Searching for selection:

mix oil, air, water, a bit of seasonality, and genotypic variance.

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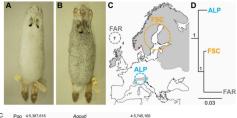
Searching for selection...

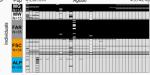
- Allele frequencies evolve under neutral or non-neutral processes.
- Allele frequency variation is linked to phenotypic variation by the central dogma.
- Tests for selection can be based on a sample of genetic loci and phenotypes.



Abiotic selection

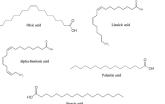
Iwona Giska et al.
"Introgression drives
repeated evolution of
winter coat color
polymorphism in hares".
In: Proceedings of the
National Academy of
Sciences 116.48 (2019),
pp. 24150–24156





Cold stress & fatty acids

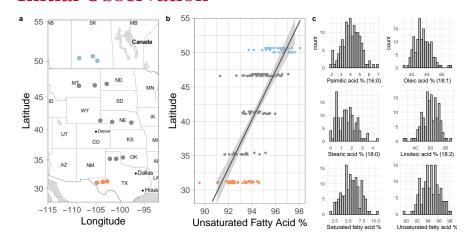
- Cold temperatures can be challenging for plants.
- Fatty acids are important in membrane stabilization.



	Yag	Cetinel
% PUFA	72	77
% Germination	25	75

Table 1: Kaymak, "Potential effect of seed fatty acid profile of pepper (Capsicum annuum L.) cultivars on germination at various temperatures."

Initial Observation



Questions & Tests

- Is the unsaturated fatty acid content measured in seed oil under spatially-explicit selection?

-
$$Q_{\rm ST} - F_{\rm ST}$$
 test

- Is there evidence of an abiotic driver of selection?
 - Multiple regression model

Inference of selection - Q_{ST} - F_{ST}

- $Q_{\rm ST}$ is an analogue to $F_{\rm ST}$. A quantitative trait with an additive genetic basis is expected to equal $F_{\rm ST}$ in the absence of selection.
- $Q_{\rm ST}$ is the amount of phenotypic variance between populations relative to the total phenotypic variance.
- $Q_{\rm ST}$ is a spatially explicit statistic and appropriate for landscape genetic studies.

$$Q_{ ext{ST}} = \left(rac{\sigma_{A_b}^2}{\sigma_{A_b}^2 + \sigma_{A_w}^2}
ight)$$

Three outcomes are possible:

- $Q_{\rm ST} > F_{\rm ST}$: directional selection

- $Q_{\rm ST} = F_{\rm ST}$: drift (neutral)

- $Q_{\mathrm{ST}} < F_{\mathrm{ST}}$: balancing selection



Qst model specification (Animal Model)

$$y_{ijk} \sim 1 + B_i + P_j + I_k + \epsilon_{ijk}$$

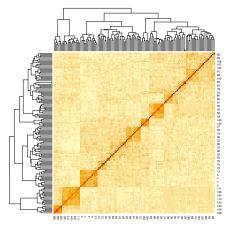
 y_i is the mean saturated fatty acid value for each family at the j^{th} block, k^{th} population, l^{th} genotype, B_j is the blocking effects in greenhouse, P_k is the genetic population, l_l is a random effect of genotype, ϵ_{ijkl} is the error term.

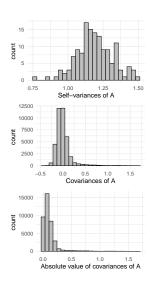
$$I \sim N(0, A)$$

$$A = \sigma_u^2 * G$$

 σ_u^2 is the variance component expalined by individual effects (estimated), and G is the additive genetic relationship matrix estimated from genetic loci.

Genomic relatedness matrix (G). Estimated with AGHmatrix.







Mixed model results

```
> ast mod
 Family: gaussian
 Links: mu = identity; sigma = identity
Formula: sat ~ 1 + block + deme + (1 | gr(ind code, cov = G))
   Data: dat1 (Number of observations: 140)
Samples: 4 chains, each with iter = 6000; warmup = 3000; thin = 1;
        total post-warmup samples = 12000
Group-Level Effects:
~ind code (Number of levels: 140)
            Estimate Est. Error 1-95% CI u-95% CI Rhat Bulk ESS Tail ESS
                0.78
                         0.15
                                 0.51
                                       1.08 1.00
                                                       2413
                                                               4468
sd(Intercept)
Population-Level Effects:
         Estimate Est. Error 1-95% CI u-95% CI Rhat Bulk ESS Tail ESS
            4.60
                     0.29
                           4.02 5.18 1.00 9648
Intercept
                                                        8920
block
            0.41 0.97 2.59 1.00 6827 7465
demesouth 1.79
Family Specific Parameters:
     Estimate Est. Error 1-95% CI u-95% CI Rhat Bulk ESS Tail ESS
         0.96
                                  1 16 1 00
                                               2552
                                                       4025
sigma
                  0.10
                          0.78
Samples were drawn using sampling (NUTS). For each parameter, Bulk ESS
and Tail ESS are effective sample size measures, and Rhat is the potential
scale reduction factor on split chains (at convergence, Rhat = 1).
```

Qst Estimates

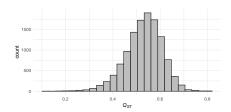
$$Q_{ ext{ST}} = \left(rac{\sigma_{A_b}^2}{\sigma_{A_b}^2 + \sigma_{A_w}^2}
ight)$$

out <- qst_mod %%
 brms::posterior_samples(.vars=2:4, .funs=funs(.^2))</pre>

Calculate Qst from the variance components.
qst = out\$b_demesouth /
 (out\$b_demesouth + 2 * out\$sd_ind_code__Intercept)

tidybayes::median_qi(qst)
y ymin ymax .width .point .interval
0.5371864 0.3607508 0.6673257 0.95 median

Print the median & interval estimates



$$-Q_{ST} - F_{ST} = 0.53 - 0.21 = 0.32$$

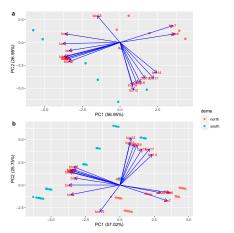
Multiple regression model

$$y \sim E + XY + P_j + \epsilon_j$$

 y_i is the mean unsaturated fatty acid value for each family, P_j is the genetic population, ϵ_{ik} is the error term.

```
mod02 <- brm(sat ~ bio1 + bio2 + bio3 + bio4 + bio5 + bio6 + bio7 + bio8 + bio9 + bio10 + bio11 + bio13 + bio14 + bio15 + bio16 + bio17 + bio18 + bio19 + lat + lon + (1 | pop_code), data = dat, family = "gaussian", chains = 10L, seed = 2398, iter = 5000) %≈% add_criterion("loo", reloo = TRUE)
```

Climate Variables



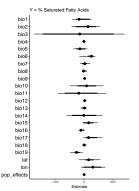
BIO1 = Annual Mean Temperature BIO2 = Mean Diurnal Range (Mean of monthly (max temp - min temp)) BIO3 = Isothermality (BIO2/BIO7) (×100) BIO4 = Temperature Seasonality (standard deviation ×100) BIO5 = Max Temperature of Warmest Month BIO6 = Min Temperature of Coldest Month BIO7 = Temperature Annual Range (BIO5-BIO6) BIO8 = Mean Temperature of Wettest Quarter BIO9 = Mean Temperature of Driest Quarter BIO10 = Mean Temperature of Warmest Quarter BIO11 = Mean Temperature of Coldest Quarter BIO12 = Annual Precipitation BIO13 = Precipitation of Wettest Month BIO14 = Precipitation of Driest Month BIO15 = Precipitation Seasonality (Coefficient of Variation) BIO16 = Precipitation of Wettest Ouarter BIO17 = Precipitation of Driest Quarter BIO18 = Precipitation of Warmest Quarter

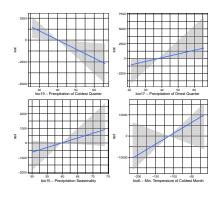
BIO19 = Precipitation of Coldest Quarter



Multiple regression results

$$y \sim E + XY + P_j + \epsilon_j$$





Conclusions

- $Q_{\rm ST}$ $F_{\rm ST}$ test indicates directional selection.
- This test needs refinement and confidence intervals put around it. We can use bootstrapping, Whitlock & Guillame (2009) method, ...
- The precipitation of the coldest quarter (bio19) is the only environmental variable significant at 95 % CI.
- Precipitation seasonality (bio15) and minimum temperature of the coldest month (bio6) are significant at the 66 % CI.
- These results suggest temperature and precipitation alone aren't sufficient to explain the directional selection.