

COMPUTER SCIENCE & IT

DIGITAL LOGIC



Lecture No: 02

Sequential Circuit



By- Chandan Gupta Sir

Recap of Previous Lecture



S-R latch

S-R FF





Topics to be Covered

J-K FF



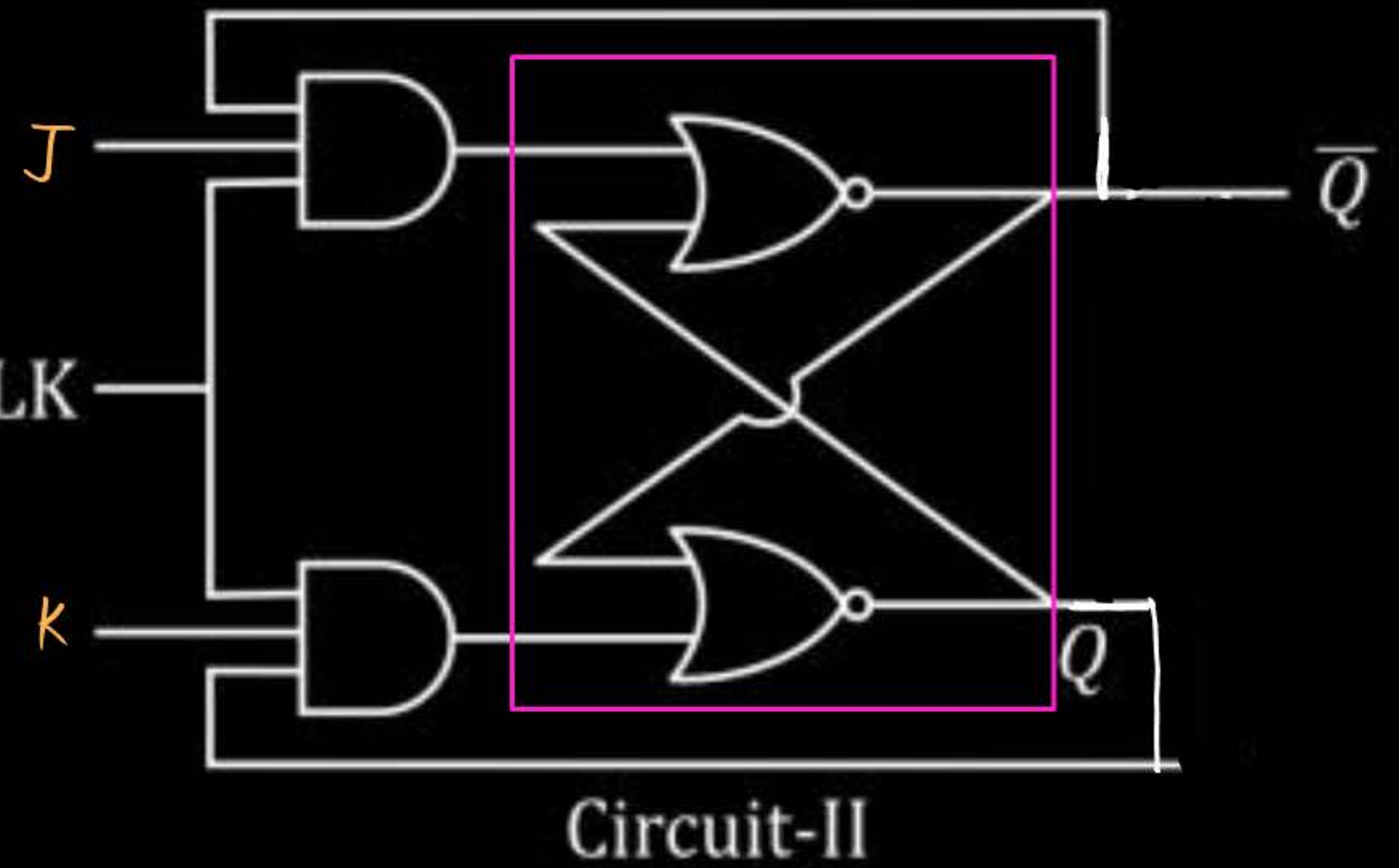
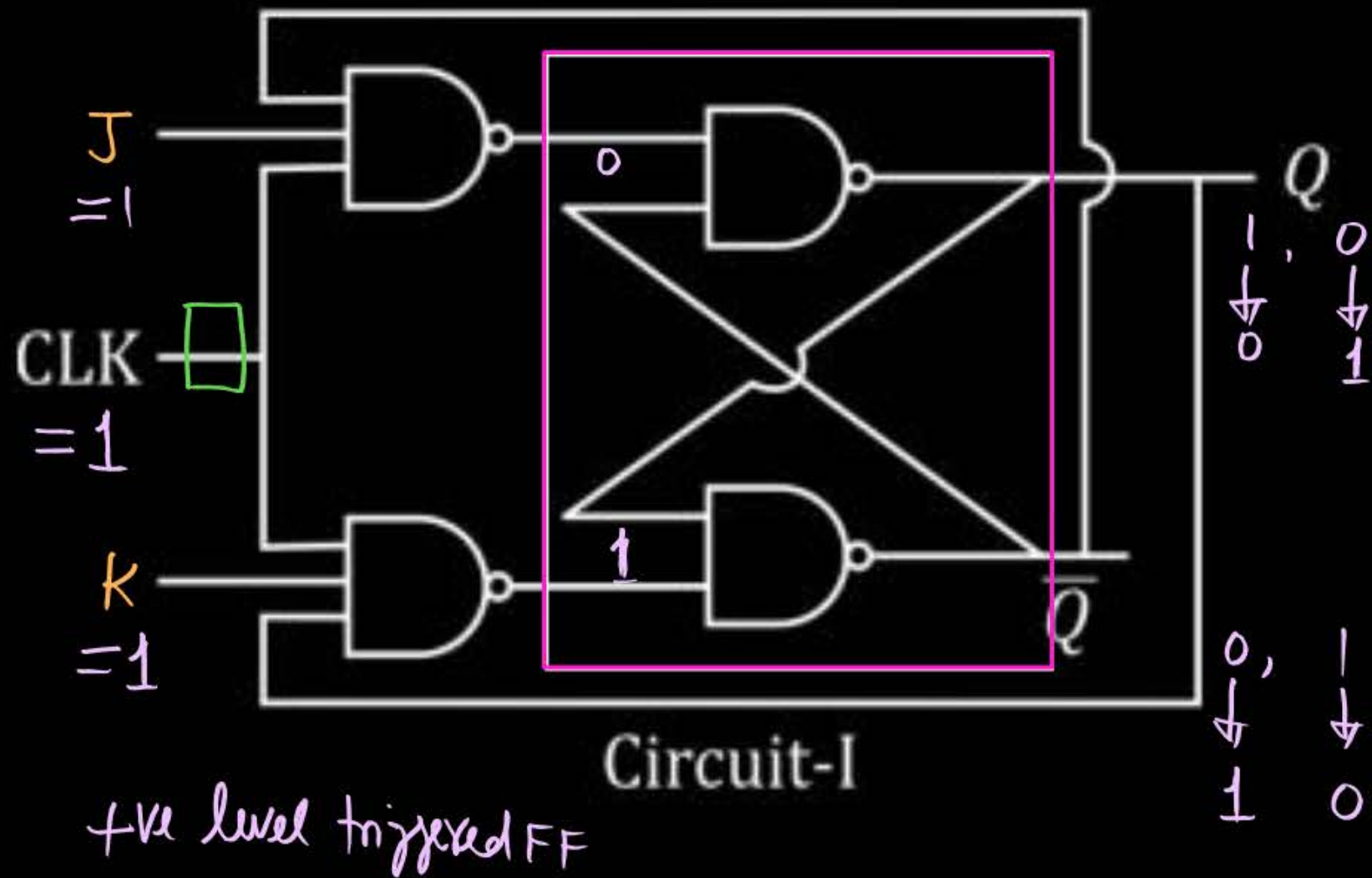
- Problem with S-R flip-flop :

- # $S=R=1$ is invalid state i/p which generates same value of Q & \bar{Q} and this is ^aproblem for circuit designing.
- # To remove this invalid state condition we design T-K FF.

[J-K Flip-Flop]



- Designed to avoid invalid state of S-R Flip-Flop.
- Circuit:



- Truth Table :

CLK	J	K	$Q(n+1)$
0	X	X	$Q(n)$
1	0	0	$Q(n)$
1	0	1	0
1	1	0	1
1	1	1	$\overline{Q(n)}$

→ Hold state

→ toggle state

Characteristic Table :



J	K	$Q(n)$	$Q(n+1)$
0	0	0	0
0	0	1	1
0	1	0	0
0	1	1	0
1	0	0	1
1	0	1	1
1	1	0	1
1	1	1	0

$$Q(n+1) [J, K, Q(n)] \\ = \Sigma(1, 4, 5, 6)$$

	$\bar{K}\bar{Q}$	$\bar{K}Q$	KQ	$K\bar{Q}$
J		1		
\bar{J}	1	1		1

$$Q(n+1) = J\bar{Q}(n) + \bar{K}Q(n)$$

Excitation Table



$Q(n)$	$Q(n+1)$	J	K
0	0	0	X
0	1	1	X
1	0	X	1
1	1	X	0

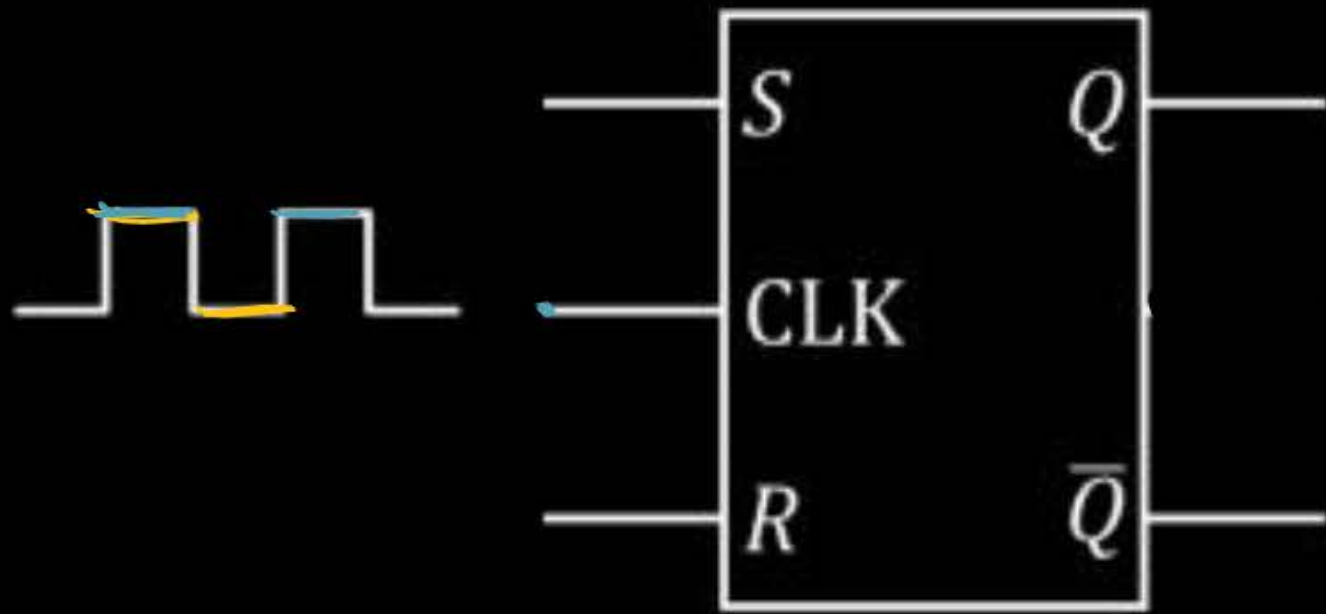


$$\begin{array}{lcl}
 0 & \xrightarrow[(0,1)]{(0,0)} & 0 \\
 0 & \xrightarrow[(1,1)]{(1,0)} & 1 \\
 1 & \xrightarrow[(1,1)]{(0,1)} & 0 \\
 1 & \xrightarrow[(0,0)]{(1,0)} & 1
 \end{array}$$

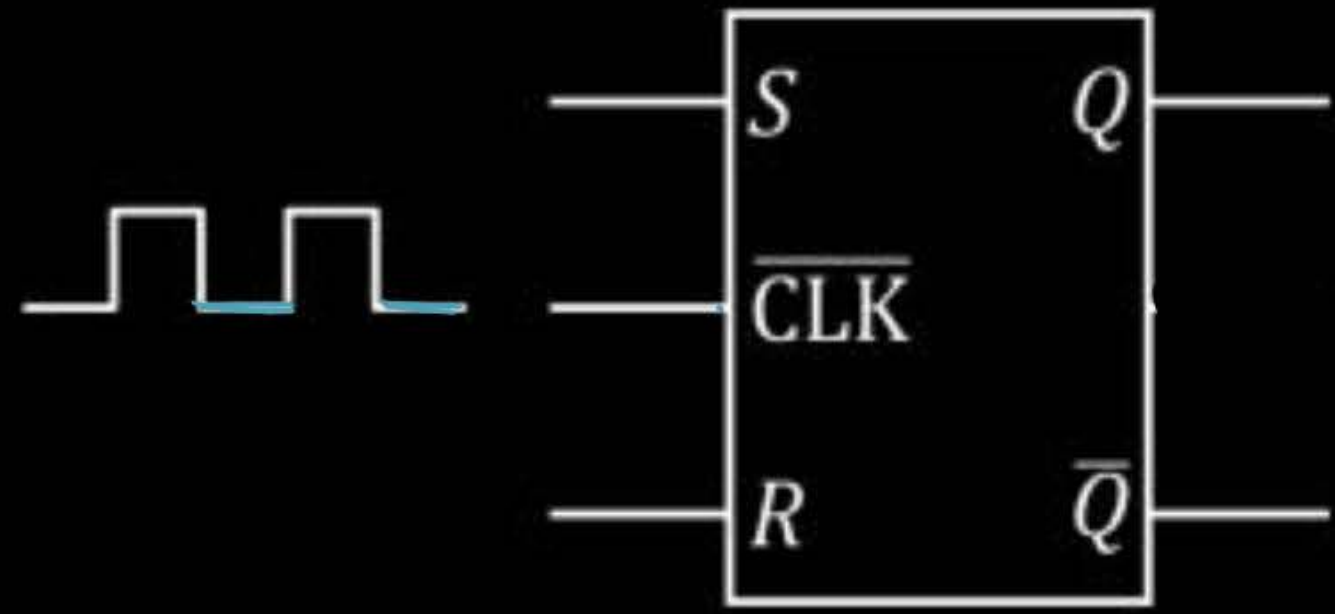
[Level Triggered Flip-Flop]



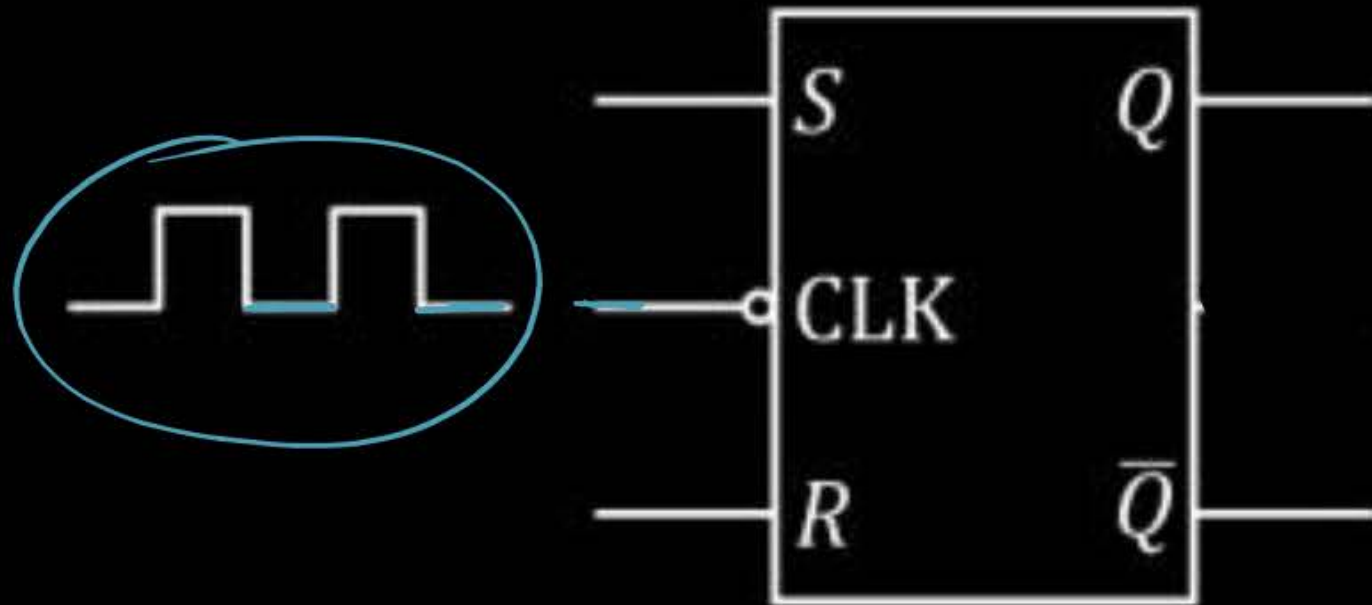
Different representation of level triggered FF's



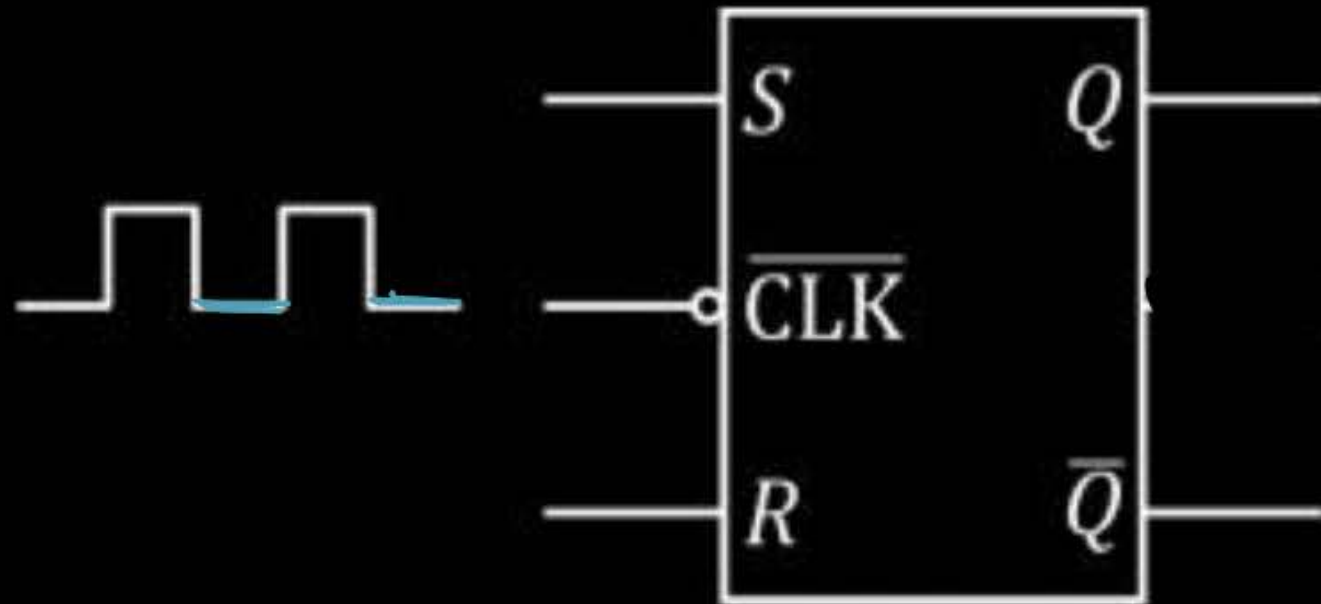
+ve level triggered



-ve level triggered

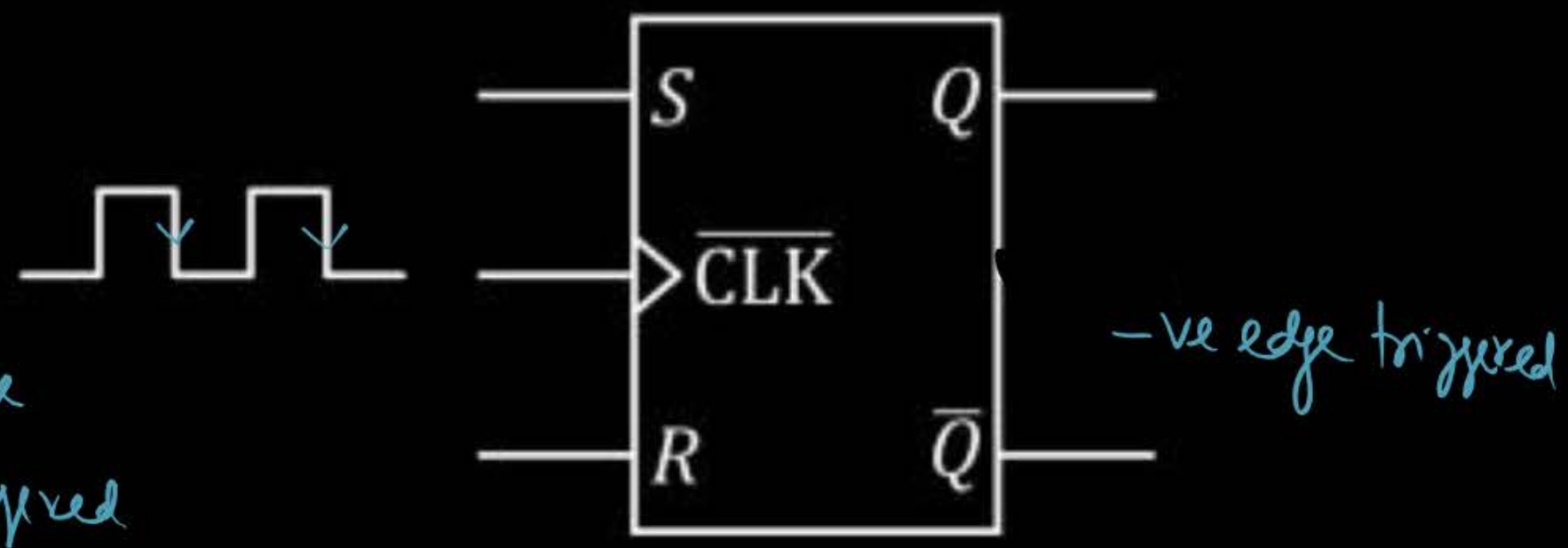
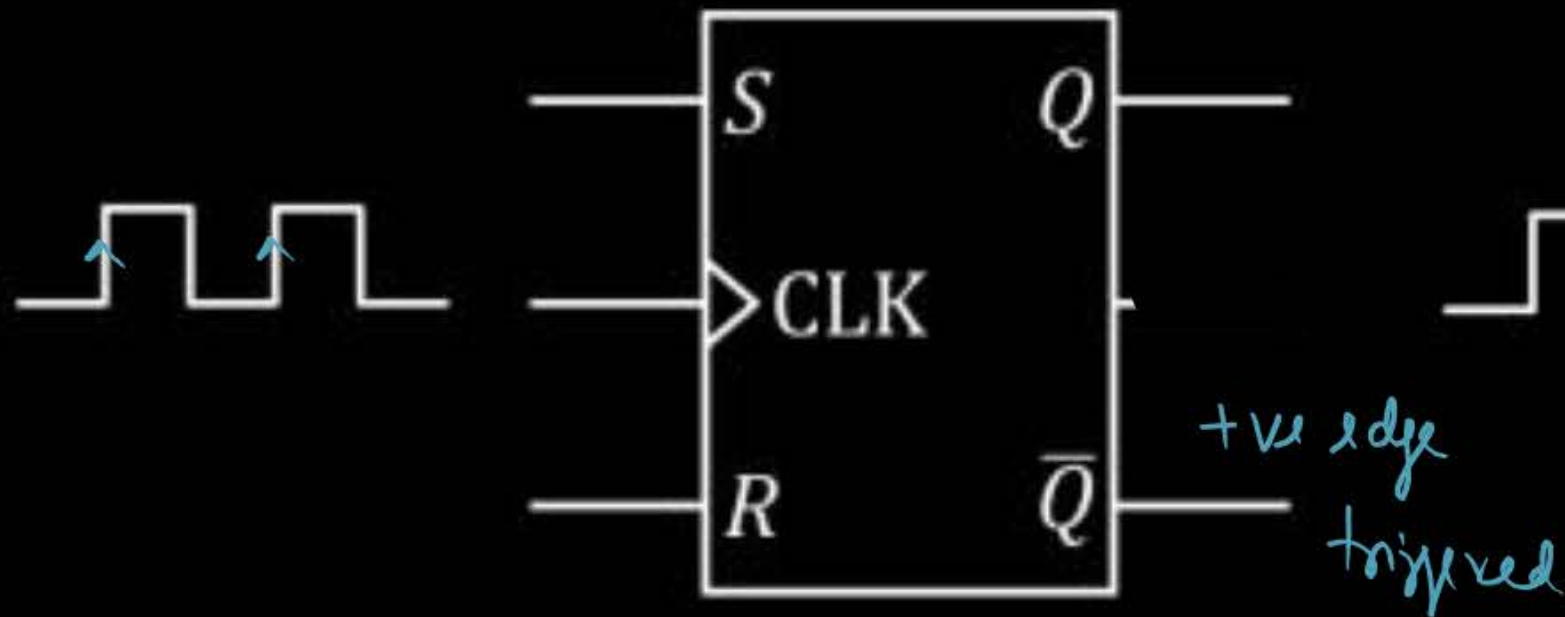
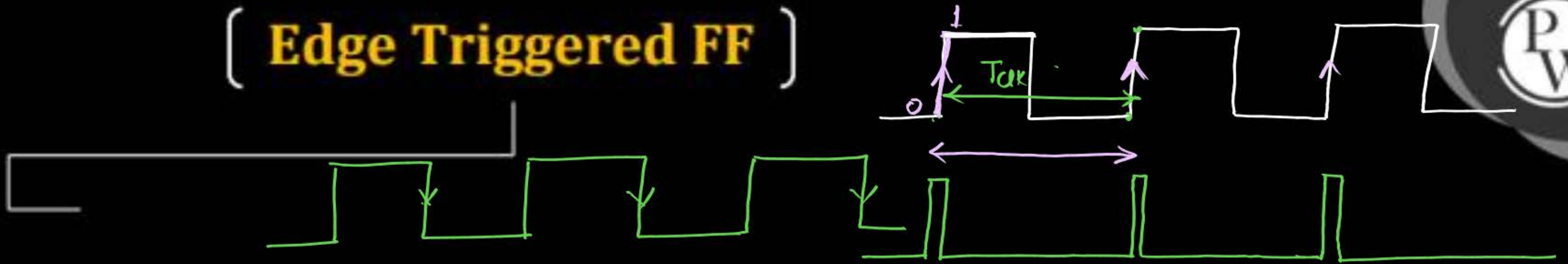


—ve level triggered

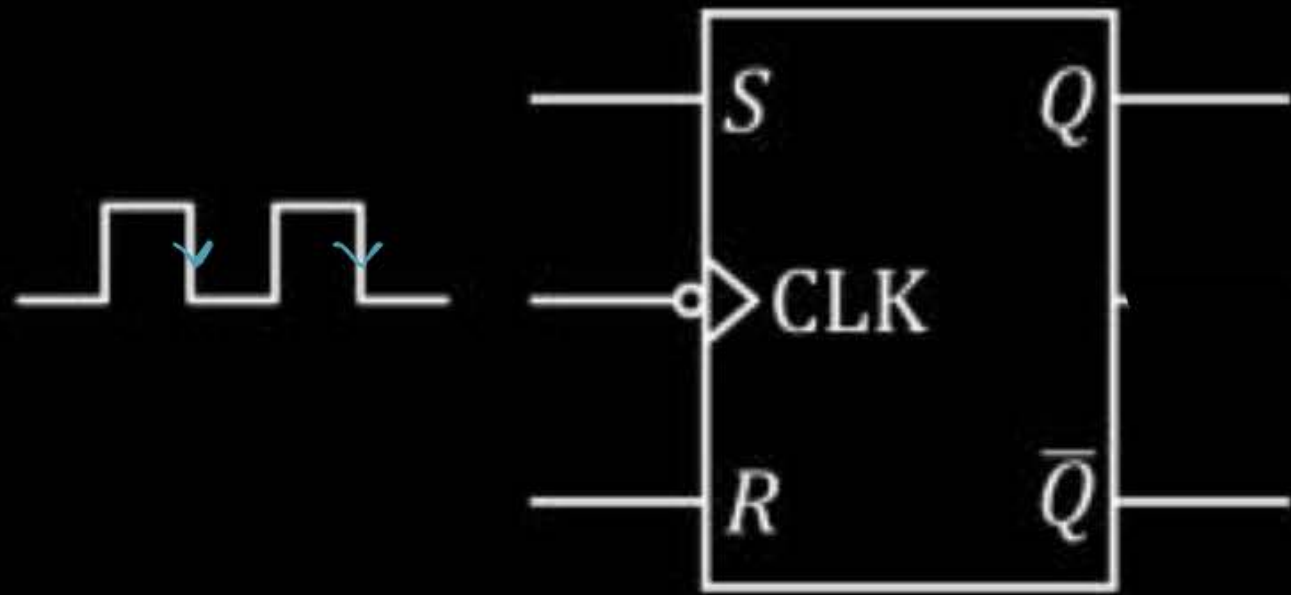


—ve level triggered

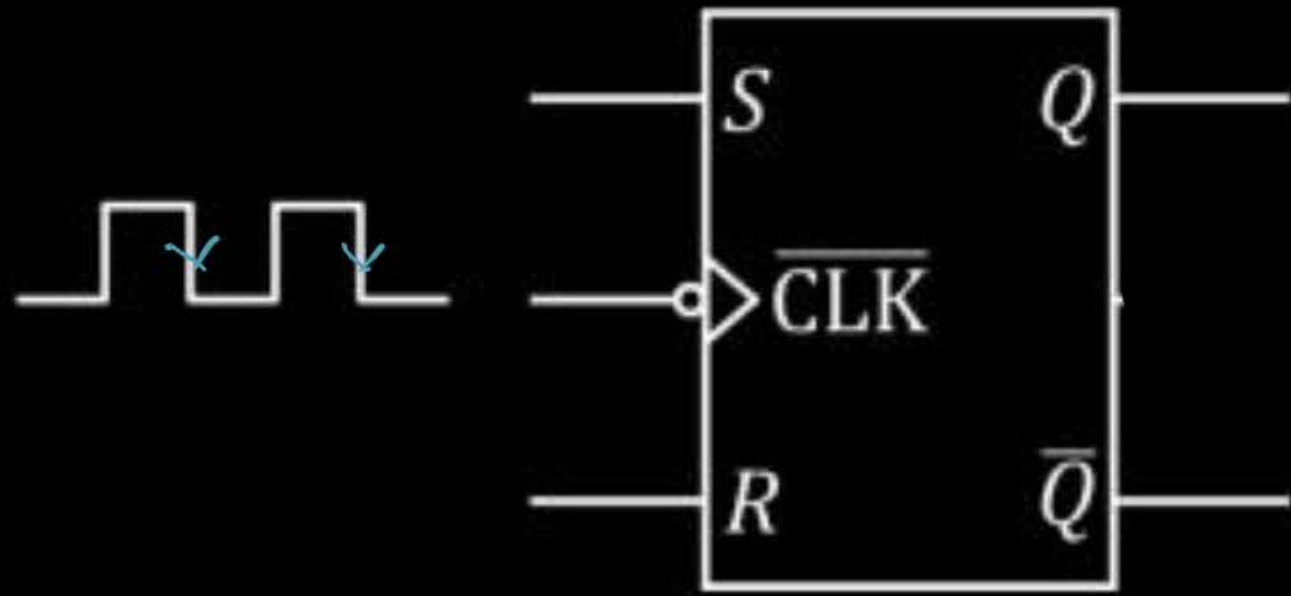
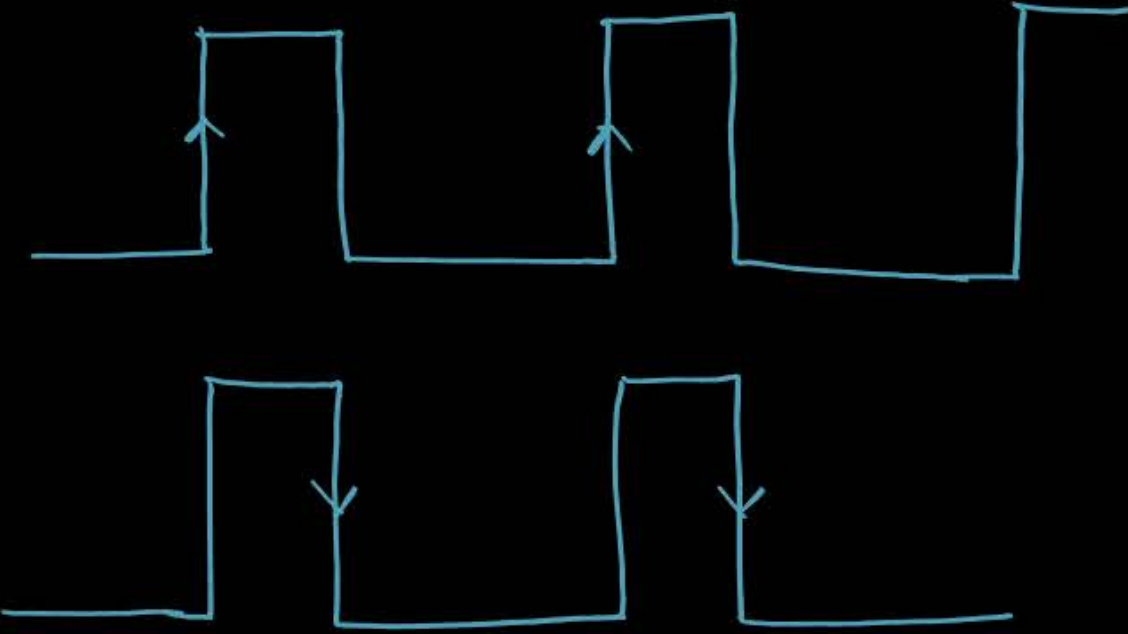
[Edge Triggered FF]



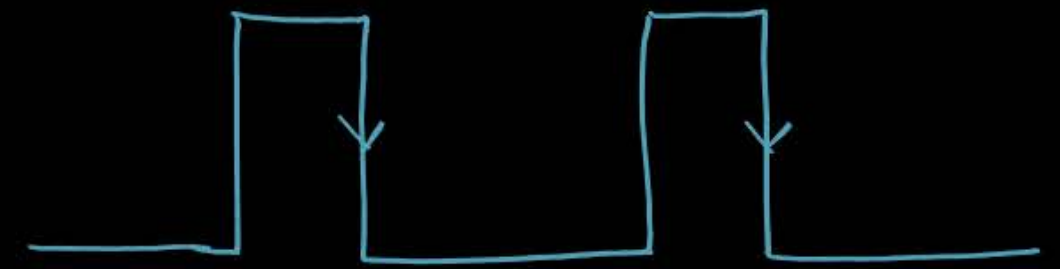
+ve edge triggered \rightarrow FF is triggered when clock is taking transition from $(0 \rightarrow 1)$ +ve edge.
-ve edge triggered \rightarrow FF is triggered when clock is taking transition from $(1 \rightarrow 0)$ -ve edge.



-ve edge triggered



-ve edge triggered.



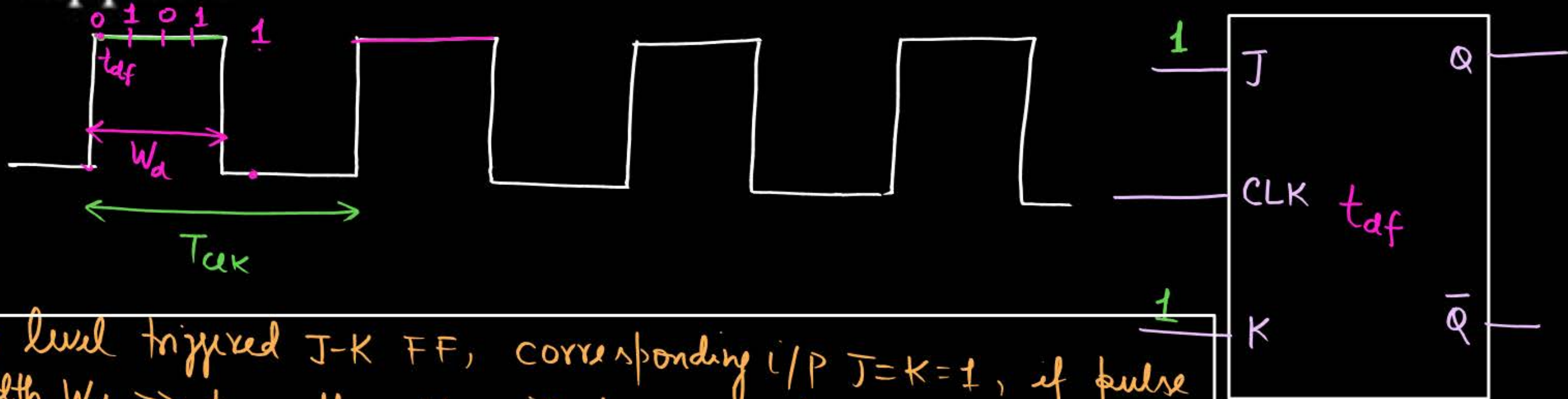
- IMP points about level triggered and edge triggered :

In case of level triggered FF O/P may change more than once in a single clock time period.
 While in case of edge triggered FF O/P will change only once in a single clock time period.

[Race Around Condition]



- Lets understand what is Race-around condition and when it can happen :



In level triggered J-K FF, corresponding i/p $J=K=1$, if pulse width $W_d \gg t_{af}$ then o/p will change more than once in single clock and this condition is called as race around condition.

- Final condition for Race Around Condition :

Race around condition happens when all the condition written below will be satisfied :

(i) Level triggered J-K FF

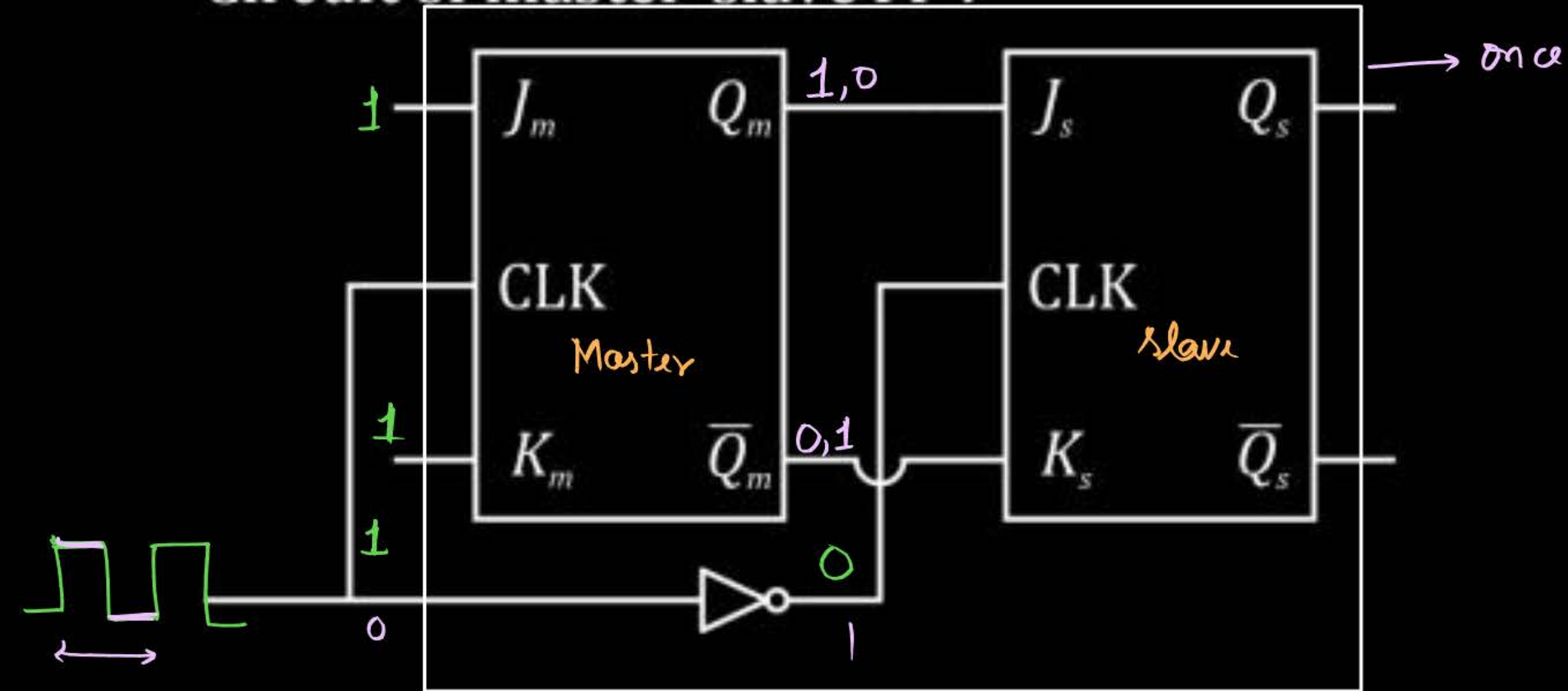
(ii) $J=K=1$

(iii). $W_d \gg t_{df}$

Note : Race around condition never happens in edge triggered FF.

How to avoid race around condition using Master slave FF

Circuit of master-slave FF :



[How to avoid race around condition using Master slave FF]

- Working :

Only one FF is triggered at a time either Master FF or slave FF.

O/p of Master-slave FF is taken from Slave FF O/p

Master is level triggered and slave is edge triggered.

[**Question**] (c)

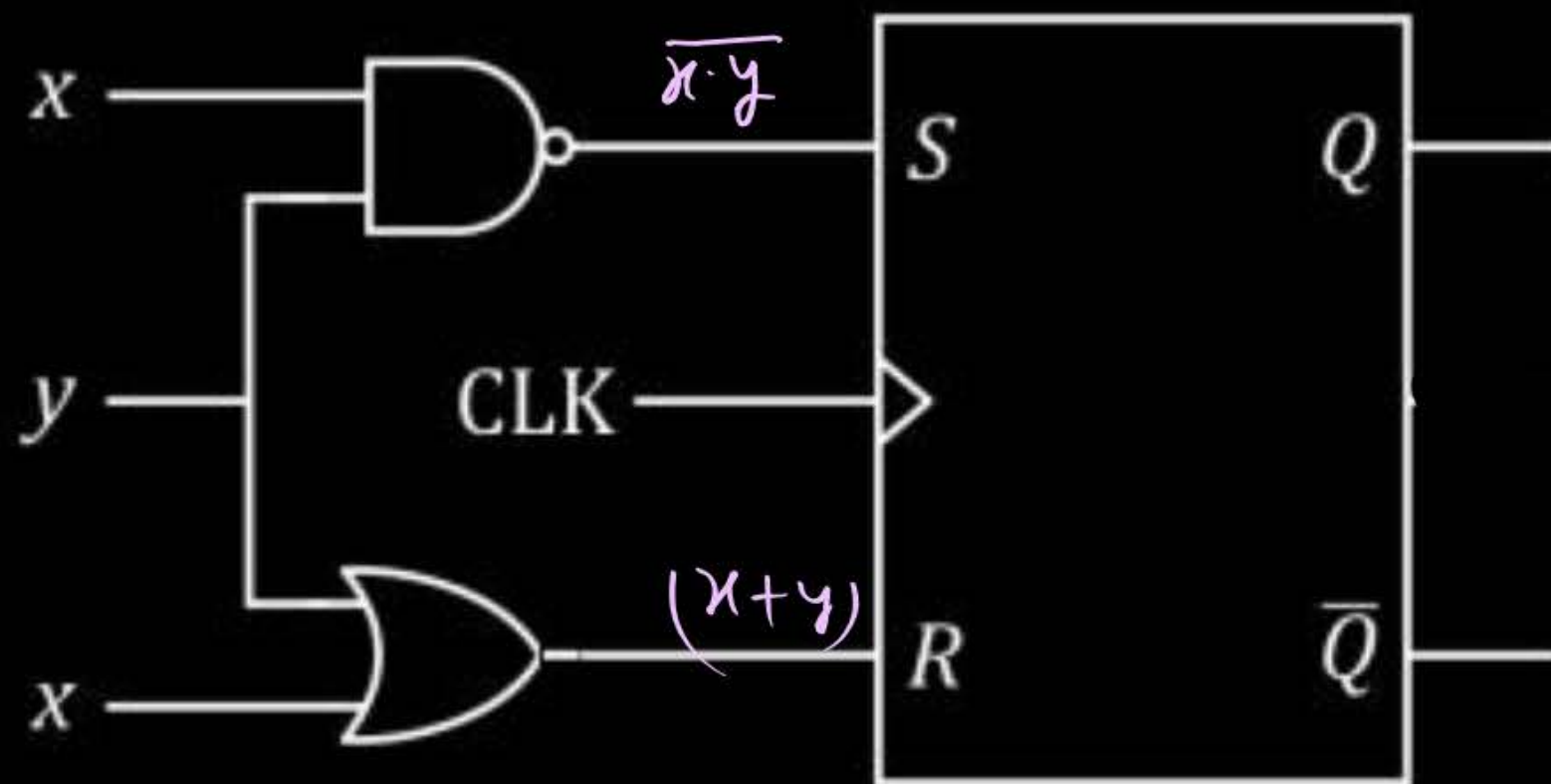


Which of the following is/are true ?

- (a) Race around condition occurs when $J = K = 1$ and edge triggered is applied. ✗
- (b) Race around condition occurs when $J = 1, K = 0$ and level triggered is applied. ✗
- ✓ (c) Race around condition never occurs in edge triggered J-K FF. ✓
- (d) Race around condition occurs in S-R FF with $S = 0, R = 1$ and level triggered is applied. ✗

[Question]

An S-R FF circuit is as given below :



Characteristic equation of above FF is/are

(a) \overline{x}

(b) \overline{y}

(c) $\overline{x \cdot y}$

(d) $\overline{x + y}$

Wrong

$$\begin{aligned}
 Q(n+1) &= S + \overline{R} Q(n) \\
 S \cdot R &= 0 \\
 &= \overline{x \cdot y} + \overline{x + y} Q(n) \\
 &= \overline{x} + \overline{y} + \overline{x} \overline{y} Q(n) \\
 &= \overline{x} (1 + \overline{y} Q(n)) + \overline{y} \\
 &= \overline{x} + \overline{y} \\
 &= \overline{x + y}
 \end{aligned}$$

x	y	$Q(n)$	S	R	$Q(n+1)$
0	0	0	1	0	1
0	0	1	1	0	1
0	1	0	1	1	X
0	1	1	1	1	X
1	0	0	1	1	X
1	0	1	1	1	X
1	1	0	0	1	0
1	1	1	0	1	0

	$\bar{y}\bar{q}$	$\bar{y}q$	yq	$y\bar{q}$
\bar{x}	1	1	X	X
x	X	X		

$$Q(n+1) = \bar{x}$$

	$\bar{y}\bar{q}$	$\bar{y}q$	yq	$y\bar{q}$
\bar{x}	1	1	X	X
x	X	X		

$$Q(n+1) = \bar{y}$$

	$\bar{y}\bar{q}$	$\bar{y}q$	yq	$y\bar{q}$
\bar{x}	1	1	X	X
x	X	X		

$$Q(n+1) = \bar{x} \cdot \bar{y}$$

$$= \overline{x+y}$$



Topic : 2 Min Summary

- J-K FF
- Concept of triggering
- Race around condition & Master-slave FF

Thank you

GW
Soldiers !

