

### **HKUSTx:** ELEC1200.2x A System View of Communications: From Signals to...

- Pre-courseMaterials
- Topic 1: Course Overview
- ► Topic 2: Lossless Source Coding: Hamming Codes
- ► Topic 3: The Frequency Domain
- ► Topic 4: Lossy Source Coding
- Topic 5: Filters and the Frequency Response
- ▼ Topic 6: The Discrete Fourier Transform

### 6.1 Complex Numbers

Week 3 Quiz due Nov 16, 2015 at 15:30 UT

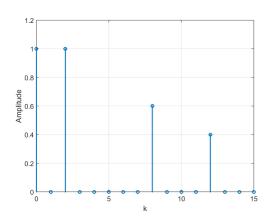
# 6.2 Complex Exponentials

Week 3 Quiz due Nov 16, 2015 at 15:30 UT

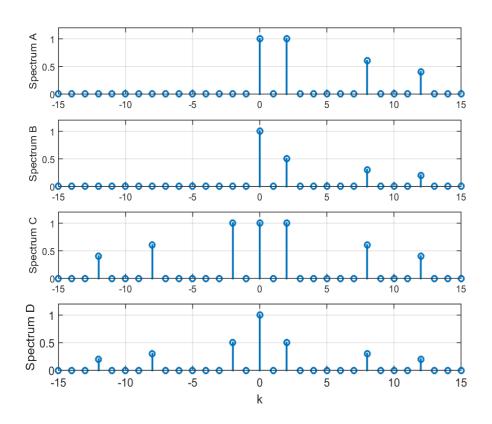
6.3 Aliasing

## **6.4 QUIZ QUESTION 1** (1 point possible)

Consider a signal whose Fourier **Series** amplitude spectrum is shown below:



Consider the following Fourier **Transform** amplitude spectra:



Which of Fourier Transform amplitude spectra above corresponds to the signal?

Week 3 Quiz due Nov 16, 2015 at 15:30 UT

## 6.4 Discrete Fourier Transform

Week 3 Quiz due Nov 16, 2015 at 15:30 UT 🗗

- MATLAB download and tutorials
- MATLABSandbox

- Spectrum A
- Spectrum B
- Spectrum C X
- Spectrum D

### **EXPLANATION**

For the Fourier Transform, the frequency components at nonzero frequency in the Fourier Series are replicated at corresponding positive and negative locations with half the amplitude.

You have used 2 of 2 submissions

## 6.4 QUIZ QUESTION 2 (1/1 point)

Suppose that the Fourier Series expansion of a signal has the following amplitude and phase spectra:

$$A_k = rac{2}{\sqrt{1.64 - 1.6 \cos(2\pi k/16)}}$$

$$\phi_k = rctan\left(rac{0.8\sin(2\pi k/16)}{1-0.8\cos(2\pi k/16)}
ight)$$

Find the real and imaginary parts of the Fourier Transform coefficient  $X_4$  for the same waveform.

What is the real part to two decimal places (e.g. 3.14)?

0.61 **✓ Answer:** 0.6098

0.61

What is the imaginary part to two decimal places?

0.49

**~** 

**Answer:** 0.4878

0.49

#### **EXPLANATION**

Since  $X_4=rac{A_4}{2}e^{j\phi_k}$  , the real part is  $rac{A_4}{2}\mathrm{cos}(\phi_4)$  .

Similarly, the imaginary part is  $rac{A_4}{2} \mathrm{sin}(\phi_4)$ .

You have used 2 of 3 submissions

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