

# Computer Science & IT



## Data Structure & Programming

### Array

Lecture No. 01

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# Topics to be Covered



Topic

Introduction

Topic

Syllabus

Topic

Mark distribution

Topic

Assay

Topic





# Topic : Data Structure



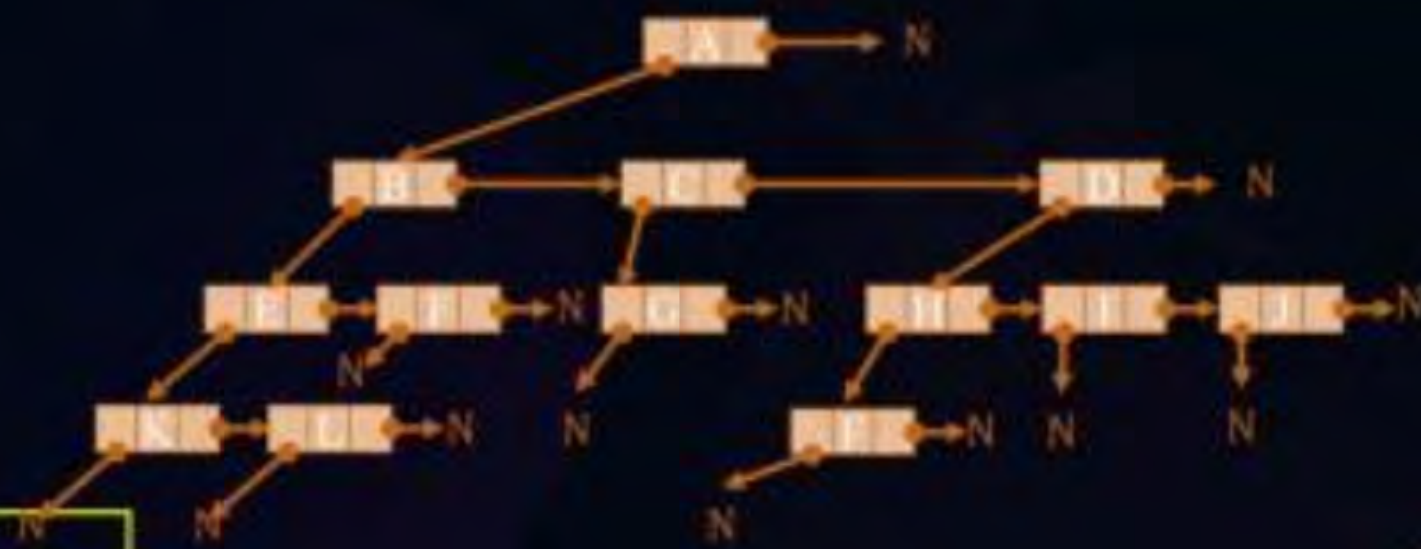
L

N

R



Frames of 2-D Array





## Topic : Syllabus



C programming

Basics →

Structure  
+  
pointer





## Topic : Syllabus



Syllabus : programming & Data structure

programming in C ←

Linear Data structure :

Array, stack,  
queue, Linked List

Non Linear Data structure :

Trees, Binary tree  
Binary Search Tree, Binary Heaps

Graph



## Topic : Syllabus



Graph - Representation

Mathematical

Aspect DM

Algorithms of Graph  
Algorithm

\* Hashing (Algorithm)





## Topic : Syllabus

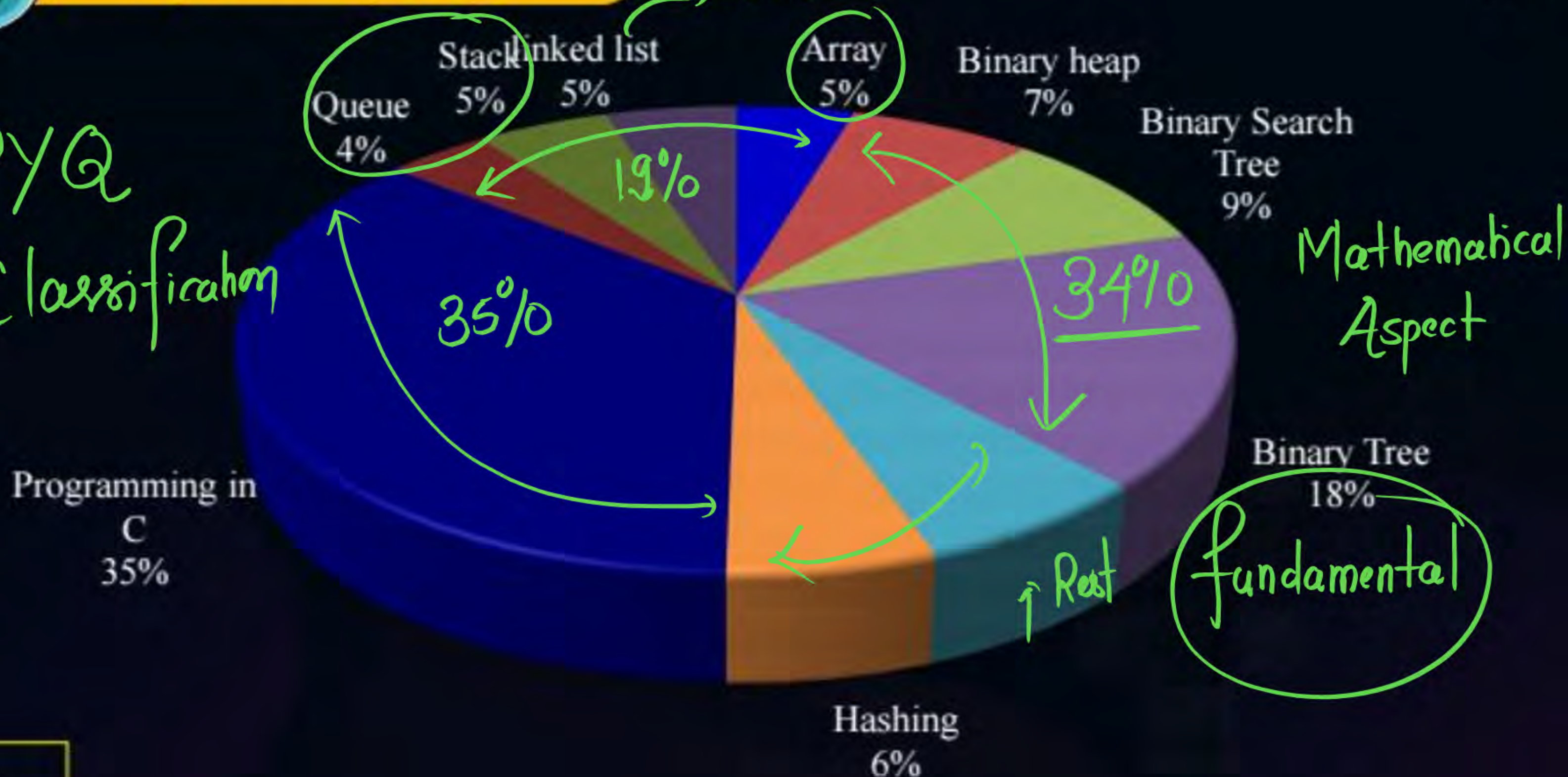


Linked List → programming  
structure  
pointer  
while loop



## Topic : Weightage

PyQ  
Classification







## Topic : Definition



Data structure :- Data structure is about

\* Data organization

\* Data Management

\* Storage format

that enables "efficient Access" of Data &

operation performed on them.

Complexity





## Topic : Definition



### Linear Data structure

- \* Student Data : Array Linear arrangement
- \* Employ Data :- Linear Arrangement

Linear arrangement : In memory we can store them in sequential manner.





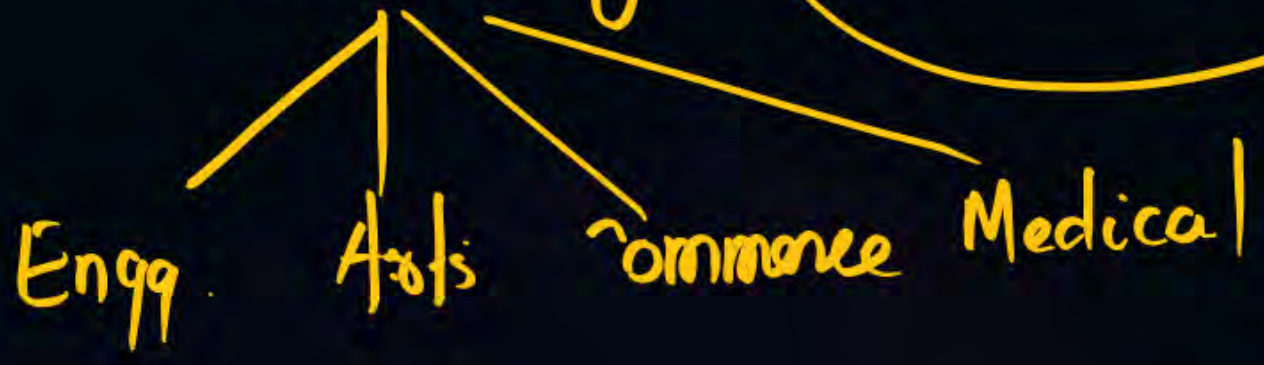


# Topic : Definition

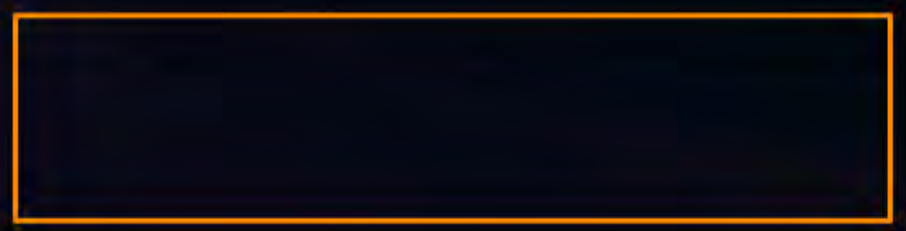
Non Linear

folders structure

University



folder





## Topic : Array



Linear Data structure : Array, stack, queue, Linked List

Array : C-programming. Array & pointer

How C-Language Implements  
array using pointer





## Topic : Array



Array : Array is Sequential Collection of Similar Data type

In Memory elements will be stored one after another

1. Base Address :- Address of first element of array
2. Lower Bound : Index of first element of array
3. Upper Bound : Index of last element of array
4. Size of each element : Each element occupies How many memory location.



## Topic : Array



$A[\underline{1} \dots \underline{10}]$

Index

Size = 2 Memory  
Location/2 Byte



↑  
1000 1002 1004 1006 1008 1010 1012 1014 1016 1018

↑  
Base Address

1. is lower bound

10 is upper bound

$A[1]$   
↑  
Index



## Topic : Array



$A[1 \dots 10]$



$\uparrow$   
1000 1002 1004 1006 1008 1010 1012 1014 1016 1018

$\uparrow$   
 $1000 + 6 \times 2$

$A[9]$  — No. of element  
 $A[1] \dots A[8]$

$$1000 + 8 \times 2 = 1016$$

$$1000 + 12 = 1012$$



## Topic : Question



1154

#Q. Consider the above array  $A[1 \dots 100]$ . Base address of the array is 1000 and each element occupies 2 Bytes of space. What is the address of  $A[78]$ ?

1. Before  $A[7]$

No. of element arranged

2 Memory Location

$A[1] \dots A[6]$

Before  $A[78]$  No. of elements arranged

$A[1] \dots A[77]$  total. 77 elements

Size of each element is 2 B

$$\text{Address of } A[78] = 1000 + 77 \times 2B = 1154$$





## Topic : Answer



We need the address of  $A[78]$ , before reaching  $A[78]$  we have already arranged  $A[1.....77]$  each occupies 2B of space hence  $77 \times 2 = 154\text{B}$  space , The final address is  $1000 + 154 = 1154$ .





## Topic : Question



C-Language

#Q. Consider the above array  $A[0...99]$ . Base address of the array is 1000 and each element occupies 2 Bytes of space. What is the address of  $A[78]$ .

`int A[100]`

$A[0...99]$

↑  
Lower bound - 0

Upper Bound ←

No. of elements arranged ✓

$A[0] \dots A[\underline{77}] = \underline{78}$

Address of  $A[78] = 1000 + 78 \times 2$

$= 1156$

$A[78] = 1000 + (78 - 0) \times 2$

$1000 + 78 \times 2$   
 $1156$





## Topic : Question



for (i=15; i<=39; i++)

25 times

Stmt; ←

No. of times Stmt will execute.

Lower Bound

Upper bound

formula:

upper bound - lower bound + 1

for (i=1; i<=10; i++)  
    Stmt

$$39 - 15 + 1 = 24 + 1 = 25$$

$$\underline{10 - 1 + 1 = 10}$$

$$\text{for (i=0; i<=10; i++)} \quad \boxed{\underline{10 - 0 + 1 = 11}}$$

Stmt;





## Topic : Question

#Q. Consider the above array  $A[-5 \dots 100]$ . Base address of the array is 1000 and each element occupies 2-Bytes of space. What is the address of  $A[78]$ .

$A[78]$

$A[-5 \dots 100]$  Theoretically

No. of elements arranged :  $A[-5] \dots A[77]$

$A[-5], A[-4], A[-3], A[-2], A[-1], A[0], A[1] \dots A[77]$

$$6 + 77 = \underline{83}$$





## Topic : Question

#Q. Consider the above array A[-5.....100]. Base address of the array is 1000 and each element occupies 2-Bytes of space. What is the address of A[78].

$$1000 + (78 - (-5)) \times 2$$
$$1000 + 83 \times 2 = 1166$$

A[78]

A[-5.....100] Theorically

No. of elements arranged : A[-5] .. A[77]

$$\text{Upper bound} - \text{Lower bound} + 1 = 77 - (-5) + 1$$
$$= 83$$

$$\text{Address of A[78]} = 1000 + 83 \times 2 = 1000 + 166$$
$$= 1166$$





## Topic : Solution



We need the address of  $A[78]$ , before reaching  $A[78]$  we have already arranged  $A[-5 \dots 77]$  each occupies 2B of space hence  $77 - (-5) + 1 = 83$  elements already arranged. With each element occupy 2B total space is  $83 \times 2 = 166\text{B}$ . The final address is  $1000 + 166 = 1166$ .





## Topic : Number of element in array

$A[LB \dots UB]$  No. of element in array is  
 $UB - LB + 1$

$$A[-7 \dots 92] \longrightarrow 92 - (-7) + 1 = \underline{\underline{100}}$$





## Topic : Generalized formula

$A[LB \dots UB]$

BA is Base Address

S is Size

Address of  $A[i]$

No. of elements arrange

$A[LB] \dots A[i-1]$

$$\text{Total} = i - \cancel{1} - LB + \cancel{1} = \underline{(i - LB)}$$

Address of  $A[i] =$

$$BA + (i - LB) \times \text{Size}$$





## Topic : 2 D Array



# 2- Dimensional Array





## Topic : 2 D Array



$A[1..3][1..3]$   
Row Column

Column<sub>1</sub> Column<sub>2</sub> Column<sub>3</sub>  
↓ ↓ ↓

Row-1 →	$A[1][1]$	$A[1][2]$	$A[1][3]$
Row-2 →	$A[2][1]$	$A[2][2]$	$A[2][3]$
Row-3 →	$A[3][1]$	$A[3][2]$	$A[3][3]$

When 2-D array is arranged in memory  
then it is mapped into 1-D array  
by following way

1. Row major order (C-Language)
2. Column major order





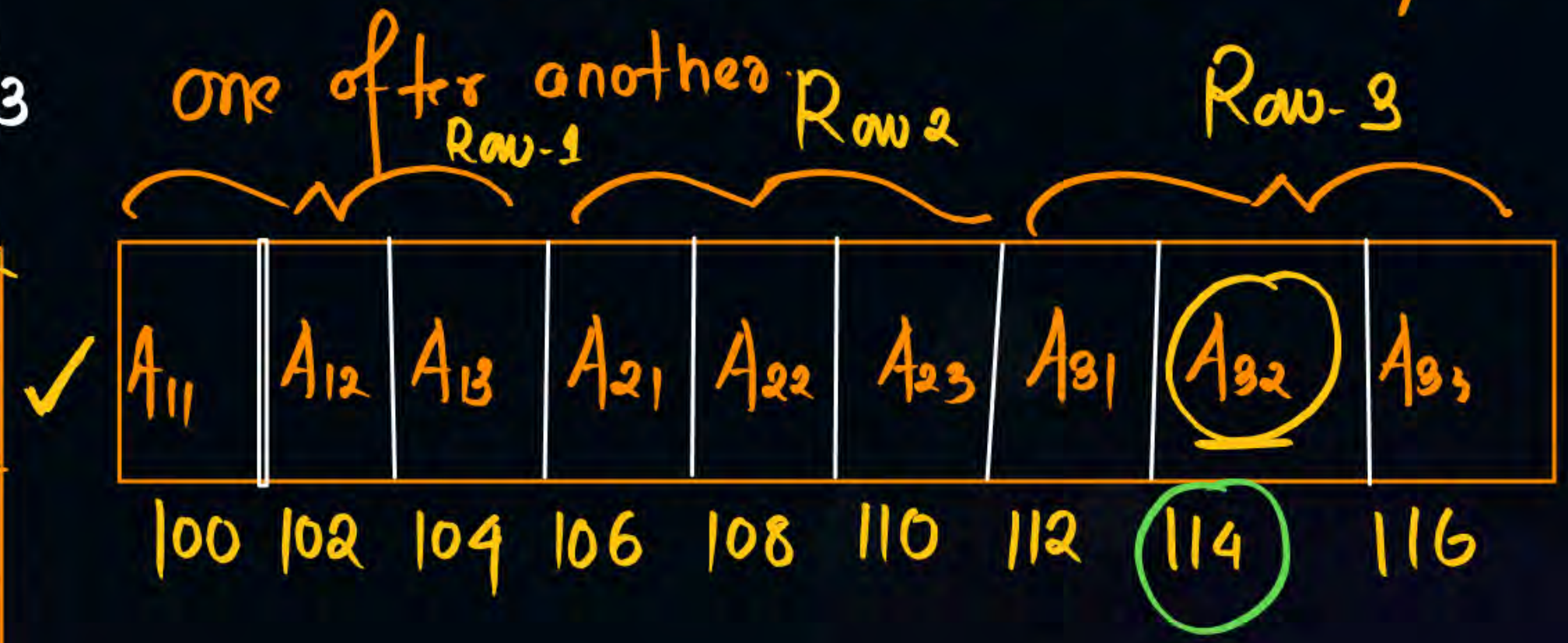
# Topic : 2 D Array

$A[1..3][1..3]$   
Row                  Column

Column<sub>1</sub>    Column<sub>2</sub>    Column<sub>3</sub>  
↓                  ↓                  ↓

Row-1 →	$A[1][1]$ 100	$A[1][2]$ 102	$A[1][3]$ 104
Row-2 →	$A[2][1]$ 106	$A[2][2]$ 108	$A[2][3]$ 110
Row-3 →	$A[3][1]$ 112	$A[3][2]$ 114	$A[3][3]$ 116

Row major order  
Consecutive Rows will be arranged







## Topic : 2 D Array



$A[1..3][1..3]$  Address of  $A[3][2]$ . BA: 100 Size is 2B

$A[3][2]$ . Before 3<sup>rd</sup> Row No. of Rows arranged: 2 Rows  
 $(3 - 1) = \underline{2 \text{ Rows}}$

No. of elements in each Row = 3.  
total elements =  $3 \times 2 = \underline{6}$

---

In third Row: before second column  $(2 - 1)$  columns arranged

total =  $6 + 1 = 7$       Address of  $A[3][2] = \underline{100} + 7 \times 2 = \underline{114}$





## Topic : 2 D Array



No. of elements in a Row decided by size of column

No. of elements in a Column decided by size of Row





## Topic : Question

#Q. Consider the following array  $A[1 \dots 100][1 \dots 100]$ . Base address is 1000 and each element occupies 2-Bytes of space. What is the address of  $A[50][49]$  in row major order?

$A[1 \dots 100][1 \dots 100]$  → Before 50<sup>th</sup> Row No. of Rows arranged  
 $A[50][49]$   $(50 - 1) = 49$

Each Row consists of 100 elements  
total =  $49 \times 100 = 4900$  ✓





## Topic : Question

#Q. Consider the following array  $A[1 \dots 100][1 \dots 100]$ . Base address is 1000 and each element occupies 2-Bytes of space. What is the address of  $A[50][49]$  in row major order?

$A[1 \dots 100][1 \dots 100]$

In 50<sup>th</sup> Row we are in 49<sup>th</sup> column

$A[50][49]$

No. of columns completed  $49 - 1 = \underline{48} \checkmark$

$$\text{Total} = 4900 + 48 = 4948$$

$$\text{Address of } A[50][49] = 1000 + \underline{4948} \times 2$$

$$1000 + 9896 = \underline{10896}$$





## Topic : Question

We need to find the address of  $A[50][49]$ . Before reaching to 50th row 1...49 rows are already been arranged and each row consists of 100 elements. So total  $49 \times 100 = 4900$  elements are arranged.

For the 50th row we have already arranged 1...48 i.e. 48 elements (look at the second dimension) are already arranged.

So total number of elements arranged are  $= 4900 + 48 = 4948$ .

The address is  $1000 + 4948 \times 2 = 10896$





## 2 mins Summary



Topic

1-D array

Topic

1-D array generalized formula

Topic

2D array

Topic

Row major order

Topic



**THANK - YOU**