

## Bits

=> Checking if number is even or odd

$$\text{if } (n \& 1) = 1 \text{ [ odd ]}$$

$$(n \& 1) = 0 \text{ [ even ]}$$

=> Detecting if 2 integers have opposite sign

$n \wedge y$  is negative if  $n$  &  $y$  have opposite sign

$n \wedge y$  is positive if  $n$  &  $y$  have same sign

=> Swap 2 numbers without 3rd variable

$$n = n \wedge y$$

$$y = n \wedge y$$

$$n = n \wedge y$$

=> Setting a bit at some position (pos)

$$\text{num} |= (1 \ll \text{pos})$$

=> Unset / clear bit at some position (pos)

$$\text{num} \&= (\sim(1 \ll \text{pos}))$$



⇒ Toggling bit at  $n^{\text{th}}$  position

$$\text{num} \wedge = (1 \ll \text{pos})$$

⇒ Check if  $n^{\text{th}}$  bit is set or not

$$\text{bool bit} = \text{num} \& (1 \ll \text{pos})$$

⇒ Stripping of the lowest bit

$$x = x \& (x-1)$$

⇒ Getting lowest set bit of a number

$$x \& (-x)$$

⇒ Check if given 32 bit integer is power of 2

$$\text{return } (n \& \sim (n \& (n-1)))$$

↓  
check for 0 (edge case)

⇒ Find log base 2 of 32 bit integer

int res = 0;

while (n >= 1) res++;

return res;



⇒ Count set bit

```
int solve(n) {  
    int count = 0;  
    while (n) {  
        n &= (n-1);  
        count++;  
    }  
    return count;  
}
```

~~3~~

⇒  ~~$n \ll 1$~~   $n \ll 1$  (multiply by 2)  
 ~~$n \gg 1$~~   
 $n \gg 1$  (divide by 2)

In general

$n \ll i$  [multiplication by  $2^i$ ]  
 $n \gg i$  [division by  $2^i$ ]

⇒ Find position of only set bit in a number

$\log_2(n) + 1$



⇒

Upper case

ch |= ' '

⇒

lowercase

ch |= '—'

⇒

Invert alphabet's case

ch ^= ' '