Task-D: Collinear features and their effect on linear models

```
In [1]:
         %matplotlib inline
         import warnings
         warnings.filterwarnings("ignore")
         import pandas as pd
         import numpy as np
         from sklearn.datasets import load iris
         from sklearn.linear_model import SGDClassifier
         from sklearn.model_selection import GridSearchCV
         import seaborn as sns
         from sklearn.linear model import LogisticRegression
         import matplotlib.pyplot as plt
In [2]:
         data = pd.read_csv('task_d.csv')
In [3]:
         data.head()
Out[3]:
                                                 2*y 2*z+3*x*x
        0 -0.581066  0.841837 -1.012978 -0.604025  0.841837 -0.665927 -0.536277
        1 -0.894309 -0.207835 -1.012978 -0.883052 -0.207835 -0.917054 -0.522364
        2 -1.207552  0.212034  -1.082312  -1.150918  0.212034  -1.166507  0.205738
        3 -1.364174 0.002099 -0.943643 -1.280666 0.002099 -1.266540 -0.665720
        In [4]:
         data.shape
Out[4]: (100, 8)
In [5]:
         X = data.drop(['target'], axis=1).values
         Y = data['target'].values
       Doing perturbation test to check the presence of collinearity
```

Task: 1 Logistic Regression

```
1. Finding the Correlation between the features
```

- a. check the correlation between the features
- b. plot heat map of correlation matrix using seaborn heatmap

2. Finding the best model for the given data

- a. Train Logistic regression on data(X,Y) that we have created in the above cell
- b. Find the best hyper prameter alpha with hyper parameter tuning using k-fold cross validation (grid search CV or

random search CV make sure you choose the alpha in log space)

c. Creat a new Logistic regression with the best alpha

(search for how to get the best hyper parameter value), name the best model as 'best_model'

3. Getting the weights with the original data

- a. train the 'best_model' with X, Y
- b. Check the accuracy of the model 'best model accuracy'
- c. Get the weights W using best model.coef

4. Modifying original data

- a. Add a noise(order of 10^-2) to each element of X and get the new data set X'(X' = X + e)
- b. Train the same 'best model' with data (X', Y)
- c. Check the accuracy of the model 'best model accuracy edited'
- d. Get the weights W' using best_model.coef_

5. Checking deviations in metric and weights

- a. find the difference between 'best_model_accuracy_edited' and 'best_model_accuracy'
- b. find the absolute change between each value of W and W' ==> |(W-W')|
- c. print the top 4 features which have higher % change in weights compare to the other feature

1. Do the same steps (2, 3, 4, 5) we have done in the above task 1.

Do write the observations based on the results you get from the deviations of weights in both Logistic Regression and linear SVM

Correlation of the Features

```
In [6]:
         print("Correlation Between the Features")
         print(data.drop(columns = ['target'] , axis = 1).corr())
        Correlation Between the Features
                                                                      2*z+3*x*x \
                                                                 2*y
                   1.000000 -0.205926  0.812458  0.997947 -0.205926
                                                                       0.996252
        Х
                  -0.205926 1.000000 -0.602663 -0.209289 1.000000
                                                                      -0.261123
        У
                   0.812458 -0.602663 1.000000 0.807137 -0.602663
                                                                       0.847163
        x*x
                   0.997947 -0.209289 0.807137 1.000000 -0.209289
                                                                       0.997457
        2*y
                  -0.205926 1.000000 -0.602663 -0.209289 1.000000
                                                                      -0.261123
        2*z+3*x*x 0.996252 -0.261123 0.847163 0.997457 -0.261123
                                                                      1.000000
                   0.583277 - 0.401790 \quad 0.674486 \quad 0.583803 - 0.401790
                                                                       0.606860
                   0.583277
        Х
                  -0.401790
        У
                   0.674486
        7
        x*x
                   0.583803
        2*y
                  -0.401790
        2*z+3*x*x 0.606860
                   1.000000
```

```
data_corr = data.drop(columns = ['target'],axis = 1)
plt.figure(figsize = (10,8))
sns.heatmap(data_corr.corr(),annot = True)
plt.title("Correlation Between the Features")
plt.show()
```



Observation

Correlation tells about how close two variables are to having a linear relationship with each other

Correlation is lies in the range between (-1,1)

1.-1 is represented as negative Corelated, Value 1 Represented as Posively Correlated and 0 represented as No relation 2.We can Observe the heatmap the feature X is Highly Correlated with Features XX, 2z+3xx and w 3.If the two Varible is highly Correlated means these features are Dependent to each other. While Build a model this feture the same, while build a model we can remove the highly correlated feature, These features doing the same jobs build a model, if we remove the features not affect our model features

2. Finding the best model for the given data

```
In [8]:
          #hyperparamter tuning
          #https://scikit-learn.org/stable/modules/generated/sklearn.linear model.LogisticRegression.html
          penalty = ['l2']
          c = np.logspace(-4,4,5)
          model = LogisticRegression()
          grid = dict(penalty=penalty,C=c)
          grid_search = GridSearchCV(estimator=model, param_grid=grid, n_jobs=-1, cv=10, scoring='accuracy',error_score=0)
          grid_result = grid_search.fit(X, Y)
 In [9]:
          np.logspace(-4,4,5)
Out[9]: array([1.e-04, 1.e-02, 1.e+00, 1.e+02, 1.e+04])
In [10]:
          print("best Param : {0}".format(grid_result.best_params_))
          best_alpha = 0.0001
          best model = LogisticRegression(C = best alpha, penalty = 'l2')
          #train the model
          logistic_best = best_model.fit(X,Y)
          weight = logistic best.coef [0]
          intercept = logistic best.intercept [0]
          print("Weight : {0}".format(weight))
          print("Intercept : {0}".format(intercept))
         best Param : {'C': 0.0001, 'penalty': 'l2'}
         Weight: [ 0.0035963 -0.00341973 0.00479983 0.00355269 -0.00341973 0.00377695
           0.00316971]
         Intercept : 9.096934797740206e-10
In [11]:
          def accuracy_score(actual_value,predicted_value):
              correct class = 0
              for i in range(len(actual value)):
                  if actual_value[i] == predicted_value[i]:
                      correct_class += 1
              return correct_class / len(actual_value)
In [12]:
          #accuracy on training data
          actual_value = Y
          predicted_value = logistic_best.predict(X)
          accuracy score logistic = accuracy score(actual value, predicted value)
          print("Accuracy_score for the Model Without adding Error :{0}".format(accuracy_score_logistic))
         Accuracy_score for the Model Without adding Error :1.0
```

Adding Small noise to every feature

```
In [15]: X dash.shape
Out[15]: (100, 7)
In [16]:
          def grid_search_cv(X,y,model,grid):
              grid search = GridSearchCV(estimator=model, param grid=grid, n jobs=-1, cv=10, scoring='accuracy',error score
              grid_result = grid_search.fit(X, Y)
              grid result.best_params_
              return grid_result.best_params_
In [17]:
          penalty = ['l2']
          C = np.logspace(-4,4,5)
          param grid = dict(penalty=penalty,C=C)
          model = LogisticRegression()
          best_param = grid_search_cv(X_dash,Y,model,param_grid)
          print("Best Param After Pertubation Test:{}".format(best param) )
         Best Param After Pertubation Test:{'C': 0.0001, 'penalty': 'l2'}
In [18]:
          from sklearn.metrics import accuracy score
          best_C = best_param['C']
          penalty = 'l2'
          best model logistic = LogisticRegression(C = best C, penalty = 'l2')
          best_model_logistic.fit(X_dash,Y)
          y predict = best model logistic.predict(X dash)
          accuracy_score_adding_noise = accuracy_score(Y,y_predict)
          print("Accuracy Score For After Pertubation Test ; {0}".format(accuracy_score(Y,y_predict)))
         Accuracy Score For After Pertubation Test ; 1.0
In [19]:
          weight_noise = best_model_logistic.coef_[0]
          Intercept_adding_noise = best_model_logistic.intercept_[0]
          print("Weight After Pertubation Test : {0}".format(weight noise))
         Weight After Pertubation Test : [ 0.00359617 -0.00341988  0.00480004  0.00355254 -0.00341988  0.00377683
           0.00316958]
In [20]:
          # difference between the feature weight before and after pertubation test
          diff_noise = weight_noise - weight
          print("Weight differene : {0}".format(np.abs(diff_noise)))
          #display the top four feature
          four_feature_index = np.argsort(diff_noise).tolist()[:4]
          data_feature = data.columns[:-1]
          top_four_features = np.take(data_feature,four_feature_index)
          print('Top four Features : {0}'.format(top_four_features))
          print("Difference Between the Accuracy Score for two models : {0}".format(accuracy score adding noise - accuracy
         Weight differene: [1.30431323e-07 1.45321783e-07 2.04625934e-07 1.53887588e-07
          1.45321783e-07 1.13731171e-07 1.22541126e-07]
         Top four Features : Index(['x*x', 'y', '2*y', 'x'], dtype='object')
         Difference Between the Accuracy Score for two models : 0.0
```

Observation

1.We Can Observe there is no difference in accuracy Score for Before and After Pertubation Tesing (Adding SMall Noise In the Training Data).

2. Adding Noise for the Features weights is changes Slightly for the all the features.

3.top Four Featues XX, Y2Y and X is Multicollinear(i.e features are dependent to each Other)

Multicollinear Checking For Support Vector Machine

```
In [21]: #hyperparamter tuning
          #https://scikit-learn.org/stable/modules/generated/sklearn.svm.LinearSVC.html
          from sklearn.svm import LinearSVC
          c = np.logspace(-4,4,5)
          model = LinearSVC()
          grid = dict(C=c)
          grid search = GridSearchCV(estimator=model, param grid=grid, n jobs=-1, cv=10, scoring='accuracy',error score=0)
          grid_result = grid_search.fit(X, Y)
In [22]:
          best_c = grid_result.best_params
          print("best Param : {0}".format(best_c))
          best_c = 0.0001
          best model = LinearSVC(C = best_c, penalty = 'l2')
          #train the model
          svC best = best model.fit(X,Y)
          weight = svC best.coef [0]
          intercept = svC_best.intercept_[0]
          print("Weight : {0}".format(weight))
          print("Intercept : {0}".format(intercept))
         best Param : {'C': 0.0001}
         Weight: [ 0.01323056 -0.01280974  0.01791372  0.01305589 -0.01280974  0.01391318
           0.01167827]
         Intercept: 4.763807631789213e-11
In [23]:
          #accuracy on training data
          actual value = Y
          predicted_value = svC_best.predict(X)
          accuracy_score_svc= accuracy_score(actual_value,predicted_value)
          print("Accuracy score for the Model Without adding Noise :{0}".format(accuracy score svc))
         Accuracy_score for the Model Without adding Noise :1.0
In [24]:
          noise added features = [ add noise data(data,column) for column in data.columns[:-1]]
          X_dash = np.vstack(tuple(noise_added_features))
          X dash = X dash.T
          def grid search cv(X,y,model,grid):
              grid_search = GridSearchCV(estimator=model, param grid=grid, n jobs=-1, cv=10, scoring='accuracy',error_score
              grid_result = grid_search.fit(X, Y)
              grid result.best_params
              return grid result.best params
In [25]:
          penalty = ['l2']
          C = np.logspace(-4,4,5)
          param grid = dict(penalty=penalty,C=C)
          model = LinearSVC()
          best_param = grid_search_cv(X_dash,Y,model,param grid)
          print("Best Param After Pertubation Test:{}".format(best_param) )
         Best Param After Pertubation Test:{'C': 0.0001, 'penalty': 'l2'}
In [26]:
          best_C = best_param['C']
          penalty = 'l2'
          best_model_svc = LogisticRegression(C = best_C,penalty = 'l2')
          best model svc.fit(X dash,Y)
          y predict = best model svc.predict(X dash)
          accuracy_score_adding_noise = accuracy_score(Y,y_predict)
          print("Accuracy Score For After Pertubation Test ; {0}".format(accuracy_score_adding_noise))
         Accuracy Score For After Pertubation Test ; 1.0
In [27]:
          weight noise = best model svc.coef_[0]
          Intercept_adding_noise = best_model_svc.intercept_[0]
          print("Weight After Pertubation Test : {0}".format(weight_noise))
         Weight After Pertubation Test : [ 0.00359617 -0.00341988      0.00480004      0.00355254 -0.00341988      0.00377683
           0.00316958]
```

Observation

1.We Can Observe there is no difference in accuracy Score for Before and After Pertubation Tesing (Adding SMall Noise In the Training Data).

2. Adding Noise for the Features weights is changes Slightly for the all the features.

3.top Four Featues z', '2z+3xx', 'x', 'xx'is Multicollinear(i.e features are dependent to each Other)

Conclusion

In this Note Book We Perform the Multi Collinearty Checking For the Given Dataset Using Logistic Regression and Linear SVM We Can Observe Both Linear and SVC give the Same Accuracy for the original Training data and Adding a Small noise in original Data. difference between the weights changes Slightly.

1.In Linear Regression feature XX is the higher Changes weight comparing othersY 2Y and X 2.In Linear SVC Feature z is the higher percentage of weight changes comparing other features 2z+3xx, x, xx

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