# Module 01: Basic MATLAB Programming

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#### **Module 1: Intended Learning Outcomes**

- Write an assignment statement to define a variable and assign a value(s).
- Define a valid variable name acceptable in MATLAB
- Describe data types and a type casting process.
- Explain numeric, logical operator, relational operators and compose expression using these operators
- Evaluate the expression with multiple operators following to operator precedence
- Assess some basic math functions (e.g., round(x), sign(x), or abs(x))
- Generate random number(s) using a built-in random number function

#### **Variables and Assignments**

- To store a value, use a variable
- A way to put a value in a variable is with an assignment statement
- General form:

- The order is important:
  - variable name on the left
  - the assignment operator "="
  - expression on the right

 $\triangle$ : Here, = is not meant to an equality.

⚠: Make sure that the variable name is always on the left.

% variable	= expression
a1 = 3	
a2 = 5	

Name	Value
a1	3
a2	5

#### **Variable Names**

- Names must begin with a letter of the alphabet.
- After that names can only contain letters, digits, and the underscore character(\_).
- Variable names must not have a space.
- You cannot use other characters except for '\_'.
- MATLAB is case-sensitive.
- Names should be <u>mnemonic</u>: You and others know what are stored in your.
   variable through its name.
- clear clears out variables and also functions.

## **Example: Variable Names**

```
8val = 10; % error: must begin with a letter of the alphabet
col = 0; % error: must begin with a letter of the alphabet
row 3 = 1; % no error
row@3 = 10; % error: cannot contain characters other than underscore
col-03 = 10; % error: cannot contain characters other than underscore
% Following scripts have no error but the names should be mnemonic
asdf1 = 100; % no error
                             ⚠: Recommend mnemonic variable names
love = 10; % no error
aaaa3 = 10; % no error
```

```
% define a variable of 'gal' gal = 100
```

Q. What value is in 'Ga1'?

# **Example: Question in S19 Midterm**



Q. Which of the following scripts have errors?

(1)	Val1 = 10
(2)	4val = 5
(3)	new@data = 8
(4)	val*2 = 3
(5)	Jason = 10+2

- 1. (1), (2), and (4)
- 2. (2), (3), and (5)
- 3. (2), (3), and (4)
- 4. (1), (2), and (5)

#### **Constants**

- In programming, variables are used for values that could change, or are not known in advance
- **Constants** are used when the value is known, is **pre-defined** and not updated in the program.
- Examples in MATLAB (these are actually functions that return constant values)
  - pi 3.14159....
  - i, j imaginary number
  - inf infinity
  - NaN stands for "not a number"; e.g. the result of 0/0

 $\triangle$ : You can overwrite values to the constants but I do not recommend the use of constants as variables. For example: pi = 3 % no error

## **Modifying Variables**

myvar =	10; %	initialize a variable
myvar =	myvar	+ 3; % increment by 3

Name	Value
myvar	13

```
myvar = 10; % initialize a variable
val = 3; % initialize a variable

% identical opertaions
myvar1 = myvar + val;
myvar2 = 10 + 3;
```

Name	Value
myvar	10
val	3
myvar1	13
myvar2	13

#### Swap two values

```
myvar1 = 10; % initialize a var.
myvar2 = 5; % initialize a var.

tmp = myvar1;
myvar1 = myvar2;
myvar2 = tmp;
```

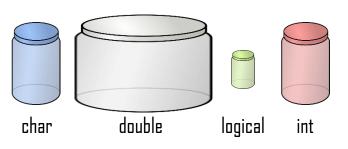
Name	Value
myvar1	5
myvar2	10
tmp	10

#### **Data Types**

- Every expression and variable has an associated type or class
  - Real numbers: single, double (default type for numbers)
  - Integer types: numbers in the names are the number of bits used to store a value of that type
    - Signed integers: int8, int16, int32, int64
    - Unsigned integers: uint8, uint16, uint32, uint64
  - Single characters and character vectors: char
  - Strings of characters: string
  - True/false: logical (represented as 1 or 0)

②: The same value can be defined as a different type.

#### Container



#### **Examples**

- 2.145, 0.15893, 3.0, 2.45
- 10, 11, 24, 30, 400
- 'a', 'b', 'A', 'c'
- "sam"
- true, false

## **Data Types (Continue)**

#### Example

- double: 2.145, 0.15893, 3.0,
- integer type: 10, 11, 24, 30
- char: 'a', 'b', 'A', 'c'
- string: "sam"
- logical: true, false

**class** is a function of determining a class of object.

```
>> class("sam")
ans =
    'string'
```

```
>> class('a')
ans =
     'char'
>> class(true)
ans =
     'logical'
>> class(2.145)
ans =
                  ⚠: The default type of
     'double'
                  numbers is 'double'.
                  Integers likes 10, 11, ...
>> class(10)
                  can be defined as integer
                  types. It does not mean that
ans =
     'double'
                  integer numbers always
```

becomes integer types.

There are many functions that convert values <u>from one type to another</u>. The names of these functions are the same as the names of the types. The names can be used as functions to convert a value to that type. This is called casting the value to a different type or type casting.

```
>> a = logical(1);
>> class(a)
ans =
    'logical'
>> b = double(a);
>> class(b)
ans =
    'double'
```

```
>> a = logical(1);
ans =
    'double'
>> c = logical(b)
  logical
```

 $\coprod$ : In the second line in red, the type of a is converted to double and arithmetic operation is conducted with 2. In the fourth line, b is double but the logical type only carries 0 or 1 so nonzero double (or other numeric type) values becomes 1, otherwise 0. This is a very important concept for logical operations.

#### **Operators**

- There are in general two kinds of operators: *unary* operators, which operate on a single value and *binary* operators, which operate on two values.
- Operators include:
  - + addition
  - subtraction or negation
  - \* multiplication
  - / division
  - exponentiation (e.g. 5^2 is 25)

```
val1 = 5 + 1;
val2 = 10*2;
val3 = 10^2;
val4 = 100/5;
val5 = 10 + 2 + 3;
```

Name	Value
val1	6
val2	20
val3	100
val4	20
val5	15

#### **Operator Precedence Rules**

- Some operators have precedence over others.
- Within a given precedence, the expressions are evaluated from **left** to **right**.
- Precedence list (highest to lowest):
  - parentheses
  - exponentiation
  - negation
  - $\star$  , / ,  $\setminus$  all multiplication and division
  - +, addition and subtraction
- Nested parentheses: expressions in inner parentheses are evaluated first

<pre>val1 = (5 + 1)*2; val2 = 10^2*3; val3 = 10^(2+3);</pre>	
val4 = $4-3*2$ ; val5 = $3*((4+3)*2)$ ; val6 = $-10^2$ ;	<ul><li>②: A good practice is to use parentheses to clarify your operation: (-10) ^2 or</li></ul>
Module 1: Basic MATLAB Programming	(-10)^2.

Name	Value
val1	12
val2	300
val3	100000
val4	-2
val5	42
val6	-100
-	

## **Example: Operator Precedence Rules**



## Q. What values are assigned to the variables?

val1 =	3*2+3-2*3
val2 =	-10^4*3
val3 =	-(10^4*3)
val4 =	5-3*2;
val5 =	(3+3)^(2-1);
l	

Name	Value
val1	3
val2	-30000
val3	-30000
val4	-1
val5	6

## **Relational Operator**

The relational operators in MATLAB are:

>	greater than
<	less than
>=	greater than or equals
<=	less than or equals
==	equality <b>———</b>
~=	inequality



 $\triangle$ : Here, == is meant to an equality. Not =.

- It is also called *Boolean* expressions or *logical* expressions.
- The resulting type is logical 1 for true or 0 for false

: "true" is represented by the logical value 1, and "false" is represented by the logical value 0. A logical type only contain two value, 0 or 1.

## **Relational Operator (Continue)**

```
% relation operator
ro1 = 3 < 4;
ro2 = 3 > 5;
ro3 = 3 == 5;
ro4 = 3 ~= 7;
ro5 = 3 <= 3;
ro6 = 3 >= 3;
ro7 = 3 > 3;
```

☐: In the second line, the code is first running the expression (3<4) and computing its value. This expression means "3 less than 4", which is a true. Thus, true (or logical 1) is assigned to ro1.

Name	Value
ro1	1
ro2	0
ro3	0
ro4	1
ro5	1
ro6	1
ro7	0

⚠: Here, the values are all *logical* values, 0 or 1, not *double*.

#### **Logical Operator**

- The logical <u>operators</u> are:
  - | | or for scalars
  - & & and for scalars
    - ~ not
- Note that the logical operators are commutative
  - (e.g.,  $x \mid | y$  is equivalent to  $y \mid | x$ )
- The resulting type is **logical** 1 for true or 0 for false

X	У
true	true
true	false
false	false



~ X	х    у	х && у
false	true	true
false	true	false
true	false	false

: For example, logical (1) && logical (1) becomes 1. This is the same with true && true.

## **Logical Operator (Continue)**

```
% relation operator
lo1 = true && false
lo2 = 1 || 0
lo3 = 0 || 0
lo4 = true && true
lo5 = 0 || ~false
lo6 = ~false && true
lo7 = ~true || false
```

Name	Value
101	0
102	1
103	0
104	1
105	1
106	1
107	0

X	У
true	true
true	false
false	false



~ X	х    у	х && у
false	true	true
false	true	false
true	false	false

## **General Operator Precedence**



Parentheses ()

Power: ^
Unary: negation (-), not (~)

Multiplication or division: \*, /, \
Addition, subtraction: +, 
Relational: <, <=, >, ==, ~=

And: &&
Or: | |

Highest

Lowest

②: I know it's bit hard to wrap your head but, you consider relational and logical operators as common operators like + , - and compute the values with this precedence order.

☐: Remember ! 0 is false otherwise true.

Name	Value
val1	1
val2	3
val3	1

val1 = 3 < (1 + 3)
val2 = (3 < 1) + 3
val3 = 3 < 1 + 3</pre>

☐: The type of val2 is double and the types of val1 and val3 are logical.

## **Example: Operator Precedence**



```
lg1 = (3 < 4) < 4;

lg2 = 3 < (4 < 5);

lg3 = (3 > 5) + 3;

lg4 = (10 > 4) && (4 > 1);

lg5 = (10 < 4) && (4 < 1);

lg6 = ~((10 < 4) && (4 < 1));

lg7 = 2 < 3 + 4;
```

Parentheses ()	Highest
Power: ^	I
Unary: negation (−), not (~)	
Multiplication or division: *, /	<b>',</b> \
Addition, subtraction: +, -	
Relational: $\langle , \langle =, \rangle, ==,$	, ~=
And: &&	<b>+</b>
Or:	Lowest

# Q. What values are assigned to the variables?

Name	Value
lg1	1
lg2	0
lg3	3
lg4	1
lg5	0
lg6	1
lg7	1

②: Regardless of the operator precedence, you could use parentheses to clarify the operation order

## **Example: Operator Precedence**



Q. How to write a code to check if x lies in between 5 and 10. If yes, 1 and otherwise 0.

```
x1 = 6;
x2 = 11;

lg1 = (5>x1) && (x1<10)
lg2 = 5 < x1 <10; % incorrect!
lg3 = (5 < x1) <10; % incorrect!

lg4 = (5 > x2) && (x2 < 10)
lg5 = 5 < x2 < 10; % incorrect!
lg6 = (5 < x2) < 10; % incorrect!</pre>
```

Name	Value
x1	6
x2	11
lg1	0
lg2	1
lg3	1
lg4	0
lg5	1
lg6	1

 $\triangle$ : For 1g2, the first expression 5 < x will be evaluated. It gives a logical value 1. Then, the rest of the expression will be evaluated, 1 < 10. So, the final value to be assigned to 1g2 become logical 1, true.

## **Using Functions: Terminology**

- To use a function, you call it
- To call a function, give its name followed by the argument(s) that are passed to it in parentheses

```
out = fun(arg1, arg2,...)
```

- Many functions calculate values and return the results
- For example, to find the absolute value of -4

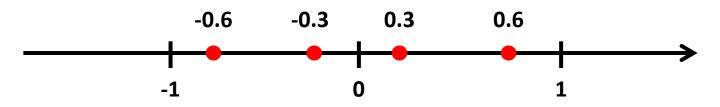
```
>> abs(-4)
ans =
4
```

- The name of the function is "abs"
- One argument, -4, is passed to the abs function
- The abs function finds the absolute value of -4 and returns the result, 4.

# **Rounding Functions**

Function	Description	Note
round(x)	Rounds x to the nearest integer	
fix (x)	Truncates <b>x</b> to the nearest integer toward zero.	0
floor(x)	Rounds <b>x</b> to the nearest integer toward negative infinity.	0
ceil(x)	Rounds <b>x</b> to the nearest integer toward positive infinity.	0

# **Rounding Functions (Continue)**



Function	Description
round(x)	Rounds <b>x</b> to the nearest integer
fix (x)	Truncates <b>x</b> to the nearest integer toward zero.
floor(x)	Rounds <b>x</b> to the nearest integer toward negative infinity.
ceil(x)	Rounds <b>x</b> to the nearest integer toward positive infinity.

	round	ceil	fix	floor
0.3	0	1	0	0
0.6	1	1	0	0
-0.3	0	0	0	-1
-0.6	-1	0	0	-1

## **Rounding Functions (Continue)**

```
x2 = 12.7;
x3 = -1.3;
x1 ce = ceil(x1);
x1 fi = fix(x1);
x1 fl = floor(x1);
x2 ce = ceil(x2);
x2 fi = fix(x2);
x2 fl = floor(x2);
x3 ce = ceil(x3);
x3 fi = fix(x3);
x3 fl = floor(x3);
x3 ro = round(x3);
```

x1 = 10.3;

Name	Value
x1	10.3
x2	12.7
х3	-1.3
x1_ce	11
x1_fi	10
x1_fl	10
x2_ce	13
x2_fi	12
x2_fl	12
x3_ce	-1
x3_fi	-1
x3_fl	-2
x3_ro	-1

Function	Description
round(x)	Rounds <b>x</b> to the nearest integer
fix (x)	Truncates <b>x</b> to the nearest integer toward zero.
floor(x)	Rounds <b>x</b> to the nearest integer toward negative infinity.
ceil(x)	Rounds <b>x</b> to the nearest integer toward positive infinity.

②: You do not have to memorize the functions and their usage. You can simply search for their usage in google or type doc round in command window (doc fun\_name).

#### **Common Math Functions**

Function	Description	Script	Value
abs(x)	Finds the absolute value of $\mathbf{x}$	abs (-3) abs (2)	3 2
sqrt(x)	Finds the square root of <b>x</b>	sqrt(4) sqrt(1.75)	2 1.5
sign(x)	Return -1 if x is less than zero, a value of 0 if x equals zero, and a value of 1 if x is greater than zero.	sign(-5) sign(3) sign(0)	-1 1 0
rem(x,y)	Computes the remainder of x/y	rem(25,4) rem(4,2) rem(9,5)	1 0 4

# **Common Math Functions (Continue)**

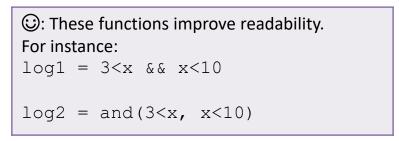
Function	Description
abs(x)	Finds the absolute value of <b>x</b>
sqrt(x)	Finds the square root of <b>x</b>
sign(x)	Return -1 if x is less than zero, a value of 0 if x equals zero, and a value of 1 if x is greater than zero.
rem(x,y)	Computes the remainder of <b>x/y</b>

x = -4; y = 9; z = 2;
x_ab = abs(x) x_si = sign(x)
$xz_r = rem(x, z)$
<pre>y_ab = abs(y) y_sq = sqrt(y) y_si = sign(y)</pre>
$yz_r = rem(y, z)$

Name	Value
Х	-4
У	9
Z	2
x_ab	4
x_si	-1
xz_r	0
y_ab	9
y_sq	3
y_si	1
yz_r	1

## **Logical Operation Functions**

Function	Operator
and(A, B)	A && B
or(A, B)	A    B
not(A)	~A

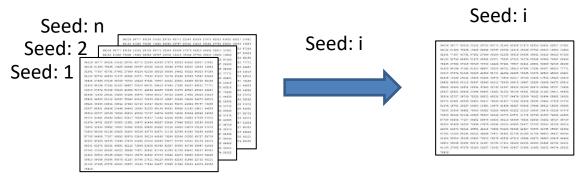


<pre>x1 = true; x2 = false;</pre>
lg1a = and(x1, x2); lg1b = x1 && x2;
lg2a = or(x1, x2); lg2b = x1     X2
lg3 = not(x1);

Name	Value
x1	1
x2	0
lg1a	0
lg1b	0
lg2a	1
lg2b	1
1g3	0

Module 1: Basic MATLAB Programming

- MATLAB generates pseudorandom numbers. These numbers are not strictly random and independent in the mathematical sense, but they pass various statistical tests of randomness and independence, and their calculation can be repeated for testing or diagnostic purposes.
- Several built-in functions generate random numbers.
- Random number generators start with a number called the seed. This is either a predetermined value or <u>from the clock</u>. This is considered as an "index" of a random number lookup table.



- rand(n) creates an nxn matrix of random reals
- rand (n,m) create an nxm matrix of random reals
- randi ([range],n,m) creates an nxm matrix of random integers in the specified range
- rng (seed) specifies the seed for the random generator

```
>> rand(1)
ans =
    0.8147
>> rand(1)
                 : A seed is changed in
ans =
                  each run of your script.
                  Thus, different random
    0.9058
                  numbers are generated
```

```
>> rng(10); rand(1)
ans =
    0.7713
>> rng(10); rand(1)
ans =
               : You can specify a
               seed. Then, the same
    0.7713
               numbers are generated.
```

Suppose that you want to compute y when x = 10

$$y = \frac{\{x^2(100x + 10) + x^3(20x^2 + 3)\}}{-x^{-3} + 1}$$

```
x = 10;

y1 = (x^2*(100*x + 10) + x^3*(20*x^2 + 3))/(-x^(-3)+1)
```

②: The more terms and parentheses in your equation, the larger the probability that you may be making a mistake. In this case, I usually do it like this

```
x = 10;
y_nom = (x^2)*(100*x + 10) + (x^3)*(20*(x^2) + 3);
y_den = -x^(-3)+1;
y = y_nom/y_den;
```

#### **Arithmetic Operation in MATLAB**

Suppose that you are solving a problem: If the car has a mass of 300kg and you push the car with an acceleration of 5 inch/s<sup>2</sup>, compute the force that is generated from the car in newton

% MATLAB as a calculator
300*5*0.0254

Name	Value
ans	38.1

②: If you are using MATLAB as a programming tool, I would recommend writing the code below. This improves code readability and allows others to understand your code.

```
% MATLAB as programming tool

inch2m = 0.0254; % inch to m
mass = 300; % kg
accel = 5; % inch/s/s

% force = mass(kg) * acceleration (m/s/s)
force = mass * accel * inch2m;
```

Name	Value
inch2m	0.0254
mass	300
accel	5
force	38.1