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In [1]: import numpy as np
import matplotlib.pyplot as plt
from scipy.stats import binom
from scipy.special import factorial
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In [2]: # A test is conducted which is consisting of 20 MCQs (multiple choices questions)
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In [4]: # Let us assume that 'n' is representing the number of trails attempted and 'k' is
# in those 'n' trails.
# This implies the number of failures clearly will be 'n-k'

n = 20
# n-k = 5
failures = 5
k = 15
# The probability of success = probability of giving a right answer = p_s
p_s = failures / n

# The probability of failure = probability of giving a wrong answer p_f = 1 - p_s
p_f = 1 - p_s

# When we substitute these values in the formula for Binomial Distribution we get,
# P (exactly 5 out of 20 answers incorrect) = c (20, 5) * (1/4)**15 * (3/4)**5

P = (factorial(n) / (factorial(k) * factorial(n - k))) * np.power(p_s,k) * np.powe
print("Probability of exactly 5 out of 20 answers incorrect is {:.7f}".format(P))
```

Probability of exactly 5 out of 20 answers incorrect is 0.0000034

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In [5]: # A die marked A to E is rolled 50 times. Find the probability of getting a "D" ex
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In [6]: # Let us assume that in an experiment done, 'n' is representing the number of trials
#and that 'k' is the count of successes that is to be attained in those 'n' trials
#This implies that number of failures clearly will be 'n - k'.

# Assuming 's' to be the probability of succeeding in a trial, we get that the probability of
# failure is 1 - s

n = 50
k = 5
failures = n - k

# The probability of success = probability of getting a "D"
p_s = 1/k

# Hence, the probability of failure = probability of not getting a "D"
p_f = 1 - p_s

print("Probability of getting exactly D in {} throw out of {} number of trials conducted is {}".format(k, n, p_s))
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Probability of getting exactly D in 5 throw out of 50 number of trials conducted is 0.2

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In [7]: # Draw a sample without replacement from an urn containing 4 red balls and 6 black balls. Find the probability of getting exactly 2 red balls.
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In [9]: red_ball = 4
black_ball = 6
total_balls = red_ball + black_ball

# Sample of possible outcomes = {R_ballB_ball,B_ballR_ball,B_ballB_Ball,R_ballR_ba

# So the chances of picking a red ball first is 4 out of 10 balls. So the probabil
p_first_red_ball = red_ball / total_balls

# The chances of picking a black ball second is 6 out of 9 balls. So the probabili
p_second_black_ball = black_ball / (total_balls - 1)

# The chances of picking a black ball first is 6 out of 10. So the probability is
p_first_black_ball = black_ball / total_balls

# The chances of picking a red ball second is 4 out of 9 balls. So the probability
p_second_red_ball = red_ball / (total_balls - 1)

# Probability of both the balls are red is computed here as:
# Total number of ways to select 2 red balls from 4 red balls / Total number of wa

P_2_r = (factorial(red_ball) / (factorial(2) * factorial(red_ball - 2))) / (facto

# Probability of both the balls are black is computed as :
# Total number of ways to select 2 black balls from 6 red balls / Total number of
# from 10 total balls.

P_2_b = (factorial(black_ball) / (factorial(2) * factorial(black_ball - 2))) / (fa
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In [10]: print("The probabilities of all possible outcomes of picking Red ball first, Black
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The probabilities of all possible outcomes of picking Red ball first, Black ball second is (0.40, 0.67)

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In [11]: print("The probabilities of all possible outcomes of picking Black ball first, Red
```

The probabilities of all possible outcomes of picking Black ball first, Red ball second is (0.60, 0.44)

```
In [12]: print("The probabilities of all possible outcomes of picking both the balls as bla
```

The probabilities of all possible outcomes of picking both the balls as black is 0.0000000002

In [13]: `print("The probabilities of all possible outcomes of picking both the balls as red`

```
The probabilities of all possible outcomes of picking both the balls as red is  
0.0000000001
```

In []: