

- A and B are the only two stations on an Ethernet. Each has a steady queue of frames to send. Both A and B attempt to transmit a frame, collide, and A wins the first backoff race. At the end of this successful transmission by A, both A and B attempt to transmit and collide. The probability that A wins the second backoff race is:
  - (A) 0.5
  - (B) 0.625
  - (C) 0.75
  - (D) 1.0

- 1st attempt: Value of 'k' would be  $k=0$  or  $k=1$  ( $0 \leq k \leq (2^n)-1$ ; where  $n$ =nth attempt). Since A won the first race, A must have chosen  $k=0$  and B must have chosen  $k=1$  (A wins here with probability 0.25). As A won, A will again choose  $k=0$  or  $k=1$  for its 2nd frame, but B will choose  $k=0,1,2$  or 3 as B failed to send its first frame in the first attempt.
- 2nd attempt: Let  $k_A$  = value of  $k$  chosen by A and  $k_B$  = value of  $k$  chosen by B. We will use notation  $(k_A, k_B)$  to show the possible values. Now the sample space for the 2nd attempt is  $(k_A, k_B) = (0,0), (0,1), (0,2), (0,3), (1,0), (1,1), (1,2)$  or  $(1,3)$  i.e. 8 possible outcomes. For A to win,  $k_A$  should be less than  $k_B$  ( $k_A < k_B$ ). Thus, our event space is  $(k_A, k_B) = (0,1), (0,2), (0,3), (1,2), (1,3)$  i.e. 5 possible outcomes.
- Thus the probability that A wins the 2nd back-off race =  $5/8 = 0.625$

### Detailed Solution

[Download Solution](#)

A	B	win
0	0	Collision
0	1	A
0	2	A
0	3	A
1	0	B
1	1	Collision
1	2	A
1	3	A

**Consider the following message  $M = 1010001101$ . The cyclic redundancy check (CRC) for this message using the divisor polynomial  $x^5 + x^4 + x^2 + 1$  is**

- $M = 1010001101$  Divisor polynomial:  $1x^5 + 1x^4 + 0x^3 + 1x^2 + 0x^1 + 1x^0$  Divisor polynomial bit= 110101 Bits to be appended to message= (divisor polynomial bits – 1) = 5 Append 5 zeros to message bits, modified message: 101000110100000

$$\begin{array}{r}
 110101 \overline{) 11010010110} \\
 \underline{101000110100000} \phantom{0} \\
 110101 \phantom{000000} \\
 \underline{111011} \\
 110101 \\
 \underline{011101} \\
 000000 \\
 \hline
 111010 \\
 110101 \\
 \underline{011111} \\
 000000 \\
 \hline
 111110 \\
 110101 \\
 \underline{010110} \\
 000000 \\
 \hline
 101100 \\
 110101 \\
 \underline{110010} \\
 110101 \\
 \hline
 001110 \\
 110101 \\
 \underline{11011}
 \end{array}$$

CRc: 11011



Q: Consider the following two cases when  $g$  denotes generator polynomial &  $m$  denotes the received message.

Case I:  $g = 1001$ ,  $m = 10101$

Case II:  $g = 110011$ ,  $m = 1110001111010$

which of the following cases transmission errors occurs -

(A) I only.

(B) II only.

(C) (I & II) only.

(D) Neither I nor II.



Q: Consider the following two cases when  $g$  denotes generator polynomial &  $m$  denotes the received message.

Case I:  $g = 1001$ ,  $m = 10101$

Case II:  $g = 110011$ ,  $m = 1110001111010$

which of the following cases transmission errors occurs -

(A) I only.

(B) II only.

(C) (I & II) only.

(D) Neither I nor II.

Sol: Case I:

$$\begin{array}{r} 1001 \overline{) 10101} \quad (10 \\ \underline{1001} \phantom{00} \\ 0111 \phantom{0} \\ \underline{0000} \phantom{0} \\ 111 \end{array}$$

110011 ) 111000 1111010 ( 10110110

110011

010111

000000

101111

110011

111001

110011

010101

000000

101010

110011

110011

110011

000000

000000

x

2. (A) I only