

Computer Science & IT

Database Management System



Query Languages ✓

Lecture No. 01



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Recap of Previous Lecture



- ✓ Topic Multivalued dependency
- ✓ Topic Properties of multivalued dependency
- ✓ Topic Fourth normal form (4NF)

Topics to be Covered



Topic

Query Languages



Topic

Relational algebra



Topic

Basic relational algebra operations





Topic : Query languages

Query Languages

Procedural query language

We define, what to retrieve from the database, and we also define the procedure to retrieve that data from the database.

eg. Relational Algebra is a procedural query language

Non-procedural query languages

We define what to retrieve from the database, and we use "Syntax" provided by Non-procedural query languages to retrieve that data from database.

eg. (i) Structured query language (SQL)
(ii) Tuple relational Calculus (TRC)
(iii) Domain relational Calculus (DRC)

Note:- Query Condition evaluates tuple by tuple, taken only one tuple at a time,

∴ If we want to compare two or more tuples of the same table or different tables then we need to combine those tuples into a single tuple

to combine the tuples
we use join operation

Cross join (Cross Product) or Natural join or Some other join opⁿ

Note :-

Relational algebra query will always produce distinct tuples { No duplicate tuples in o/p }



Topic : Relational Algebra

Relational Algebra is a procedural query language used to query the relational database tables to access data.

* Relational Algebra operation can be classified into two types:

- 1) Basic Relational Algebra Operations
- 2) Derived Relational Algebra operations

→ They can be derived using
Basic relational Algebra opⁿ.



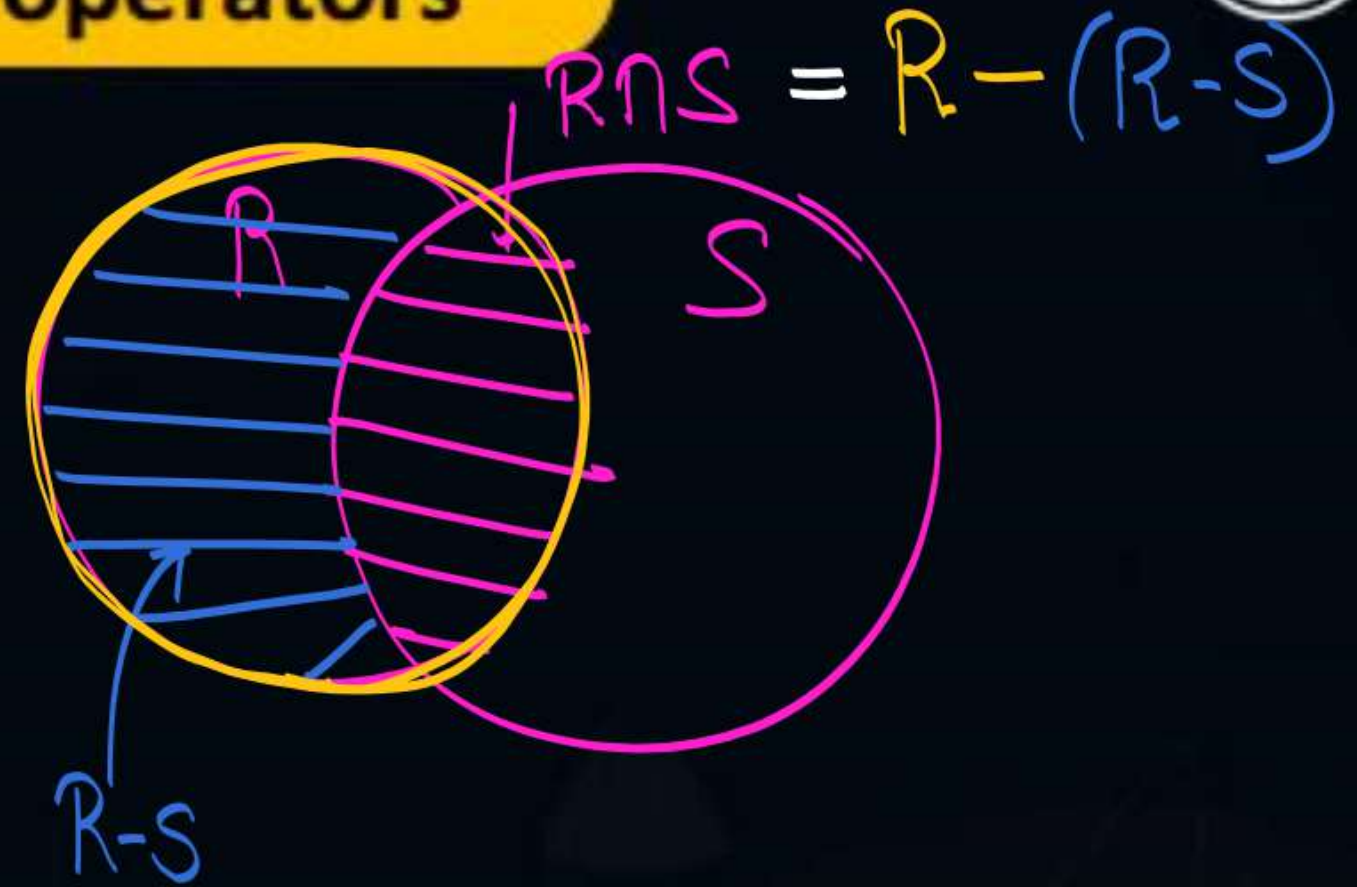
Topic : Basic Relational Algebra operators

1. Projection(π) ✓
2. Selection (σ) ✓
3. Cross Product (\times) ✓
4. Union (U) Set operation
5. Set Difference ($-$)
6. Rename (ρ)



Topic : Derived Relational Algebra operators

1. Intersection (\cap)] Set operation
- ✓ 2. Join Operations (" \bowtie ")
- ✓ 3. Division Operation (\div)





Topic : Projection (π)

It is used to project the column data from a relation based on the attributes specified with projection operation.

e.g., $\pi_{\langle \text{attribute list} \rangle}(R)$

Projection (handwritten label above π)
Name of relation (handwritten label above R)
list of attributes (handwritten label below $\langle \text{attribute list} \rangle$)

Projection operator does not obey commutative property
i.e.

$$\pi_{\langle \text{list2} \rangle}(\pi_{\langle \text{list1} \rangle}(R)) \neq \pi_{\langle \text{list1} \rangle}(\pi_{\langle \text{list2} \rangle}(R))$$

Sid	Cid	Branch
S ₁	C ₁	CS
S ₂	C ₁	CS
S ₃	C ₂	IT

* Retrieve all Sids from relation R.

$$\pi_{\text{Sid}}(R) \equiv \begin{array}{|c|} \hline \text{Sid} \\ \hline S_1 \\ S_2 \\ S_3 \\ \hline \end{array}$$

o/p

* Retrieve all Cids from relation R.

$$\pi_{\text{Cid}}(R) \equiv \begin{array}{|c|} \hline \text{Cid} \\ \hline C_1 \\ C_1 \\ C_1 \\ C_2 \\ \hline \end{array}$$

o/p

$$\begin{array}{|c|} \hline \text{Cid} \\ \hline C_1 \\ C_2 \\ \hline \end{array}$$

o/p

$$\pi_{\text{Sid, Cid, Branch}}(R) \equiv (R)$$

all attributes
of relation R

Output will be
Complete relation R

If we do not
specify projection
operation, then
all attributes of relⁿ
will be present in o/p

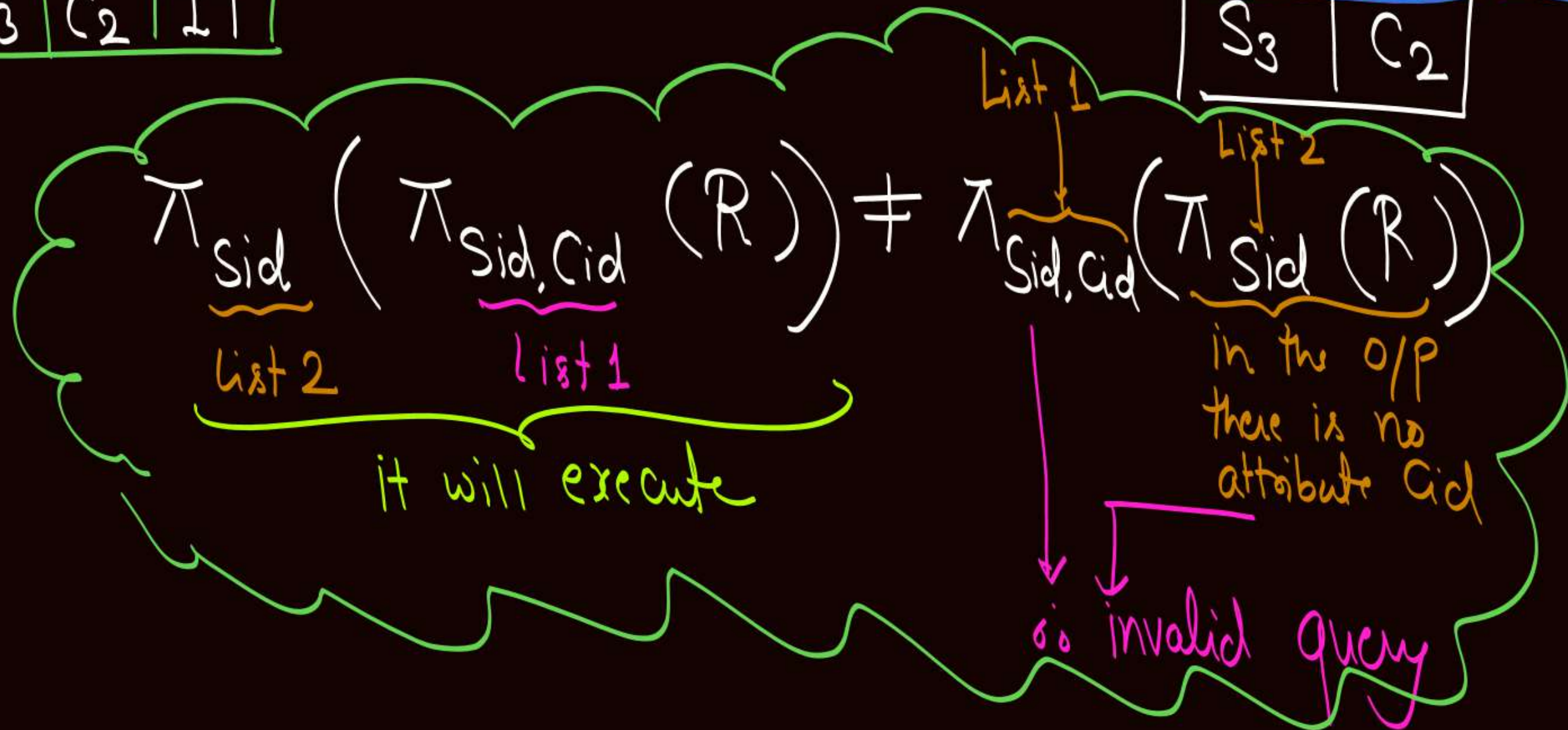
duplicate
tuples are
not present
in o/p

Sid	Cid	Branch
S ₁	C ₁	CS
S ₂	C ₁	CS
S ₃	C ₂	IT

$\pi_{\text{Sid, Cid}}(R) =$

Sid	Cid
S ₁	C ₁
S ₂	C ₁
S ₃	C ₂

tuple wise they are distinct





Topic : Selection(σ)

{rows}

It is used to select the tuples from underlying relation based on the predicate condition specified with selection operation.

Selection

$\sigma_{\langle \text{selection condition} \rangle}(R)$

Relation

NOTE:

$$\sigma_{A \wedge B}(R) = \sigma_{B \wedge A}(R)$$

OR

$$\sigma_B(\sigma_A(R)) = \sigma_A(\sigma_B(R))$$

R

Sid	Cid	Branch
✓ S ₁	C ₁ ✓	CS ✗
✓ S ₂	C ₁ ✓	CS ✗
S ₃	C ₂ ✗	IT

* Retrieve the tuples corresponding to Cid = C₁

$\sigma_{Cid=C_1}(R)$

o/p:-

Sid	Cid	Branch
S ₁	C ₁	CS
S ₂	C ₁	CS

Q. Retrieve Sids of the students who enrolled for Cid = C₁.

$\pi_{Sid}(\sigma_{Cid=C_1}(R))$

Select tuples in which Cid = C₁
from the selected tuples
it will project 'Sids'

O/P =

Sid
S ₁
S ₂

Q.

$\sigma_{Cid=C_1 \wedge Branch=IT}(R)$ o/p

Sid	Cid	Branch

No. tuple will be present in o/p



Topic : Selection(σ)



$$\sigma_{\text{Branch=IT}}(\sigma_{\text{Cid=C1}}(R)) = \sigma_{\text{Cid=C1}}(\sigma_{\text{Branch=IT}}(R))$$

NOTE:

$$\sigma_B(R) \wedge \sigma_A(R) = (\sigma_A(R) \wedge \sigma_B(R))$$
$$\sigma_{A \wedge B}(R) = \sigma_{B \wedge A}(R)$$

OR

$$\sigma_B(\sigma_A(R)) = \sigma_A(\sigma_B(R))$$

Note:- $\sigma_{A \vee B}(R) = \sigma_{B \vee A}(R)$

$$\sigma_A(R) \vee \sigma_B(R) = \sigma_B(R) \vee \sigma_A(R)$$



Topic : Cross Product (\times)

Cross Join



Cross-product is a binary operation. Let R and S are any two relation, then cross product $R \times S$ will result in all attributes of R followed by all attribute of S with all possible combinations of tuples from R and S.

R ← X attributes

m -tuples

Sid	Cid	Branch
S ₁	C ₁	CS
S ₂	C ₁	CS
S ₃	C ₂	IT

S ← Y attributes

n -tuples

Sid	Sname
S ₁	A
S ₂	B
S ₃	A

$R \times S$ ← " $X+Y$ " attributes in $R \times S$

$R \times S =$

$m \cdot n$ tuples

R.Sid	R.Cid	R.Branch	S.Sid	S.Sname
S ₁	C ₁	CS	S ₁	A
S ₁	C ₁	CS	S ₂	B
S ₁	C ₁	CS	S ₃	A
S ₂	C ₁	CS	S ₁	A
S ₂	C ₁	CS	S ₂	B
S ₂	C ₁	CS	S ₃	A
S ₃	C ₂	IT	S ₁	A
S ₃	C ₂	IT	S ₂	B
S ₃	C ₂	IT	S ₃	A

R.

Sid	Cid	Branch
S ₁	C ₁	CS
S ₂	C ₁	CS
S ₃	C ₂	IT

S

Sid	Sname
S ₁	A
S ₂	B
S ₃	A

→ Retrieve names of student who enrolled
for Course Cid = C₁

R x S =

R.Sid	R.Cid	R.Branch	S.Sid	S.Sname
S ₁	C ₁	CS	S ₁	A
S ₁	C ₁	CS	S ₂	B
S ₁	C ₁	CS	S ₃	A
S ₂	C ₁	CS	S ₁	A
S ₂	C ₁	CS	S ₂	B
S ₂	C ₁	CS	S ₃	A
S ₃	C ₂	IT	S ₁	A
S ₃	C ₂	IT	S ₂	B
S ₃	C ₂	IT	S ₃	A

→ = $\pi_{S.Sname} \left(\sigma_{\left(\begin{array}{l} R.Cid = C_1 \\ R.Sid = S.Sid \end{array} \right)} (R \times S) \right) = \text{o/p}$

S.Sname
A
B



Topic : Union, Set difference, Intersection

- ❑ Union, Set Difference and Intersection are the Set operations.
- ❑ To use set theory operators on any two relations, those relations must be union compatible.
- ❑ The union compatibility of relations implies that the participating relations must fulfil the following conditions.
 1. Same degree, i.e. The two relations must have the same number of attributes.
 2. Same domain of each corresponding attributes of relations

end

eg. Let $R =$

Sid	Sname	Marks

$S =$

Sid	f_name

① No. of attributes in $R \neq$ No. of attributes in S
 \rightarrow 1st Condⁿ is not satisfied
 $\therefore R \& S$ are not
 Union Compatible

eg. Let R =

Sid	marks

int int

S:

Sid	f_name

int char

① No. of attributes in R = No. of attributes in S
 ↳ 1st Condⁿ is satisfied

② Domain of 2nd attributes of R is 'int'
 Whereas Domain of 2nd attribute of S is 'char'
 ∴ 2nd Condⁿ is not satisfied
 ↳ Hence R & S are not union compatible

eg. Let $R =$

Sid	Sname

int char

$S =$

Sid	f_name

int char

① No. of attributes in $R =$ No. of attributes in S
 \hookrightarrow 1st Condⁿ is satisfied

② Domain of 1st attributes of $R =$ Domain of 1st attribute of S
 Domain of 2nd attributes of $R =$ Domain of 2nd attribute of S

} 2nd Condition is also satisfied

* Both Condⁿ of union Compatibility are satisfied for R & S
 Hence R & S are Union Compatible

Note: ① If relations are union compatible, then set operations can be performed on those relations.

Note: ② After the set operation resulting relation will take the names of its attribute from left hand side relation

ie ① In $R \cup S$ names of attributes will be same as names of attributes in relation R .

② In $S \cup R$ names of attributes will be same as names of attributes in relation S .



2 mins Summary



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Query Languages

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Relational algebra

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Basic relational algebra operations

THANK - YOU