

DFS-Depth First Search [Water Jug]AIM:-

create a DFS program to solve the water jug problem using python code.

ALGORITHM:-1. Initialize the Queue:-

- create a queue 'q' for BFS
- create a set visited to keep track of visited states to avoid cycles.
- Enqueue the initial state (0,0) where the both jugs are empty.

2. BFS loop:-

→ while queue is not empty.

\* Dequeue the front state (x,y) where x is the amount of water in Jug 1 and y is the amount of water in Jug 2.

\* If either  $x == \text{target}$  or  $y == \text{target}$  then solution is found

\* If the state x,y has been visited before skip to the next iteration.

\* Mark the state (x,y) as visited.

\* For the current state (x,y) generate all possible next states by applying.

• fill Jug 1: (Jug 1, y)

• fill Jug 2: (Jug 2, x)

• Empty Jug 1: (0, y)

• Empty Jug 2: (x, 0)

• Pour water from Jug 1 to Jug 2:  
→ with capacity of Jug 2.

• Pour water from Jug 2 to Jug 1:  
→ with capacity of Jug 1.

3: check for solution?

→ If the Queue is exhausted and the target has been reached, print "solution is not possible".

→ Otherwise, print the sequence of operations leading to the solution.

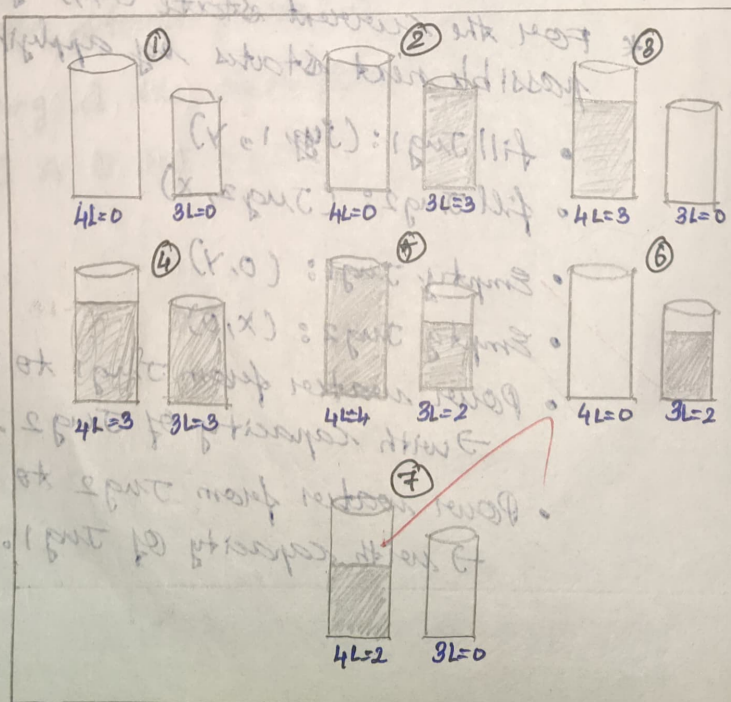
Example:-

- 1) • Jug1 has 4 litres of water
- Jug2 has 3 litres of water.
- To fill the 2 litres of water.

Sol:-

Step	Gallons of water in 4 gallon Jug	Gallons of water in 3 gallon Jug	Rule Applied
1	0	0	R1: Initial state
2	0	3	R2: Fill 3-gallon Jug
3	3	0	R4: Pour all water from 3 to 4 gallon
4	3	3	R3: Fill 3 gallon Jug
5	4	2	R5: Pour from 3 to 4 until full
6	0	2	R6: Empty 4 gallon Jug
7	2	0	R1: Pour all water from 3 to 4 Jug

Demonstration:-





Code:-

from collections import deque

def solution(a, b, target):

m = {}

is\_solvable = False

path = []

q = deque()

q.append((0, 0))

while len(q) > 0:

u = q.popleft()

if (u[0], u[1]) in m:

continue

if u[0] > a or u[1] > b or u[0] < 0 or u[1] < 0:

continue

path.append([u[0], u[1]])

m[(u[0], u[1])] = 1

if u[0] == target or u[1] == target:

is\_solvable = True

if u[0] == target:

if u[1] != 0:

path.append([u[0], 0])

else:

if u[0] != 0:

path.append([0, u[1]])

SI = len(path)

for i in range(SI):

print("(", path[i][0], ", ", path[i][1], ")")

break.

q.append([u[0], b])

q.append([u[1], a])

for ap in range(max(a, b) + 1):

c = u[0] + ap

d = u[1] - ap

if c == a or (d == 0 and d >= 0):

q.append([c, d])

$$c = u[0] - a \cdot b$$

$$c = u[1] + a \cdot b$$

if  $(c == 0 \text{ and } c \geq 0)$  and  $d == b$ :

q.append([c, d])

q.append([a, 0])

q.append([0, b])

if not is\_solvable:

Print("solution not possible")

if \_\_name\_\_ == '\_\_main\_\_':

Jug1 = int(input("Enter the capacity of Jug1:"))

Jug2 = int(input("Enter the capacity of Jug2:"))

target = int(input("Enter the target amount:"))

Print("path from initial state to solution state")

Solution(Jug1, Jug2, target)

Output:-

Enter the capacity of Jug1: 4

Enter the capacity of Jug2: 3

Enter the target amount: 2

Path from initial state to solution state

(0, 0)

(0, 3)

(4, 0)

(4, 3)

(3, 0)

(1, 3)

(3, 3)

(4, 2)

(0, 2)

Result:-

Thus the water Jug program is executed and output is received successfully.