

Practical 4 (N Queens Problem)

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In [ ]: import matplotlib.pyplot as plt
import numpy as np

class NQueens:
    def __init__(self, n): #single argument n, which represents the size of the che
        self.n = n #assigns the size of the chessboard to the instance variable n.
        self.board = [[0] * n for _ in range(n)] #initializes the chessboard as a 2
        self.solutions = [] #initializes an empty list to store the solutions found

    #for checking whether it is safe to place a queen at the given position (row, col)
    def is_safe(self, row, col):
        for i in range(col):#iterates through the columns preceding the current col
            if self.board[row][i] == 1: #checks if there is already a queen placed
                #but in a previous column (i)
                #if a queen is found in the same row in any of the preceding columns
                #(row, col) would result in a horizontal conflict, so it returns False
                return False
            #checks if there is a queen in the upper-left diagonal from position (r
            #ensures that no queen is present in the upper-left diagonal direction
            if row - i - 1 >= 0 and self.board[row - i - 1][col - i - 1] == 1:
                return False
            #checks if there is a queen in the lower-left diagonal from position (r
            if row + i + 1 < self.n and self.board[row + i + 1][col - i - 1] == 1:
                #If a queen is found in the lower-left diagonal, it means placing a
                #(row, col) would result in a conflict, so it returns False.
                return False
            #If no conflicts are found (i.e., no queens are present in the same row
            #and lower-left), it means it's safe to place a queen at position (row,
            return True

    #solve_backtracking method serves as the termination condition for the recursion. I
    #have been successfully placed on the board and, if so, adds the current board conf
    def solve_backtracking(self, col):
        if col >= self.n:
            self.solutions.append([row[:] for row in self.board])
            return True

        # iterates through each row of the current column.#For each row (i), it checks if i
        #the current column (col) using the is_safe method.If it's safe, it proceeds to pla
        #current step of the backtracking process, indicating which column is being process
        for i in range(self.n):
            if self.is_safe(i, col):
                self.board[i][col] = 1
                print(f"Step {col+1}:")
                self.print_board() #prints the current state of the board after plac
                #for visualization purposes.
                if self.solve_backtracking(col + 1):
                    return True
            #If placing a queen in row i of the current column leads to a dead end (i.e., no so
            #it backtracks by resetting the cell to 0
            self.board[i][col] = 0
        return False

    def solve_branch_bound(self):
        self.solve_backtracking(0) #Solves the problem using backtracking
```



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elif choice == 2:
    solutions = solver.solve_branch_bound()
    print("Number of solutions found:", len(solutions))
    if len(solutions) > 0:
        for idx, solution in enumerate(solutions):
            print(f"Solution {idx + 1}:")
            solver.visualize_solution(solution)
elif choice == 3:
    print("Exiting...")
    break
else:
    print("Invalid choice. Please enter a valid option.")

if __name__ == "__main__":
    main()
```

Enter the number of queens: 4
N Queens Problem Solver
1. Solve using Backtracking
2. Solve using Branch and Bound
3. Exit

Enter your choice: 1

Step 1:

1 0 0 0
0 0 0 0
0 0 0 0
0 0 0 0

Step 2:

1 0 0 0
0 0 0 0
0 1 0 0
0 0 0 0

Step 2:

1 0 0 0
0 0 0 0
0 0 0 0
0 1 0 0

Step 3:

1 0 0 0
0 0 1 0
0 0 0 0
0 1 0 0

Step 1:

0 0 0 0
1 0 0 0
0 0 0 0
0 0 0 0

Step 2:

0 0 0 0
1 0 0 0
0 0 0 0
0 1 0 0

Step 3:

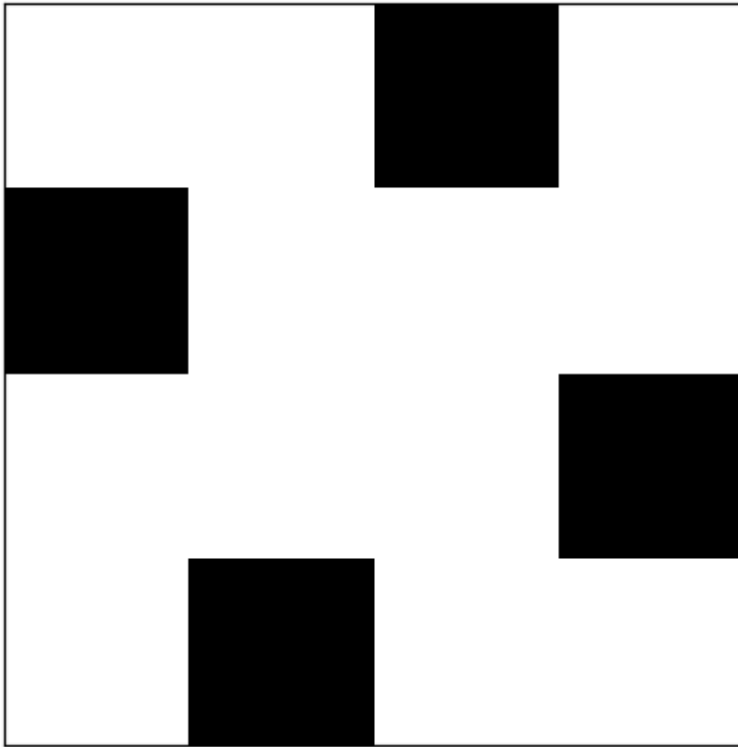
0 0 1 0
1 0 0 0
0 0 0 0
0 1 0 0

Step 4:

0 0 1 0
1 0 0 0
0 0 0 1
0 1 0 0

Number of solutions found: 1
Solution 1:

N Queens Solution



N Queens Problem Solver

1. Solve using Backtracking
2. Solve using Branch and Bound
3. Exit

Enter your choice: 2

Step 1:

```
1 0 1 0
1 0 0 0
0 0 0 1
0 1 0 0
```

Step 2:

```
1 0 1 0
1 0 0 0
0 0 0 1
0 1 0 0
```

Step 1:

```
0 0 1 0
1 0 0 0
0 0 0 1
0 0 0 0
```

Step 2:

```
0 0 1 0
1 0 0 0
0 0 0 1
0 1 0 0
```

Step 3:

```
0 0 1 0
1 0 0 0
0 0 0 1
0 1 0 0
```

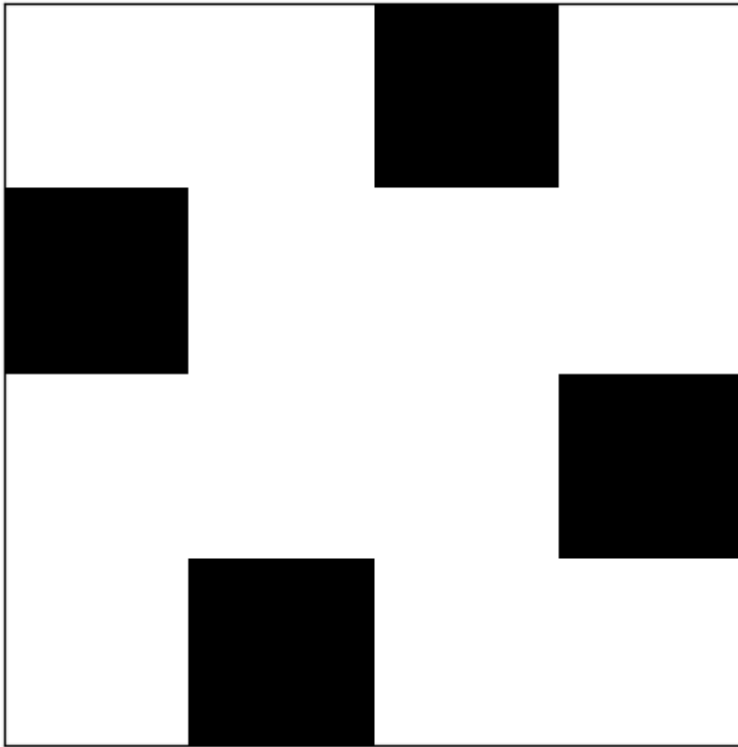
Step 4:

```
0 0 1 0
1 0 0 0
0 0 0 1
0 1 0 0
```

Number of solutions found: 2

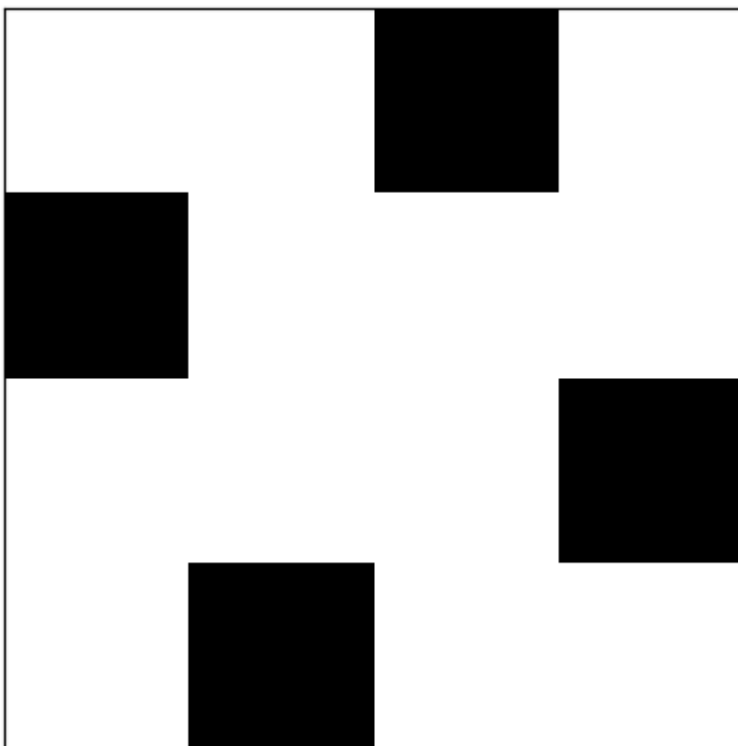
Solution 1:

N Queens Solution



Solution 2:

N Queens Solution



N Queens Problem Solver

1. Solve using Backtracking
2. Solve using Branch and Bound
3. Exit

In []:

In []: