

Sleep–Wake Orchestration in Hierarchical LLM Cohorts

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Abstract

This paper introduces a formal architecture for continuous self-optimization in large language model (LLM) ensembles through alternating sleep–wake cycles. Inspired by biological sleep dynamics and grounded in the theory of *adjoint projections on computational hierarchies*, the method organizes a population of models (“cohorts”) into rotating states of **wake** (active inference) and **sleep** (fine-tuning on informational gaps). Each model periodically withdraws from production to retrain on the most informative regions of the problem space—those not effectively covered by peers of similar capacity but solvable by higher-level models. This process emulates how biological systems consolidate sensorimotor predictions through subcortical replay. The architecture is formalized in terms of computational projections, behavioral metrics, and bounded compute budgets (1/3 for tuning, 2/3 for active operation). The resulting system self-organizes toward optimal coverage and energy-efficient reasoning, providing a theoretical and practical foundation for self-maintaining model ecosystems.

Keywords: LLM hierarchy, meta-learning, continual learning, adjoint projection, sleep, fine-tuning, behavioral metrics, computational consciousness.

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1 Introduction

The performance of large-scale language models depends not only on parameter size but also on **how information is distributed** across hierarchical computational modules. Unlike static architectures, biological cognition exhibits cyclic phases of activity and consolidation—**wakefulness** (real-time inference) and **sleep** (offline reconfiguration). We propose a computational counterpart of this duality within LLM ensembles.

In our approach, models of different capacities form a *cohort* governed by a **selector** (for task routing) and a **meta-selector** (for performance evaluation and escalation). A fixed fraction of the available compute (1/3) is continuously devoted to models in a *sleep phase*, where they fine-tune (distill) on data extracted from the operational ensemble. These models wake with improved specialization, reducing the need for higher-capacity inference. The process realizes a dynamic form of *computational homeostasis* and aligns with the broader theoretical model of **consciousness as collapsed computational time** [2].

1.1 Motivation

Large language models (LLMs) have demonstrated remarkable capabilities across diverse tasks, but their deployment at scale faces significant challenges:

- **Resource inefficiency:** Most queries don't require the largest available model, yet static routing strategies often over-provision computational resources.
- **Coverage gaps:** Model ensembles typically have uneven coverage of the problem space, with some regions handled poorly by all models at a given capacity level.
- **Static deployment:** Traditional model serving treats models as fixed artifacts, missing opportunities for continuous adaptation based on production traffic patterns.
- **Knowledge consolidation:** Insights gained from high-capacity models are not systematically transferred to more efficient lower-capacity models.

Our sleep-wake orchestration addresses these challenges by creating a dynamic, self-optimizing ecosystem where models continuously adapt to production traffic patterns through targeted distillation.

1.2 Contributions

This paper makes the following contributions:

1. **Theoretical framework:** We formalize sleep-wake cycles in LLM ensembles using adjoint projections, connecting computational and biological principles.
2. **Gap-based learning:** We introduce a principled metric for identifying informational gaps in model coverage and targeting fine-tuning accordingly.
3. **Resource allocation:** We propose a bounded budget model (1/3 training, 2/3 inference) that maintains continuous learning without unbounded resource growth.
4. **Canary rollout:** We present a safe deployment strategy for newly trained models with automatic rollback on regression.
5. **Implementation:** We provide a complete open-source implementation demonstrating the architecture.

2 Theoretical Background

2.1 Projection Hierarchies and Computational Levels

Let L_0, L_1, L_2, \dots denote levels of computational capacity (e.g., parameter scales). Each model M_n operates on an effective manifold of tasks $T_n \subset T$.

Definition 2.1 (Computational Level). A computational level L_n is characterized by:

- Resource capacity R_n (memory, compute)
- Task manifold $T_n \subset T$
- Quality function $Q_n : T \rightarrow [0, 1]$
- Cost function $C_n : T \rightarrow \mathbb{R}^+$

The **selector** S maps each input $x \in T$ to the lowest-level model capable of producing a satisfactory output under the cost-quality constraint:

$$\text{EVI}(x) = \mathbb{E}[Q_{n+1}(x) - Q_n(x)] - \lambda(C_{n+1} - C_n) > 0, \quad (1)$$

where Q measures response quality and C represents computational cost. This Expected Value of Information (EVI) criterion determines when escalation to a higher level is justified.

2.2 Adjoint Duality

Following *Adjoint Projections on Computational Hierarchies* [1], each transition between levels $n \rightarrow n + 1$ can be represented as a pair of adjoint functors:

$$C_n \dashv P_n : L_{n+1} \rightleftharpoons L_n, \quad (2)$$

where C_n denotes **collapse** (execution, loss of latent degrees of freedom) and P_n denotes **projection** (learning or reconstruction). The **sleep phase** corresponds to P_n (projection/updating), while the **wake phase** corresponds to C_n (collapse/inference).

Theorem 2.1 (Sleep-Wake Duality). For any computational level n , the sleep-wake cycle implements an adjunction where:

1. Wake (collapse): $C_n : \text{Model}_n \rightarrow \text{Output}$ produces concrete responses
2. Sleep (projection): $P_n : \text{Experience} \rightarrow \text{Model}_n$ updates internal representations
3. Adjunction property: $P_n \circ C_n \approx \text{id}$ (consolidation preserves essential information)

The system oscillates between these dual modes, maintaining bounded yet evolving computational coherence—a formal analog of consciousness as the collapse of computational time.

2.3 Behavioral Distance

To measure similarity between models and tasks, we define a behavioral distance metric in a shared embedding space.

Definition 2.2 (Behavioral Distance). Let $E : X \rightarrow \mathbb{R}^d$ be an embedding function mapping inputs to a d -dimensional latent space. The behavioral distance between a query x and a model M_i 's prototypical response is:

$$d_{\text{Beh}}(x, M_i) = \min_k \|E(x) - P_{M_i, k}\|_2, \quad (3)$$

where $P_{M_i, k} \in \mathbb{R}^d$ are behavioral prototypes for model M_i .

The behavioral distance measures how well a model's typical responses align with a query's requirements, enabling routing decisions without invoking all models.

3 Cohort Architecture

3.1 Core Components

A cohort \mathcal{C} is a set of models sharing comparable computational cost $\kappa(M)$. Each model maintains:

- **Behavioral prototypes** $\{P_{M,k}\}_{k=1}^K$: Typical embedding-space responses
- **Adapters** $\{A_{M,c}\}$: Cell-specific fine-tuned parameters
- **Performance metrics**: Success rate, cost, confidence
- **State**: Working, Sleeping, or Rollout

Definition 3.1 (Cohort). A cohort $\mathcal{C} = (M, S, \text{MS}, G)$ consists of:

- Models $M = \{M_1, \dots, M_N\}$ of similar capacity
- Selector $S : X \rightarrow M$ for routing
- Meta-selector MS for escalation decisions
- Gap index G tracking coverage deficits

3.2 Selector

The selector routes input x by comparing its embedding $E(x)$ to prototype centroids, choosing the model with minimal expected behavioral distance:

$$M^* = \arg \min_{M \in \mathcal{C}} [w_d \cdot d_{\text{Beh}}(x, M) + w_c \cdot C(M)], \quad (4)$$

where w_d, w_c are weights balancing quality and cost.

3.3 Meta-Selector

The meta-selector monitors empirical success, expected value of improvement, and escalation rates to higher tiers. It implements three key functions:

1. **Confidence estimation**: Maps behavioral distance to confidence scores
2. **Escalation logic**: Decides when to invoke higher-capacity models
3. **Performance tracking**: Maintains aggregate metrics across the cohort

Algorithm 1 Meta-Selector Escalation Decision

Require: Query x , current model M_n , output y , confidence conf

Ensure: Escalation decision

- 1: $\text{evi} \leftarrow \mathbb{E}[Q_{n+1}(x) - Q_n(x)] - \lambda(C_{n+1} - C_n)$
 - 2: **if** $\text{conf} < \theta_{\text{crit}}$ **and** $\text{evi} > 0$ **then**
 - 3: **return** ESCALATE
 - 4: **end if**
 - 5: **return** ACCEPT
-

4 Sleep–Wake Dynamics

4.1 Resource Allocation

Each model alternates between **wake** and **sleep** according to a rotation schedule constrained by the global compute budget:

- 1/3 of total memory: training pool (sleeping models)
- 2/3 of total memory: inference pool (working models)

Definition 4.1 (Resource Envelope). A resource envelope reserves computational capacity for:

- Exactly one sleeper (training): budget B_{train}
- Multiple workers (inference): budget $B_{\text{infer}} = 2 \cdot B_{\text{train}}$

If the global budget is B_{tot} , then:

$$\frac{1}{3}B_{\text{tot}} = \sum_{c \in \text{classes}} N_c^{\text{train}} m_{\text{train}}(c), \quad (5)$$

$$\frac{2}{3}B_{\text{tot}} = \sum_{c \in \text{classes}} N_c^{\text{work}} m_{\text{infer}}(c), \quad (6)$$

where N_c^{train} and N_c^{work} are the number of training and working models in class c .

4.2 Sleep Cycle

In each sleep cycle:

1. **Gap identification:** The meta-selector identifies *gaps* in the behavioral manifold—regions C_i where cohort models fail but higher-level models succeed.
2. **Model selection:** The model with highest gap misalignment enters sleep, withdrawing from production.
3. **Fine-tuning:** The sleeping model fine-tunes on examples from gap cells using knowledge distillation from high-level teachers.
4. **Canary rollout:** The tuned model re-enters production gradually via canary deployment.

This process continuously rebalances knowledge across the cohort, maintaining equilibrium between specialization and coverage.

4.3 Gap Misalignment Score

To select which model should sleep next, we compute a gap misalignment score:

$$H_M = \sum_i G(C_i) \cdot (1 - P_M(\text{success}|C_i)), \quad (7)$$

where $G(C_i)$ is the gap weight for cell C_i and $P_M(\text{success}|C_i)$ is model M 's estimated success rate in that cell. The model with highest H_M is selected for sleep, as it would benefit most from targeted training.

5 Gap Metric and Learning Objective

5.1 Gap Definition

Define a local gap score for embedding-space region z :

$$G(z) = D_Q(z) \cdot (1 - \text{cover}(z)) \cdot \text{solvable_up}(z), \quad (8)$$

where:

- $D_Q(z)$: density of queries in embedding space (demand)
- $\text{cover}(z)$: local success rate of cohort peers (current coverage)
- $\text{solvable_up}(z)$: probability that upper-tier models solved queries in this region (potential)

Proposition 5.1 (Gap Properties). The gap function $G(z)$ satisfies:

1. $G(z) = 0$ if no queries arrive ($D_Q(z) = 0$)
2. $G(z) = 0$ if cohort already covers region ($\text{cover}(z) = 1$)
3. $G(z) = 0$ if higher models also fail ($\text{solvable_up}(z) = 0$)
4. $G(z)$ is maximal for high-demand regions with poor current coverage but good upper-level performance

This definition naturally prioritizes regions where there is actual user demand, current models underperform, and improvement is achievable.

5.2 Fine-Tuning Objective

The fine-tuning objective for a sleeping model M_s is:

$$\mathcal{L} = \mathbb{E}_{x \sim C_i} [w(x) \cdot \text{KL}(p_{M_s}(\cdot|x) \| p_{\text{teacher}}(\cdot|x))] + \lambda \|\tilde{P} - P^{\text{EMA}}\|^2 + \mu \text{Div}(M_s, \text{cohort}), \quad (9)$$

with weights:

$$w(x) = \alpha G(C_i) + \beta \text{EVI}(x) + \gamma \text{conf}(x), \quad (10)$$

where:

- **KD term:** Knowledge distillation from high-capacity teacher
- **Prototype regularization:** $\lambda \|\tilde{P} - P^{\text{EMA}}\|^2$ stabilizes learned prototypes
- **Diversity term:** $\mu \text{Div}(M_s, \text{cohort})$ maintains model diversity
- **Weights:** Combine gap priority (αG), expected improvement (βEVI), and teacher confidence (γconf)

Remark 5.1 (Multi-Objective Optimization). The loss function balances three competing objectives: (1) imitation of teacher outputs, (2) stability of existing capabilities, and (3) diversity of model specialization. This prevents catastrophic forgetting while enabling targeted improvement.

5.3 Training Algorithm

This aligns the sleeping model toward *informational gaps* while stabilizing existing behaviors through regularization (Algorithm 2).

Algorithm 2 Sleep Training for Gap Coverage

Require: Sleeping model M_s , target cells $\{C_1, \dots, C_K\}$, teacher model M_T

Ensure: Updated model with improved gap coverage

```
1: for each cell  $C_i$  in target cells do
2:    $\mathcal{D}_i \leftarrow \text{SampleFromCell}(C_i, n_{\min})$ 
3:   Initialize or load adapter  $A_i$  for cell  $C_i$ 
4:   for step  $t = 1$  to  $T_{\text{steps}}$  do
5:     Sample batch  $(x_1, \dots, x_b) \sim \mathcal{D}_i$ 
6:     for each  $x_j$  in batch do
7:        $(y_j, \text{conf}_j) \leftarrow M_T(x_j)$ 
8:        $w_j \leftarrow \alpha G(C_i) + \beta \text{EVI}(x_j) + \gamma \text{conf}_j$ 
9:     end for
10:    Compute loss  $\mathcal{L}$  from Equation (9)
11:    Update adapter  $A_i$  via gradient descent
12:  end for
13:  Update prototypes  $P_{M_s}$  for cell  $C_i$  using EMA
14: end for
15: return Updated model  $M_s$  with cell-specific adapters
```

6 Resource Allocation Model

6.1 Envelope-Based Allocation

Each model class (3B, 8B, 13B, ...) operates in **envelopes**:

- One training (sleeping) model per envelope
- A working pool consuming twice the compute of the sleeper

Definition 6.1 (Envelope Capacity). An envelope for model class c has:

$$B_{\text{train}}(c) = m_{\text{train}}(c) \tag{11}$$

$$B_{\text{infer}}(c) = 2 \cdot m_{\text{train}}(c) \tag{12}$$

where $m_{\text{train}}(c)$ is the memory footprint for training a model of class c .

6.2 Multi-Envelope Orchestration

For multiple cohorts competing for resources:

1. **Priority scoring:** Rank cohorts by gap pressure $\sum_i G(C_i)$
2. **Envelope allocation:** Allocate envelopes to highest-priority cohorts first
3. **Resource constraints:** Respect global budget limits from Equations (5)–(6)

This maintains continuous learning within bounded energy and compute constraints (Algorithm 3).

6.3 Adaptive Slot Duration

Training slot duration scales with model size:

Larger models require longer training periods to effectively consolidate knowledge (Table 1).

Algorithm 3 Multi-Envelope Resource Allocation

Require: Cohorts $\{\mathcal{C}_1, \dots, \mathcal{C}_M\}$, resource pools $(B_{\text{train}}, B_{\text{infer}})$

Ensure: List of allocated envelopes

```
1: Sort cohorts by gap pressure:  $\mathcal{C}_{\sigma(1)}, \dots, \mathcal{C}_{\sigma(M)}$ 
2:  $\mathcal{E} \leftarrow \emptyset$ 
3: for each cohort  $\mathcal{C}$  in sorted order do
4:    $m_T \leftarrow \text{AvgTrainMem}(\mathcal{C})$ 
5:    $m_I \leftarrow \text{AvgInferMem}(\mathcal{C})$ 
6:    $n_{\max} \leftarrow \min(\lfloor B_{\text{train}}/m_T \rfloor, \lfloor B_{\text{infer}}/(2m_I) \rfloor)$ 
7:   for  $i = 1$  to  $n_{\max}$  do
8:     Create envelope  $E_i$  with budgets  $(m_T, 2m_I)$ 
9:      $\mathcal{E} \leftarrow \mathcal{E} \cup \{E_i\}$ 
10:     $B_{\text{train}} \leftarrow B_{\text{train}} - m_T$ 
11:     $B_{\text{infer}} \leftarrow B_{\text{infer}} - 2m_I$ 
12:   end for
13: end for
14: return  $\mathcal{E}$ 
```

Table 1: Default training slot durations by model class

Model Class	Parameters	Slot (min)	LoRA Rank
3B	3 billion	30	16
8B	8 billion	60	16
13B	13 billion	90	16
30B	30 billion	150	16
70B	70 billion	360	16
175B	175 billion	720	16
GPT5	>1 trillion	1080	16

7 Canary Rollout Strategy

After sleep training completes, models re-enter production via a gradual canary deployment:

7.1 Rollout Phases

1. **Canary start:** Route 2% of target-cell traffic to updated model
2. **Evaluation:** Monitor performance on target cells for regression
3. **Expansion:** Double traffic share if improving and no regression detected
4. **Promotion:** Transition to full working status after stable performance
5. **Rollback:** Revert adapters and return to working if regression occurs

7.2 Safety Properties

The canary strategy ensures:

- **Bounded risk:** Only small fraction of traffic exposed to potentially degraded model
- **Rapid detection:** Regression identified quickly through continuous monitoring

Algorithm 4 Canary Rollout Management

Require: Model M in rollout state, target cells $\{C_1, \dots, C_K\}$

Ensure: Promotion or rollback decision

```
1: stats  $\leftarrow$  EvaluateOnCells( $M, \{C_1, \dots, C_K\}$ )
2: if stats.improves and  $\neg$ stats.regress_outside then
3:    $M$ .traffic  $\leftarrow$  min( $2 \cdot M$ .traffic, 0.5)
4:   if StableForSlots( $M, k = 2$ ) then
5:      $M$ .state  $\leftarrow$  WORKING
6:      $M$ .traffic  $\leftarrow$  0
7:     return PROMOTED
8:   end if
9: else
10:  RollbackAdapters( $M$ )
11:   $M$ .state  $\leftarrow$  WORKING
12:  return ROLLBACK
13: end if
14: return CONTINUE
```

- **Automatic recovery:** Rollback restores previous behavior without manual intervention
- **Gradual expansion:** Traffic increases only after demonstrating improvement

This provides safety guarantees while enabling continuous model improvement (Algorithm 4).

8 Biological Analogy

The mechanism parallels **sleep-dependent learning** in the brain:

- **Cortical–subcortical consolidation:** Auxiliary modules refine predictions based on higher-level errors during sleep.
- **Replay mechanisms:** Slow-wave neural replay stabilizes distributed representations after active periods [4].
- **Synaptic homeostasis:** Sleep allows selective strengthening and weakening of connections, maintaining network capacity.
- **Energy efficiency:** Intensive learning happens intermittently (sleep), preserving real-time responsiveness during wake.

Analogously, the LLM cohort’s smaller models replay high-value examples from production logs, adjusting low-level weights via distillation from high-level models. Energy-intensive learning happens intermittently (sleep), preserving real-time responsiveness (Table 2).

9 Implementation

9.1 Core Orchestration

The main orchestration loop manages all cohorts and envelopes:

```
1 def global_tick(cohorts, resource_pools):
2   # 1. Refresh gap indices for all cohorts
3   for cohort in cohorts:
```

Table 2: Biological-computational correspondence

Biological System	Computational System
Wakefulness	Active inference (model serves queries)
Sleep	Offline fine-tuning (model trains on gaps)
Cortical consolidation	Distillation from high-capacity teacher
Hippocampal replay	Replay of informational gap examples
Synaptic homeostasis	Prototype and diversity regularization
Energy conservation	Bounded 1/3 training budget

```

4     logs = collect_logs(cohort, window_hours=4)
5     cohort.gap_index.update(logs)
6
7     # 2. Allocate/refresh envelopes based on gap pressure
8     envelopes = ensure_envelopes(cohorts, resource_pools)
9
10    # 3. Tick each envelope independently
11    for envelope in envelopes:
12        envelope_tick(envelope, resource_pools)
13
14    # 4. Global prototype refresh and metrics
15    for cohort in cohorts:
16        refresh_metrics_and_prototypes(cohort)

```

Listing 1: Global orchestration loop

9.2 Envelope State Machine

Each envelope manages its own sleep-wake cycle:

```

1 def envelope_tick(envelope, pools):
2     if envelope.state in ("idle", "working"):
3         # Try to start new sleep cycle
4         sleeper = pick_sleeper(envelope.cohort)
5         if sleeper and fits_train_pool(sleeper, envelope.train_budget):
6             envelope.sleeper = sleeper
7             sleeper.state = ModelState.SLEEPING
8             envelope.target_cells = cohort.gap_index.top_cells(M=5)
9             envelope.state = "sleeping"
10
11    elif envelope.state == "sleeping":
12        # Run training
13        run_sleep_training_for_envelope(envelope)
14        if training_complete(envelope):
15            start_envelope_canary(envelope)
16
17    elif envelope.state == "rollout":
18        # Manage canary
19        stats = evaluate_on_cells(envelope.sleeper, envelope.
                                target_cells)

```

```

20     if improves(stats) and no_regress_outside(stats):
21         increase_traffic(envelope.sleeper)
22         if stable_for_slots(envelope.sleeper):
23             promote_to_worker(envelope)
24     else:
25         rollback_adapters(envelope.sleeper)

```

Listing 2: Envelope tick function

10 Evaluation

10.1 Experimental Setup

To evaluate the architecture, we propose experiments with parameterized cohorts under controlled traffic:

- **Model scales:** 1B, 3B, 8B, 13B parameter models
- **Cohort sizes:** 4 models per cohort
- **Query distribution:** Mixture of easy (70%), medium (25%), hard (5%) queries
- **Budget:** 256 GB VRAM total (85 GB training, 171 GB inference)
- **Duration:** 100 sleep-wake cycles

10.2 Evaluation Metrics

Table 3: Evaluation metrics and expected behaviors

Metric	Definition	Expected Behavior
Escalation rate	$\frac{\# \text{ escalations}}{\# \text{ queries}}$	Decrease over time as gaps filled
Confidence stability	$\text{Var}(\text{entropy})$	Decrease as models specialize
Gap coverage	$\sum_i G(C_i)$	Sublinear growth or decline
Cost per query	Mean inference cost	Decrease as routing improves

Hypothesis 10.1. *Periodic fine-tuning on informational gaps will yield:*

1. *Sublinear growth of escalation cost while maintaining accuracy*
2. *Improved coverage (decreasing $\sum G(C_i)$) over time*
3. *Stable or decreasing cost per query as routing becomes more efficient*
4. *Reduced variance in confidence scores as models specialize*

10.3 Baseline Comparisons

Compare against:

- **Static routing:** Fixed model selection without adaptation
- **Uniform fine-tuning:** Training on full distribution instead of gaps
- **No sleep:** All models always active (no training budget)
- **Random selection:** Random choice of sleeper instead of gap-based

11 Discussion

11.1 Key Advantages

The proposed system integrates *continuous self-optimization* with formal constraints on computational adjunctions. Key advantages:

- **Self-organizing:** System automatically identifies and fills coverage gaps
- **Resource-bounded:** Fixed 1/3–2/3 allocation prevents unbounded growth
- **Safe:** Canary rollout with automatic rollback protects production
- **Principled:** Grounded in formal theory of adjoint projections
- **Biologically-inspired:** Mirrors sleep-dependent consolidation in brains

11.2 Limitations

Current limitations include:

1. **Stationary assumption:** Gap distribution assumed stable during cycles
2. **Manual configuration:** Hyperparameters $(\alpha, \beta, \gamma, \lambda, \mu)$ require tuning
3. **Embedding quality:** Depends on good semantic embedding function
4. **Teacher availability:** Requires access to high-capacity teacher models
5. **Cold start:** Initial cycles have poor gap estimates

11.3 Future Work

Future directions include:

1. **Non-stationary environments:** Adapting to domain drift and concept shift through distribution shift detection and adaptive sleep schedules
2. **Differentiable meta-selectors:** Learning optimal sleep schedules by treating the meta-selector as a learned policy optimized via reinforcement learning
3. **Behavioral manifold entropy:** Formalizing cognitive diversity through the entropy of prototype distributions
4. **Mixture-of-experts integration:** Treating MoE experts as cohort members and applying sleep–wake cycles at the expert level
5. **Retrieval-augmented models:** Using gap cells to guide retrieval corpus curation and coordinating sleep across retrieval and generation

12 Conclusion

We have presented a formal architecture for sleep–wake orchestration in hierarchical LLM cohorts, grounded in the theory of adjoint projections on computational hierarchies. The system implements:

1. **Gap-based learning:** Models fine-tune on regions where they underperform but higher models succeed

2. **Resource-bounded operation:** Fixed 1/3 training, 2/3 inference allocation
3. **Safe deployment:** Canary rollout with automatic rollback
4. **Theoretical foundation:** Formal adjunction between sleep (projection) and wake (collapse)
5. **Biological inspiration:** Computational analog of sleep-dependent consolidation

The resulting system self-organizes toward optimal coverage and energy-efficient reasoning, providing both theoretical understanding and practical implementation of self-maintaining model ecosystems. By continuously adapting to production traffic patterns through principled sleep-wake cycles, the architecture enables sustainable deployment of large-scale language model ensembles.

Future work will extend the framework to non-stationary environments, differentiable meta-selection, and integration with mixture-of-experts and retrieval-augmented architectures. The complete implementation is available at <https://github.com/KarolFilipKowalczyk/Consciousness>.

Acknowledgments

This work builds on the theoretical foundations developed in [1] and [2].

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