# MATLAB REPORT

NAME: VARANASI KASYAP

**REG.NO: 20BCE7315** 

S.No	TOPIC	DATE
1	Solving system of linear equations	29-Jan-2021
2	Non-homogenous system (Traffic flow problem)	05-Feb-2021
3	Google page rank algorithm	12-Feb-2021
4	Solving system of ODEs or Hill Cypher problem	19-Feb-2021
5	Solving Legendres equation using power series method	26-Feb-2021
6	Solving Bessels equation using Frobenius method	05-Mar-2021
7	Bessels function-II	12-Mar-2021
8	Finding the steady state solution of the vibrating system using Fourier series	26-Mar-2021
9	Fourier series-II	09-Apr-2021
10	Solving difference equation using Z Transform	16-Apr-2021

Reg no.: 20BCE7315

## **Lab Assignment- system of linear equations**

**Q**) when propane burns in oxygen, it produces carbon dioxide and water, balance the chemical equation and derive the balanced equation.

C2H8 + O2 
$$\longrightarrow$$
 CO2 + H2O

Answer:  $x1C2H8 + x2O2 \longrightarrow x3CO2 + x4H2O$ 

Equations:  $2x1 - x3 = 0$ 
 $4x1 - x4 = 0$ 
 $2x2 - 2x3 - x4 = 0$ 

#### **INPUT**

# Command Window >> Lab\_assignment A = [2, 0, -1, 0] [4, 0, 0, -1] [0, 2, -2, -1] B = 0 0 0 x1 = x4/4 x2 = x4 x3 = x4/2

#### Result

$$x1 = x4/4$$
 ,  $x1 = 1$ 

$$x2 = x4$$
 ,  $x2 = 4$ 

$$x3 = x4/2$$
 ,  $x3 = 2$ 

$$x4 = 4$$
 ,  $x4 = 4$ 

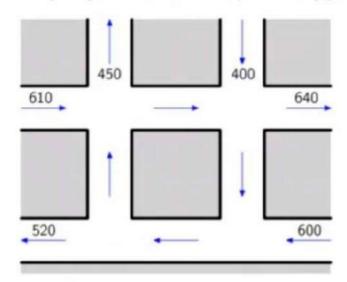
**Balanced Equation is:**  $1(C2H8) + 4(O2) \longrightarrow 2(CO2) + 4(H2O)$ 

Reg no.: 20BCE7315

## Lab Assignment MAT1002--Lab 2

Write the MATLAB code to solve the following problems.

 Traffic Flow: The traffic flow of a city during peak hours is given blow. Find the best possible way to get rid of the traffic jam during peak hours.



Equations: 
$$x1 - x4 = 160$$
  
 $x4 - x2 = 240$   
 $x3 - x2 = 600$   
 $x3 - x4 = 520$ 

#### **INPUT**

```
Editor - /Users/sirichinta/Downloads/untitled folder/assignment.m*
   Lab_assignment.m × assignment.m* × +
      syms x1 x2 x3 x4
1 -
2 -
      eq1 = (1*x1 - 1*x4 == 160);
3 -
      eq2 = (1*x1 - 1*x2 == 240);
      eq3 = (1*x3 - 1*x2 == 600);
      eq4 = (1*x3 - 1*x4 == 520);
       [A,B] = equationsToMatrix([eq1, eq2, eq3, eq4], [x1,x2,x3,x4]);
7 -
      aug = [A,B];
       rref(aug)
9 -
       [x1, x2, x3] = solve(eq1, eq2, eq3, eq4);
```

Z Editor - /Users/sirichinta/Downloads/untitled folder/assignment.m

#### Command Window

```
>> assignment
```

160 240

600

520

$$[1, -1, 0, 0, 240]$$

$$[0, -1, 1, 0, 600]$$

$$[1, 0, 0, -1, 160]$$

$$[0, 0, 1, -1, 520]$$

$$x1 =$$

$$x4 + 160$$

$$x2 =$$

$$x4 - 80$$

$$x4 + 520$$

$$x1 = x4 + 160$$
 ,  $x1 = 300 + 160$ 

$$x2 = x4 - 80$$
 .  $x2 = 300 - 80$ 

$$x3 = 520 + x4$$
 ,  $x3 = 520 + 300$ 

$$x4 = 300$$
 ,  $x4 = 300$ 

x1 = 460

x2 = 220

x3 = 820

x4 = 300

Rank of matrix A is 3.

Rank is less than the no.of unknowns so this linear equation has infinitely many solutions.

Reg no.: 20BCE7315

## Lab Assignment MAT1002-Lab 3

Write a Matlab code for Google page rank algorithm.

#### **INPUT:**

```
🌌 Editor – /Users/sirichinta/Downloads/untitled folder/assignment3.m*
      untitled3.m × untitled5.m × untitled6.m × creategpmatrix.m ×
                                                                       assignment3.m* × +
1

☐ function G = creategmatrix(gij,n)
2 -
       gij = [2,3; 1,2; 3,1; 4,3; 1,4; 4,1; 1,3; 2,4];
3 -
       n = 4;
 4 -
       ri = ones(n,n);
5 -
       cj = zeros(n,n);
6 -
       linksize = size(gij);
7 -
       numgij = linksize(1);
8 - | for i = [1:numgij]
9 -
       cj(gij(i,2),gij(i,1)) = 1;
10 -
     end
11 - || for i = [1:n]|
       if (sum(cj(:,i)) > 0)
       cj(:,i) = cj(:,i)/sum(cj(:,i));
13 -
14 -
15 -
       cj(:,i) = ones(n,1)/n;
16 -
       end
17 -
       end
18 -
      G = 0.15/n*ri + 0.85*cj
      end
19 -
```

```
Command Window
                                                                              (T)
 >> assignment3
 G =
     0.0375 0.0375 0.8875
                               0.4625
     0.3208 0.0375 0.0375
                              0.0375
     0.3208 0.4625 0.0375
                              0.4625
     0.3208
            0.4625
                              0.0375
                    0.0375
 ans =
     0.0375
           0.0375 0.8875
                               0.4625
     0.3208 0.0375 0.0375
                               0.0375
     0.3208 0.4625 0.0375
                               0.4625
     0.3208
            0.4625 0.0375
                               0.0375
fx >>
```

# **Given Matrix**

ans =

0.0375	0.0375	0.8875	0.4625
0.3208	0.0375	0.0375	0.0375
0.3208	0.4625	0.0375	0.4625
0.3208	0.4625	0.0375	0.0375

Reg no.: 20BCE7315

## Lab Assignment MAT1002--Lab 4

## Hill Cipher Encryption and Decryption MATLAB Code

Q) Use the matrix [4 1; 3 1] to obtain the Hill cipher encryption for the plain text message 'UTES'.

## **Encryption Code:**

## **INPUT**

```
🌌 Editor – /Users/sirichinta/Downloads/untitled folder/assignment4.m*
      creategpmatrix.m × assignment3.m ×
                                             untitled1.m ×
                                                            untitled2.m × assignment4.m*
       a='UTES'
 1 -
2 -
       msg = double(a);
3 -
       msg = reshape(msg, 2, 2);
 4 -
       msg = msg-65;
5 -
       K = [4 1;3 1];
 6 -
       new = K*msg;
 7 -
       new=mod(new, 26);
8 -
       new=new+65;
9 -
       new=reshape(new,2,2);
10 -
       new=reshape(new,1,4);
11 -
       new=char(new)
12
13
```

```
⊙
Command Window
  >> assignment4
      'UTES'
  msg =
      85
                  69
                        83
  msg =
            69
      85
      84
            83
  msg =
      20
            4
      19
            18
  K =
            1
       3
            1
  new =
      99
            34
      79
            30
  new =
      21
            8
  new =
            73
            69
  new =
            73
      86
      66
            69
  new =
      86
            66
                  73
                        69
  new =
      'VBIE'
```

The Encrypted Message of 'UTES' is 'VBIE'

# **Decryption Code:**

## **INPUT**

```
Command Window
  >> untitled4
 s = VBIE
  ans =
          66
                73
                     69
  num =
          73
     86
     66
           1
           -1
     -3
           4
  ans =
     21
     20
           4
  ncode =
           69
     85
     84
     'UTES'
```

The Decrypted Message of 'VBIE' is 'UTES'

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# Lab Assignment MAT1002--Lab 5

**Q1**)

## **INPUT:**

## **INPUT:**

```
📝 Editor – /Users/sirichinta/Downloads/untitled folder/Lab_assignment_5_2.m
       Lab_Assignment_5.m × Lab_assignment_5_2.m × assignment3.m × untitled1.m × +
1 - 2 -
        z = 0:0.1:20;
        J = zeros(5,201);
3 -
      \Box for i = 0:4
             J(i+1,:) = besselj(i,z);
 5 -
       end
 6 -
        plot(z,J)
7 -
8 -
        grid on
        legend('J_0','J_1','J_2','J_3','J_4','Location','Best')
title('Bessel Functions of the First Kind for $\nu \in [0, 4]$','interpreter','latex')
9 -
10 -
        xlabel('z','interpreter','latex')
        ylabel('$J_\nu(z)$','interpreter','latex')
12
13
```



## Lab Assignment MAT1002--Lab 6

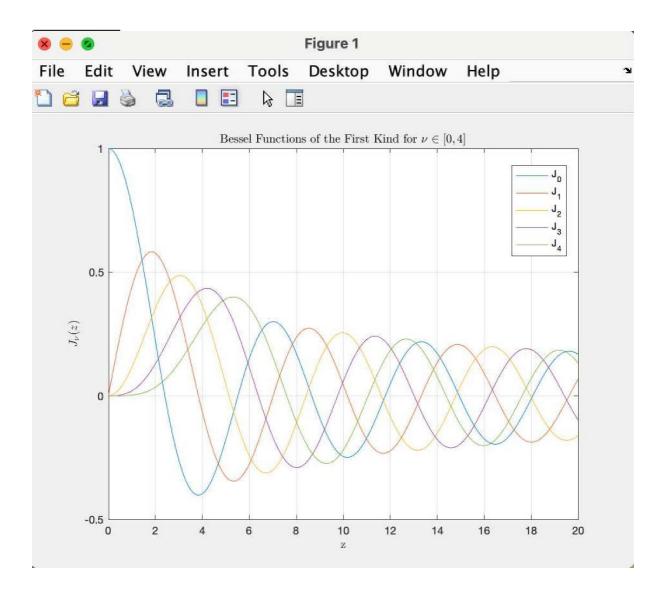
## Q1) INPUT:

#### **OUTPUT:**

```
Command Window
>>> Lab_Assignment_5
A(x) =
    x^2*diff(y(x), x, x) + y(x)*(x^2 - 4) + x*diff(y(x), x) == 0
ans =
C1*besselj(2, x) + C2*bessely(2, x)
fx >>>
```

#### **INPUT:**

```
🌃 Editor - /Users/sirichinta/Downloads/untitled folder/Lab_assignment_5_2.m
 +10 Lab_Assignment_5.m × Lab_assignment_5_2.m × assignment3.m × untitled1.m × +
        2 = 0:0.1:20;
        3 = zeros(5,201):
      0 for 1 = 0:4
3 -
           J(i+1,:) = besselj(i,r);
5 -
      end
        plot(z,J)
7 -
        grid on
        legend('J_0','J_1','J_2','J_3','J_4','Location','Best')
 8 -
        title['Bessel Functions of the First Kind for $\nu \in [0, 4]5', 'interpreter', 'latex')
9 -
       xlabel('z','interpreter','latex')
ylabel('s)_\nu(z)s','interpreter','latex')
10 -
11 -
12
13
```



Name: KASYAP

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## Lab Assignment MAT1002--Lab 7

#### **Question:**-

Solve the problems using MATLAB and write neat codes using dsolve, Power series methods.

$$x^{2}y'' + xy' + (3x^{2}\gamma - 2)y = 0,$$

$$x^{2}y'' + 2xy' + (x^{2} - 1)y = 0,$$

$$x^{2}y'' + xy' - (4x^{2} + \frac{1}{2})y = 0,$$

$$t^{2}y'' - 3t y' + 4y = 0$$
(25a)
(25b)
(25c)

#### **INPUT:**

```
Editor - /Users/sirichinta/Downloads/untitled folder/Lab_Assignment_7.m
      Lab_Assignment_7.m × untitled1.m × untitled2.m × assignment4.m ×
                                                                             untitled4
1 -
       fprintf('25.a')
2 -
       syms y(x) x;
       A = x^2*diff(y,x,2)+x*diff(y,x)+(3*x^2-2)*y == 0
       dsolve(A)
       fprintf('25.b')
7 -
       B = x^2*diff(y,x,2)+2*x*diff(y,x)+(x^2-1)*y == 0
       fprintf('In terms of Y')
       dsolve(B)
10 -
       fprintf('In terms of Z')
11 -
       syms z(x);
12 -
       n = sqrt(5/4);
       B = x^2*diff(z,x,2)+2*x*diff(z,x)+(x^2-n^2)*z == 0
13 -
14 -
       B1 = dsolve(B)
15
16 -
       fprintf('25.c')
17 -
       C = x^2*diff(y,x,2)+x*diff(y,x)-(4*x^2+(1/2))*y == 0
18 -
       dsolve(C)
19
       fprintf('25.d')
20 -
21 -
       syms y(t) t;
22 -
       D = t^2*diff(y,t,2)-(3*t*diff(y,t))+4*y == 0
23 -
       dsolve(D)
24
```

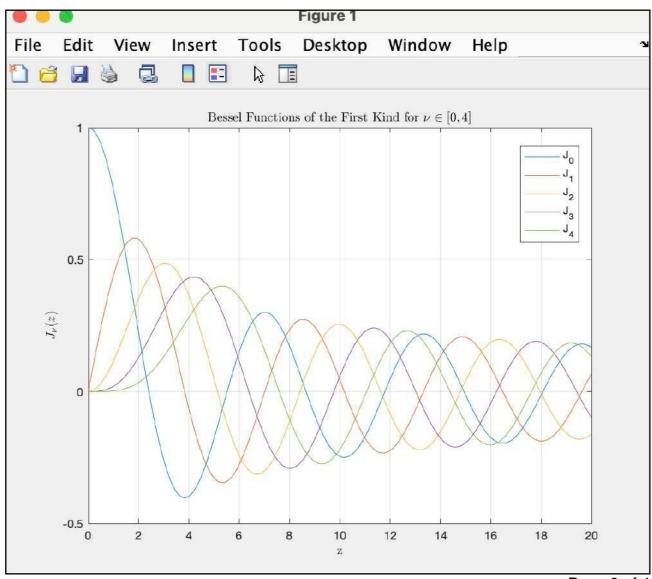
```
Command Window
  >> Lab_Assignment_7
  25.a
  A(x) =
  x^2*diff(y(x), x, x) + x*diff(y(x), x) + y(x)*(3*x^2 - 2) == 0
  ans =
  C1*besselj(2^{(1/2)}, 3^{(1/2)*x}) + C2*bessely(2^{(1/2)}, 3^{(1/2)*x})
  B(x) =
  x^2*diff(y(x), x, x) + y(x)*(x^2 - 1) + 2*x*diff(y(x), x) == 0
  In terms of Y
  ans =
  (C1*besselj(5^{(1/2)/2}, x))/x^{(1/2)} + (C2*bessely(5^{(1/2)/2}, x))/x^{(1/2)}
  In terms of Z
  B(x) =
  x^2*diff(z(x), x, x) + z(x)*(x^2 - 5/4) + 2*x*diff(z(x), x) == 0
  B1 =
  (C1*besselj(6^{(1/2)/2}, x))/x^{(1/2)} + (C2*bessely(6^{(1/2)/2}, x))/x^{(1/2)}
  25.c
  C(x) =
  x^2*diff(y(x), x, x) + x*diff(y(x), x) - y(x)*(4*x^2 + 1/2) == 0
```

```
ans =
C1*besselj(2^(1/2)/2, x*2i) + C2*bessely(2^(1/2)/2, x*2i)
25.d
D(t) =
4*y(t) + t^2*diff(y(t), t, t) - 3*t*diff(y(t), t) == 0
ans =
C2*t^2 + C1*t^2*log(t)

fr >> |
```

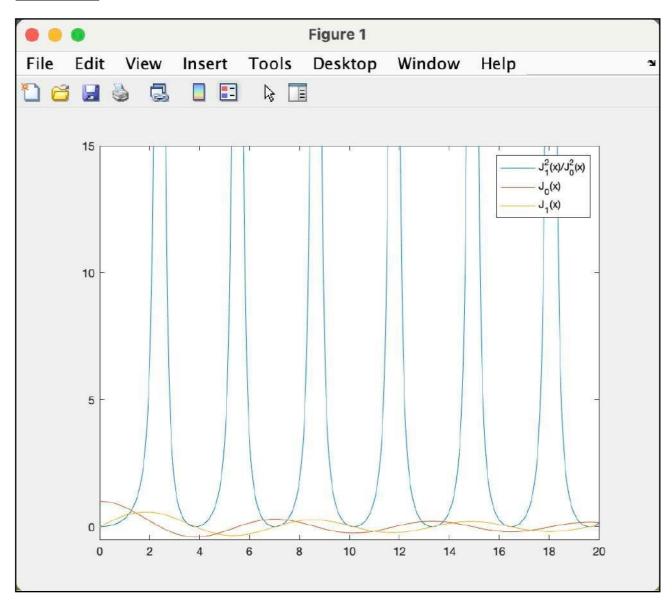
#### **INPUT:**

```
Editor – /Users/sirichinta/Downloads/untitled folder/Lab_Assignment_7_2.m
                                                                                                       Lab_Assignment_7_2.m 🕱 assignment4.m 🛪 untitled4.m 🛪 Lab_assignment_5_2.m 🛪
1 -
        z = 0:0.1:20;
        J = zeros(5,201);
3 -
      □ for i = 0:4
            J(i+1,:) = besselj(i,z);
 4 -
 5 -
        end
        plot(z,J)
 6 -
 7 -
        grid on
        legend('J_0','J_1','J_2','J_3','J_4','Location','Best')
title('Bessel Functions of the First Kind for $\nu \in [0, 4]$','interpreter','latex')
 8 -
9 -
10 -
        xlabel('z','interpreter','latex')
11 -
        ylabel('$J_\nu(z)$','interpreter','latex')
12
13
```



#### **INPUT:**

```
Editor – /Users/sirichinta/Downloads/untitled folder/untitled2.m
                                                                             ×
+13
       untitled2.m × assignment3.m ×
                                        Lab_Assignment_7.m × untitled1.m ×
 1 -
       x = 0:0.01:20;
       C1 = besselj(0, x);
2 -
       C2 = besselj(1, x);
 3 -
       C = C2.^2./C1.^2;
 4 -
 5 -
       plot(x,C,x,C1,x,C2)
       legend('J_1^2(x)/J_0^2(x)','J_0(x)','J_1(x)')
 6 -
       axis([0 20 -0.5 15])
 7 -
 8
```



Reg no.: 20BCE7315

## Lab Assignment MAT1002--Lab 8

## **Question 1:**

$$y'' + 0.05y' + 25y = r(t)$$

$$r(t) = \begin{cases} t + \pi/2 & -\pi \le t \le 0 \\ t - \pi/2 & 0 \le t \le \pi \end{cases}$$

Find the steady-state solution for y(t)

#### **INPUT:**

```
Editor – /Users/sirichinta/Downloads/untitled folder/Assignment8.m
       untitled2.m × Assignment8.m × assignment3.m ×
                                                         Lab_Assignment_7.m
1 -
2 -
       clc;
       clear all;
3 -
       syms x k L U n
       f = input("Enter the function: ");
       L = input('Enter the lower limit:');
 6 -
       U = input('Enter the upper limit:');
       l = (U-L)/2;
 8 -
       n = input("Enter the number of the terms required: ");
       ak = @(f,x,k) int(f*cos(k*pi*x/l)/l,x,L,U);
10 -
       bk = @(f,x,k) int(f*sin(k*pi*x/l)/l,x,L,U);
       fs = @(f,x,n) ak(f,x,0)/2 + ...
11 -
12
       symsum(ak(f,x,k)*cos(k*pi*x/l) + bk(f,x,k)*sin(k*pi*x/l),ak,bk);
13 -
       pretty(fs(f,x,n))
14 -
       fst=ak(f,x,0)/2;
15 - ☐ for i = 1:n
16 -
           fst = fst + ak(f,x,i)*cos(i*pi*x/l) + bk(f,x,i)*sin(i*pi*x/l);
17 -
           disp(['Harmonics upto:',num2str(i)]);
18 -
           disp(fst);
19 -
           h=ezplot(f,[L,U]);
20 -
           set(h,'LineWidth',1.5);
21 -
           hold on
22 -
           h=ezplot(fst,[L,U]);
23 -
           set(h, 'LineStyle', '-', 'Color', [i/n, l/n, l/n], 'LineWidth', 1.5);
24 -
      end
25
26
```

```
Z Editor - /Users/sirichinta/Downloads/untitled folder/Assignment8.m
                                                                                                             Enter the function: diff(diff(x))+0.05*diff(x)+25*x
  Enter the lower limit:-pi
  Enter the upper limit:pi
  Enter the number of the terms required: 15
                         sin(pi k) (pi k - f sin(pi k) 2)
                                        2 2
                                     10 k pi
  { (exp(-#3) (#1 sin(pi k) 500i - exp(#3) sin(pi k) 500i + #2 sin(pi k) 500i - #1 if not k/(2 pi) in integer
        exp(#3) sin(pi k) 500i + k #1 sin(pi k) - k exp(#3) sin(pi k) - k #2
        sin(pi k) + k pi exp(#3) cos(pi k) 500i - k pi #2 cos(pi k) 500i - k pi #1
        cos(pi k) 500i + k #1 exp(#3) sin(pi k) + k pi #1 exp(#3)
        \frac{2}{\cos(\text{pi k})} \frac{1}{500i}
  where
     #1 == \exp(k \ 1i)
     #2 == exp| ------------------|
pi /
           f sin(pi k) 2i
  Harmonics upto:1
  50*sin(x) + 1/20
   Harmonics upto:2
   50*sin(x) - 25*sin(2*x) + 1/20
   Harmonics upto:3
   (50*\sin(3*x))/3 - 25*\sin(2*x) + 50*\sin(x) + 1/20
   Harmonics upto:4
   (50*\sin(3*x))/3 - 25*\sin(2*x) - (25*\sin(4*x))/2 + 50*\sin(x) + 1/20
   Harmonics upto:5
   (50*\sin(3*x))/3 - 25*\sin(2*x) - (25*\sin(4*x))/2 + 10*\sin(5*x) + 50*\sin(x) + 1/20
   Harmonics upto:6
   (50*\sin(3*x))/3 - 25*\sin(2*x) - (25*\sin(4*x))/2 + 10*\sin(5*x) - (25*\sin(6*x))/3 + 50*\sin(x) + 1/20
```

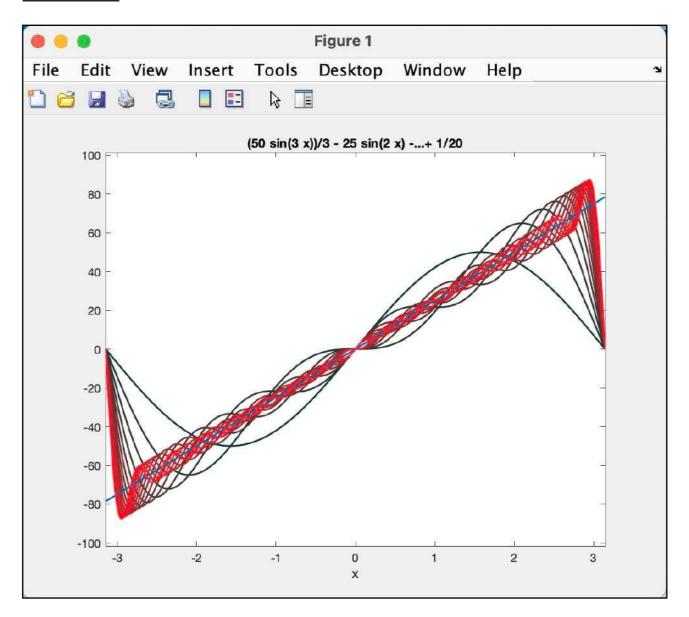
```
Harmonics upto: 8
(50*sin(3*x))/3 - 25*sin(2*x) - (25*sin(4*x))/2 + 10*sin(5*x) - (25*sin(6*x))/3 + (50*sin(7*x))/7 - (25*sin(8*x))/4 + 50*sin(x) + 1/20

Harmonics upto: 9
(50*sin(3*x))/3 - 25*sin(2*x) - (25*sin(4*x))/2 + 10*sin(5*x) - (25*sin(6*x))/3 + (50*sin(7*x))/7 - (25*sin(8*x))/4 + (50*sin(9*x))/9 + 50*sin(x) + 1/20

Harmonics upto: 9
(50*sin(3*x))/3 - 25*sin(2*x) - (25*sin(4*x))/2 + 10*sin(5*x) - (25*sin(6*x))/3 + (50*sin(7*x))/7 - (25*sin(8*x))/4 + (50*sin(9*x))/9 + 50*sin(x) + 1/20

Harmonics upto: 10
(50*sin(3*x))/3 - 25*sin(2*x) - (25*sin(4*x))/2 + 10*sin(5*x) - (25*sin(6*x))/3 + (50*sin(7*x))/7 - (25*sin(8*x))/4 + (50*sin(9*x))/9 - 5*sin(10*x) + 50*x

Harmonics upto: 11
(50*sin(3*x))/3 - 25*sin(2*x) - (25*sin(4*x))/2 + 10*sin(5*x) - (25*sin(6*x))/3 + (50*sin(7*x))/7 - (25*sin(8*x))/4 + (50*sin(9*x))/9 - 5*sin(10*x) + (50*x) + (50*x)
```



Reg no.: 20BCE7315

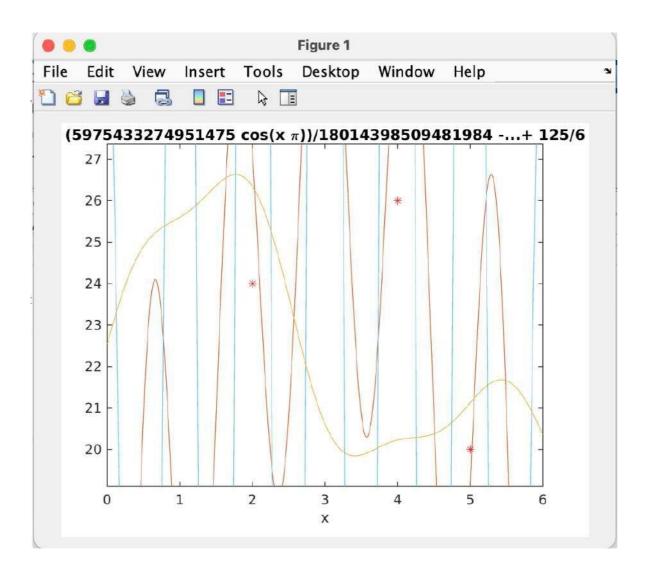
# Lab Assignment MAT1002--Lab 9

## **Question 1:**

#### **INPUT:**

```
🌌 Editor – /Users/sirichinta/Downloads/untitled folder/untitled11.m*
                                                                                 ூ
+15
      untitled11.m* X Assignment8.m X assignment3.m X Lab Assignment 7.m X
1 -
2 -
       syms x l X Y N r a b
3 -
       p=input('enter the period:');
 4 -
       l=p/2;
5 -
       X=input('enter the X-vector:');
       Y=input('enter the Y-vector:');
       N=length(X);
       r=input('enter the number of terms in series:');
8 -
9 -
        a_0=(2/N)*sum(Y);
10 - □ for n=1:r
11 -
        a(n)=(2/N)*sum(Y.*cos(n*pi*X/l));
12 -
        b(n)=(2/N)*sum(Y.*sin(n*pi*X/l));
      end
13 -
14 - □ for n=1:r
        H(n)=a(n)*cos(n*pi*x/l)+b(n)*sin(n*pi*x/l);
15 -
16 -
17 -
        HS=(a_0)/2+sum(H);
18 -
        disp('Harmonic series is given by')
19 -
        disp(HS)
20 -
        plot(X,Y,'*r')
21 -
        hold on
        ezplot(HS,[0,p])
22 -
23
```





Reg no.: 20BCE7315

# Lab Assignment MAT1002--Lab 10

## **Question 1:**

#### **INPUT:**

```
Editor – /Users/sirichinta/Downloads/untitled folder/Lab10.m
      Lab10.m × assignment4.m × untitled4.m × Lab_assignment_5_2.m × untitled.m
       syms y(k) z t
1 -
2 -
       assume(n>=0 & in(n,'integer'))
3 -
       F = y(k+3) + 2*y(k+2) + 3*y(k+1) - y(k) - exp(-k*t)
4 -
       FZT = ztrans(F,k,z)
5 -
       pretty(X)
 6
7 -
       syms yZT
8 -
       FZT = subs(FZT, ztrans(y(k), k, z), yZT)
9 -
       yZT = solve(FZT,yZT)
10 -
       ySol = iztrans(yZT,z,k);
11 -
       ySol = simplify(ySol)
12 -
       ySol = subs(ySol,[y(0) y(1) y(2)],[0,1,0])
13
14 -
       kValues = 1:30;
15 -
       ySolValues = subs(ySol,k,kValues);
16 -
       ySolValues = double(ySolValues);
17 -
       ySolValues = real(ySolValues);
18 -
       stem(kValues,ySolValues)
19 -
       xlabel('(k)')
20 -
       ylabel('y(k)')
21 -
       grid on
```

```
Editor – /Users/sirichinta/Downloads/untitled folder/Lab10.m
       Command Window
                         >> Lab10
                         F =
                         3*y(k + 1) + 2*y(k + 2) + y(k + 3) - exp(-k*t) - y(k)
                         FZT =
                         3*z*ztrans(y(k), k, z) - 3*z*y(0) - 2*z*y(1) - z*y(2) + 2*z^2*ztrans(y(k), k, z) + z^3*ztrans(y(k), k, z) - z/(z) + z^2*ztrans(y(k), k, z) + z^3*ztrans(y(k), k, z) + z^3
                       z ztrans(y(n), n, z) - \frac{z}{z-1} - z y(0) - z y(1) + z ztrans(y(n), n, z) - z y(0) - 2
                                               ztrans(y(n), n, z)
                         FZT =
                         3*yZT*z - 3*z*y(0) - 2*z*y(1) - z*y(2) - yZT - z/(z - exp(-t)) - 2*z^2*y(0) - z^2*y(1) - z^3*y(0) + 2*yZT*z^2 + y
                         (3*z*y(0) + 2*z*y(1) + z*y(2) + z/(z - exp(-t)) + 2*z^2*y(0) + z^2*y(1) + z^3*y(0))/(z^3 + 2*z^2 + 3*z - 1)
                       ySol =
                         (\exp(3*t)*(\exp(-t)^k + \operatorname{symsum}(-(\exp(-3*t)*\operatorname{root}(z3^3 + 2*z3^2 + 3*z3 - 1, z3, l)^k*(y(0) - \exp(3*t) + 3*\exp(2*t)*y)) + (\exp(-3*t)^k + \exp(-3*t)^k + 2*z3^2 + 3*z3 - 1, z3, l)^k*(y(0) - \exp(3*t) + 3*\exp(2*t)*y)) + (\exp(-3*t)^k + 2*z3^2 + 3*z3 - 1, z3, l)^k*(y(0) - \exp(3*t) + 3*\exp(2*t)*y)) + (\exp(-3*t)^k + 2*z3^2 + 3*z3 - 1, z3, l)^k*(y(0) - \exp(3*t) + 3*\exp(2*t)*y)) + (\exp(-3*t)^k + 2*z3^2 + 3*z3 - 1, z3, l)^k*(y(0) - \exp(3*t) + 3*\exp(2*t)*y)) + (\exp(-3*t)^k + 2*z3^2 + 3*z3^2 + 3*
                         ySol =
                         (\exp(3*t)*(\exp(-t)^k + \operatorname{symsum}(-(\exp(-3*t)*\operatorname{root}(z3^3 + 2*z3^2 + 3*z3 - 1, z3, l)^k*\operatorname{root}(z3^3 + 2*z3^2 + 3*z3^2 + 3*z3^2
```

## ySol =

 $(\exp(3^*t)^*(\exp(-t)^k + \operatorname{symsum}(-(\exp(-3^*t)^*\operatorname{root}(z3^3 + 2^*z3^2 + 3^*z3 - 1, z3, 1)^k(^*\exp(2^*t) - 2^*\exp(3^*t) + 3^*\exp(t) + 2) - \operatorname{root}(z3^3 + 2^*z3^2 + 3^*z3 - 1, z3, 1)^k + \exp(-3^*t)^*\operatorname{root}(z3^3 + 2^*z3^2 + 3^*z3 - 1, z3, 1)^k + \exp(-3^*t)^*\operatorname{root}(z3^3 + 2^*z3^2 + 3^*z3 - 1, z3, 1)^k + 2^*\exp(2^*t) - \exp(3^*t) + 2^*\exp(t) + 1))/(2^*\operatorname{root}(z3^3 + 2^*z3^2 + 3^*z3 - 1, z3, 1)^2 + 6^*\operatorname{root}(z3^3 + 2^*z3^2 + 3^*z3 - 1, z3, 1)^2 + 6^*\operatorname{root}(z3^3 + 2^*z3^2 + 3^*z3 - 1, z3, 1)^3) + 2^*\exp(2^*t) - \exp(3^*t) + 2^*\exp(t) + 1)$ 

