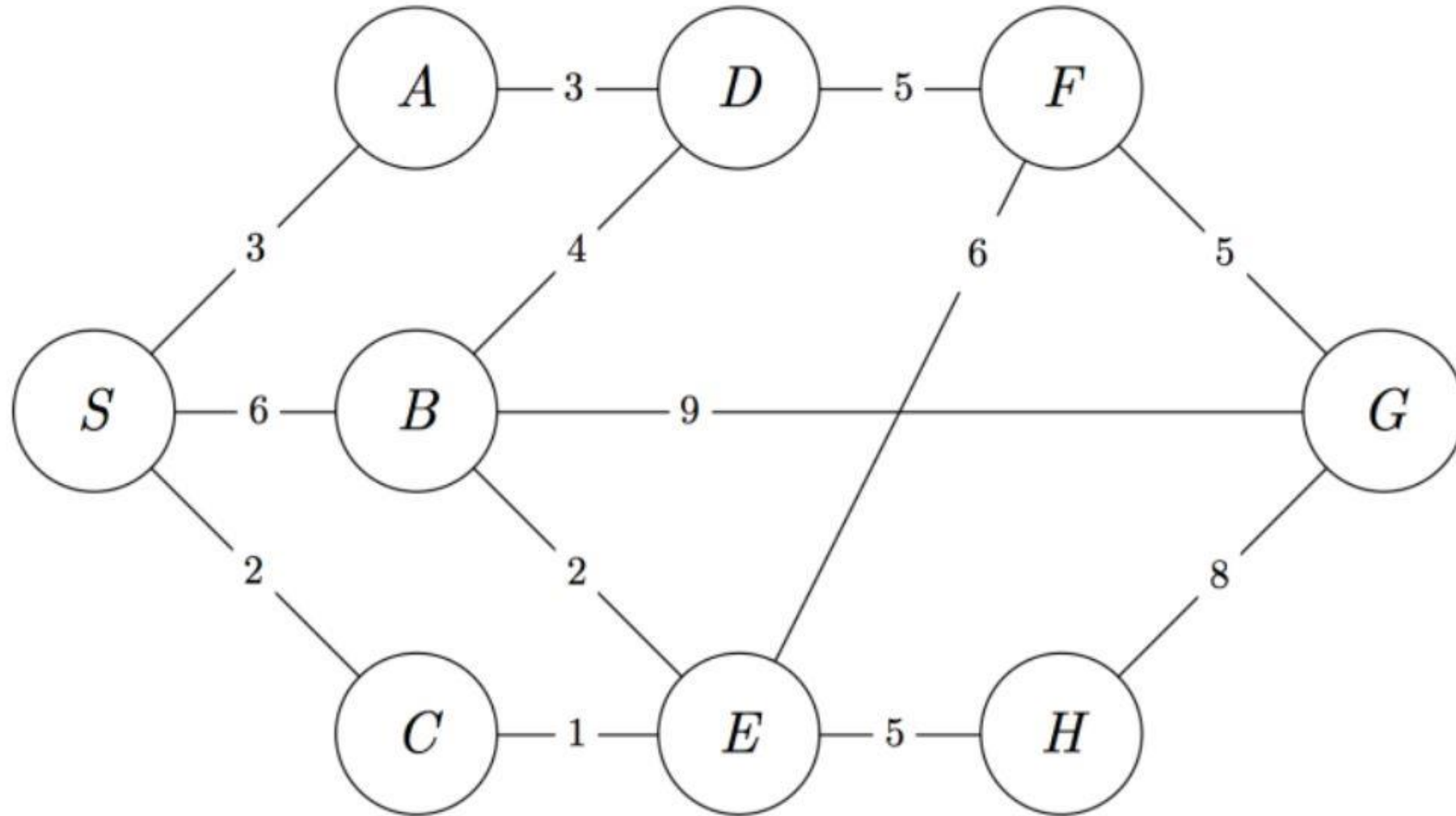


New nodes are inserted at the end of the **FRINGE: First input first output FIFO (Queue)**

Breadth-First Search (BFS)

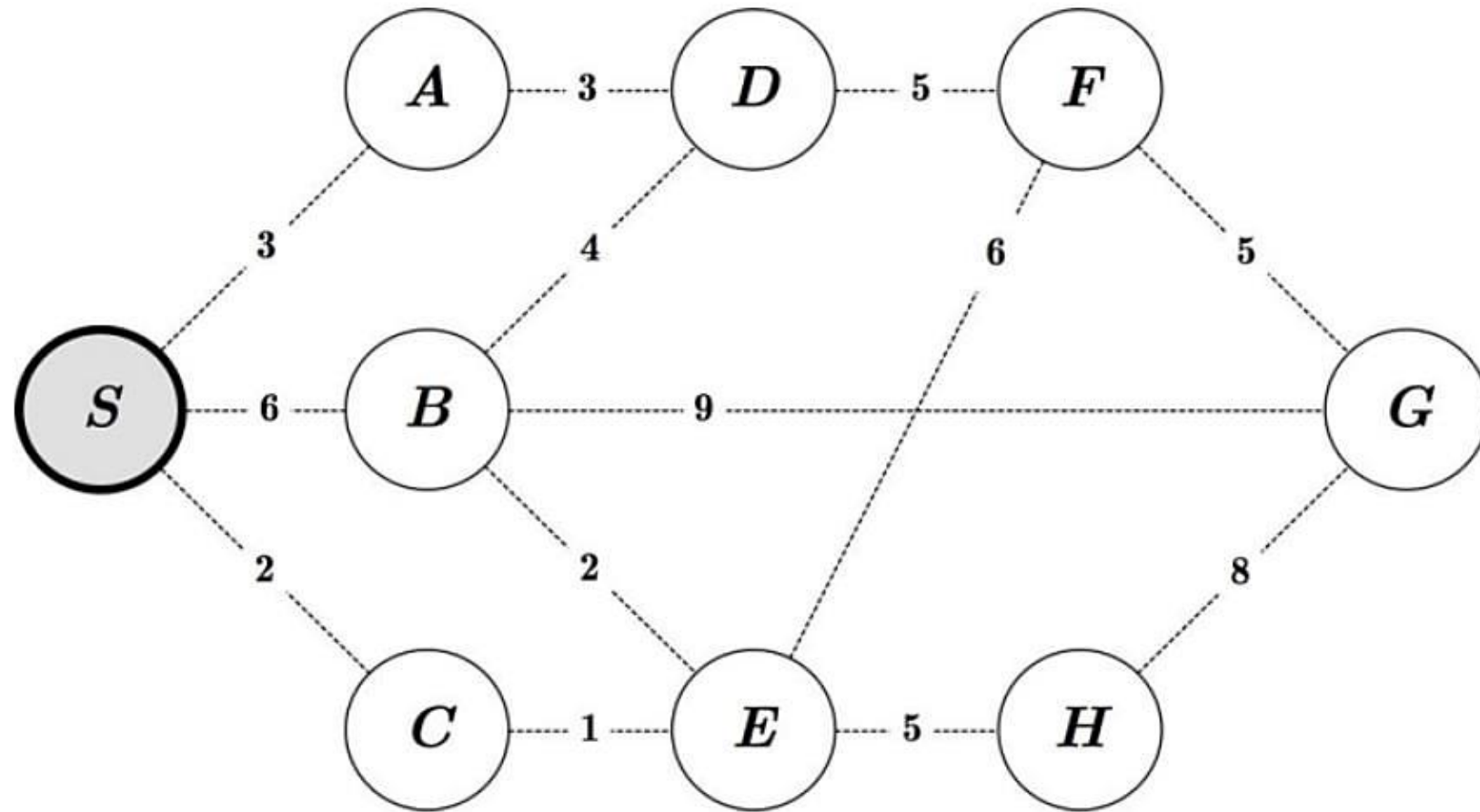
- Avoiding Repeated States:
 - ✓ Requires comparing state descriptions.
 - ✓ For example, Keep track of all generated states. If the state of a new node already exists, then discard the node.

Breadth-First Search (BFS)- Example



Question: What is the **order of visits of the nodes** and the **path returned** by BFS? Start node S and goal node G

Breadth-First Search (BFS)- Example

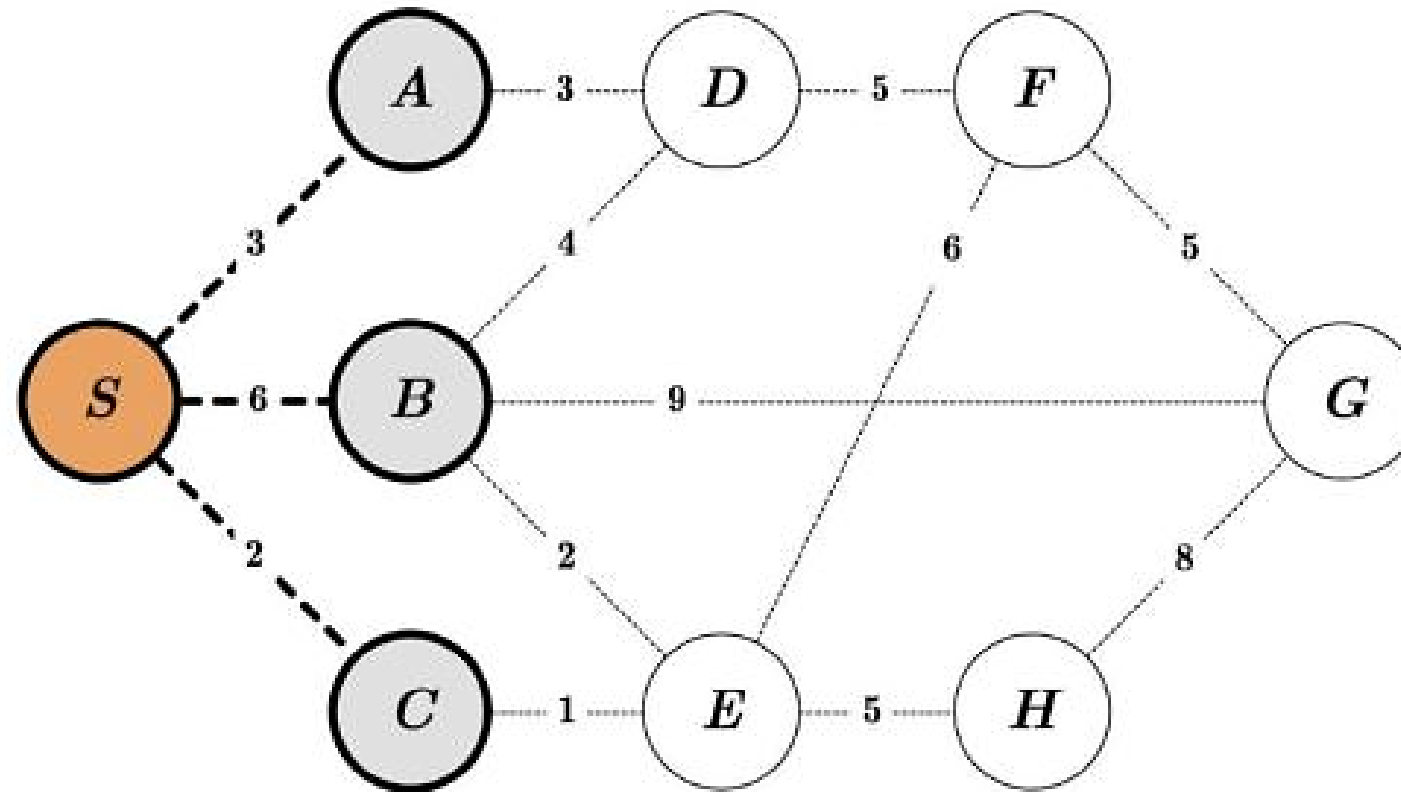


Queue:



Order of Visit:

Breadth-First Search (BFS)- Example



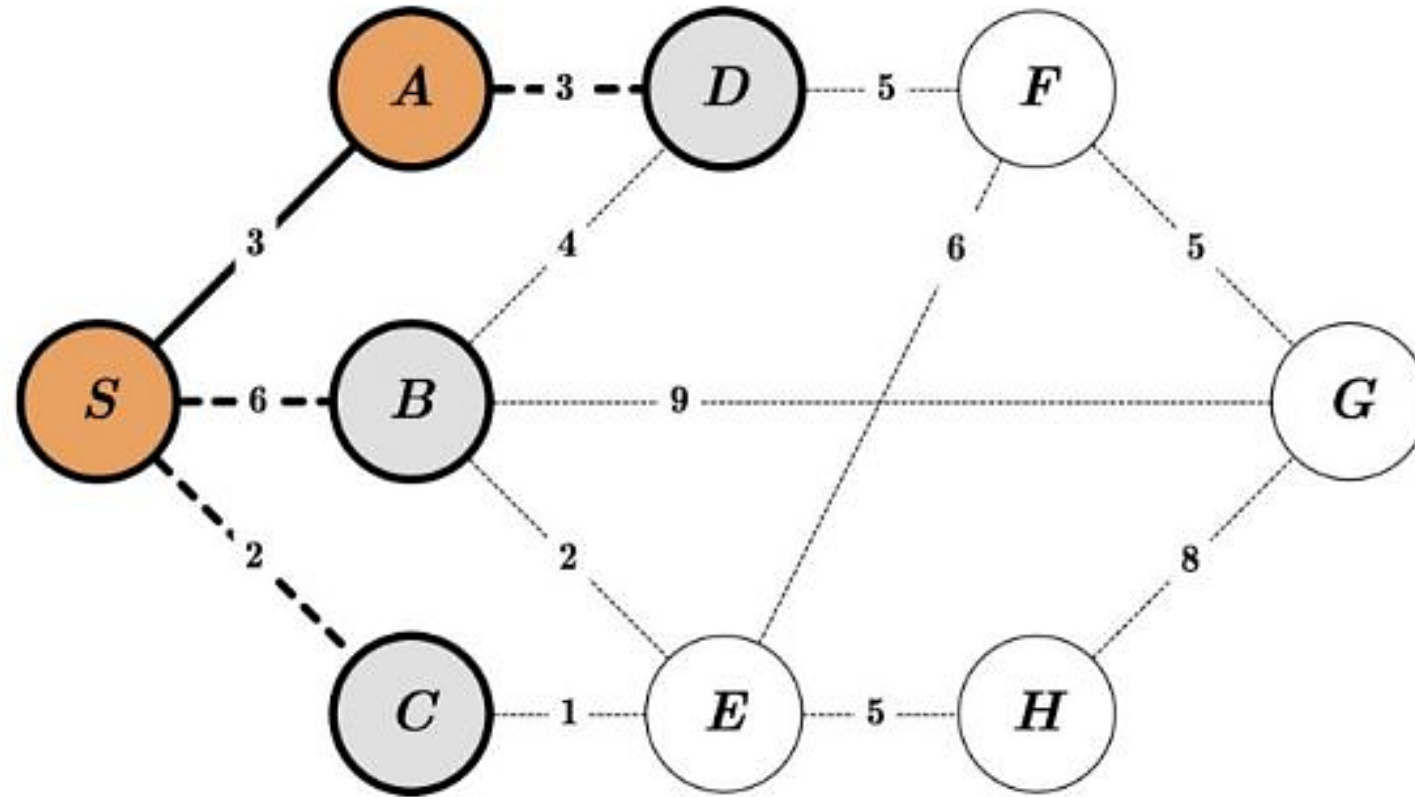
Queue:

<i>S</i>	<i>A</i>	<i>B</i>	<i>C</i>
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Order of Visit:

S

Breadth-First Search (BFS)- Example



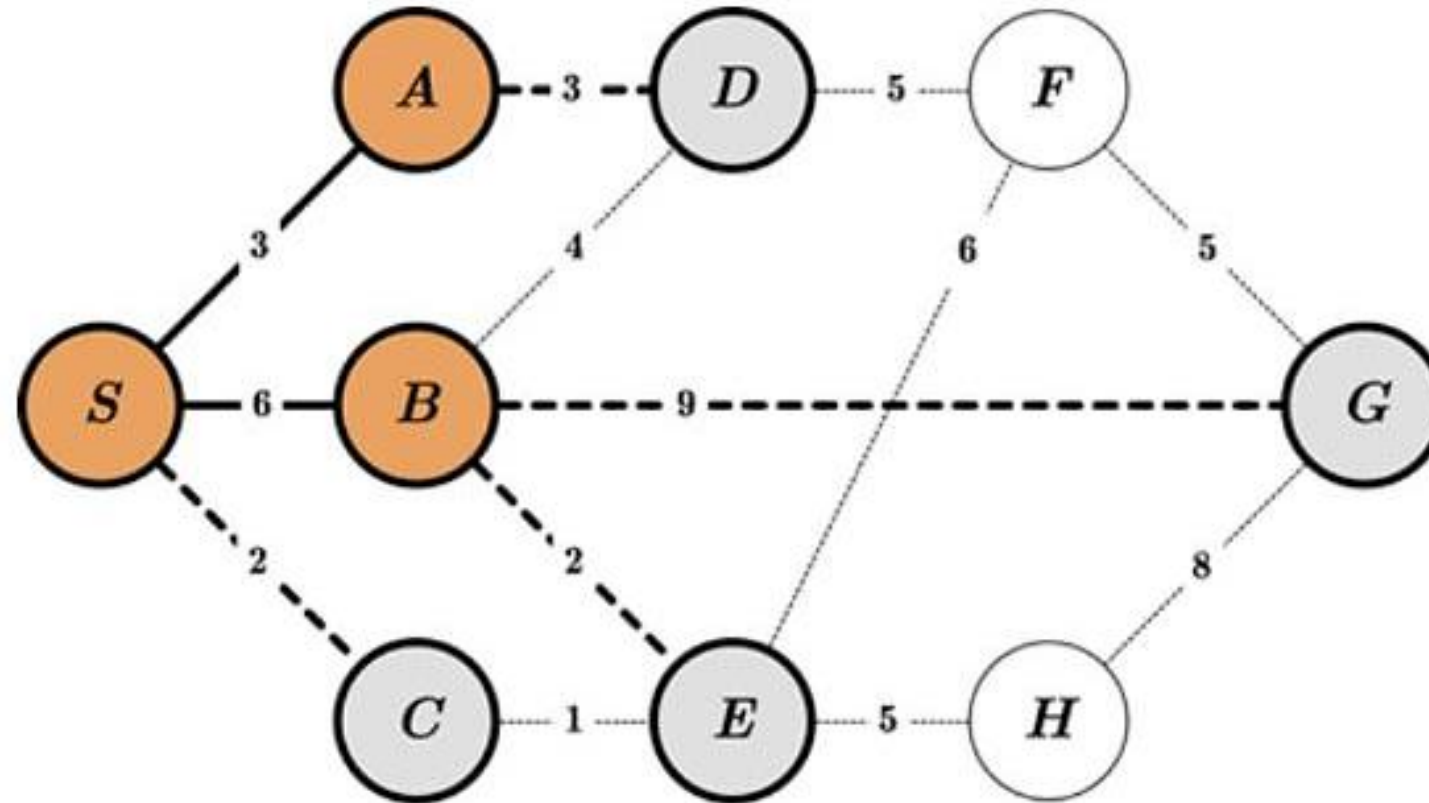
Queue:

<i>S</i>	<i>A</i>	<i>B</i>	<i>C</i>	<i>D</i>
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Order of Visit:

S *A*

Breadth-First Search (BFS)- Example



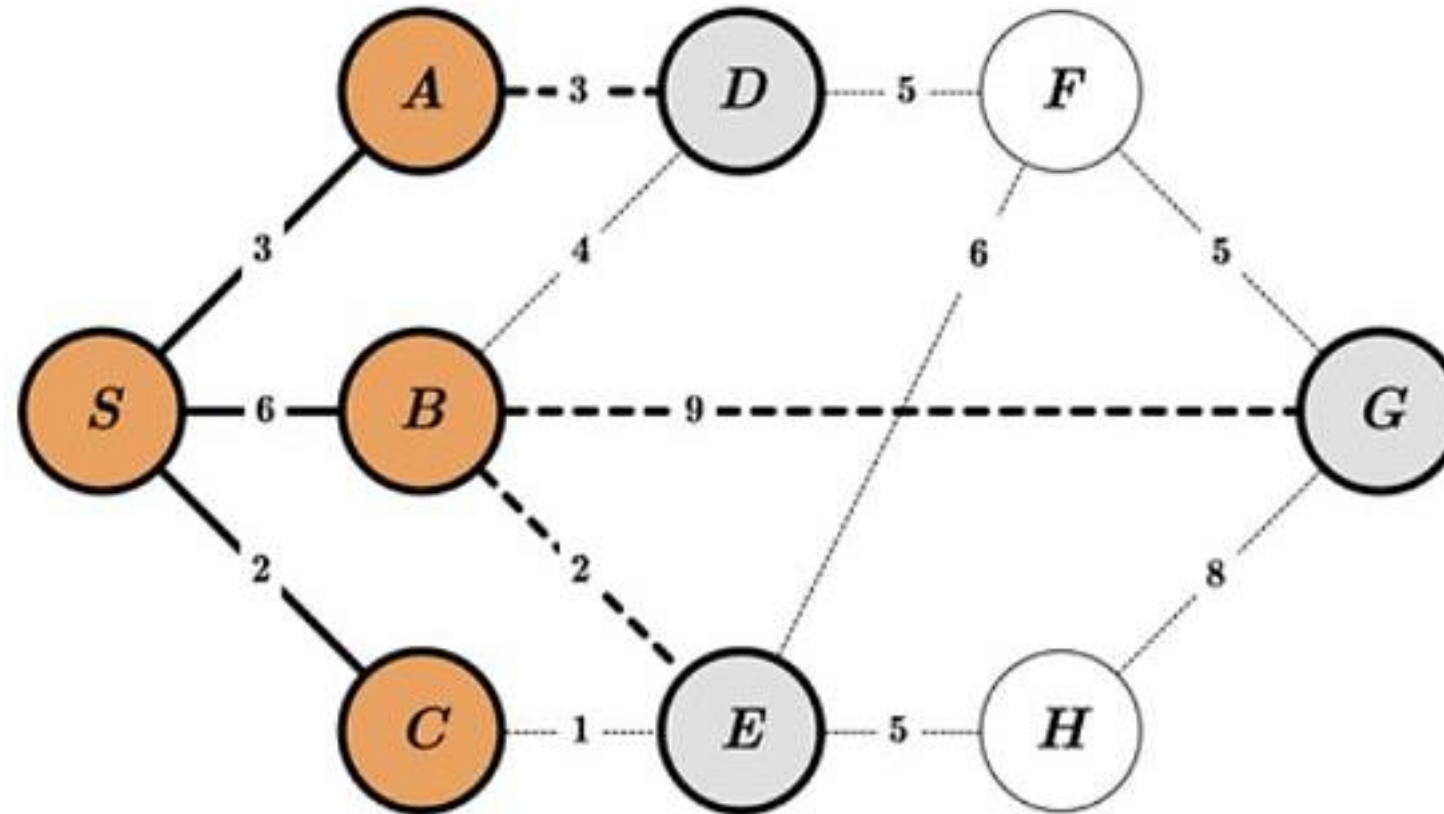
Queue:

<i>S</i>	<i>A</i>	<i>B</i>	<i>C</i>	<i>D</i>	<i>G</i>	<i>E</i>
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Order of Visit:

S *A* *B*

Breadth-First Search (BFS)- Example



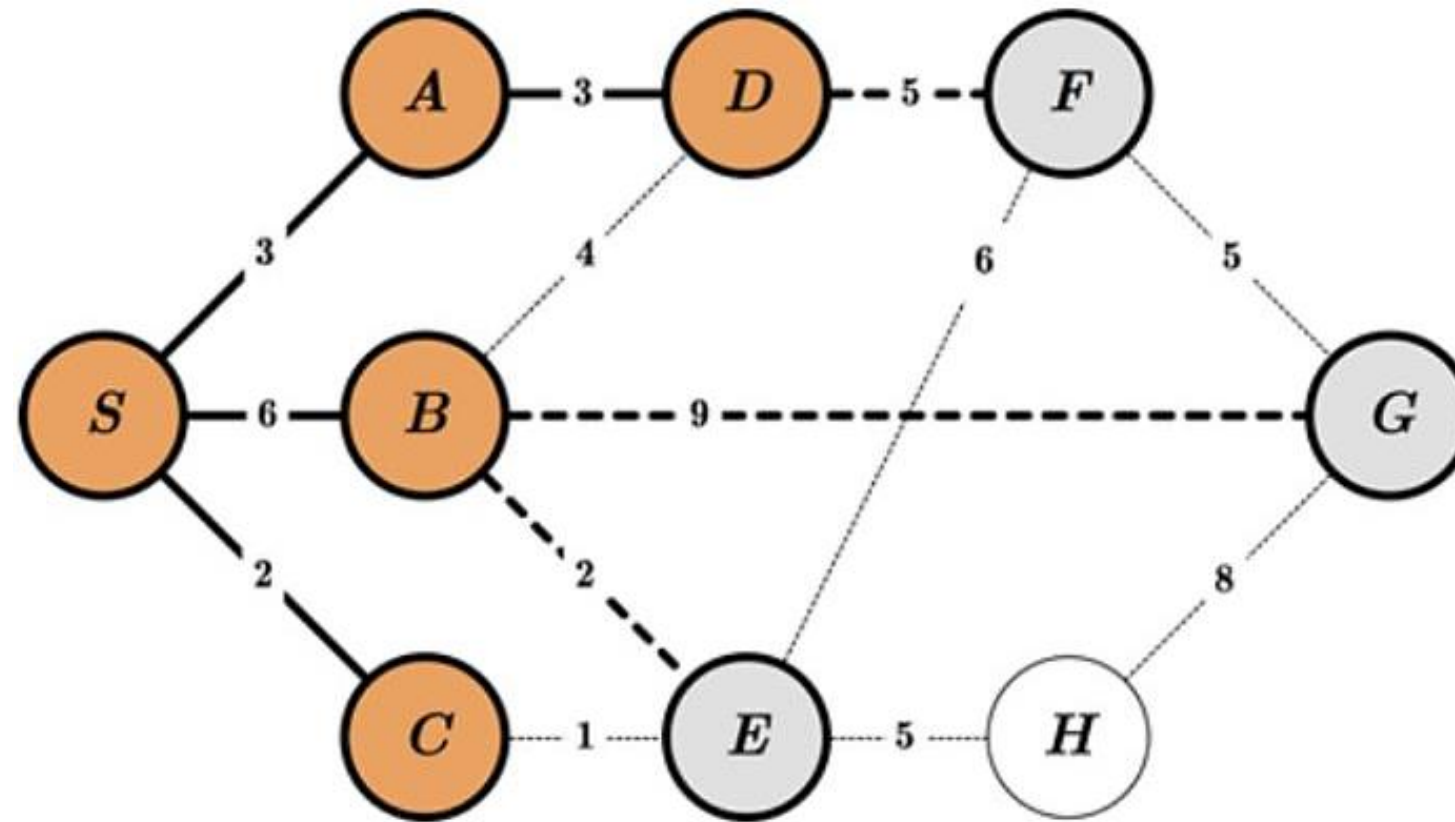
Queue:

<i>S</i>	<i>A</i>	<i>B</i>	<i>C</i>	<i>D</i>	<i>G</i>	<i>E</i>
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Order of Visit:

S *A* *B* *C*

Breadth-First Search (BFS)- Example



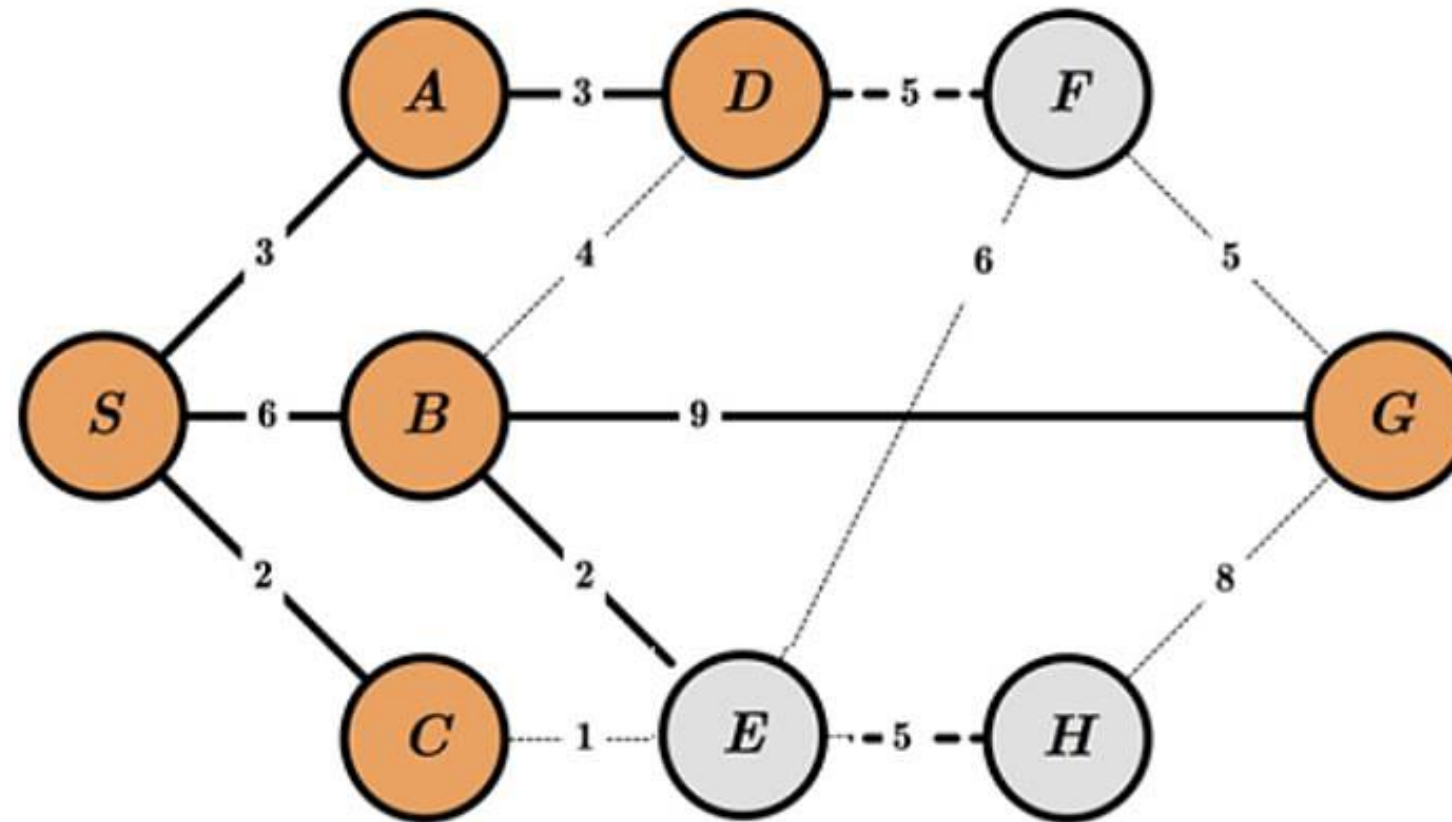
Queue:

<i>S</i>	<i>A</i>	<i>B</i>	<i>C</i>	<i>D</i>	<i>G</i>	<i>E</i>	<i>F</i>
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Order of Visit:

S *A* *B* *C* *D*

Breadth-First Search (BFS)- Example



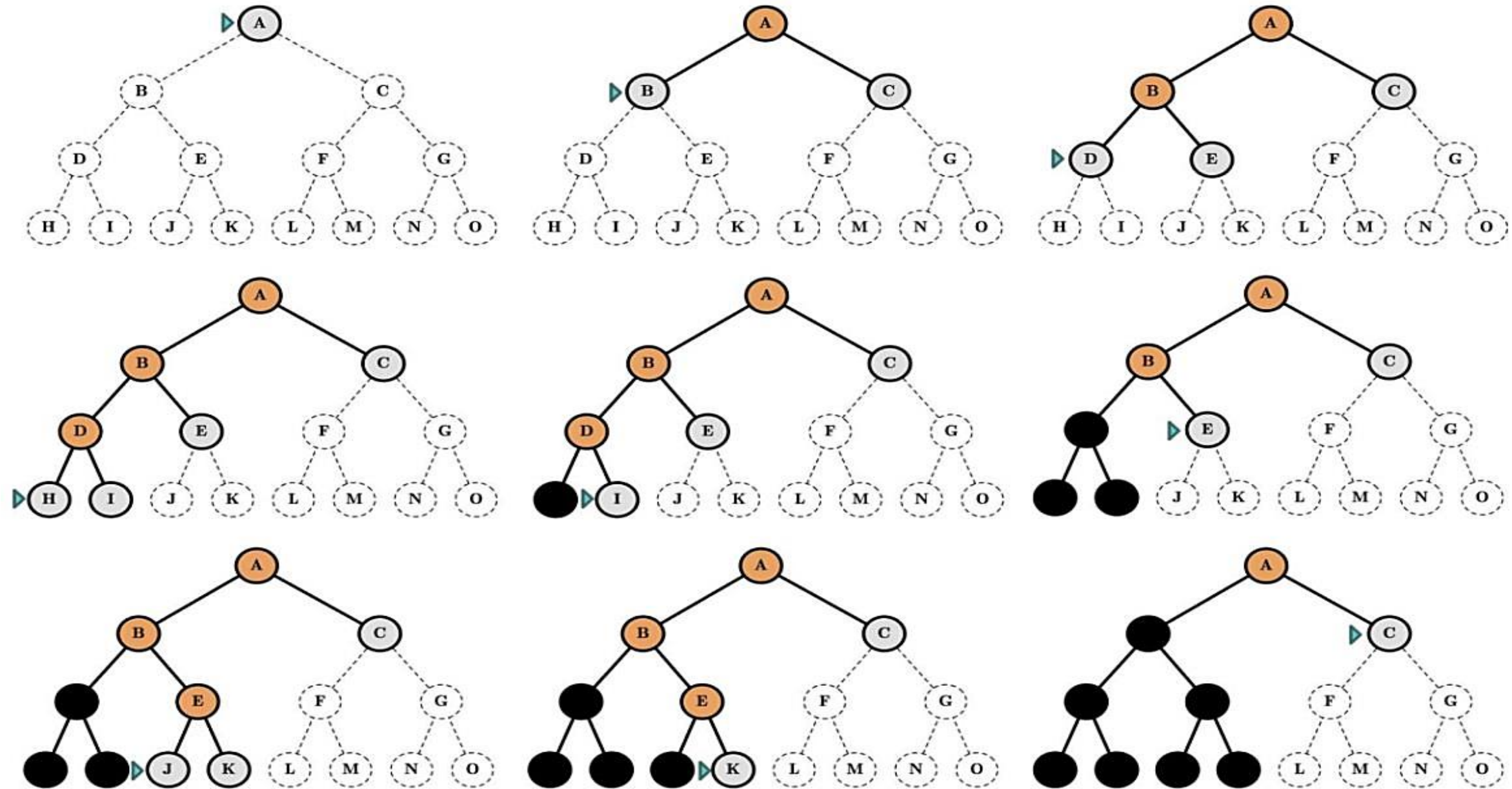
Queue:

<i>S</i>	<i>A</i>	<i>B</i>	<i>C</i>	<i>D</i>	<i>G</i>	<i>E</i>	<i>F</i>
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Order of Visit:

S *A* *B* *C* *D* *G*

Depth-First Search (DFS)

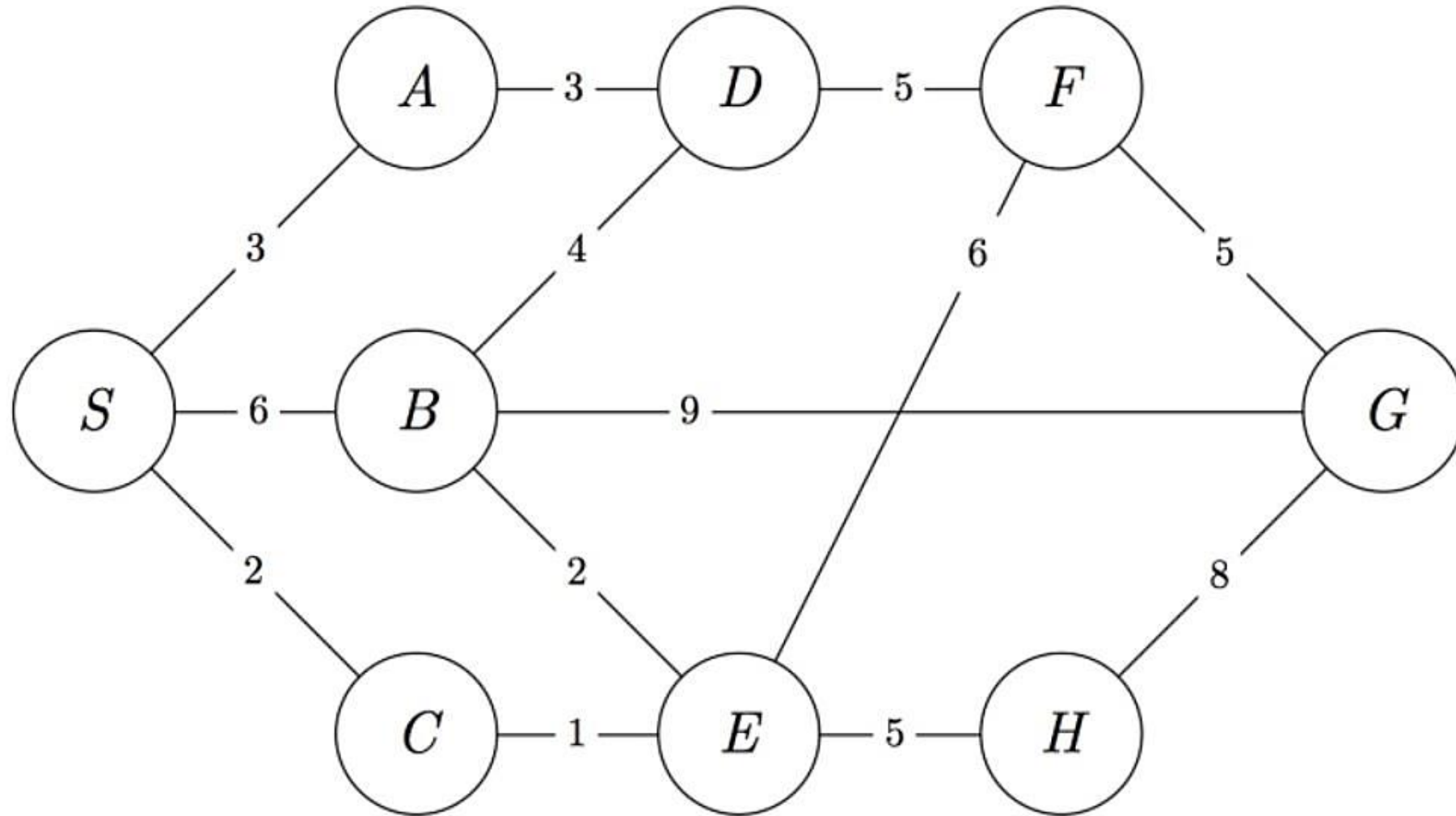


New nodes are inserted at the front of the **FRINGE: Last input first output LIFO (Stack)**

Depth-First Search (DFS)

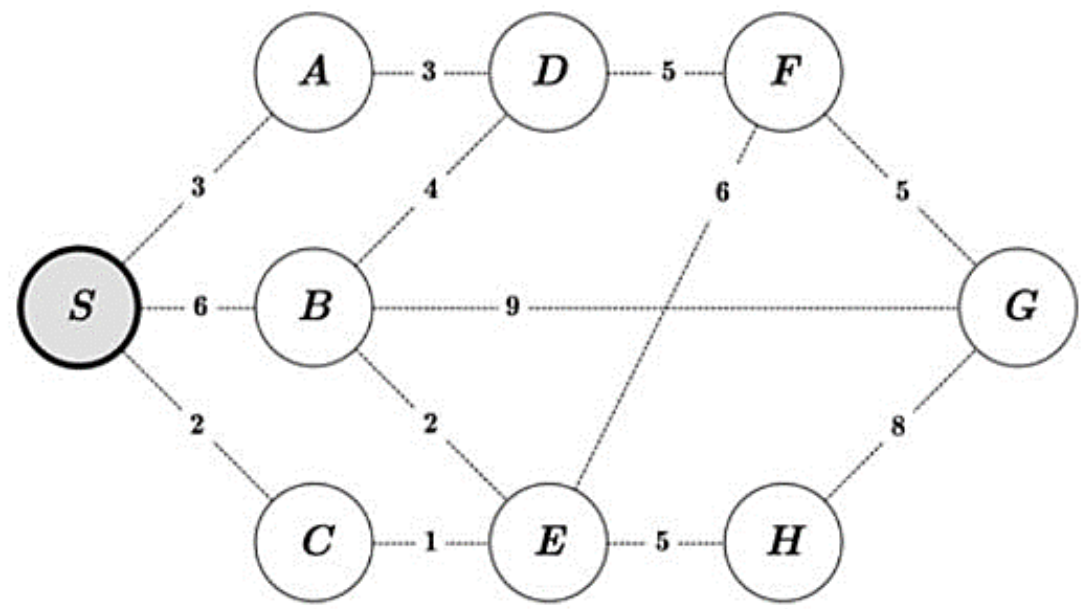
- Avoiding Repeated States:
 - ✓ Requires comparing state descriptions.
 - ✓ For example, Keep track of all generated states. If the state of a new node already exists, then discard the node.

Depth-First Search (DFS)- Example



Question: What is the **order of visits of the nodes** and the **path returned** by DFS?
Start node S and goal node G

Depth-First Search (DFS)- Example



Stack	S	C	B	A	D	F	E	G
Order of visit	S	A	D	F	G			

Another Solution:

Stack	S	A	B	C	E	F	H	G
Order of visit	S	C	E	H	G			

Depth-Limited Search (DLS)

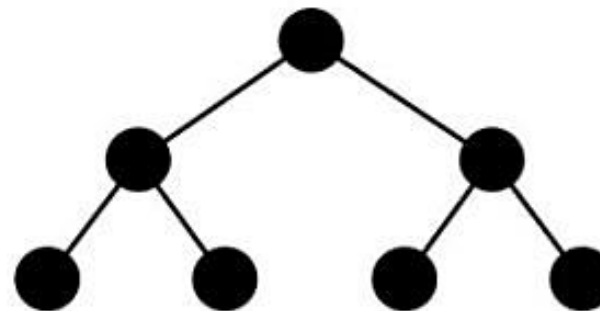
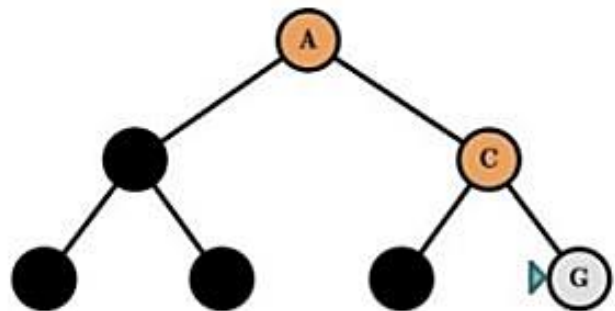
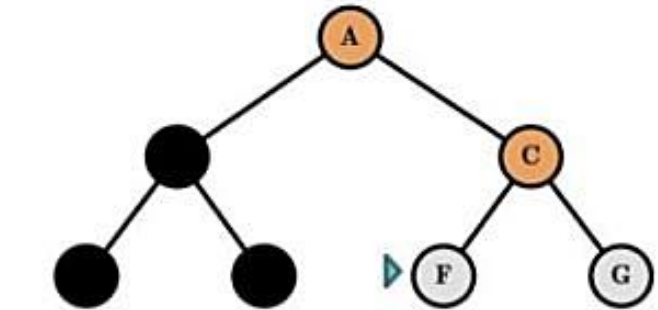
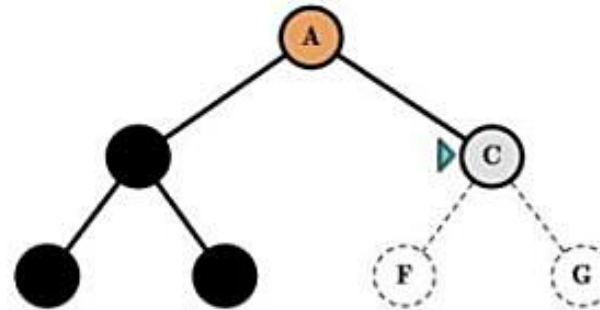
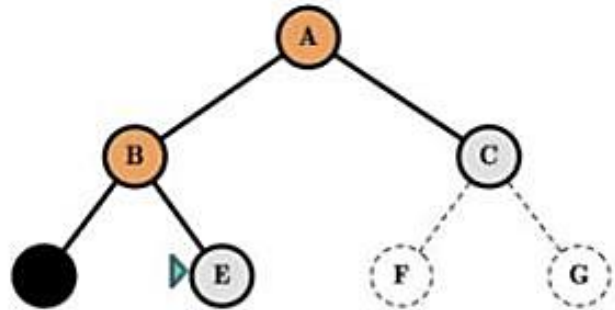
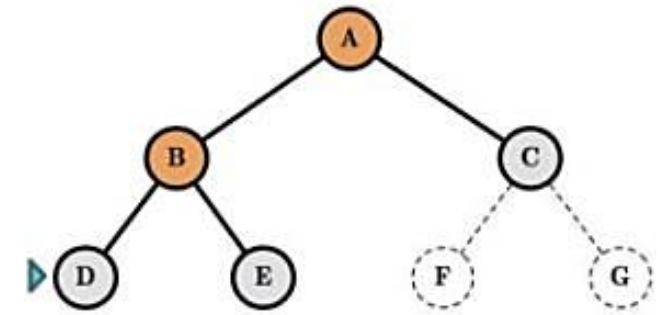
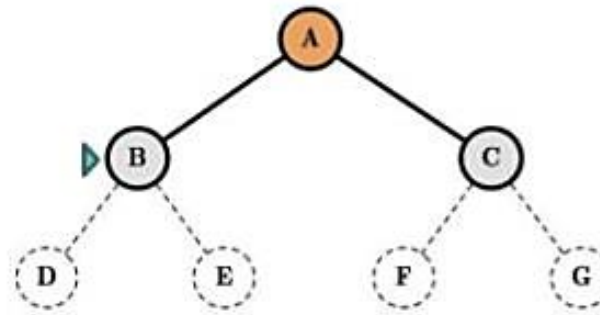
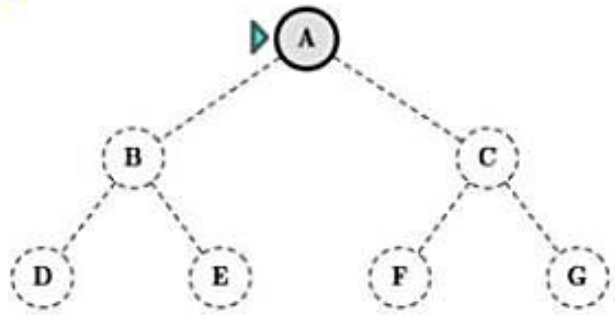
- Depth-Limited Search (DLS) is a variation of the Depth-First Search (DFS) algorithm that addresses one of DFS's major drawbacks: the possibility of getting stuck in infinite loops or exploring excessively deep paths in infinite state spaces. DLS imposes a depth limit
- Limit (L) on the search, meaning it will not explore nodes beyond a specified depth. This makes it more practical for problems where the depth of the solution is known or can be estimated.

Depth-Limited Search (DLS)

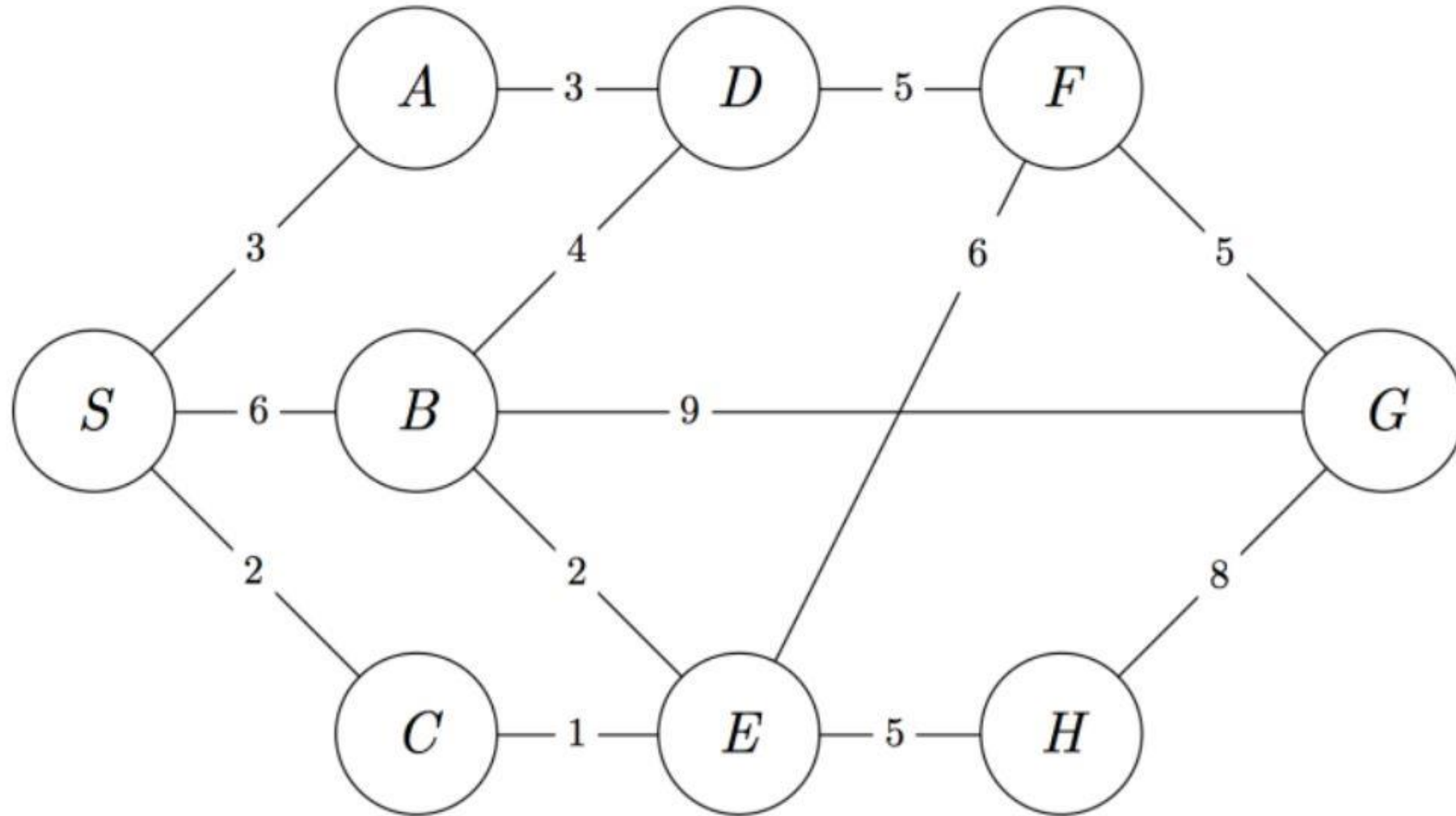
- Avoiding Repeated States:
 - ✓ Requires comparing state descriptions.
 - ✓ For example, Keep track of all generated states. If the state of a new node already exists, then discard the node.

Depth-Limited Search (DLS)

Limit = 2



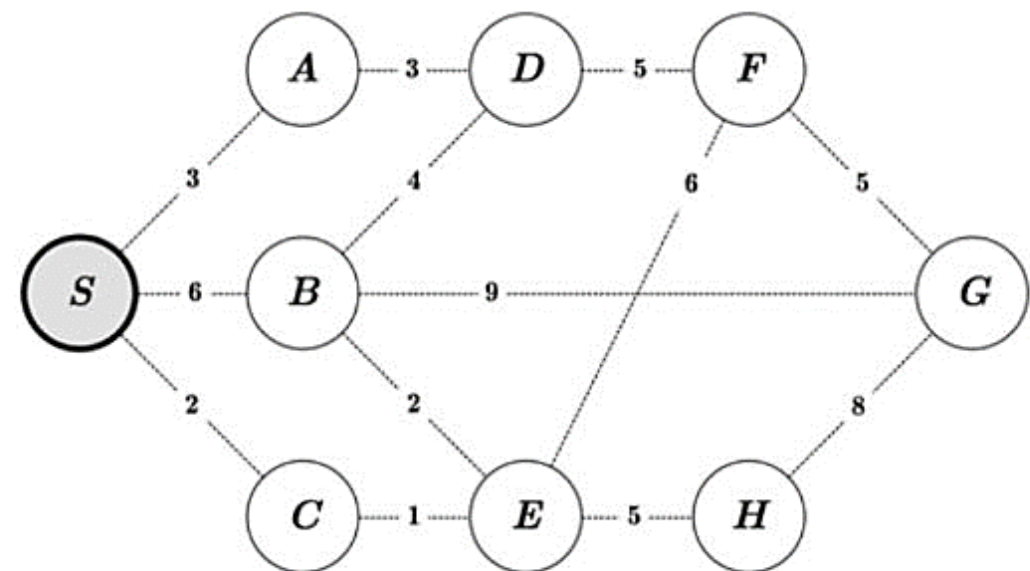
Depth-Limited Search (DLS)



Question: What is the **order of visits of the nodes** and the **path returned** by DLS with $L=2$? Start node S and goal node G

Depth-Limited Search (DLS)

L=2

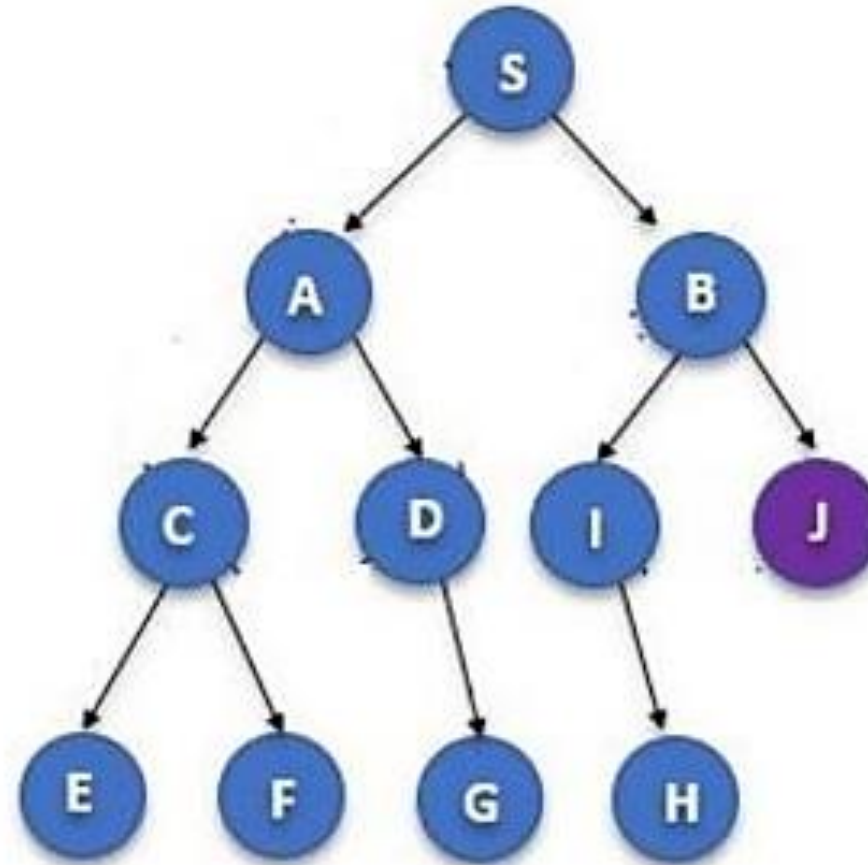


Level	0	1	1	1	2	3	2	2
Stack	S	C	B	A	D	F	E	G
Order of visit	S	A	D	B	G			

Another Solution:

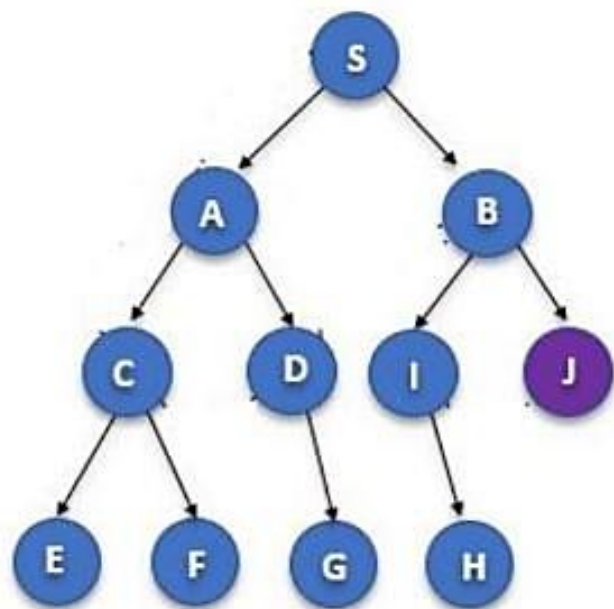
Level	0	1	1	1	2	3	3	2	2
Stack	S	A	B	C	E	F	H	D	G
Order of visit	S	C	E	B	G				

Example



Question: What is the **order of visits of the nodes** and the **path returned** by DFS and DLS with $L=2$? Start node S and goal node j

Answer- DFS



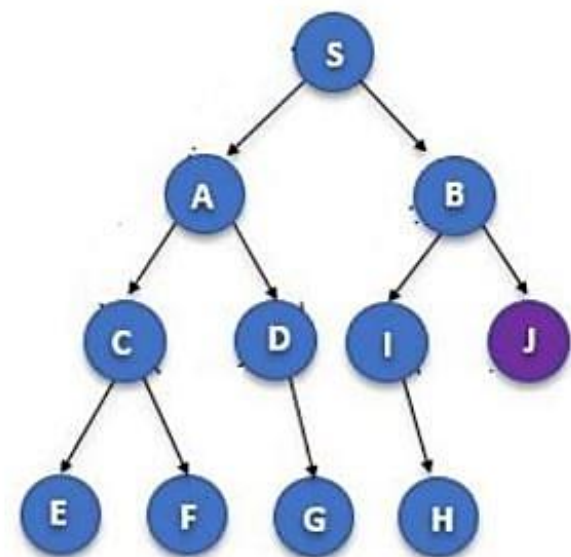
Stack	S	A	B	I	J			
Order of visit	S	B	J					

Another Solution:

Stack	S	B	A	D	C	F	E	G	J	I	H
Order of visit	S	A	C	E	F	D	G	B	I	H	J

Answer- DLS

L=2



Level	0	1	1	2	2			
Stack	S	A	B	I	J			
Order of visit	S	B	J					

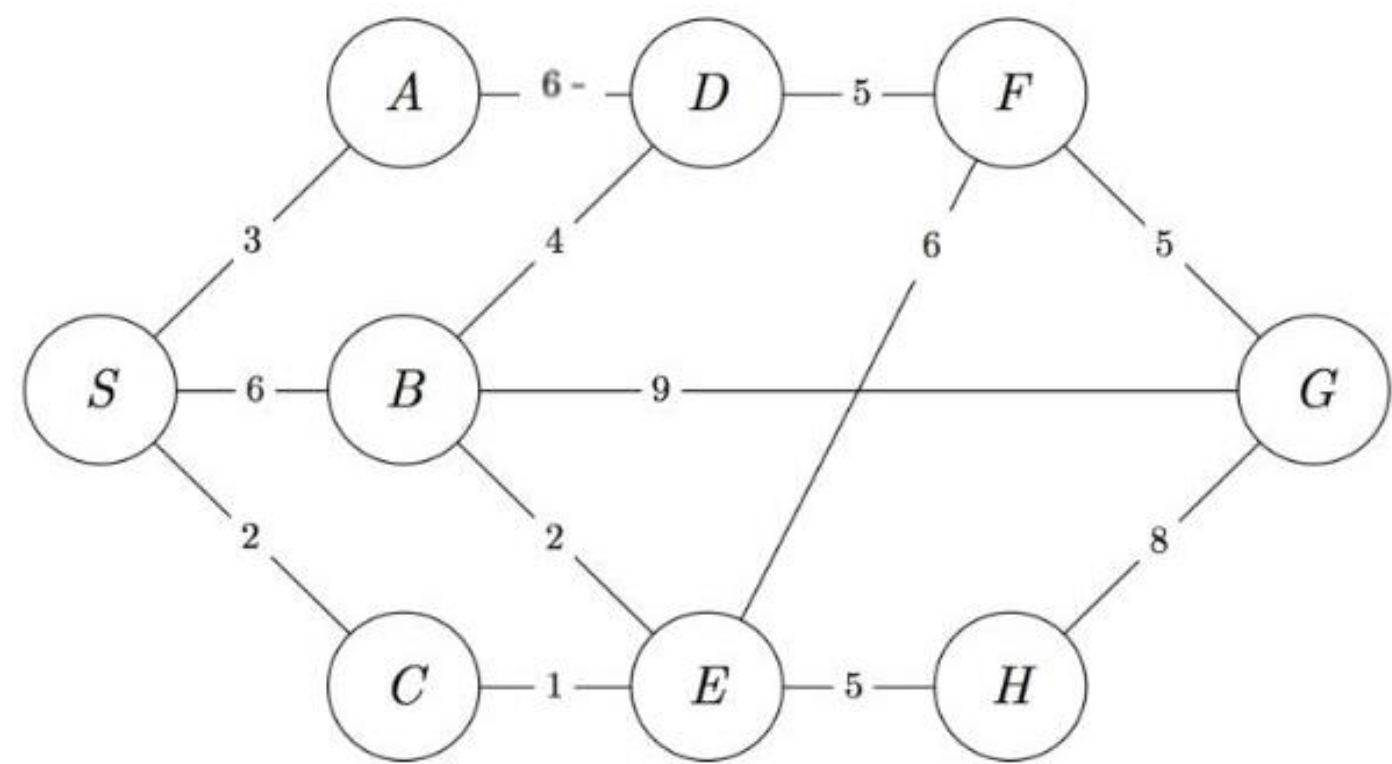
Another Solution:

Level	0	1	1	2	2	3	3	3	2	2	3
Stack	S	B	A	D	C	E	F	G	J	I	H
Order of visit	S	A	C	D	B	I	J				

Uniform-Cost Search (UCS)

- It is a blind search algorithm used in artificial intelligence to find the lowest-cost path from an initial state to a goal state.
- Unlike algorithms like Breadth-First Search (BFS) or Depth-First Search (DFS), UCS considers the cost of each path and prioritizes exploring the path with the lowest cumulative cost.
- It is particularly useful for problems where actions have varying costs, such as finding the cheapest route in a weighted graph.

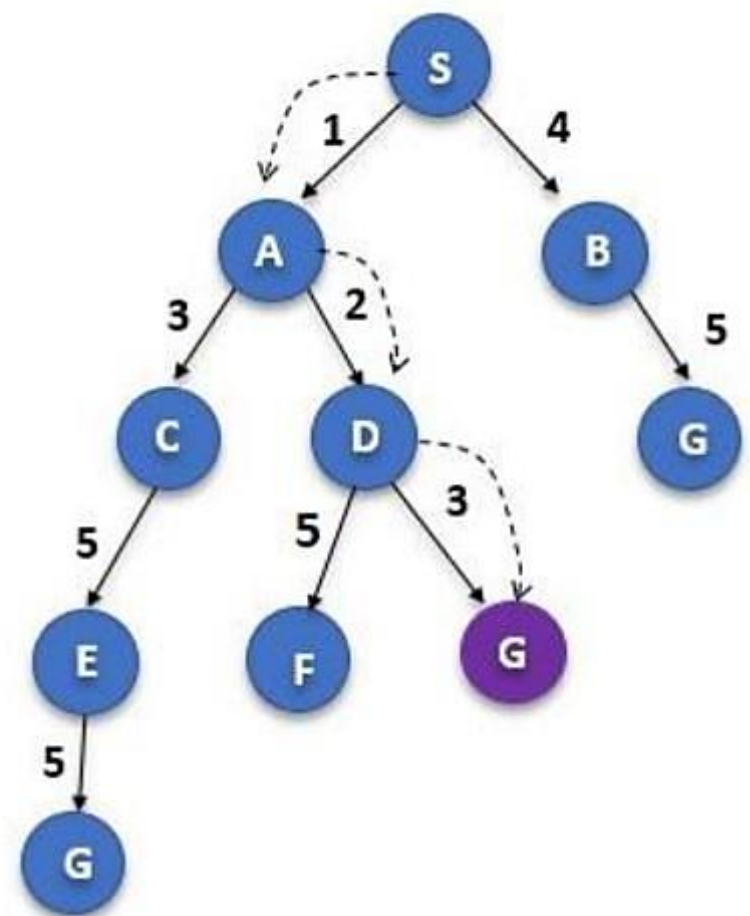
Uniform-Cost Search (UCS)- Example



Question: What is the **order of visits of the nodes** and the **path returned** by UCS?
Start node S and goal node G

Priority Queue	S	A	B	C	E	F	H	D	G
Order of visit	S	C	E	B	D	F	G		

Uniform-Cost Search (UCS)- Example



Priority Queue	S	A	B	C	D	F	G		
Order of visit	S	A	D	G					

When to use uniformed Search

- Uniformed or Blind search algorithms are useful when:
 - ✓ No additional information about the problem is available (e.g., no heuristic function).
 - ✓ The state space is small or manageable.

