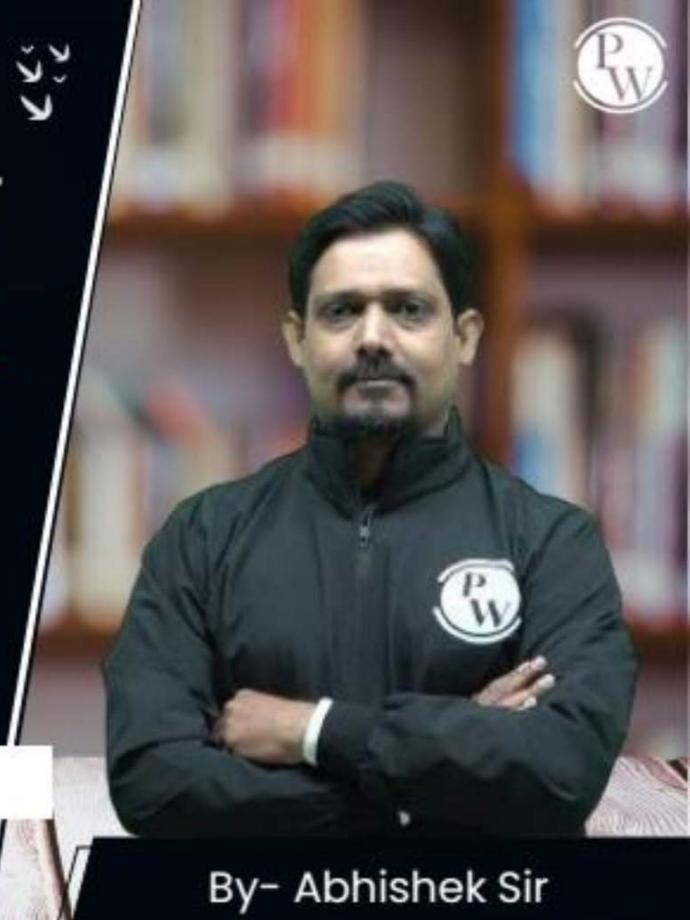
Computer Science & IT

Data Structure & Programming



Queue

Lecture No. 01



# **Recap of Previous Lecture**









Slide

# **Topics to be Covered**









Topic

Queue

Topic

Inear quive

Topic

Topic

Topic



# **Topic: Question**



#Q.

Compute the post fix equivalent of the following expression  $3 \times \log (x + 1) - a/2$ 



# **Topic: Question**



A function f defined on stacks of integers satisfies the following properties.  $f(\phi) = 0$ and f(push (S,i)) = max (f(s), 0) + I for allstacks S and integers i. If a stack S

order from bottom to top, what is f(S)?

and f(push (S,i)) = max (f(s), 0) +i for all 
$$+(2-3|2-1|2)$$
 stacks S and integers i. If a stack S contains the integers 2, -3, 2, -1, 2 in  $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$   $+(2-3|2-1|2)$ 

( push(S,i))=

= max(f(s),0)+i

$$f(push(2-32,-1)=mox(f(2-32,0)-1)$$
  
 $f(push(2-3)=mox(f(2-3),0)+2$   
 $f(push(2),-3)=mox(f(2),0)-3$ 



#### **Topic: Question**



A function f defined on stacks of integers satisfies the following properties.  $f(\phi) = 0$  and  $f(\text{push }(S,i)) = \max (f(s), 0) + I \text{ for all stacks } S \text{ and integers i. If a stack } S \text{ contains the integers } 2, -3, 2, -1, 2 \text{ in order from bottom to top, what is } f(S)$ ?

(A)6

(B) 4

(C) 3

(D) 2





end Queue roont Insert Serve read deletion oont deleted Inser+

Slide





- 1. Quine is a linear Data stoucture
- 2. Queue is 2 ended data stoucture

front (Deletion) rear (Insertion)

3. Queue is based on Logical property first in first out"





4. Insert operation Enqueue 2 Deletion operation is Called dequeue

5





global variable # define Max 100 int a [Max]. int front; int rear;

void init ()

Intitialize value of front 2

rear:

rear:

front = -1





global variable # define Max 100 int a [Max]. int front; int rear;

int Is Empty () it return 1 if queue is Empty Condition is - vont: -1 if front = -1 then queue is Empty





```
void init () {
   - vont = vear = -1
 int Is Empty () }
       if (front = = -1)
else return 0;
```





- Enqueue: 1 if queue is full then voctuon
  - 2. Incoement the reas
  - 3. Insert the value
  - 4. if first Insortion then Incomment the foont also.





if (Is Empty())

```
void Enqueue (int data) {
        if (rear == Max-1) {
printf ( queue is full');
                 octuan;
        rear = rear + 1;
        a [rear] = clata;
         if (front == -1)
            front=0
```





- Dequeue: 1 if queue is Empty then return (understim)

  2. delete the element from queue (front Inda

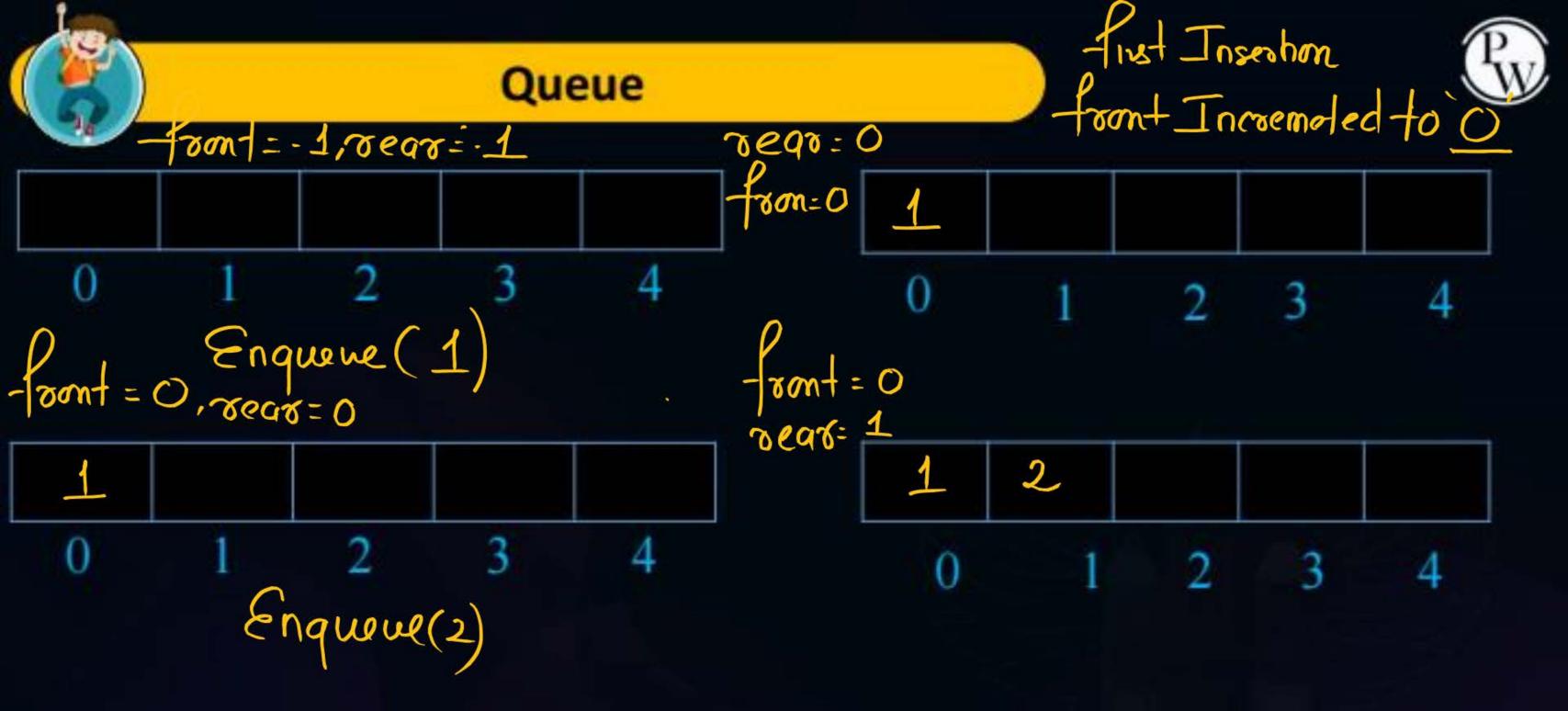
  - 3. if front == sear then front 2 rear initialized to -1,
  - 4 else Increment the front
  - 5. return the value



else front=vear=-1



```
Dequeue ()
             int data;
front = front +1;
             if (IsEmpty()) {
                  pontf ( queue is Empty):
return data;
                  veturn-1;
              data = a[font].
              if ( front == read)
```

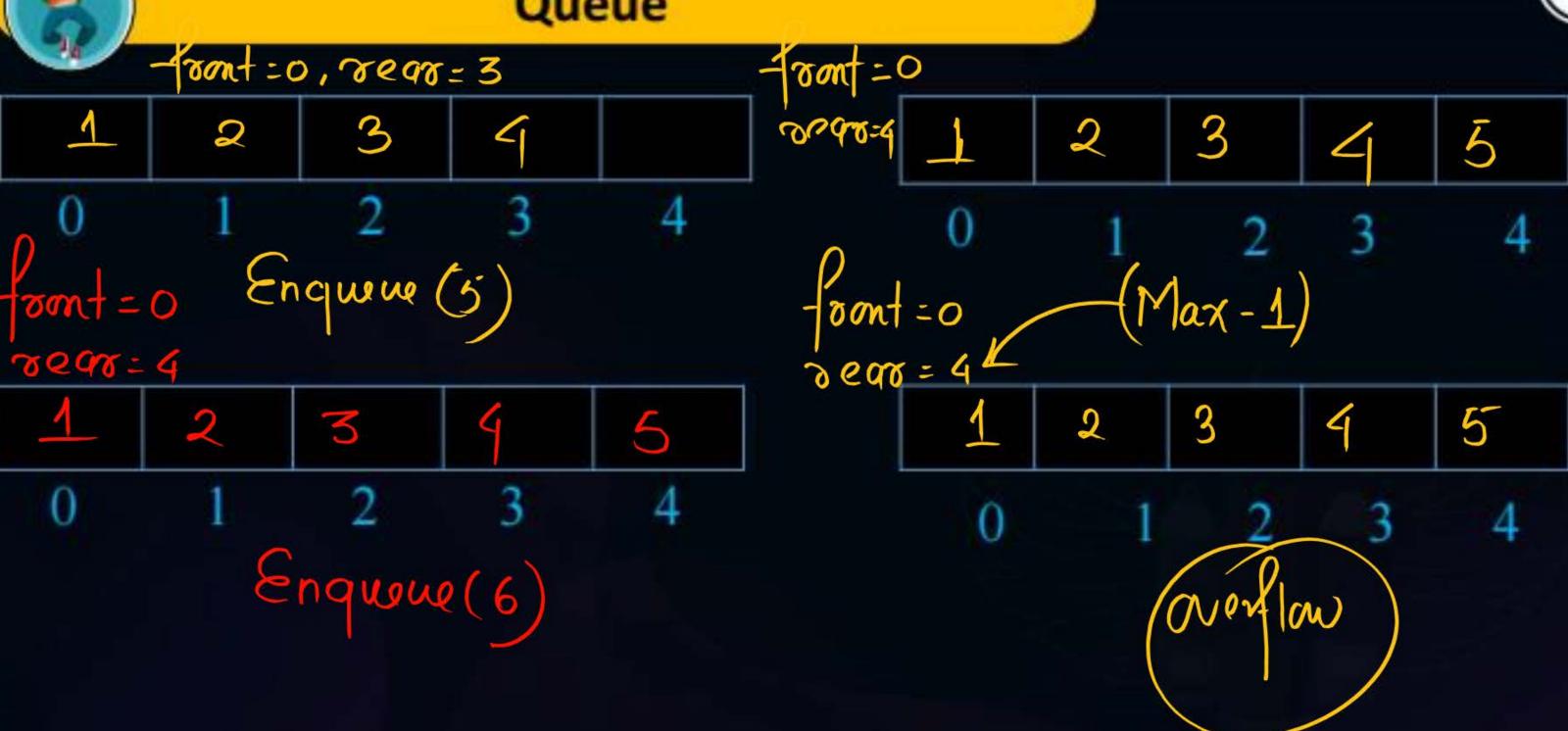




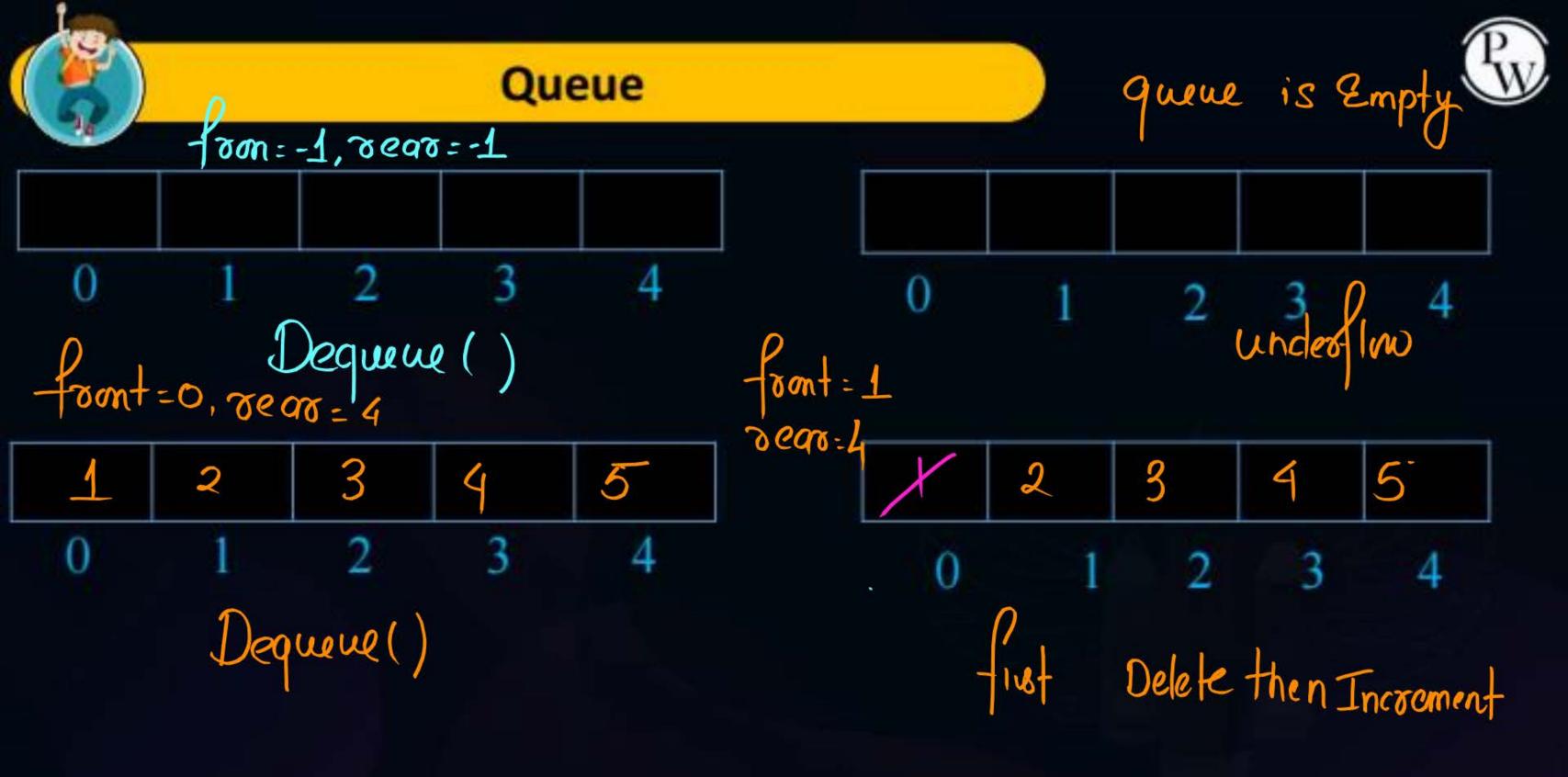


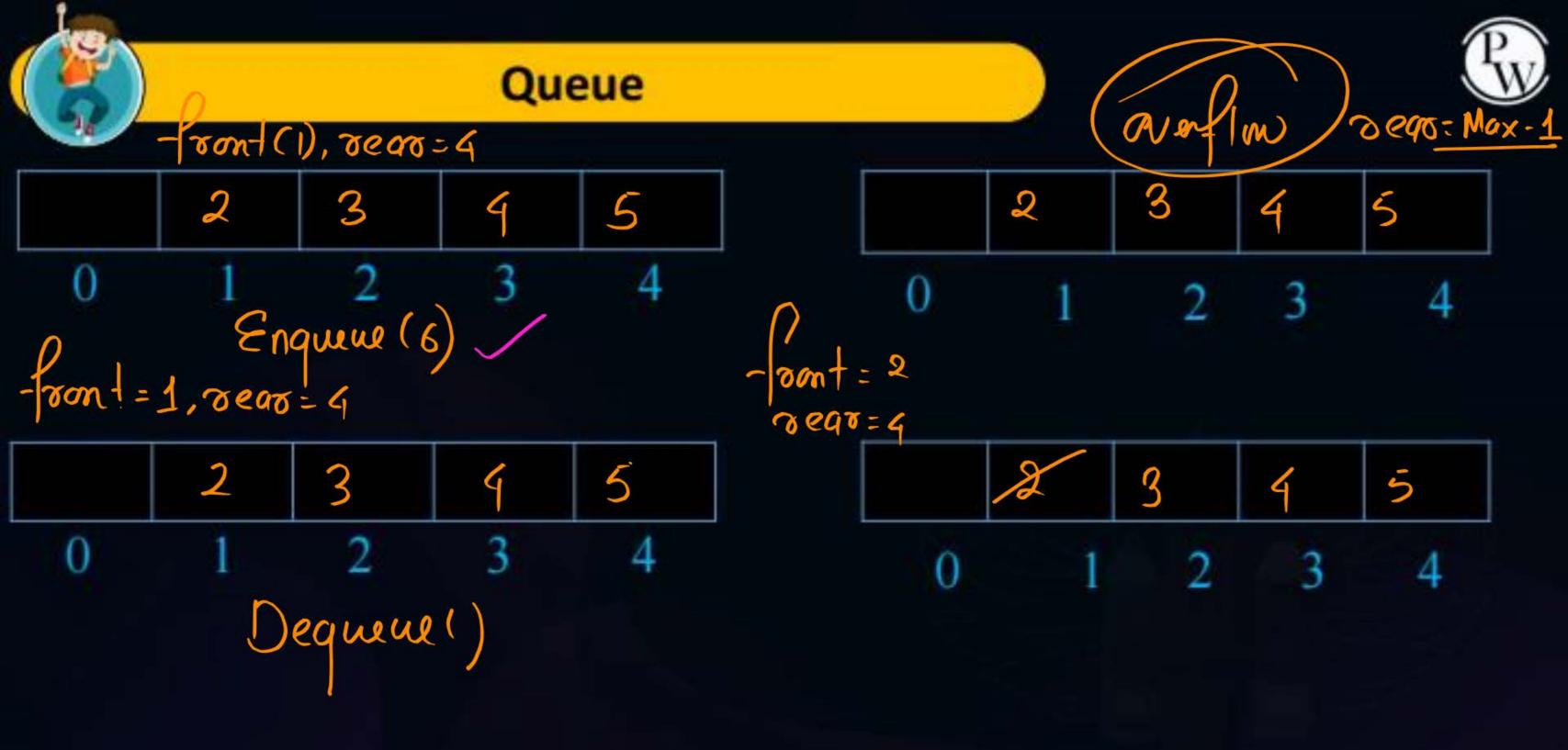


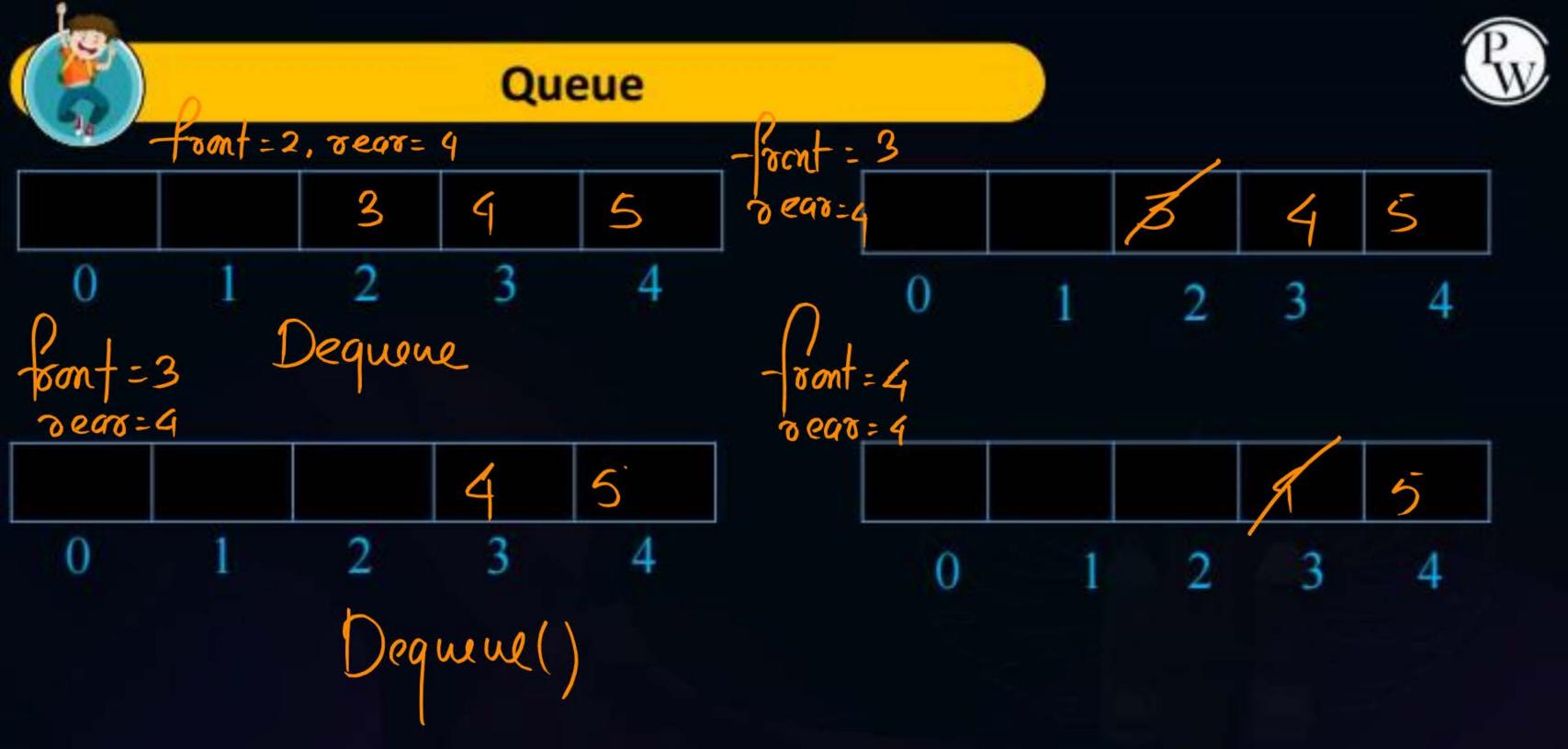




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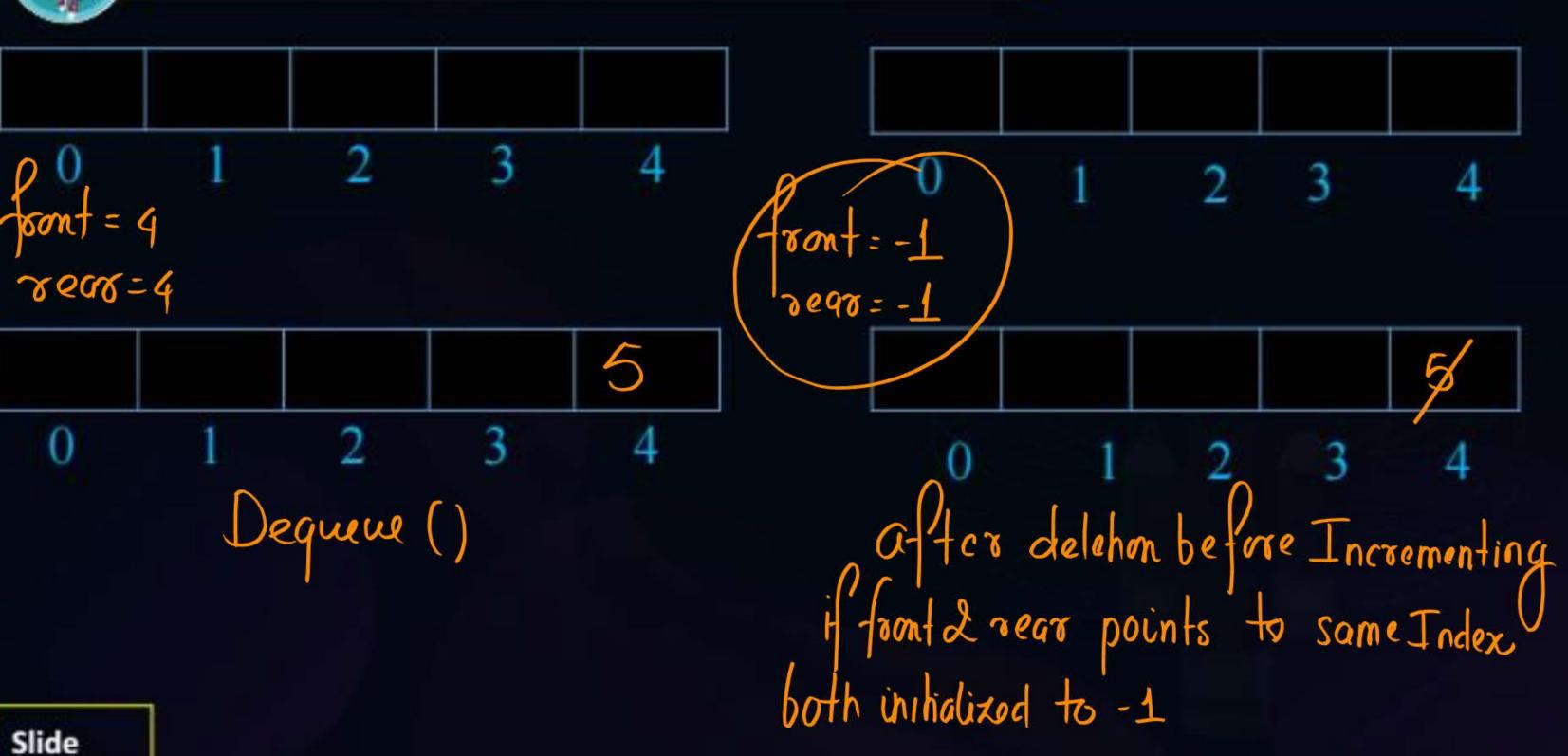












() (15), Enque(60) x= dequeue(), >= dequeue Enqueue (2), Enqueue (3), Z= dequeue alue of x+2y-z is \_\_\_ 152 = 225 225+120-2 60 345-2-4343

60







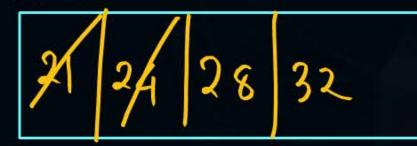
X= Fop() X=62

Consider the following sequence of operations on an empty stack.

Consider the following sequence of operations on an empty queue.

enqueue (21), enqueue (24), deque (); enqueue (28); enqueue (32); q = dequeue();

The value of s+q is 62+24=86





#### Topic: GATE 2023, 2-Marks

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Consider a sequence a of elements  $a_0 = 1$ ,  $a_1 = 5$ ,  $a_2 = 7$ ,  $a_3 = 8$ ,  $a_4 = 9$ , and  $a_5 = 2$ . The following operations are performed on a stack S and a queue Q, both of which are initially empty.

- I. push the elements of a from  $a_0$  to  $a_5$  in that order into S.
- II. enqueue the elements of a from  $a_0$  to  $a_5$  in that order into Q.
- III. pop an element from S.
- IV. dequeue an element from Q.
- V. pop an element from S.
- VI. dequeue an element from Q.
- VII. dequeue an element from Q and push the same element into S.
- VIII. Repeat operation VII three times.
  - IX. pop an element from S.
  - X. pop an element from S.

The top element of S after executing the above operations is



1 2047

Consider the-illowing function  $void f() {$ int i; if (!is Empty()) {
i= dequeue() Enqueue (i);

What operation performed by above - Punchon (A) Leave thequeue unchanged (B) Reverse order at elementale (1) Delete element from from to of queue and insert in rego.
(1) Empties the queue

Consider the fillwing function p uoid f() { int i; if (! is Empty()) { Enqueue(i) = 1 (= dequeue() Enqueue(i) Enqueue (i); Enque (i) = 3



# 2 mins Summary



Topic

Expression

Topic

Evaluation of postfix prefix

Topic

Topic

Topic



# THANK - YOU