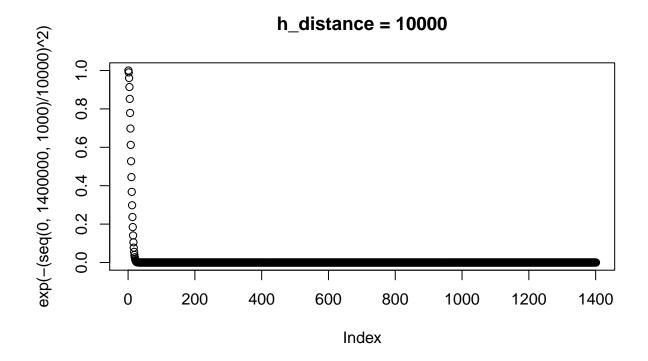
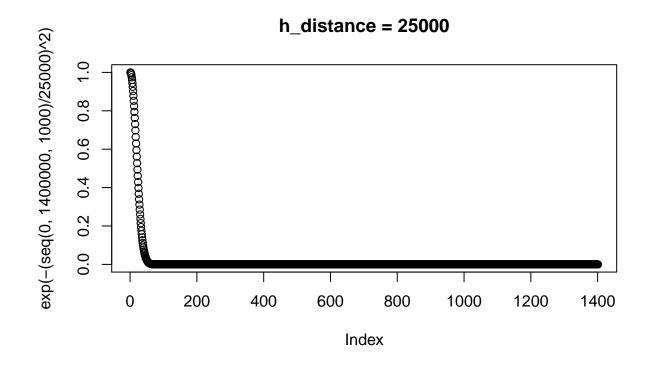
# Machine Learning Lab3 Block 1

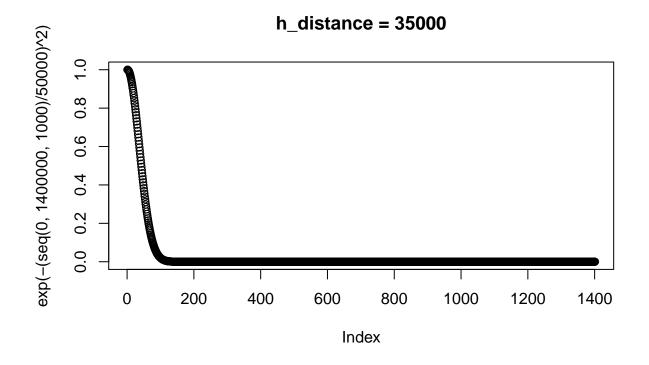
Karthikeyan Devarajan Karde799

## 1.Kernel Methods

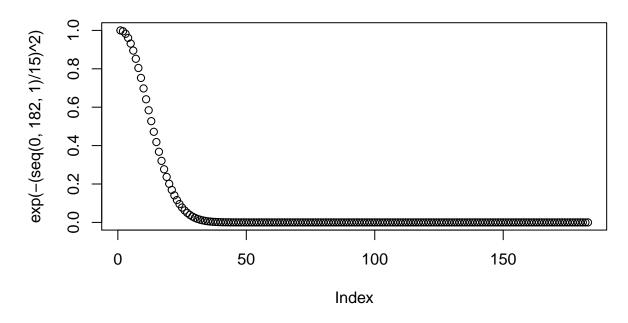
The kernal method function



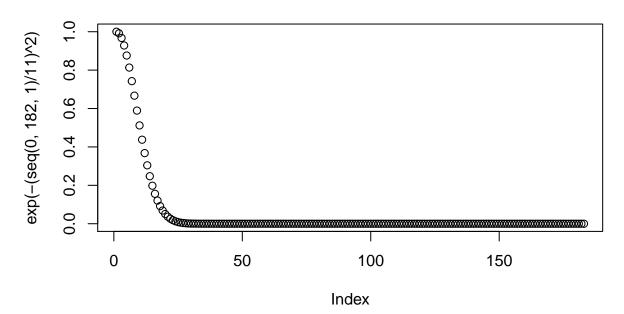




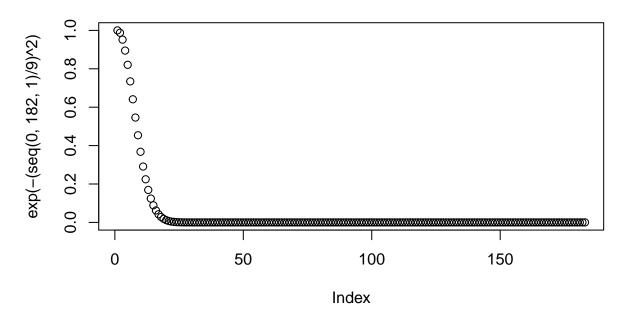
**h\_date = 15** 



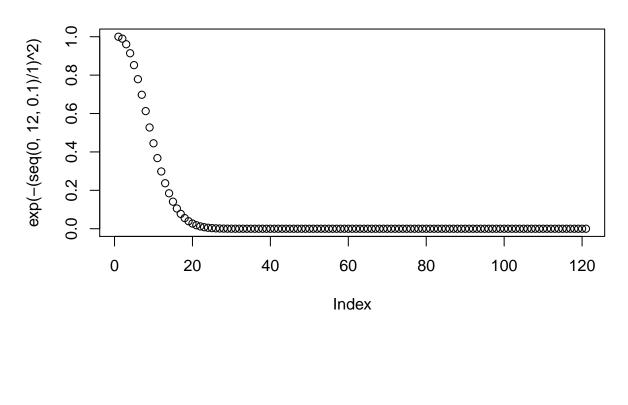
h\_date = 11



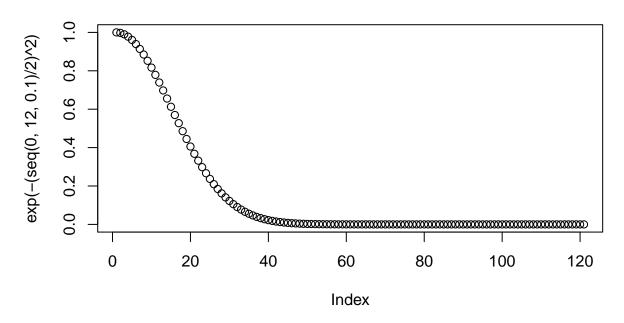
**h\_date = 09** 



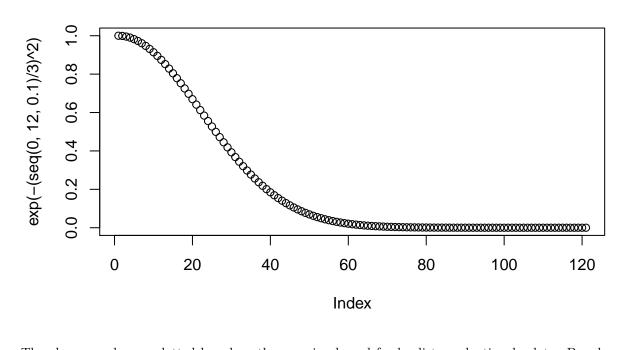
**h\_time = 2** 



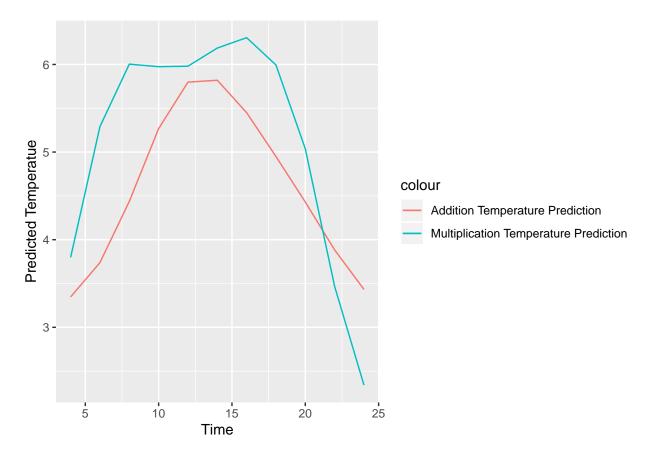
### $h_{time} = 3$







The above graphs are plotted based on the gaussian kernal for  $h\_distance, h\_time, h\_date$ . Based on the graph, the  $h\_distance, h\_time, h\_date$  can be selected as 35000,4 and 15. This is because all the points in the respective graphs are closely plotted and close to mean.



For date kernel, the reasonable value for bandwidth h could be taken around 4. The h value here depends on the previous 4 hour value and the temperature would not increase or decrease within that range. For stations, the h\_distance could be 35000(i.e 35km) which includes all points in the 35km. For h\_date and h\_time, the bandwidth are 15 and 4. These values include all points while plotting in kernel. The Multiple Kernel rises from low value to high value during morning and decreases after mid-day. It maintains for a few hours from morning to midday. whereas mulitiplication kernel is increases and then deceases without any gradual or holding points, which is unsual for temperature. The Multiplication kernal is multiplication of two number which will give a bigger or smaller value depending upon the input. This will lead to projection of a small change into account. In Addition Kernal, the small change cannot be counted.

Hence for this weather prediction task, Addition of Kernel functions is more suited than Multiplication of Kernel Functions.

### 2.Support Vector Mechanisms

#### **Model Selection**

```
Classifying into train/test - 50/25/25.

i)C = 0.5, kernel = rbfdot
```

## The confusion matrix is:

## prediction1
## nonspam spam

```
##
     nonspam
                  695
                        25
##
                   83 347
     spam
## Misclassification rate is: 0.09391304
ii)C = 1, kernel = rbfdot
## The confusion matrix is:
##
             prediction2
##
             nonspam spam
##
                  690
                        30
     nonspam
##
     spam
                   71
                       359
## Misclassification rate is: 0.08782609
iii)C = 5, kernel = rbfdot
## The confusion matrix is:
##
             prediction3
##
             nonspam spam
##
                  688
                        32
     nonspam
##
                   70
                       360
     spam
## Misclassification rate is: 0.08869565
```

From the above misclassification rates, C=1 is producing small misclassification rate. So, for generalisation error we can use C=1.

#### Generalisation error

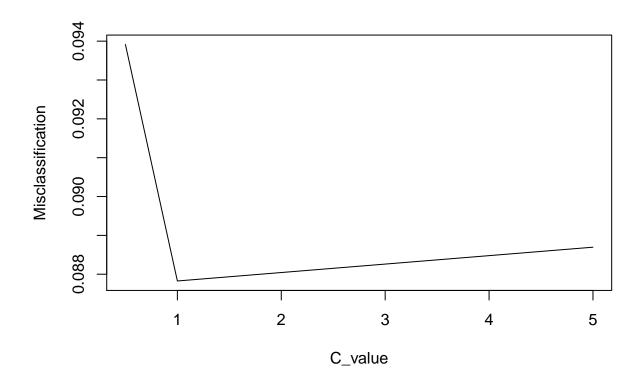
```
## The confusion matrix is:
            prediction4
##
##
             nonspam spam
##
                  658
                        24
     nonspam
                       408
##
     spam
                   61
## Misclassification rate is: 0.07384883
When full data is used
## The confusion matrix is:
##
            prediction_full
##
             nonspam spam
                 2724
                        64
##
     nonspam
                  149 1664
     spam
```

## Misclassification rate is: 0.07384883

The generalization error and misclassification rate for whole data is similar.

#### Purpose of parameter

The C argument is known as cost of constraints. Here, Cost of Constraints means the how it influences the margin of the hyperplane. The C is 1 in default. It is constant of the regularization term in the Lagrange formulation. It will decide the width between the hyperplane. If the margin hyperplanes is small, then it will take all points into consideration properly. The margin hyperplane will be small when C value is large. The small C value will produce large margin hyperplane, which make the Residual mean error more. The Residual Mean square Error will be reducing a little bit when C is increasing.



### Appendix

```
knitr::opts_chunk$set(echo = TRUE)
library(kernlab)
library(geosphere)
library(ggplot2)
stations = read.csv(file.choose())
temps = read.csv(file.choose())
data("spam")
sf1 <- spam
kernal_methods <- function(st,a,b,h_distance,date,h_date,times,h_time)
{
    day_distance <- as.numeric(difftime(date, st$date, units = c("days")))
    criteria <- which(day_distance < 0)</pre>
```

```
day_distance <- day_distance[-criteria]</pre>
  day_distance <- day_distance %% 365</pre>
  for(i in 1:length(day_distance))
    day_distance[i] <- min(365-day_distance[i],day_distance[i])</pre>
  k_day <- exp(-(day_distance / h_date)^2)</pre>
  st <- st[-criteria,]</pre>
  station_distance <- abs(distHaversine(p1 = c(a,b), p2 = st[,c("latitude","longitude")]))
  k_dist <- exp(-(station_distance / h_distance)^2)</pre>
hr_distance <- matrix(data = NA, nrow =dim(st)[1], ncol = 11)</pre>
for(i in 1:length(times))
  hr_distance[,i] <- as.numeric(abs(difftime(strptime(times[i],"%H"),strptime(as.character(st[,"time"])
  hr_distance[,i] <- sapply(hr_distance[,i], function(x) min((24-x), x))</pre>
k_time <- exp(-(hr_distance / h_time)^2)</pre>
add_prediction <- matrix(NA,nrow=dim(st)[1],ncol=11)</pre>
for(i in 1:11)
add_prediction[,i] <- (k_dist + k_day) + k_time[,i]
colnames(add_prediction) <- c("04:00:00", "06:00:00", "08:00:00", "10:00:00", "12:00:00", "14:00:00", "16:00
temp_pred_addition <- vector()</pre>
for(i in 1:11)
numerator_addition <- sum(add_prediction[,i] * st[,11])</pre>
denominator_addition <- sum(add_prediction[,i])</pre>
temp_pred_addition[i] <- numerator_addition/ denominator_addition</pre>
multiplication_prediction <- matrix(NA,nrow=dim(st)[1],ncol=11)</pre>
for(i in 1:11)
  multiplication_prediction[,i] <- (k_dist * k_day) * k_time[,i]</pre>
colnames(multiplication_prediction) <- c("04:00:00", "06:00:00", "08:00:00", "10:00:00", "12:00:00", "14:00
temp_pred_multiplication <- vector()</pre>
for(i in 1:11)
  numerator_multiplication <- sum(multiplication_prediction[,i] * st[,11])</pre>
  denominator_multiplication <- sum(multiplication_prediction[,i])</pre>
  temp_pred_multiplication[i] <- numerator_multiplication / denominator_multiplication</pre>
d <- data.frame(Add = as.matrix(temp_pred_addition), Mul = as.matrix(temp_pred_multiplication))</pre>
```

```
plot(exp(-(seq(0,1400000,1000) / 10000)^2), main = "h_distance = 10000")
plot(exp(-(seq(0,1400000,1000) / 25000)^2), main = "h_distance = 25000")
plot(exp(-(seq(0,1400000,1000) / 50000)^2), main = "h_distance = 35000")
plot(exp(-(seq(0,182, 1) / 15)^2), main = "h_date = 15")
plot(exp(-(seq(0,182, 1) / 11)^2), main = "h_date = 11")
plot(exp(-(seq(0,182, 1) / 09)^2), main = "h_date = 09")
plot(exp(-(seq(0,12,0.1) / 1)^2), main = "h_time = 2")
plot(exp(-(seq(0,12,0.1)/2)^2), main = "h_time = 3")
plot(exp(-(seq(0,12,0.1)/3)^2), main = "h_time = 4")
set.seed(1234567890)
st <- merge(stations,temps,by="station_number")</pre>
h_distance <- 35000
h_date <- 15
h_{time} < -4
a < -54.245
b <- 14.854
date <- "2000-04-20"
time_seq <- c("04:00:00","06:00:00","08:00:00","10:00:00","12:00:00","14:00:00","16:00:00","18:00:00","
prediction = kernal_methods(st = st, date = date, a=a, b=b, times = time_seq, h_date = h_date, h_time =
ggplot(prediction) + geom_line(aes(seq(4,24,2),Add, col="Addition Temperature Prediction")) + geom_line
n=dim(sf1)[1]
set.seed(12345)
id=sample(1:n, floor(n*0.5))
train=sf1[id,]
id1=setdiff(1:n,id)
set.seed(12345)
id2=sample(id1, floor(n*0.25))
valid=sf1[id2,]
id3=setdiff(id1,id2)
test=sf1[id3,]
model1 <- ksvm(type~., data=train,kernel="rbfdot",kpar=list(sigma=0.05),C=0.5)</pre>
prediction1 <- predict(model1,newdata=valid,type="response")</pre>
confusion_matrix1 <- table(valid$type,prediction1)</pre>
cat("The confusion matrix is:\n")
confusion_matrix1
misclassification_rate1 <- 1-sum(diag(confusion_matrix1))/sum(confusion_matrix1)
cat("Misclassification rate is:",misclassification_rate1)
model2 <- ksvm(type~., data=train,kernel="rbfdot",kpar=list(sigma=0.05),C=1)</pre>
prediction2 <- predict(model2,newdata=valid,type="response")</pre>
confusion_matrix2 <- table(valid$type,prediction2)</pre>
cat("The confusion matrix is:\n")
confusion matrix2
misclassification_rate2 <- 1-sum(diag(confusion_matrix2))/sum(confusion_matrix2)
cat("Misclassification rate is:",misclassification_rate2)
model3 <- ksvm(type~., data=train,kernel="rbfdot",kpar=list(sigma=0.05),C=5)</pre>
prediction3 <- predict(model3,newdata=valid,type="response")</pre>
confusion_matrix3 <- table(valid$type,prediction3)</pre>
cat("The confusion matrix is:\n")
confusion_matrix3
misclassification_rate3 <- 1-sum(diag(confusion_matrix3))/sum(confusion_matrix3)
cat("Misclassification rate is:",misclassification_rate3)
new_train <- rbind(train, valid)</pre>
```

```
model4 <- ksvm(type~., data=new_train,kernel="rbfdot",kpar=list(sigma=0.05),C=1)</pre>
prediction4 <- predict(model4,newdata=test,type="response")</pre>
confusion_matrix4 <- table(test$type,prediction4)</pre>
cat("The confusion matrix is:\n")
confusion_matrix4
misclassification_rate4 <- 1- sum(diag(confusion_matrix4))/sum(confusion_matrix4)
cat("Misclassification rate is:",misclassification_rate4)
model_full <- ksvm(type~., data=sf1,kernel="rbfdot",kpar=list(sigma=0.05),C=1)</pre>
prediction_full <- predict(model4,newdata=sf1,type="response")</pre>
confusion_matrix_full <- table(sf1$type,prediction_full)</pre>
cat("The confusion matrix is:\n")
confusion_matrix_full
misclassification_rate_full <- 1- sum(diag(confusion_matrix_full))/sum(confusion_matrix_full)
cat("Misclassification rate is:",misclassification_rate4)
misclassi <- data.frame(C_value = c(0.5,1,5), Misclassification = c(misclassification_rate1, misclassific
plot(misclassi,type = 'l')
```