

Privacy-Preserving AIS for Network Security

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- Defined secret sharing scheme to be used (Bitwise Additive secret sharing over Z_2)
- Explored privacy-preserving random detector set generation

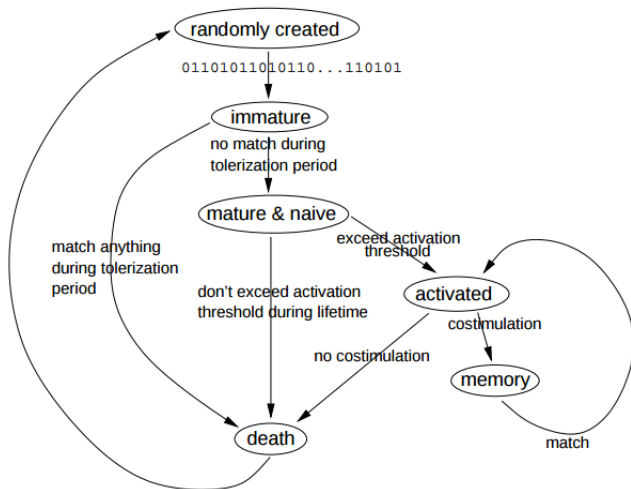


Figure : Detector lifecycle[2]

- Affinity function : privacy-preserving r contiguous bits (R-CONT)
- Tolerization/Maturation of detectors using R-CONT

- Detector indexed by i denoted by d_i
 - Bit representation of $d_i \rightarrow d_{i1}d_{i2} \dots d_{il}$
 - Party k 's share of $d_{ij} \rightarrow [d_{ij}]^k$
- Connection c
 - Bit representation of $c \rightarrow c_1c_2 \dots c_l$
 - Party k 's share of $c_j \rightarrow [c_j]^k$

Affinity Function

- Given a secret shared detector $[d]$ and a secret shared connection $[c]$, the affinity function works as follows:

$$A_f([c], [d]) = [z]$$

where z is the affinity value between d, c

- Affinity function must also be privacy preserving.

r-Contiguous Bits

- Two bit strings d, c (both of equal length) match if a and c have atleast r contiguous bits in common (in the same positions)
- Example:

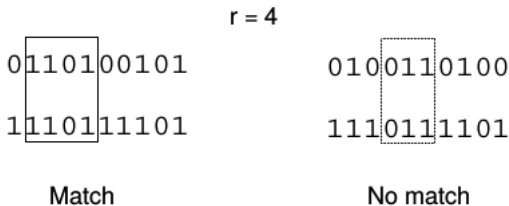


Figure : Matching under the contiguous bit match rule[2]

- For a party P_i

Algorithm 1 INVERT-BIT($[b]^i$)

```
1: if  $i = n \wedge n$  is even then  
2:   return  $[b]^i$   
3: else  
4:   return  $\neg[b]^i$   
5: end if
```

INVERT-BIT

Algorithm 2 R-CONT($[c], [d_i]$)

```
1:  $A \leftarrow$  Array of size  $l - r + 1$ 
2: for  $f = r$  to  $l$  do
3:    $B \leftarrow$  Array of size  $r$ 
4:   for  $w = f - r + 1$  to  $f$  do
5:      $[z_w] = [c_w] - [d_{iw}]$ 
6:      $B[w - f + r] = \text{INVERT-BIT}([z_w])$ 
7:   end for
8:    $[v_f] = \bigwedge_{h=1}^r B[h]$ 
9:    $A[f - r + 1] = \text{INVERT-BIT}([v_f])$ 
10: end for
11: return  $\bigwedge_{h=1}^{l-r+1} A[h]$ 
```

AND (product) of shares using multiplication protocol described in [1]

- Detectors which match with safe connections must be removed
- In PP version, parties remove their share of the matching detector
- Match determined through R-CONT

Algorithm 3 TOLERIZE($[D]$)

```
1: On receiving connection  $c$ 
2:   Share  $c$  in bitwise additive fashion
3: for  $i = 1$  to  $q$  do
4:    $[u_i] = R - \text{CONT}([c], [d_i])$ 
5:    $u_i = \text{RECONSTRUCT}([u_i])$ 
6:   if  $u_i$  then
7:     remove  $([d_i])$ 
8:   end if
9: end for
```

Next Steps

- Intrusion detection using trained detector set
- Correctness, security and performance analysis



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General secure multi-party computation from any linear secret-sharing scheme.

In *Advances in Cryptology-EUROCRYPT 2000*, pages 316–334. Springer, 2000.



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Architecture for an artificial immune system.

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