Ninja Warrior - Part 1

Approximately many times would you say the 'Salmon Ladder' was used?

Whole Population

```
Control Truncated Logarithmic
        70.0000000 70.0000000 6.700000e+01
N
Min.
        40.0000000 40.0000000 9.000000e+00
1st Qu. 41.0000000 41.0000000 3.000000e+01
Median 41.0000000 41.0000000 3.500000e+01
Mean
        41.2071429 41.3535714 1.492539e+13
3rd Qu. 42.0000000 42.0000000 4.050000e+01
        45.0000000 45.0000000 1.000000e+15
Max.
        0.7427019 0.7527045 1.492537e+28
Var
           Control Truncated Logarithmic
N
        70.000000 70.0000000
                                 47.00000
Min.
        40.0000000 40.0000000
                                 15.00000
1st Qu. 41.0000000 41.0000000
                                 34.00000
Median 41.0000000 41.0000000
                                 35.00000
        41.2071429 41.3535714
Mean
                                 36.27660
3rd Qu. 42.0000000 42.0000000
                                 40.00000
        45.0000000 45.0000000
                                 55.00000
Max.
         0.7427019 0.7527045
Var
                                 74.63922
```

Control - Language comparison

```
Whole PopRPythonN70.000000038.000000032.0000000Min.40.000000040.000000040.00000001st Qu.41.000000041.000000040.0000000Median41.000000041.000000041.0000000Mean41.207142941.486842140.87500003rd Qu.42.000000042.000000041.0000000Max.45.000000043.000000045.0000000
```

Var 0.7427019 0.4119844 0.9516129

Truncated - Language comparison

	Whole Pop	R	Python
N	70.0000000	38.0000000	32.0000000
Min.	40.0000000	40.000000	40.000000
1st Qu.	41.0000000	41.0000000	41.0000000
Median	41.0000000	41.0000000	41.0000000
Mean	41.3535714	41.5657895	41.1015625
3rd Qu.	42.0000000	42.000000	41.2500000
Max.	45.0000000	45.0000000	44.0000000
Var	0.7527045	0.7590683	0.6486265

Logarithmic - Language comparison

	Whole Pop	R	Python
N	47.00000	38.00000	10.00000
Min.	15.00000	30.00000	30.00000
1st Qu.	34.00000	35.00000	35.00000
Median	35.00000	35.00000	35.00000
Mean	36.27660	39.73684	36.70000
3rd Qu.	40.00000	40.00000	38.75000
Max.	55.00000	120.00000	50.00000
Var	74.63922	206.95590	31.12222

Logarithmic - Degree comparison

	STEM	Humanities	Social Sci	Arts	Business	NA
N	28.00000	3.00000	3.000000e+01	2.00	4.0000	1
Min.	10.00000	9.00000	1.000000e+01	33.00	10.0000	NA
1st Qu.	26.25000	21.50000	3.400000e+01	34.75	10.3750	NA
Median	35.00000	34.00000	3.850000e+01	36.50	10.7500	NA
Mean	34.46429	26.33333	3.333337e+13	36.50	16.6250	${\tt NaN}$
3rd Qu.	40.00000	35.00000	5.375000e+01	38.25	17.0000	NA
Max.	120.00000	36.00000	1.000000e+15	40.00	35.0000	NA
NA's	10.00000	9.00000	1.000000e+01	33.00	10.0000	1
Var	422.10979	226.33333	3.333333e+28	24.50	150.2292	NA

Num skills - log

	uni	sp_aware	obs_skl	num_skl	log_1	log_2	log_3	log_4
101	Technology	4	4	3	Don't know	4	2	0.5
121	None	4	3	3	Next to none.	1	1	5
102	Social Sciences	5	5	4	10^15	5	3	0.85

84 psychology 3 5 1 10⁹ 3 2 0.9

Shapiro Tests - Whole

Shapiro-Wilk normality test

data: control_1
W = 0.81359, p-value = 5.596e-08

Shapiro-Wilk normality test

data: truncated_1
W = 0.82679, p-value = 1.327e-07

Shapiro-Wilk normality test

data: logarithmic_1
W = 0.87697, p-value = 0.0001434

Symmetry Tests - Whole

m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)

m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)

m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)

Shapiro Tests - Language comp

```
Shapiro-Wilk normality test
data: control_1_r
W = 0.80497, p-value = 1.322e-05
    Shapiro-Wilk normality test
data: truncated_1_r
W = 0.77542, p-value = 3.428e-06
    Shapiro-Wilk normality test
data: logarithmic_1_r
W = 0.43931, p-value = 6.923e-11
    Shapiro-Wilk normality test
data: control_1_py
W = 0.67942, p-value = 4.341e-07
   Shapiro-Wilk normality test
data: truncated_1_py
W = 0.82735, p-value = 0.0001392
    Shapiro-Wilk normality test
data: logarithmic_1_py
W = 0.82244, p-value = 0.02712
```

symmetry Tests - Language comp

```
m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: control 1 r
Test statistic = 5.875, p-value < 2.2e-16
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: truncated 1 r
Test statistic = 5.713, p-value < 2.2e-16
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 12
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: logarithmic 1 r
Test statistic = 5.3265, p-value < 2.2e-16
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 19
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: control 1 py
Test statistic = -1.3276, p-value = 0.334
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 18
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: truncated 1 py
```

```
Test statistic = 1.2732, p-value = 0.358
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m

16

m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: logarithmic_1_py
Test statistic = 1.7204, p-value = 0.134
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
```

Sign tests - Whole pop

One-sample Sign-Test

```
data: control_1
s = 22, p-value = 0.1214
alternative hypothesis: true median is not equal to 41
95 percent confidence interval:
    41 41
sample estimates:
median of x
    41
```

Achieved and Interpolated Confidence Intervals:

```
Conf.Level L.E.pt U.E.pt
Lower Achieved CI 0.9278 41 41
Interpolated CI 0.9500 41 41
Upper Achieved CI 0.9586 41 41
```

One-sample Sign-Test

```
data: truncated_1
s = 28, p-value = 0.002563
alternative hypothesis: true median is not equal to 41
95 percent confidence interval:
41.00 41.25
```

sample estimates:

median of x

41

Achieved and Interpolated Confidence Intervals:

Conf.Level L.E.pt U.E.pt

Lower Achieved CI 0.9278 41 41.25 Interpolated CI 0.9500 41 41.25 Upper Achieved CI 0.9586 41 41.25

One-sample Sign-Test

data: logarithmic_1

s = 7, p-value = 3.121e-06

alternative hypothesis: true median is not equal to 41

95 percent confidence interval:

35 40

sample estimates:

median of x

35

Achieved and Interpolated Confidence Intervals:

Conf.Level L.E.pt U.E.pt

Lower Achieved CI 0.9211 35 40 Interpolated CI 0.9500 35 40 Upper Achieved CI 0.9600 35 40

Dependent-samples Sign-Test

data: control_1 and truncated_1

S = 14, p-value = 0.1877

alternative hypothesis: true median difference is not equal to 0

95 percent confidence interval:

0 0

sample estimates:

median of x-y

0

Achieved and Interpolated Confidence Intervals:

Conf.Level L.E.pt U.E.pt

Lower Achieved CI	0.9278	0	0
Interpolated CI	0.9500	0	0
Upper Achieved CI	0.9586	0	0

Sign tests - Lang comp

One-sample Sign-Test

data: control_1_r
s = 18, p-value = 7.629e-05
alternative hypothesis: true median is not equal to 41
95 percent confidence interval:
 41 42
sample estimates:
median of x

41

Achieved and Interpolated Confidence Intervals:

	${\tt Conf.Level}$	L.E.pt	U.E.pt
Lower Achieved CI	0.9270	41	42
Interpolated CI	0.9500	41	42
Upper Achieved CI	0.9664	41	42

One-sample Sign-Test

data: truncated_1_r
s = 18, p-value = 0.0004025
alternative hypothesis: true median is not equal to 41
95 percent confidence interval:
 41 42
sample estimates:
median of x
 41

Achieved and Interpolated Confidence Intervals:

	${\tt Conf.Level}$	L.E.pt	U.E.pt
Lower Achieved CI	0.9270	41	42
Interpolated CI	0.9500	41	42
Upper Achieved CI	0.9664	41	42

One-sample Sign-Test

data: truncated_1_r

s = 18, p-value = 0.0002012

alternative hypothesis: true median is greater than 41 95 percent confidence interval:

41 Inf

sample estimates:

median of x

41

Achieved and Interpolated Confidence Intervals:

Conf.Level L.E.pt U.E.pt
Lower Achieved CI 0.9283 41 Inf
Interpolated CI 0.9500 41 Inf
Upper Achieved CI 0.9635 41 Inf

One-sample Sign-Test

data: logarithmic_1_r

s = 5, p-value = 1.291e-05

alternative hypothesis: true median is not equal to 41

95 percent confidence interval:

35 40

sample estimates:

median of x

35

Achieved and Interpolated Confidence Intervals:

Conf.Level L.E.pt U.E.pt
Lower Achieved CI 0.9270 35 40
Interpolated CI 0.9500 35 40
Upper Achieved CI 0.9664 35 40

One-sample Sign-Test

data: control_1_py

s = 4, p-value = 0.1185

alternative hypothesis: true median is not equal to 41

95 percent confidence interval:

40 41

sample estimates:

median of x

41

Achieved and Interpolated Confidence Intervals:

	Conf.Level	L.E.pt	U.E.pt
Lower Achieved CI	0.9499	40	41
Interpolated CI	0.9500	40	41
Upper Achieved CI	0.9799	40	41

Wilcox tests - Py

Wilcoxon signed rank test with continuity correction

data: truncated_1_py

V = 84.5, p-value = 0.7188

alternative hypothesis: true location is not equal to 41

Wilcoxon signed rank test with continuity correction

data: logarithmic_1_py

V = 8.5, p-value = 0.05572

alternative hypothesis: true location is not equal to 41

Wilcox tests - lang comp

Wilcoxon rank sum test with continuity correction

 ${\tt data: control_1_r \ and \ control_1_py}$

W = 908.5, p-value = 0.0001161

alternative hypothesis: true location shift is not equal to 0

Wilcoxon rank sum test with continuity correction

data: truncated 1 r and truncated 1 py

W = 791, p-value = 0.02163

alternative hypothesis: true location shift is not equal to 0

First Plot Comp

```
Control
                           Truncated
                                             Logarithmic
        "25"
                           "23"
                                             "22"
N
Min.
        "40"
                           "40"
                                             "22"
1st Qu. "41"
                           "41"
                                             "character"
Median "41"
                           "41.25"
                                             "character"
Mean
        "41.16"
                           "41.695652173913" "22"
3rd Qu. "41"
                           "42"
                                             "character"
Max.
                           "45"
                                             "character"
Var
        "1.05666666666667" "1.1929347826087" NA
      Log Overall Log First
       "70"
N
Length "70"
                   "22"
Class "character" "character"
Mode
       "character" "character"
Var
      NA
                   NA
   Wilcoxon rank sum test with continuity correction
data: con first 1 and trn first 1
W = 184.5, p-value = 0.02354
alternative hypothesis: true location shift is not equal to 0
   Wilcoxon rank sum test with continuity correction
```

alternative hypothesis: true location shift is not equal to 0

Approximately how much more than 'Log Grip' would you say 'Salmon Ladder' was was used?

Whole pop summary

```
Control Truncated Logarithmic
N 70.000000 70.000000 70.000000
Min. 3.000000 1.000000 1.000000
1st Qu. 4.250000 5.000000 2.250000
Median 5.000000 6.000000 3.500000
Mean 5.357143 5.871429 3.671429
3rd Qu. 6.000000 7.000000 5.000000
```

data: trn first 1 and truncated 1

W = 962.5, p-value = 0.1379

Max. 7.000000 7.000000 7.000000 Var 1.334369 1.997723 2.745549

Shapiro tests

Shapiro-Wilk normality test

data: control_2
W = 0.90456, p-value = 5.895e-05

Shapiro-Wilk normality test

data: truncated_2
W = 0.76579, p-value = 3.263e-09

Shapiro-Wilk normality test

data: logarithmic_2
W = 0.93942, p-value = 0.002105

Symmetry tests

m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006) data: control 2

Test statistic = 3.297, p-value = 0.002

alternative hypothesis: the distribution is asymmetric.

sample estimates:
bootstrap optimal m

m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)

 ${\tt data:} \quad {\tt truncated_2}$

Test statistic = -1.1525, p-value = 0.402

alternative hypothesis: the distribution is asymmetric.

sample estimates:
bootstrap optimal m
17

```
m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
```

data: logarithmic_2
Test statistic = 1 07

Test statistic = 1.071, p-value = 0.43

alternative hypothesis: the distribution is asymmetric.

sample estimates:
bootstrap optimal m

11

Pairwise Sign Tests

Dependent-samples Sign-Test

data: control_2 and truncated_2

S = 7, p-value = 0.0001911

alternative hypothesis: true median difference is not equal to 0

95 percent confidence interval:

-1 0

sample estimates:

median of x-y

0

Achieved and Interpolated Confidence Intervals:

Conf.Level L.E.pt U.E.pt

Lower Achieved CI 0.9278 -1 0
Interpolated CI 0.9500 -1 0
Upper Achieved CI 0.9586 -1 0

Dependent-samples Sign-Test

data: control_2 and logarithmic_2

S = 51, p-value = 2.047e-11

alternative hypothesis: true median difference is not equal to 0

95 percent confidence interval:

1 2

sample estimates:

median of x-y

2

Achieved and Interpolated Confidence Intervals:

Conf.Level L.E.pt U.E.pt

16APPROXIMATELY MANY TIMES WOULD YOU SAY THE 'SALMON LADDER' WAS USED?

Lower Achieved CI	0.9278	1	2
Interpolated CI	0.9500	1	2
Upper Achieved CI	0.9586	1	2

Wilcoxon rank sum test with continuity correction

data: logarithmic_2 and truncated_2

W = 751.5, p-value = 6.669e-13

alternative hypothesis: true location shift is not equal to ${\tt 0}$

Dependent-samples Sign-Test

data: truncated_2 and control_2

S = 30, p-value = 9.554e-05

alternative hypothesis: true median difference is greater than ${\tt 0}$

95 percent confidence interval:

0 Inf

sample estimates:

median of x-y

C

Achieved and Interpolated Confidence Intervals:

Conf.Level L.E.pt U.E.pt

Lower Achieved CI 0.9402 0 Inf Interpolated CI 0.9500 0 Inf Upper Achieved CI 0.9639 0 Inf

Dependent-samples Sign-Test

data: logarithmic_2 and control_2

S = 4, p-value = 1.024e-11

alternative hypothesis: true median difference is less than 0

95 percent confidence interval:

-Inf -1

sample estimates:

median of x-y

-2

Achieved and Interpolated Confidence Intervals:

Conf.Level L.E.pt U.E.pt

Lower Achieved CI	0.9402	-Inf	-1
Interpolated CI	0.9500	-Inf	-1
Upper Achieved CI	0.9639	-Inf	-1

Control - Lang comp

```
Whole Pop R Python
N 70.0000000 38.0000000 32.0000000
Min. 40.0000000 40.0000000 40.0000000
1st Qu. 41.0000000 41.0000000 41.0000000
Median 41.0000000 41.4868421 40.8750000
3rd Qu. 42.0000000 42.0000000 41.0000000
Max. 45.0000000 43.0000000 45.0000000
Var 0.7427019 0.4119844 0.9516129
```

Wilcoxon rank sum test with continuity correction

```
data: control_2_r and control_2_py
```

W = 709.5, p-value = 0.2199

alternative hypothesis: true location shift is not equal to 0

Truncated - Lang comp

```
Whole PopRPythonN70.00000038.00000032.000000Min.1.0000001.0000001.0000001st Qu.5.0000005.750000Median6.0000006.0000006.000000Mean5.8714295.8947375.8437503rd Qu.7.0000007.0000007.000000Max.7.0000007.0000007.000000Var1.9977231.7724042.329637
```

Wilcoxon rank sum test with continuity correction

```
data: control_2_r and control_2_py
```

W = 709.5, p-value = 0.2199

alternative hypothesis: true location shift is not equal to 0

Wilcoxon rank sum test with continuity correction

```
data: truncated_2_r and truncated_2_py
W = 598.5, p-value = 0.9105
```

alternative hypothesis: true location shift is not equal to 0

Logarithmic - Lang comp

	Whole Pop	R	Python
N	70.000000	38.000000	32.000000
Min.	1.000000	1.000000	1.000000
1st Qu.	2.250000	3.000000	2.000000
Median	3.500000	5.000000	3.000000
Mean	3.671429	4.263158	2.968750
3rd Qu.	5.000000	5.750000	4.000000
Max.	7.000000	7.000000	7.000000
Var	2.745549	2.523471	2.160282

Wilcoxon rank sum test with continuity correction

data: logarithmic_2_r and logarithmic_2_py

W = 884, p-value = 0.0009649

alternative hypothesis: true location shift is not equal to 0

First Plot Comp

	Control	Truncated	Logarithmic
N	25.00	23.000000	22.000000
Min.	4.00	1.000000	1.000000
1st Qu.	5.00	5.000000	3.000000
Median	6.00	6.000000	5.000000
Mean	5.56	5.565217	4.136364
3rd Qu.	7.00	7.000000	5.750000
Max.	7.00	7.000000	6.000000
Var	1.34	2.166008	3.075758

Wilcoxon rank sum test with continuity correction

 ${\tt data: con_first_2 \ and \ trn_first_2}$

W = 271.5, p-value = 0.7411

alternative hypothesis: true location shift is not equal to 0

Wilcoxon rank sum test with continuity correction

```
data: con_first_2 and log_first_2
W = 400, p-value = 0.00669
alternative hypothesis: true location shift is not equal to 0
Wilcoxon rank sum test with continuity correction
data: log_first_2 and trn_first_2
W = 129.5, p-value = 0.004323
alternative hypothesis: true location shift is not equal to 0
Wilcoxon rank sum test with continuity correction
data: trn_first_2 and truncated_2
```

alternative hypothesis: true location shift is not equal to 0

Approximately how much more than 'Quintuple Steps' would you say 'Salmon Ladder' was used?

Whole Population

W = 684.5, p-value = 0.2614

```
Control Truncated Logarithmic
N 70.000000 70.000000 70.000000
Min. 1.000000 2.000000 1.000000
1st Qu. 2.000000 3.000000 1.000000
Median 3.000000 4.000000 2.000000
Mean 3.128571 3.771429 2.228571
3rd Qu. 4.000000 4.750000 3.000000
Max. 7.000000 7.000000 6.000000
Var 1.157143 1.309317 1.599172
```

Shapiro tests

```
Shapiro-Wilk normality test

data: control_3
W = 0.86962, p-value = 2.966e-06

Shapiro-Wilk normality test
```

```
data: truncated 3
W = 0.92078, p-value = 0.0002851
    Shapiro-Wilk normality test
data: logarithmic_3
W = 0.84623, p-value = 5.102e-07
Symmetry tests
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: control_3
Test statistic = 1.5593, p-value = 0.196
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 15
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: truncated_3
Test statistic = -2.2802, p-value = 0.06
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 19
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: logarithmic_3
Test statistic = 2.142, p-value = 0.11
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
```

Pairwise Tests

Dependent-samples Sign-Test

11

Achieved and Interpolated Confidence Intervals:

	Conf.Level	L.E.pt	U.E.pt
Lower Achieved CI	0.9402	0	Inf
Interpolated CI	0.9500	0	Inf
Upper Achieved CI	0.9639	0	Inf

Wilcoxon rank sum test with continuity correction

data: logarithmic_3 and control_3
W = 1357.5, p-value = 1.317e-06
alternative hypothesis: true location shift is less than 0

Dependent-samples Sign-Test

Achieved and Interpolated Confidence Intervals:

	Conf.Level	L.E.pt	U.E.pt
Lower Achieved CI	0.9278	-2	-1
Interpolated CI	0.9500	-2	-1
Upper Achieved CI	0.9586	-2	-1

Control - Lang comp

```
Whole Pop R Python
N 70.000000 38.000000 32.0000000
Min. 1.000000 2.000000 1.0000000
1st Qu. 2.000000 2.250000 2.0000000
Median 3.000000 3.000000 3.0000000
Mean 3.128571 3.342105 2.8750000
3rd Qu. 4.000000 4.000000 3.0000000
Max. 7.000000 7.000000 5.00000000
Var 1.157143 1.474395 0.6935484
```

Wilcoxon rank sum test with continuity correction

```
data: control_3_r and control_3_py
W = 725, p-value = 0.1465
alternative hypothesis: true location shift is not equal to 0
```

Truncated - Lang comp

```
Whole PopRPythonN70.00000038.00000032.000000Min.2.0000002.0000002.0000001st Qu.3.0000003.0000003.000000Median4.0000004.0000004.000000Mean3.7714293.7631583.7812503rd Qu.4.7500004.7500004.250000Max.7.0000006.0000007.000000Var1.3093171.3748221.273185
```

Wilcoxon rank sum test with continuity correction

```
data: truncated_3_r and truncated_3_py
W = 604.5, p-value = 0.9708
alternative hypothesis: true location shift is not equal to 0
```

Logarithmic - Lang comp

```
Whole PopRPythonN70.00000038.00000032.000000Min.1.0000001.0000001.0000001st Qu.1.0000001.0000001.000000Median2.0000002.0000002.000000Mean2.2285712.5000001.906250
```

APPROXIMATELY HOW MUCH MORE THAN 'QUINTUPLE STEPS' WOULD YOU SAY 'SALMON I

```
3rd Qu.3.0000003.0000002.250000Max.6.0000006.0000005.000000Var1.5991721.9324321.055444
```

Wilcoxon rank sum test with continuity correction

```
data: logarithmic_3_r and logarithmic_3_py
W = 754, p-value = 0.07378
alternative hypothesis: true location shift is not equal to 0
```

Wilcoxon rank sum test with continuity correction

```
data: logarithmic_3_r and logarithmic_3_py
W = 754, p-value = 0.03689
alternative hypothesis: true location shift is greater than 0
```

First Plot Comp

	${\tt Control}$	Truncated	Logarithmic
N	25.00	23.0000000	22.000000
Min.	2.00	2.0000000	1.000000
1st Qu.	2.00	3.0000000	1.250000
Median	3.00	3.0000000	2.500000
Mean	3.08	3.4782609	2.681818
3rd Qu.	4.00	4.0000000	4.000000
Max.	7.00	5.0000000	6.000000
Var	1.41	0.9881423	2.132035

Wilcoxon rank sum test with continuity correction

```
data: trn_first_3 and truncated_3
W = 695.5, p-value = 0.3145
alternative hypothesis: true location shift is not equal to 0
```

Wilcoxon rank sum test with continuity correction

```
data: log_first_3 and logarithmic_3
W = 909, p-value = 0.1889
alternative hypothesis: true location shift is not equal to 0
```

Differences in means for Q2 and Q3

All

```
Control Truncated Logarithmic Control 0.0000000 -0.5142857 1.685714 Truncated 0.5142857 0.0000000 2.200000 Logarithmic -1.6857143 -2.2000000 0.0000000
```

Shapiro-Wilk normality test

Shapiro tests

```
data: control 2
W = 0.90456, p-value = 5.895e-05
    Shapiro-Wilk normality test
data: truncated 2
W = 0.76579, p-value = 3.263e-09
    Shapiro-Wilk normality test
data: logarithmic 2
W = 0.93942, p-value = 0.002105
Symmetry tests
    m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: control_2
Test statistic = 3.297, p-value = 0.002
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 24
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: truncated_2
Test statistic = -1.1525, p-value = 0.316
```

```
alternative hypothesis: the distribution is asymmetric. sample estimates: bootstrap optimal m $27$
```

m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)

Pairwise Sign Tests

Dependent-samples Sign-Test

Achieved and Interpolated Confidence Intervals:

Dependent-samples Sign-Test

```
data: control_2 and logarithmic_2
S = 51, p-value = 2.047e-11
alternative hypothesis: true median difference is not equal to 0
95 percent confidence interval:
    1 2
sample estimates:
```

```
median of x-y 2
```

Achieved and Interpolated Confidence Intervals:

	Conf.Level	L.E.pt	U.E.pt
Lower Achieved CI	0.9278	1	2
Interpolated CI	0.9500	1	2
Upper Achieved CI	0.9586	1	2

Dependent-samples Sign-Test

data: logarithmic_2 and truncated_2

S = 5, p-value = 3.066e-12

alternative hypothesis: true median difference is not equal to $\ensuremath{\text{0}}$

95 percent confidence interval:

-3 -1

sample estimates:

median of x-y

-2

Achieved and Interpolated Confidence Intervals:

Pairwise Wilcox Tests

Wilcoxon rank sum test with continuity correction

data: control_2 and truncated_2
W = 1732.5, p-value = 0.002002

alternative hypothesis: true location shift is not equal to 0

Wilcoxon rank sum test with continuity correction

data: control_2 and logarithmic_2
W = 3828.5, p-value = 5.303e-09

alternative hypothesis: true location shift is not equal to 0

Wilcoxon rank sum test with continuity correction

Compare Q2 and Q3

Shapiro tests

```
Shapiro-Wilk normality test

data: control_3_py
W = 0.87891, p-value = 0.001877

Shapiro-Wilk normality test

data: truncated_3_py
W = 0.90666, p-value = 0.009193

Shapiro-Wilk normality test

data: logarithmic_3_py
W = 0.80872, p-value = 5.969e-05
```

Symmetry tests

```
m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)

data: control_3_py

Test statistic = -1.3276, p-value = 0.2

alternative hypothesis: the distribution is asymmetric.

sample estimates:

bootstrap optimal m

16
```

Pairwise Sign Tests

Dependent-samples Sign-Test

20

```
data: control_3_py and truncated_3_py
S = 2, p-value = 0.0001211
alternative hypothesis: true median difference is not equal to 0
95 percent confidence interval:
-1 0
sample estimates:
median of x-y
-1
```

Achieved and Interpolated Confidence Intervals:

Dependent-samples Sign-Test

data: control_3_py and logarithmic_3_py

Achieved and Interpolated Confidence Intervals:

Dependent-samples Sign-Test

data: logarithmic_3_py and truncated_3_py
S = 1, p-value = 8.047e-07
alternative hypothesis: true median difference is not equal to 0
95 percent confidence interval:
 -3 -1
sample estimates:
median of x-y
 -2

Achieved and Interpolated Confidence Intervals:

Pairwise Wilcox Tests

Wilcoxon rank sum test with continuity correction

data: control_3_py and truncated_3_py W = 274, p-value = 0.0008548

alternative hypothesis: true location shift is not equal to 0

Wilcoxon rank sum test with continuity correction

0.0000000 -0.3947368 1.236842

0.3947368 0.0000000 1.631579

Logarithmic -1.2368421 -1.6315789 0.000000

Shapiro tests

Control

Truncated

```
Shapiro-Wilk normality test

data: control_2_r
W = 0.90334, p-value = 0.003172

Shapiro-Wilk normality test

data: truncated_2_r
W = 0.78345, p-value = 4.896e-06

Shapiro-Wilk normality test

data: logarithmic_2_r
W = 0.92234, p-value = 0.01159
```

Symmetry tests

```
m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006) data: control_2_r
```

```
Test statistic = -3.5341, p-value = 0.012
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 15
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: truncated_2_r
Test statistic = -0.72335, p-value = 0.486
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 38
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: logarithmic_2_r
Test statistic = -3.6457, p-value < 2.2e-16
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 15
```

Pairwise Sign Tests

Dependent-samples Sign-Test

Achieved and Interpolated Confidence Intervals:

```
Upper Achieved CI
                  0.9664
                            -1
                                   0
```

```
Dependent-samples Sign-Test
```

data: control_2_r and logarithmic_2_r S = 25, p-value = 0.0001037 alternative hypothesis: true median difference is not equal to 095 percent confidence interval: 0.4174619 2.0000000 sample estimates:

median of x-y

Achieved and Interpolated Confidence Intervals:

Conf.Level L.E.pt U.E.pt Lower Achieved CI 0.9270 1.0000 Interpolated CI 0.9500 0.4175 Upper Achieved CI 0.9664 0.0000 2

Dependent-samples Sign-Test

```
data: logarithmic_2_r and truncated_2_r
S = 2, p-value = 2.463e-07
alternative hypothesis: true median difference is not equal to {\tt 0}
95 percent confidence interval:
-2 -1
sample estimates:
median of x-y
         -1.5
```

Achieved and Interpolated Confidence Intervals:

	Conf.Level	L.E.pt	U.E.pt
Lower Achieved CI	0.9270	-2	-1
Interpolated CI	0.9500	-2	-1
Upper Achieved CI	0.9664	-2	-1

Control Truncated Logarithmic Control Truncated 0.4210526 0.0000000 1.2631579 Logarithmic -0.8421053 -1.2631579 0.0000000

Shapiro tests

```
Shapiro-Wilk normality test
data: control 3 r
W = 0.86888, p-value = 0.000377
    Shapiro-Wilk normality test
data: truncated_3_r
W = 0.91674, p-value = 0.007836
    Shapiro-Wilk normality test
data: logarithmic 3 r
W = 0.88157, p-value = 0.0008004
Symmetry tests
    m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: control_3_r
Test statistic = 2.5646, p-value = 0.018
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 12
    m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: truncated 3 r
Test statistic = -1.674, p-value = 0.182
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 19
    m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: logarithmic 3 r
```

```
Test statistic = 3.0169, p-value = 0.056
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
17
```

Pairwise Wilcox Tests

Wilcoxon rank sum test with continuity correction

data: control_3_r and truncated_3_r
W = 560.5, p-value = 0.08416
alternative hypothesis: true location shift is not equal to 0

Wilcoxon rank sum test with continuity correction

data: control_3_r and logarithmic_3_r
W = 991.5, p-value = 0.004125
alternative hypothesis: true location shift is not equal to 0

Wilcoxon rank sum test with continuity correction

data: logarithmic_3_r and truncated_3_r
W = 351, p-value = 8.635e-05
alternative hypothesis: true location shift is not equal to 0

$\mathbf{P}\mathbf{y}$

Shapiro tests

Shapiro-Wilk normality test

data: control_2_py
W = 0.88651, p-value = 0.002858

20

Shapiro-Wilk normality test data: truncated_2_py W = 0.75295, p-value = 5.976e-06 Shapiro-Wilk normality test data: logarithmic 2 py W = 0.92098, p-value = 0.02211 Symmetry tests m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006) data: control 2 py Test statistic = 1.1948, p-value = 0.264 alternative hypothesis: the distribution is asymmetric. sample estimates: bootstrap optimal m m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006) data: truncated_2_py Test statistic = -0.90517, p-value = 0.466alternative hypothesis: the distribution is asymmetric. sample estimates: bootstrap optimal m 20 m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006) data: logarithmic_2_py Test statistic = -0.17069, p-value = 0.84alternative hypothesis: the distribution is asymmetric. sample estimates: bootstrap optimal m

Pairwise Sign Tests

```
Dependent-samples Sign-Test
```

Achieved and Interpolated Confidence Intervals:

Dependent-samples Sign-Test

data: control_2_py and logarithmic_2_py
S = 26, p-value = 2.98e-08
alternative hypothesis: true median difference is not equal to 0
95 percent confidence interval:
 1 3
sample estimates:
median of x-y
 2

Achieved and Interpolated Confidence Intervals:

Conf.Level L.E.pt U.E.pt
Lower Achieved CI 0.9499 1 3
Interpolated CI 0.9500 1 3
Upper Achieved CI 0.9799 1 3

Dependent-samples Sign-Test

data: logarithmic_2_py and truncated_2_py
S = 3, p-value = 8.43e-06

alternative hypothesis: true median difference is not equal to 0 95 percent confidence interval: -4 -2 sample estimates: median of x-y

Achieved and Interpolated Confidence Intervals:

Pairwise Wilcox Test

-3

Wilcoxon rank sum test with continuity correction

data: logarithmic_2_py and truncated_2_py
W = 105, p-value = 3.168e-08
alternative hypothesis: true location shift is not equal to 0

Pairwise T-Test

Welch Two Sample t-test

```
data: logarithmic_2_py and truncated_2_py
t = -7.6753, df = 61.912, p-value = 1.461e-10
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
    -3.623795 -2.126205
sample estimates:
mean of x mean of y
    2.96875    5.84375
```

$\mathbf{Q3}$

```
Control Truncated Logarithmic Control 0.00000 -0.90625 0.96875 Truncated 0.90625 0.00000 1.87500 Logarithmic -0.96875 -1.87500 0.00000
```

Shapiro tests

```
Shapiro-Wilk normality test
data: control 3 py
W = 0.87891, p-value = 0.001877
    Shapiro-Wilk normality test
data: truncated_3_py
W = 0.90666, p-value = 0.009193
    Shapiro-Wilk normality test
data: logarithmic 3 py
W = 0.80872, p-value = 5.969e-05
Symmetry tests
    m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: control_3_py
Test statistic = -1.3276, p-value = 0.244
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 22
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: truncated_3_py
Test statistic = -1.5488, p-value = 0.14
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 20
    m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: logarithmic 3 py
```

```
Test statistic = -0.7169, p-value = 0.512 alternative hypothesis: the distribution is asymmetric. sample estimates: bootstrap optimal m
```

Pairwise Sign Tests

Dependent-samples Sign-Test

```
data: control_3_py and truncated_3_py
S = 2, p-value = 0.0001211
alternative hypothesis: true median difference is not equal to 0
95 percent confidence interval:
-1 0
sample estimates:
median of x-y
-1
```

Achieved and Interpolated Confidence Intervals:

Dependent-samples Sign-Test

Achieved and Interpolated Confidence Intervals:

	Conf.Level	L.E.pt	U.E.pt
Lower Achieved CI	0.9499	0	2
Interpolated CI	0.9500	0	2
Upper Achieved CI	0.9799	0	2

Dependent-samples Sign-Test

```
data: logarithmic_3_py and truncated_3_py
S = 1, p-value = 8.047e-07
alternative hypothesis: true median difference is not equal to 0
95 percent confidence interval:
   -3 -1
sample estimates:
median of x-y
   -2
```

Achieved and Interpolated Confidence Intervals:

```
Conf.Level L.E.pt U.E.pt
Lower Achieved CI 0.9499 -3 -1
Interpolated CI 0.9500 -3 -1
Upper Achieved CI 0.9799 -3 -1
```

Ninja Warrior - Part 2

###How large would you say the difference between 'Jumping spider' and 'Salmon Ladder' is?

	Default	Narrow	Wide
N	70.0000000	70.0000000	70.000000
Min.	4.0000000	3.0000000	2.000000
1st Qu.	5.0000000	6.0000000	5.000000
Median	6.0000000	6.0000000	6.000000
Mean	5.9142857	6.1285714	5.357143
3rd Qu.	7.0000000	7.0000000	6.000000
Max.	7.000000	7.0000000	7.000000
Var	0.7751553	0.8672878	1.363354

Shapiro tests

```
Shapiro-Wilk normality test
```

```
data: default_1
W = 0.85456, p-value = 9.371e-07
```

Shapiro-Wilk normality test

```
data: narrow 1
W = 0.79448, p-value = 1.709e-08
    Shapiro-Wilk normality test
data: wide 1
W = 0.89767, p-value = 3.141e-05
Symmetry tests
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: default_1
Test statistic = -1.2049, p-value = 0.304
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 70
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: narrow_1
Test statistic = 1.692, p-value = 0.166
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 31
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: wide_1
Test statistic = -6.1171, p-value < 2.2e-16
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 17
```

Pairwise Sign Tests

Dependent-samples Sign-Test

```
data: default_1 and narrow_1
S = 8, p-value = 0.01612
alternative hypothesis: true median difference is not equal to 0
95 percent confidence interval:
    0 0
sample estimates:
median of x-y
    0
```

	Conf.Level	L.E.pt	U.E.pt
Lower Achieved CI	0.9278	0	0
Interpolated CI	0.9500	0	0
Upper Achieved CI	0.9586	0	0

Dependent-samples Sign-Test

Achieved and Interpolated Confidence Intervals:

Dependent-samples Sign-Test

```
data: wide_1 and narrow_1
S = 4, p-value = 1.705e-08
alternative hypothesis: true median difference is not equal to 0
95 percent confidence interval:
   -1 0
sample estimates:
```

```
median of x-y
-1
```

	Conf.Level	L.E.pt	U.E.pt
Lower Achieved CI	0.9278	-1	0
Interpolated CI	0.9500	-1	0
Upper Achieved CI	0.9586	-1	0

Lang comp - Default

	Whole Pop	R	Python
N	70.000000	38.0000000	32.0000000
Min.	4.0000000	5.0000000	4.0000000
1st Qu.	5.0000000	6.0000000	5.0000000
Median	6.0000000	6.0000000	6.0000000
Mean	5.9142857	6.0789474	5.7187500
3rd Qu.	7.0000000	7.0000000	6.0000000
Max.	7.0000000	7.000000	7.0000000
Var	0.7751553	0.5611664	0.9828629

Lang comp - Narrow

	Whole Pop	R	Python
N	70.0000000	38.000000	32.000000
Min.	3.0000000	5.000000	3.000000
1st Qu.	6.0000000	6.000000	5.000000
Median	6.0000000	6.000000	6.000000
Mean	6.1285714	6.368421	5.843750
3rd Qu.	7.0000000	7.000000	7.000000
Max.	7.0000000	7.000000	7.000000
Var	0.8672878	0.455192	1.232863

Lang comp - Wide

	Whole Pop	R	Python
N	70.000000	38.0000000	32.000000
Min.	2.000000	3.0000000	2.000000
1st Qu.	5.000000	5.0000000	4.000000
Median	6.000000	6.0000000	5.000000
Mean	5.357143	5.7105263	4.937500
3rd Qu.	6.000000	6.0000000	6.000000
Max.	7.000000	7.0000000	7.000000
Var	1.363354	0.8598862	1.673387

Shapiro tests

```
Shapiro-Wilk normality test
data: default 1 r
W = 0.80887, p-value = 1.593e-05
    Shapiro-Wilk normality test
data: narrow_1_r
W = 0.76209, p-value = 1.927e-06
    Shapiro-Wilk normality test
data: wide 1 r
W = 0.84858, p-value = 0.0001207
Symmetry tests
    m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: default_1_r
Test statistic = 0.93002, p-value = 0.408
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 19
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: narrow_1_r
Test statistic = 4.1428, p-value < 2.2e-16
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 12
    m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: wide 1 r
```

```
Test statistic = -3.1136, p-value = 0.022 alternative hypothesis: the distribution is asymmetric. sample estimates: bootstrap optimal m

19
```

Pairwise Sign Tests

Dependent-samples Sign-Test

```
data: default_1_r and narrow_1_r
S = 1, p-value = 0.006348
alternative hypothesis: true median difference is not equal to 0
95 percent confidence interval:
    0 0
sample estimates:
median of x-y
    0
```

Achieved and Interpolated Confidence Intervals:

Dependent-samples Sign-Test

Achieved and Interpolated Confidence Intervals:

```
Conf.Level L.E.pt U.E.pt
Lower Achieved CI 0.9270 0 0.0000
Interpolated CI 0.9500 0 0.5825
Upper Achieved CI 0.9664 0 1.0000
```

```
Dependent-samples Sign-Test
```

	Conf.Level	L.E.pt	U.E.pt
Lower Achieved CI	0.9270	-1	0
Interpolated CI	0.9500	-1	0
${\tt Upper\ Achieved\ CI}$	0.9664	-1	0

Shapiro tests

```
Shapiro-Wilk normality test
data: default_1_py
W = 0.85878, p-value = 0.0006465
```

data: narrow_1_py
W = 0.84044, p-value = 0.0002593

Shapiro-Wilk normality test

Shapiro-Wilk normality test

data: wide_1_py
W = 0.93019, p-value = 0.03965

Symmetry tests

```
m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: default_1_py
```

```
Test statistic = -2.3377, p-value = 0.038 alternative hypothesis: the distribution is asymmetric. sample estimates: bootstrap optimal m

16
```

m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)

m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)

```
Default
                                  Wide
                      Narrow
N
       25.0000000 22.0000000 23.0000000
        3.0000000 5.0000000 3.0000000
Min.
1st Qu. 5.0000000 5.2500000 5.0000000
Median 5.0000000 6.0000000 5.0000000
Mean
        5.2173913 6.0454545 5.2173913
3rd Qu. 6.0000000 7.0000000 6.0000000
Max.
        7.0000000 7.0000000 7.0000000
Var
        0.8766667 0.6168831 0.9960474
```

##How large would you say the difference between 'Log Grip' and 'Floating Steps' is?

```
DefaultNarrowWideN70.00000070.00000070.000000Min.2.0000001.0000001.0000001st Qu.2.0000002.0000002.000000Median3.0000003.0000003.05714293rd Qu.4.0000004.0000004.000000
```

Max. 7.000000 7.000000 5.0000000 Var 1.301035 1.214286 0.8662526

Shapiro tests

Shapiro-Wilk normality test

data: default_2
W = 0.82288, p-value = 1.023e-07

Shapiro-Wilk normality test

data: narrow_2
W = 0.89138, p-value = 1.801e-05

Shapiro-Wilk normality test

data: wide_2
W = 0.88477, p-value = 1.022e-05

Symmetry tests

m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)

data: default_2
Test statistic = 0.60937, p-value = 0.644

alternative hypothesis: the distribution is asymmetric.

sample estimates:
bootstrap optimal m
17

m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)

data: narrow_2

Test statistic = 2.4098, p-value = 0.046

alternative hypothesis: the distribution is asymmetric.

sample estimates:
bootstrap optimal m
11

m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)

data: wide_2

Test statistic = 0.73632, p-value = 0.514

alternative hypothesis: the distribution is asymmetric.

sample estimates:
bootstrap optimal m

15

Pairwise Sign Tests

Dependent-samples Sign-Test

data: default_2 and narrow_2

S = 14, p-value = 0.243

alternative hypothesis: true median difference is not equal to $\ensuremath{\text{0}}$

95 percent confidence interval:

0 0

sample estimates:

median of x-y

0

Achieved and Interpolated Confidence Intervals:

Conf.Level L.E.pt U.E.pt

 Lower Achieved CI
 0.9278
 0
 0

 Interpolated CI
 0.9500
 0
 0

 Upper Achieved CI
 0.9586
 0
 0

Dependent-samples Sign-Test

data: default 2 and wide 2

S = 16, p-value = 0.4177

alternative hypothesis: true median difference is not equal to 0

95 percent confidence interval:

0 0

sample estimates:

median of x-y

0

Achieved and Interpolated Confidence Intervals:

Conf.Level L.E.pt U.E.pt

```
      Lower Achieved CI
      0.9278
      0
      0

      Interpolated CI
      0.9500
      0
      0

      Upper Achieved CI
      0.9586
      0
      0
```

Dependent-samples Sign-Test

```
data: wide_2 and narrow_2
S = 17, p-value = 0.7428
alternative hypothesis: true median difference is not equal to 0
95 percent confidence interval:
    0 0
sample estimates:
median of x-y
    0
```

Achieved and Interpolated Confidence Intervals:

	Conf.Level	L.E.pt	U.E.pt
Lower Achieved Cl	0.9278	0	0
Interpolated CI	0.9500	0	0
Upper Achieved Cl	0.9586	0	0

Pairwise Wilcox Tests

Wilcoxon rank sum test with continuity correction

```
data: default_2 and wide_2
W = 2319.5, p-value = 0.5688
alternative hypothesis: true location shift is not equal to 0
```

	Whole Pop	R	Python
N	70.000000	38.000000	32.00000
Min.	2.000000	2.000000	2.00000
1st Qu.	2.000000	2.000000	2.00000
Median	3.000000	3.000000	3.00000
Mean	3.057143	3.026316	3.09375
3rd Qu.	4.000000	3.750000	4.00000
Max.	7.000000	6.000000	7.00000
Var	1.301035	1.215505	1.44254

Shapiro tests

Shapiro-Wilk normality test data: default_2_r W = 0.82519, p-value = 3.556e-05 Shapiro-Wilk normality test data: narrow 2 r W = 0.88751, p-value = 0.001153 Shapiro-Wilk normality test data: wide_2_r W = 0.85259, p-value = 0.0001502 Symmetry tests m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006) data: default_2_r Test statistic = 0.21, p-value = 0.792 alternative hypothesis: the distribution is asymmetric. sample estimates: bootstrap optimal m 21 m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006) data: narrow 2 r Test statistic = 2.3101, p-value = 0.022 alternative hypothesis: the distribution is asymmetric. sample estimates: bootstrap optimal m 12 m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006) data: wide_2_r Test statistic = 0.67346, p-value = 0.574alternative hypothesis: the distribution is asymmetric.

```
sample estimates:
bootstrap optimal m
19
```

Pairwise Wilcox Tests

```
Wilcoxon rank sum test with continuity correction

data: default_2_r and narrow_2_r
W = 607, p-value = 0.2138
alternative hypothesis: true location shift is not equal to 0

Wilcoxon rank sum test with continuity correction

data: narrow_2_r and wide_2_r
W = 796, p-value = 0.4254
alternative hypothesis: true location shift is not equal to 0

Wilcoxon rank sum test with continuity correction

data: wide_2_r and default_2_r
W = 765.5, p-value = 0.6389
alternative hypothesis: true location shift is not equal to 0
```

Shapiro tests

```
Shapiro-Wilk normality test

data: default_2_py
W = 0.81676, p-value = 8.555e-05

Shapiro-Wilk normality test

data: narrow_2_py
W = 0.86709, p-value = 0.0009957

Shapiro-Wilk normality test

data: wide_2_py
W = 0.88958, p-value = 0.003397
```

Symmetry tests

```
m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: default_2_py
Test statistic = 0.66379, p-value = 0.548
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 14
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: narrow 2 py
Test statistic = 0.99569, p-value = 0.392
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 18
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: wide 2 py
Test statistic = 0.31443, p-value = 0.81
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 18
Pairwise Sign Tests
    Dependent-samples Sign-Test
data: default 2 py and narrow 2 py
S = 8, p-value = 0.8145
alternative hypothesis: true median difference is not equal to 0
95 percent confidence interval:
-0.00341068 0.00000000
sample estimates:
median of x-y
            0
```

	Conf.Level	L.E.pt	U.E.pt
Lower Achieved CI	0.9499	0.0000	0
Interpolated CI	0.9500	-0.0034	0
Upper Achieved CI	0.9799	-1.0000	0

Dependent-samples Sign-Test

Achieved and Interpolated Confidence Intervals:

	Conf.Level	L.E.pt	U.E.pt
Lower Achieved CI	0.9499	0	0
Interpolated CI	0.9500	0	0
Upper Achieved CI	0.9799	0	0

Dependent-samples Sign-Test

Achieved and Interpolated Confidence Intervals:

		Conf.Level	L.E.pt	U.E.pt
Lower	Achieved CI	0.9499	0	0.0000
Interp	oolated CI	0.9500	0	0.0034
Upper	Achieved CI	0.9799	0	1.0000

Pairwise Wilcox Tests

Wilcoxon rank sum test with continuity correction

data: default_2_py and wide_2_py
W = 490, p-value = 0.76

alternative hypothesis: true location shift is not equal to 0

	Default	Narrow	Wide
N	23.0000000	22.0000000	23.0000000
Min.	2.0000000	2.0000000	2.0000000
1st Qu.	3.0000000	2.0000000	3.0000000
Median	3.0000000	3.0000000	3.0000000
Mean	3.3043478	3.0000000	3.3043478
3rd Qu.	4.0000000	3.0000000	4.0000000
Max.	5.0000000	5.0000000	5.0000000
Var	0.8577075	0.8571429	0.8577075

Differences in means for Q1 and Q2

All

	Default	Narrow	7 Wide
Default	0.0000000	-0.2142857	0.5571429
Narrow	0.2142857	0.0000000	0.7714286
Wide	-0.5571429	-0.7714286	0.0000000
	Default	Narrow	Wide
Default	0.0000000	-0.1571429	0.0000000
Narrow	0.1571429	0.0000000	0.1571429
Wide	0.0000000	-0.1571429	0.0000000

\mathbf{R}

	Default	Narrow	Wide
${\tt Default}$	0.0000000	-0.2894737	0.3684211
Narrow	0.2894737	0.0000000	0.6578947
Wide	-0.3684211	-0.6578947	0.0000000
	Default	Narrow	Wide
Default			Wide -0.05263158
Default Narrow		-0.2631579	

$\mathbf{P}\mathbf{y}$

```
Default Narrow Wide
Default 0.00000 -0.12500 0.78125
Narrow 0.12500 0.00000 0.90625
Wide -0.78125 -0.90625 0.00000

Default Narrow Wide
Default 0.00000 -0.03125 0.06250
Narrow 0.03125 0.00000 0.09375
Wide -0.06250 -0.09375 0.00000
```

##How many times would you say 'Floating Steps' were used?

Whole Population

```
DefaultNarrowWideN70.000000070.000000070.000000Min.26.000000023.000000024.0000001st Qu.27.125000027.000000027.000000Median28.000000028.000000028.000000Mean27.971428627.385714328.0357143rd Qu.28.000000028.000000029.000000Max.33.000000029.000000030.000000Var0.97743270.87080751.929865
```

Shapiro tests

```
Shapiro-Wilk normality test

data: default_3
W = 0.73638, p-value = 6.81e-10

Shapiro-Wilk normality test

data: narrow_3
W = 0.68453, p-value = 5.579e-11

Shapiro-Wilk normality test

data: wide_3
W = 0.89126, p-value = 1.782e-05
```

Symmetry tests

```
m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: default 3
Test statistic = -0.46504, p-value = 0.826
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 12
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: narrow 3
Test statistic = -8.4431, p-value < 2.2e-16
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 17
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: wide 3
Test statistic = 0.32725, p-value = 0.786
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 15
Pairwise Sign Tests
    Dependent-samples Sign-Test
data: default 3 and narrow 3
S = 24, p-value = 0.00018
alternative hypothesis: true median difference is not equal to 0
95 percent confidence interval:
0 0
sample estimates:
median of x-y
            0
```

	Conf.Level	L.E.pt	U.E.pt
Lower Achieved CI	0.9278	0	0
Interpolated CI	0.9500	0	0
Upper Achieved CI	0.9586	0	0

Dependent-samples Sign-Test

Achieved and Interpolated Confidence Intervals:

	Conf.Level	L.E.pt	U.E.pt
Lower Achieved CI	0.9278	0	0
Interpolated CI	0.9500	0	0
Upper Achieved CI	0.9586	0	0

Dependent-samples Sign-Test

Achieved and Interpolated Confidence Intervals:

	Conf.Level	L.E.pt	U.E.pt
Lower Achieved CI	0.9278	0	1
Interpolated CI	0.9500	0	1
Upper Achieved CI	0.9586	0	1

Pairwise Wilcox Tests

Wilcoxon rank sum test with continuity correction

data: default_3 and wide_3
W = 2252, p-value = 0.378

alternative hypothesis: true location shift is not equal to 0

Default - Language comparison

```
Whole Pop
                           R
                                 Python
N
       70.0000000 38.000000 32.0000000
       26.0000000 26.000000 27.0000000
Min.
1st Qu. 27.1250000 28.000000 27.0000000
Median 28.0000000 28.000000 28.0000000
Mean
       27.9714286 27.973684 27.9687500
3rd Qu. 28.0000000 28.000000 28.0000000
Max.
       33.0000000 33.000000 30.0000000
Var
       0.9774327 1.053343 0.9183468
```

Narrow - Language comparison

```
Whole Pop
                            R
                                 Python
N
        70.0000000 38.0000000 32.000000
Min.
        23.0000000 24.0000000 23.000000
1st Qu. 27.0000000 27.0000000 27.000000
Median 28.0000000 28.0000000 27.000000
Mean
        27.3857143 27.5000000 27.250000
3rd Qu. 28.0000000 28.0000000 28.000000
Max.
        29.0000000 28.0000000 29.000000
Var
       0.8708075 0.6891892 1.080645
```

Wide - Language comparison

```
Whole Pop
                           R
                                Python
N
        70.000000 38.0000000 32.000000
Min.
        24.000000 25.0000000 24.000000
1st Qu. 27.000000 27.2500000 27.000000
Median 28.000000 28.0000000 28.500000
Mean
        28.035714 27.8157895 28.296875
3rd Qu. 29.000000 28.0000000 30.000000
Max.
        30.000000 30.0000000 30.000000
Var
        1.929865 0.7489331 3.271925
```

Shapiro tests

```
Shapiro-Wilk normality test
data: default 3 r
W = 0.59978, p-value = 5.639e-09
    Shapiro-Wilk normality test
data: narrow_3_r
W = 0.63037, p-value = 1.482e-08
    Shapiro-Wilk normality test
data: wide 3 r
W = 0.8221, p-value = 3.046e-05
Symmetry tests
    m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: default_3_r
Test statistic = -0.38295, p-value = 0.888
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 38
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: narrow_3_r
Test statistic = -6.5102, p-value < 2.2e-16
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 19
    m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: wide 3 r
```

```
Test statistic = -2.3985, p-value = 0.126 alternative hypothesis: the distribution is asymmetric. sample estimates: bootstrap optimal m
```

Pairwise Wilcox Tests

```
Wilcoxon rank sum test with continuity correction
```

```
data: default_3_r and narrow_3_r
W = 889.5, p-value = 0.03838
alternative hypothesis: true location shift is not equal to 0
```

Wilcoxon rank sum test with continuity correction

```
data: narrow_3_r and wide_3_r
W = 585, p-value = 0.101
alternative hypothesis: true location shift is not equal to 0
```

Wilcoxon rank sum test with continuity correction

```
data: wide_3_r and default_3_r
W = 698.5, p-value = 0.7788
alternative hypothesis: true location shift is not equal to 0
```

Shapiro tests

```
Shapiro-Wilk normality test

data: default_3_py
W = 0.79971, p-value = 4.024e-05

Shapiro-Wilk normality test

data: narrow_3_py
W = 0.69403, p-value = 7.086e-07
```

Shapiro-Wilk normality test

```
data: wide_3_py
W = 0.84294, p-value = 0.0002928
```

Symmetry tests

```
m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: default 3 py
Test statistic = -0.28448, p-value = 0.842
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 32
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: narrow_3_py
Test statistic = 2.3897, p-value = 0.264
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 28
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: wide 3 py
Test statistic = -0.80066, p-value = 0.584
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
```

Pairwise Sign Tests

Dependent-samples Sign-Test

```
data: default_3_py and narrow_3_py
S = 12, p-value = 0.01294
alternative hypothesis: true median difference is not equal to 0
95 percent confidence interval:
    0 1
```

```
sample estimates:
median of x-y
0
```

```
Conf.Level L.E.pt U.E.pt
Lower Achieved CI 0.9499 0 1
Interpolated CI 0.9500 0 1
Upper Achieved CI 0.9799 0 1
```

Dependent-samples Sign-Test

```
data: default_3_py and wide_3_py S = 9, p-value = 0.4049 alternative hypothesis: true median difference is not equal to 0 95 percent confidence interval: -1.003411 0.000000 sample estimates: median of x-y 0
```

Achieved and Interpolated Confidence Intervals:

Dependent-samples Sign-Test

Achieved and Interpolated Confidence Intervals:

Conf.Level L.E.pt U.E.pt

Lower Achieved CI	0.9499	0 2.5000
Interpolated CI	0.9500	0 2.5017
Upper Achieved CI	0.9799	0 3.0000

Pairwise Wilcox Tests

Wilcoxon rank sum test with continuity correction

```
data: default_3_py and wide_3_py
W = 417, p-value = 0.1904
alternative hypothesis: true location shift is not equal to 0
```

	Default	Narrow	Wide
N	23.000000	22.000000	23.000000
Min.	24.000000	23.000000	24.000000
1st Qu.	27.250000	27.000000	27.250000
Median	28.000000	28.000000	28.000000
Mean	27.891304	27.272727	27.891304
3rd Qu.	28.500000	28.000000	28.500000
Max.	30.000000	28.000000	30.000000
Var	1.999012	1.445887	1.999012

Ratio Comparison questions - All

	Default	Narrow	Wide
Most aesthetically pleasing?	37	14	18
Easiest to read and interpret?	36	15	19
Hardest to read and interpret?	20	20	30

Ratio Comparison questions - R

	Α	В	С
Most aesthetically pleasing?	14	14	9
Easiest to read and interpret?	16	9	13
Hardest to read and interpret?	2	18	18

Ratio Comparison questions - Py

	Α	В	С
Most aesthetically pleasing?	12	11	9
Easiest to read and interpret?	14	8	10
Hardest to read and interpret?	12	9	11

Ninja Warrior - Part 3

How many times would you say 'Floating Steps' were used in the Finals (Regional/City) round?

Whole pop summary

	Stacked	Grouped
N	70.00000	70.00000
Min.	9.00000	10.00000
1st Qu.	10.00000	11.00000
Median	11.00000	11.00000
Mean	14.32857	11.80000
3rd Qu.	14.00000	12.00000
Max.	35.00000	40.00000
Var	54.83251	13.14783

R population

	Stacked	Grouped
N	38.00000	38.0000000
Min.	9.00000	10.0000000
1st Qu.	10.00000	11.0000000
Median	10.00000	11.0000000
Mean	13.15789	11.2368421
3rd Qu.	12.00000	12.0000000
Max.	35.00000	12.0000000
Var	45.37980	0.4018492

Py population

```
Stacked Grouped
N 32.00000 32.0000000
Min. 9.00000 10.0000000
1st Qu. 10.00000 11.0000000
Median 11.50000 11.0000000
Mean 15.71875 12.4687500
3rd Qu. 16.25000 12.0000000
Max. 35.00000 40.00000000
Var 45.37980 0.4018492
```

Shapiro and symmetry tests for the responses for the stacked bar plot

```
Shapiro-Wilk normality test
data: stacked_1
W = 0.63951, p-value = 7.897e-12
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: stacked_1
Test statistic = 6.75, p-value < 2.2e-16
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 39
   Shapiro-Wilk normality test
data: stacked_1_r
W = 0.53859, p-value = 9.347e-10
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: stacked 1 r
Test statistic = 6.4034, p-value < 2.2e-16
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 12
    Shapiro-Wilk normality test
data: stacked_1_py
W = 0.73207, p-value = 2.722e-06
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: stacked 1 py
Test statistic = 4.5565, p-value < 2.2e-16
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
```

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Shapiro and symmetry tests for the responses for the grouped bar plot

```
Shapiro-Wilk normality test
data: grouped 1
W = 0.29757, p-value < 2.2e-16
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: grouped 1
Test statistic = 6.3437, p-value < 2.2e-16
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 22
    Shapiro-Wilk normality test
data: grouped_1_r
W = 0.7742, p-value = 3.25e-06
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: grouped_1_r
Test statistic = 3.4466, p-value = 0.01
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 15
    Shapiro-Wilk normality test
data: grouped_1_py
W = 0.38626, p-value = 1.833e-10
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
```

Sign tests for the responses for the stacked bar plot

Achieved and Interpolated Confidence Intervals:

```
Conf.Level L.E.pt U.E.pt
Lower Achieved CI 0.9278 10 12
Interpolated CI 0.9500 10 12
Upper Achieved CI 0.9586 10 12
```

One-sample Sign-Test

```
data: stacked_1_r
s = 12, p-value = 0.1214
alternative hypothesis: true median is not equal to 11
95 percent confidence interval:
    10 11
sample estimates:
median of x
    10
```

Achieved and Interpolated Confidence Intervals:

```
Conf.Level L.E.pt U.E.pt Lower Achieved CI 0.9270 10 11
```

Interpolated CI 0.9500 10 11 Upper Achieved CI 0.9664 10 11

One-sample Sign-Test

Achieved and Interpolated Confidence Intervals:

Conf.Level L.E.pt U.E.pt
Lower Achieved CI 0.9499 10 15
Interpolated CI 0.9500 10 15
Upper Achieved CI 0.9799 10 15

Sign test for the responses for the grouped bar plot

One-sample Sign-Test

Achieved and Interpolated Confidence Intervals:

Conf.Level L.E.pt U.E.pt
Lower Achieved CI 0.9278 11 12
Interpolated CI 0.9500 11 12
Upper Achieved CI 0.9586 11 12

One-sample Sign-Test

```
Conf.Level L.E.pt U.E.pt
Lower Achieved CI 0.9270 11 11.0000
Interpolated CI 0.9500 11 11.5825
Upper Achieved CI 0.9664 11 12.0000
```

One-sample Sign-Test

Achieved and Interpolated Confidence Intervals:

	Conf.Level	L.E.pt	U.E.pt
Lower Achieved CI	0.9499	11	12
Interpolated CI	0.9500	11	12
Upper Achieved CI	0.9799	11	12

##How many times would you say 'Log Grip' was used in the Finals (Regional/City) round?

Whole pop summary

	Stacked	Grouped
N	70.00000	70.000000
Min.	6.00000	2.000000
1st Qu.	8.00000	8.000000
Median	9.00000	9.000000

```
Mean 10.57143 9.057143
3rd Qu. 10.00000 10.000000
Max. 25.00000 15.000000
Var 23.92961 1.967702
```

R population

	Stacked	Grouped
N	38.00000	38.0000000
Min.	6.00000	7.000000
1st Qu.	8.00000	9.0000000
Median	9.00000	9.0000000
Mean	10.10526	9.0526316
3rd Qu.	10.00000	10.0000000
Max.	23.00000	10.0000000
Var	18.36700	0.6458037

Py population

	Stacked	Grouped
N	32.000	32.0000000
Min.	6.000	2.0000000
1st Qu.	8.000	8.0000000
Median	9.000	9.0000000
Mean	11.125	9.0625000
3rd Qu.	10.000	10.0000000
Max.	25.000	15.0000000
Var	18.367	0.6458037

###Shapiro tests for the responses for the stacked bar plot

```
Shapiro-Wilk normality test

data: stacked_2
W = 0.66339, p-value = 2.179e-11

m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)

data: stacked_2
Test statistic = 4.9088, p-value < 2.2e-16
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
```

24

```
Shapiro-Wilk normality test
data: stacked_2_r
W = 0.60137, p-value = 5.922e-09
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: stacked_2_r
Test statistic = 3.1794, p-value = 0.016
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
   Shapiro-Wilk normality test
data: stacked_2_py
W = 0.71251, p-value = 1.345e-06
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: stacked_2_py
Test statistic = 3.6271, p-value < 2.2e-16
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 20
###Shapiro test for the responses for the grouped bar plot
    Shapiro-Wilk normality test
data: grouped_2
W = 0.7287, p-value = 4.611e-10
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: grouped 2
```

```
Test statistic = 0.63113, p-value = 0.702
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 19
    Shapiro-Wilk normality test
data: grouped_2_r
W = 0.84122, p-value = 8.138e-05
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: grouped_2_r
Test statistic = 0.59183, p-value = 0.654
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 19
    Shapiro-Wilk normality test
data: grouped_2_py
W = 0.7515, p-value = 5.65e-06
   m-out-of-n bootstrap symmetry test by Miao, Gel, and Gastwirth (2006)
data: grouped_2_py
Test statistic = 0.35142, p-value = 0.784
alternative hypothesis: the distribution is asymmetric.
sample estimates:
bootstrap optimal m
                 14
###Sign tests for the responses for the stacked bar plot
    One-sample Sign-Test
data: stacked 2
s = 11, p-value = 7.556e-09
alternative hypothesis: true median is not equal to 11
```

```
95 percent confidence interval: 8.000000 9.720922 sample estimates: median of x
```

```
Conf.Level L.E.pt U.E.pt
Lower Achieved CI 0.9278 8 9.0000
Interpolated CI 0.9500 8 9.7209
Upper Achieved CI 0.9586 8 10.0000
```

One-sample Sign-Test

data: stacked_2_r
s = 4, p-value = 1.084e-06
alternative hypothesis: true median is not equal to 11
95 percent confidence interval:
 8 10
sample estimates:
median of x
 9

Achieved and Interpolated Confidence Intervals:

```
Conf.Level L.E.pt U.E.pt
Lower Achieved CI 0.9270 8 10
Interpolated CI 0.9500 8 10
Upper Achieved CI 0.9664 8 10
```

One-sample Sign-Test

```
data: stacked_2_py
s = 7, p-value = 0.002102
alternative hypothesis: true median is not equal to 11
95 percent confidence interval:
   8 10
sample estimates:
median of x
   9
```

Achieved and Interpolated Confidence Intervals:

```
Conf.Level L.E.pt U.E.pt
Lower Achieved CI 0.9499 8 10
Interpolated CI 0.9500 8 10
Upper Achieved CI 0.9799 8 10
```

 $\#\#\#\mathrm{Sign}$ test for the responses for the grouped bar plot

One-sample Sign-Test

data: grouped_2
s = 2, p-value < 2.2e-16
alternative hypothesis: true median is not equal to 11
95 percent confidence interval:
 9 9
sample estimates:
median of x
 9</pre>

Achieved and Interpolated Confidence Intervals:

```
Conf.Level L.E.pt U.E.pt
Lower Achieved CI 0.9278 9 9
Interpolated CI 0.9500 9 9
Upper Achieved CI 0.9586 9 9
```

One-sample Sign-Test

data: grouped_2_r
s = 0, p-value = 7.276e-12
alternative hypothesis: true median is not equal to 11
95 percent confidence interval:
 9 9
sample estimates:
median of x
 9

Achieved and Interpolated Confidence Intervals:

	${\tt Conf.Level}$	L.E.pt	U.E.pt
Lower Achieved CI	0.9270	9	9
Interpolated CI	0.9500	9	9
Upper Achieved CI	0.9664	9	9

```
One-sample Sign-Test
```

```
data: grouped_2_py
s = 2, p-value = 2.463e-07
alternative hypothesis: true median is not equal to 11
95 percent confidence interval:
   8.996589 10.000000
sample estimates:
median of x
```

```
Conf.Level L.E.pt U.E.pt
Lower Achieved CI 0.9499 9.0000 10
Interpolated CI 0.9500 8.9966 10
Upper Achieved CI 0.9799 8.0000 10
```

Please select the statement you feel applies to the bar chart above.

Whole pop

	Equal	Less	More
${\tt Stacked}$	27	31	11
Grouped	60	5	2

R pop

	Equal	Less	More
${\tt Stacked}$	11	20	6
Grouped	29	4	2

Python pop

	Equal	Less	More
${\tt Stacked}$	16	11	5
Grouped	31	1	31

Which obstacle do you think was used MORE in Finals (Regional/City) rounds, 'Log Grip' or 'Floating Steps'?

Whole pop

	Floating	Steps	Log	Grip	Both	the	same
Stacked		56		2			12
Grouped		57		4			9

\mathbf{R}

	Floating	Steps	Log	${\tt Grip}$	${\tt Both}$	the	same
Stacked		30		8			0
Grouped		32		1			5

$\mathbf{P}\mathbf{y}$

	Floating	Steps	Log	Grip	Both	the	$\operatorname{\mathtt{same}}$
${\tt Stacked}$		26		2			4
Grouped		25		3			4

Which bar chart do you feel is easiest to read and interpret?**

		Α	В
Whole	${\tt Population}$	32	38
R		17	21
Pythor	15	17	

	Colour	Set	Main	Colour	Palette	Secondary	Colour	Pallette
1		Α			${\tt Viridis}$			Default
2		В			${\tt Default}$			Viridis
3		C			${\tt Default}$		(Greyscale
4		D		Gı	reyscale			Default
5		Ε			Viridis		(Greyscale
6		F		Gı	reyscale			Viridis

By colours - Whole pop

		Α	В	A Colour	B Colour
Set	Α	3	10	Viridis	Default
Set	В	1	11	Default	Viridis
Set	С	9	1	Default	Greyscale
Set	D	1	11	Greyscale	Default
Set	E	8	3	Viridis	Greyscale
Set	F	10	2	Greyscale	Viridis

By colours - R

		Α	В	A Colour	B Colour
Set	Α	2	6	Viridis	Default
Set	В	6	6	Default	Viridis
Set	С	4	1	Default	Greyscale
Set	D	1	6	Greyscale	Default
Set	E	4	1	Viridis	Greyscale
Set	F	6	1	Greyscale	Viridis

By colours - Py

```
A B A Colour B Colour
Set A 1 4 Viridis Default
Set B 1 5 Default Viridis
Set C 5 5 Default Greyscale
Set D 5 5 Greyscale Default
Set E 4 2 Viridis Greyscale
Set F 4 1 Greyscale Viridis
```

Which colour scheme do you find most aesthetically pleasing?

Whole pop

```
A B A Colour B Colour
Set A 3 10 Viridis Default
Set B 1 11 Default Viridis
Set C 9 1 Default Greyscale
Set D 1 11 Greyscale Default
Set E 8 3 Viridis Greyscale
Set F 10 2 Greyscale Viridis
```

R.

```
A B A Colour B Colour
Set A 2 6 Viridis Default
Set B 0 6 Default Viridis
Set C 4 1 Default Greyscale
Set D 1 6 Greyscale Default
Set E 4 1 Viridis Greyscale
Set F 6 1 Greyscale Viridis
```

$\mathbf{P}\mathbf{y}$

```
A B A Colour B Colour
Set A 1 4 Viridis Default
Set B 1 5 Default Viridis
Set C 5 0 Default Greyscale
Set D 0 5 Greyscale Default
Set E 4 2 Viridis Greyscale
Set F 4 1 Greyscale Viridis
```

Do you feel that one of the colour schemes makes it easier to read and interpret? If so, please select which one.

Whole Pop

		None	Α	В	A Colour	B Colour
Set	Α	3	7	3	Viridis	Default
Set	В	1	11	1	Default	Viridis
Set	С	9	1	9	Default	Greyscale
Set	D	2	10	2	Greyscale	Default
Set	E	11	11	11	Viridis	Greyscale
Set	F	1	2	9	Greyscale	Viridis

\mathbf{R}

		None	Α	В	A Colour	B Colour
Set	Α	0	5	3	Viridis	Default
Set	В	1	5	0	Default	Viridis
Set	С	0	4	1	Default	Greyscale
Set	D	0	1	6	Greyscale	Default
Set	E	0	5	0	Viridis	Greyscale
Set	F	1	2	4	Greyscale	Viridis

$\mathbf{P}\mathbf{y}$

	None	Α	В	A Colour	B Colour
Set A	3	2	0	Viridis	Default
Set E	0	6	0	Default	Viridis
Set C	0	5	0	Default	Greyscale
Set D	0	1	4	Greyscale	Default
Set E	0	6	0	Viridis	Greyscale
Set F	. 0	0	5	Greyscale	Viridis

Sales - Part 1

How much would you say sales of each company increased between January and December? [Company A]

```
Min.1.0000001.0000001.0000001st Qu.2.0000002.0000001.000000Median3.0000002.0000001.000000Mean3.0434782.4142861.3714293rd Qu.4.0000003.0000001.750000Max.7.0000007.0000003.000000
```

How much would you say sales of each company increased between January and December? [Company B]

```
Min.1.0000001.0000001.0000001st Qu.4.0000004.0000002.000000Median5.0000006.0000002.000000Mean4.8260875.1449282.4782613rd Qu.6.0000007.0000003.000000Max.7.0000007.0000006.000000
```

How large would you say the drop in sales between April and July of Company A is?

```
Min.1.0000001.0000001.0000001st Qu.3.0000002.0000001.000000Median4.0000003.0000001.000000Mean4.0285712.8142861.5714293rd Qu.5.0000003.0000002.000000Max.7.0000007.0000006.000000
```

Sales - Part 2

Based on the above graph, how large would you say the difference is between the number of sales Company C makes and the number of sales Company D makes?

	Truncated	Zeroed
Min.	2.000000	1.0
1st Qu.	4.000000	2.0
Median	4.000000	3.0
Mean	4.271429	2.7
3rd Qu.	5.000000	3.0
Max.	7.000000	5.0

82APPROXIMATELY MANY TIMES WOULD YOU SAY THE 'SALMON LADDER' WAS USED	?