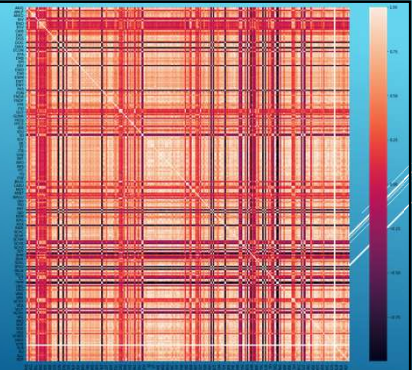


## INDEPENDENT PROJECT MILESTONE 2

By: Katrina Zathey

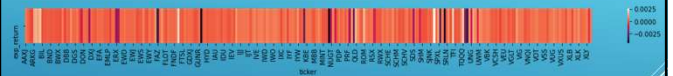
## CORRELATION HEATMAP



- Switched from sample covariance to Ledoit and Wolf shrinkage method
- Covariance matrix is unstable where number of assets is greater than the number of historical observations
- Need to ensure estimated covariance matrix is non-singular and positive definite
- Source: [691.pdf \(upf.edu\)](#)

## COVARIANCE ESTIMATION

## RETURNS HEATMAP



- \*\*Assumes all assumptions hold
- Annual expected return =  $(1 + r_p)^t - 1 = 33.6\%$
- Annual expected risk =  $x^T Q x \sqrt{t} = 30.2\%$
- Estimated alpha per unit risk =  $\frac{\Sigma(r_n - r_f)}{\sigma_p} = 1.12$

## SUMMARY STATS

- Problem is a modified sharpe ratio problem:  $\max_x \frac{\mu^T x - r_f}{\sqrt{x^T Q x}}$
- Reforming into a convex problem:  $\min y^T Q y$
- Sources:  
<https://people.stat.sc.edu/sshen/events/backtesting/reference/maximizing%20the%20sharpe%20ratio.pdf>  
<https://coral.isc.lehigh.edu/~ted/files/ie447/lectures/Lecture9.pdf>

## REFORMING OPTIMIZATION INTO CONVEX PROBLEM