6 using the formulas for the above given values: (xi, yi)  $\rightarrow K_{b\rightarrow\theta} = \frac{K(A) + ike}{\eta \cos\theta'} \quad \begin{bmatrix} calculating values using numby \\ for the given set of points) \end{bmatrix}$ and K(A) = 11A1/211A+11/2 = 4823.4753 and  $\cos \theta' = \frac{\|y\|}{\|b\|}$  where  $y = A\theta$  $=\frac{11A0112}{11b11_0}=0.9999$  $\frac{3}{8}$   $\frac{1}{8}$   $\frac{1}$ 

then  $K_{A\rightarrow 0} = 7901.8472$  (using above formula)

Thuse values are calculated using linally module in numby.

Thuse values are calculated using linally module in numby.

and since thuse are very big values then we can say

that the problem is ill-conditioned.

-> To find condition number of 0 with respect to vector V containing original data.

we have:

re have:
$$K = \frac{1160 \, \text{II}}{11611} \quad \text{Cusing as norm for the calculations}$$

$$\frac{116 \, \text{II} \, \text{IV} \, \text{II}}{116 \, \text{IV}}$$

where vis the vector containing [xi, yi] and b is a vectors that contains [(xi+yi²)]T

considure we changed the values x1y by S

(1growing nights order 8)

$$\Rightarrow \frac{28 | x+y| \frac{1}{8} \cdot \frac{1| V|}{| b|}}{8}$$

$$\Rightarrow 2 | x+y| \cdot \frac{max(xi,yi)}{| x^2+y^2|} \quad \forall ki,yi \in V$$

$$= \frac{2}{1} \frac{| x+y|}{| x^2+y^2|} \frac{max(xi,yi)}{| x^2+y^2|} = \frac{2}{max(1)} \frac{max(1)}{| x^2+y^2|} \cdot \frac{max(1)}{| x^2+y^2|} \cdot \frac{max(1)}{| x^2+y^2|}$$

$$\Rightarrow \frac{1}{1} \frac{1}{| x^2+y^2|} \frac{1}{| x^2+y^2|} \frac{1}{| x^2+y^2|} \frac{1}{| x^2+y^2|} \quad \forall xi,yi \in V$$

$$\Rightarrow \frac{1}{1} \frac{1}{| x^2+y^2|} \frac{1}{| x^2+y^2|} \frac{1}{| x^2+y^2|} \frac{1}{| x^2+y^2|} \frac{1}{| x^2+y^2|} \quad \forall xi,yi \in V,$$

$$\Rightarrow \frac{1}{1} \frac{1}{| x^2+y^2|} \frac{$$